

Welcome
to
The Lecture Notes
on
Applied Physics
(AS-1002)

- *Dr. Shyam*
Asstt. Professor

Syllabus Outline

- **Section-A:**

Physical optics

Relativity

Electromagnetic wave theory

- **Section-B:**

Introduction to Elementary **Quantum Mechanics**

- **Section-C:**

Quantum Theory of Free Electrons

Band Theory of Solids

Super conductivity

- **Section-D:**

Lasers and Fiber optics

Examination Pattern and Marks distribution

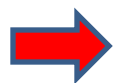
Total Marks for this paper: 150

1. External Examination (100 Marks)

A total **Nine (09)** questions will be asked

Two (02) **long answer** type questions from each section and one compulsory section consisting of **short answer type** questions from entire syllabus

You need to attempt Five (05) questions only, selecting one from each section and all questions of compulsory section



Answer Sheet will be of 40 pages only

2. Internal Assessment (50 Marks)

To be awarded by **Subject Teacher** on the basis of performance in Periodical Examinations, Assignment tasks and Attendance in the class

➡ Minimum total passing marks for this subject is **60** with compulsorily **40** marks in **External Exams** and there is no minimum limit in internal assessment marks

Practical Exams (100 marks)

1. **External Practical Examination (50 Marks)**
2. **Internal Assessment (50 Marks)**

➡ Minimum passing marks is **25** in each part

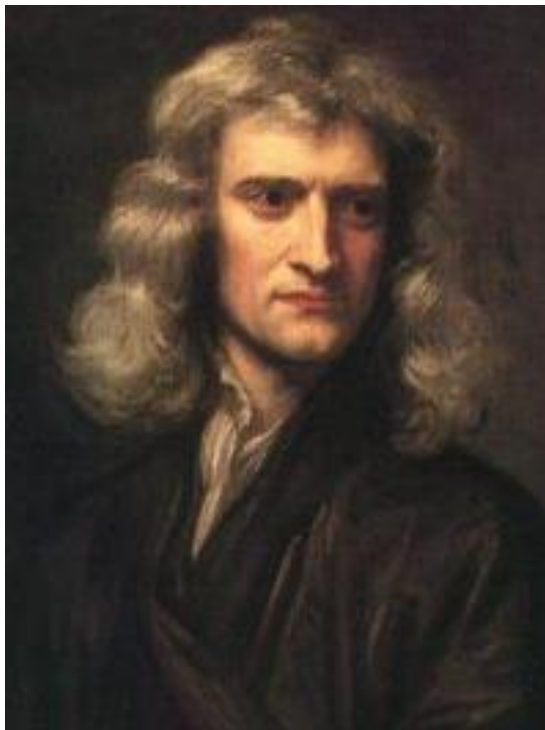
Section-A

(Physical Optics)

Aristotle (384 - 322 B.C.), an ancient Greek thinker, thought that **we saw the world by sending “something” out of our eye** and that reflected from the object.

Theories Related to Light

In the 17th century, two scientists had different views about the nature of light



Isaac Newton
1643 - 1727

Light is
particles

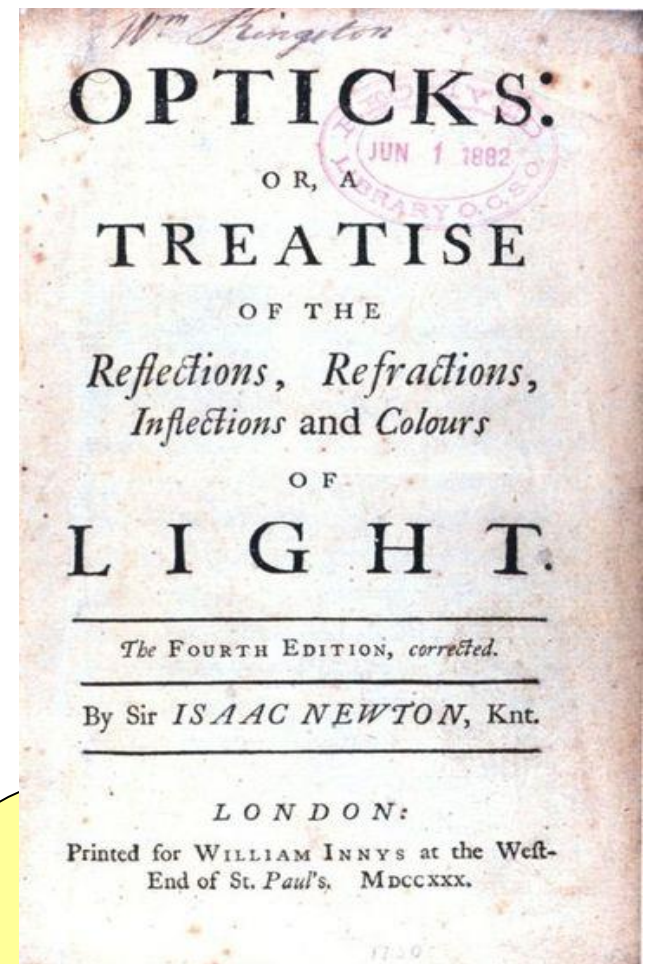
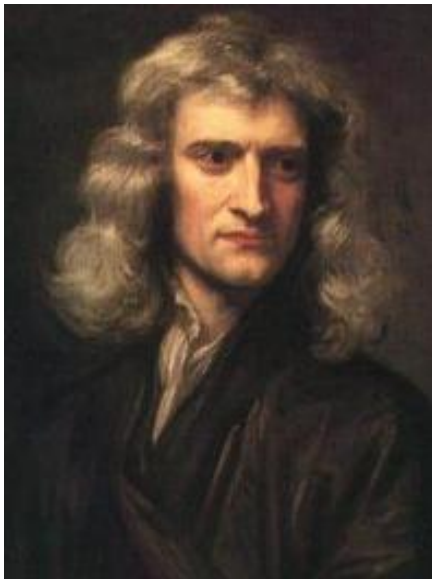
No! Light is
waves



Christian Huygens
1629 - 1695

Newton proposed his
“particle theory of light”
(or “corpuscular theory of
light”) to explain the
characteristics of light.

(Source: “*Opticks*”, published by
Isaac Newton in 1704)



I think light is a stream of tiny
particles, called *Corpuscles* ...

Let's see how Huygens used his “wave theory” to explain the characteristics of light

(Source: *Treatise on light*, published by Huygens in 1690)



I think light is emitted as a series of waves in a medium he called “*aether*”

(“*aether*” commonly also called “*ether*”)

If you were one of the scientists in the 17th century, would you believe the “particle theory of light” or the “wave theory of light”? Why?

Hint: Which theory has a greater ability to explain the characteristics of light?

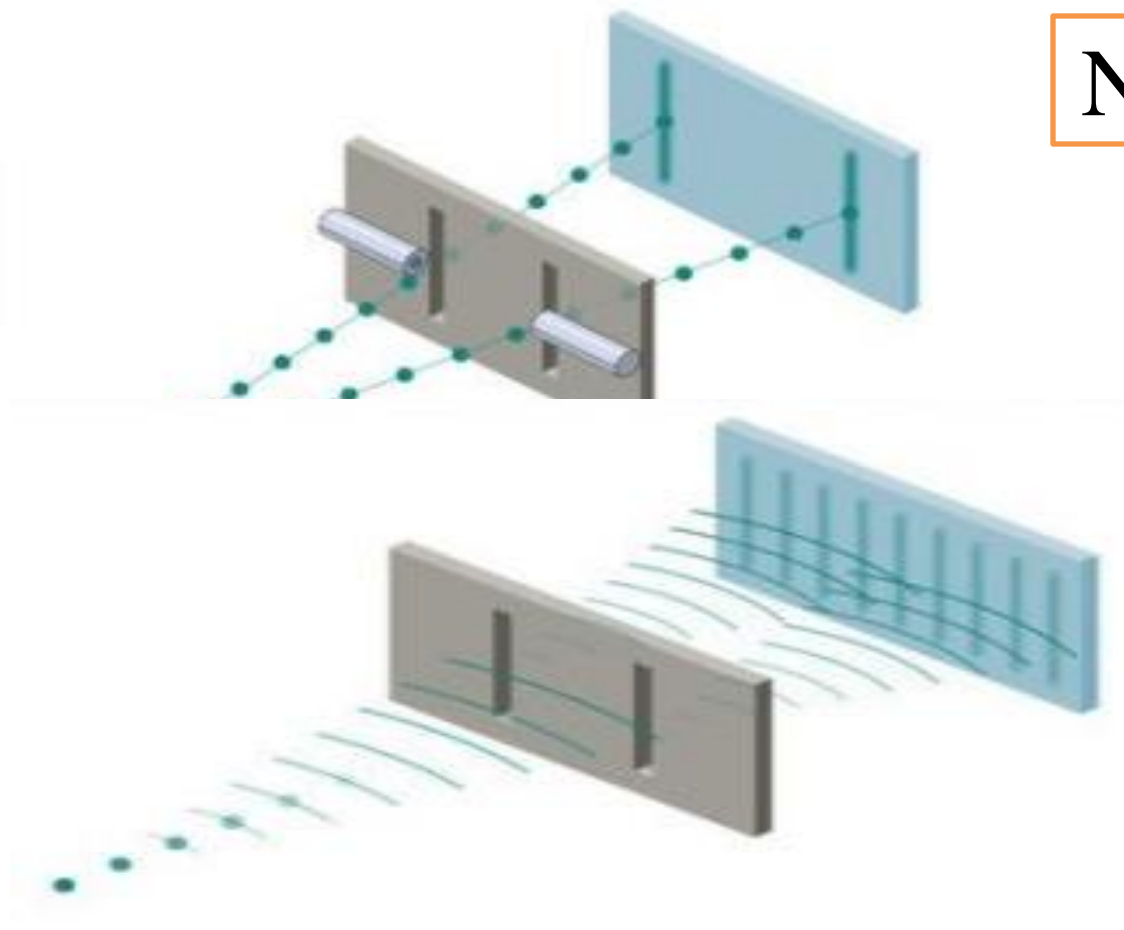
Newton was the “winner”..... (at that time!)

People tend to submit to authority when there is not enough evidence to make judgment.

(People believed Newton's theory due to his reputation in science.)

However, the wave theory of light was re-examined 100 years after Newton's particle theory of light had been accepted.....

New observations



Thomas Young
(1773-1829)

English, Could read at age 2. At 7, learnt Latin, Greek & maths. At 12, spoke Hebrew, Persian & could handle optical instruments. At 14, he spoke Arabic, French, Italian, Spanish, & Chaldean Syriac. PhD at 20. Gentleman, accomplished flute player. He is reported dancing above a rope. Worked for an insurance company, continuing research into the structure of the retina, astigmatism.

Young's Experiment

Sunlight

Narrow slits

Observing screen

Right slit open

observed

Left slit open

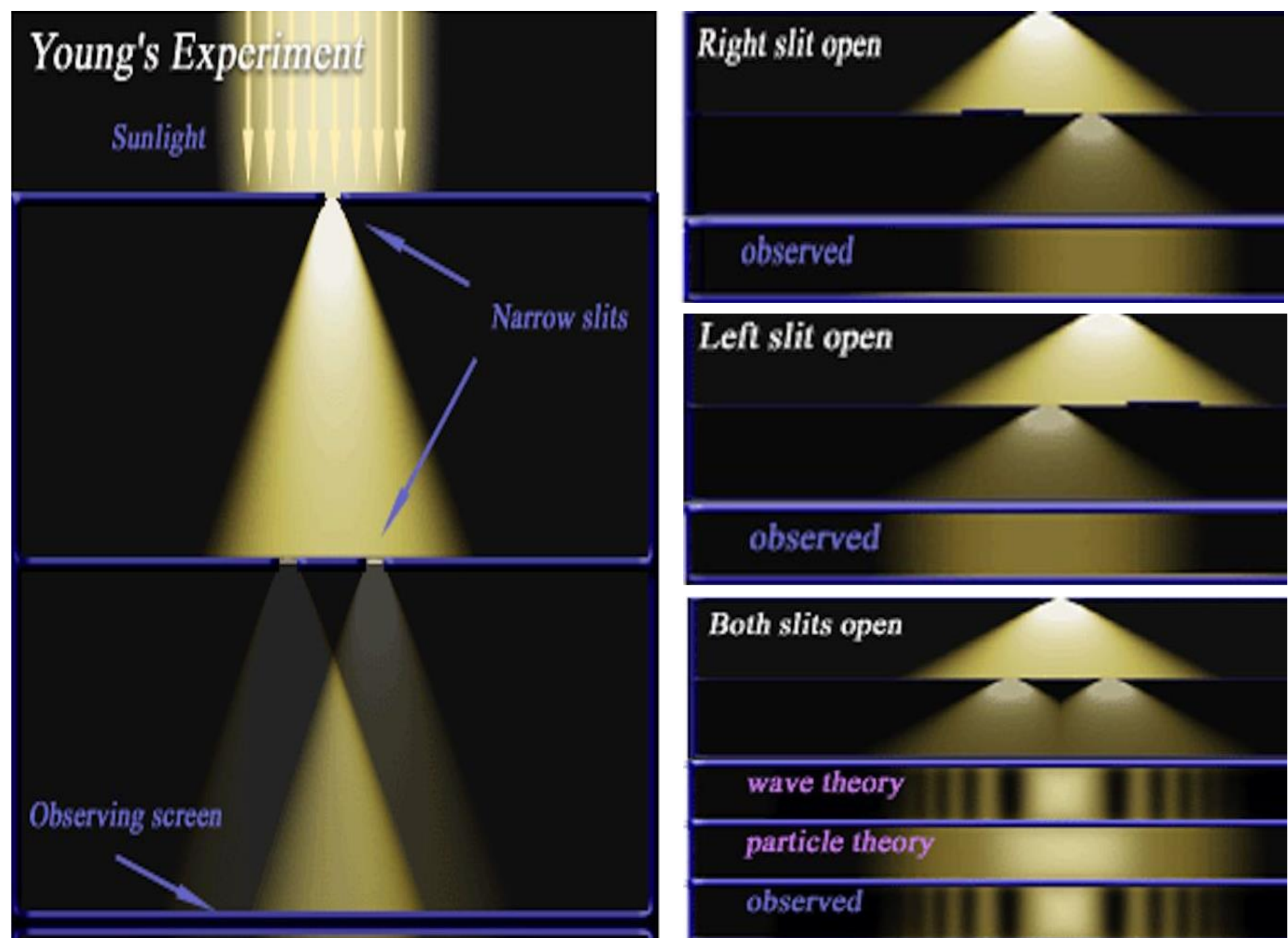
observed

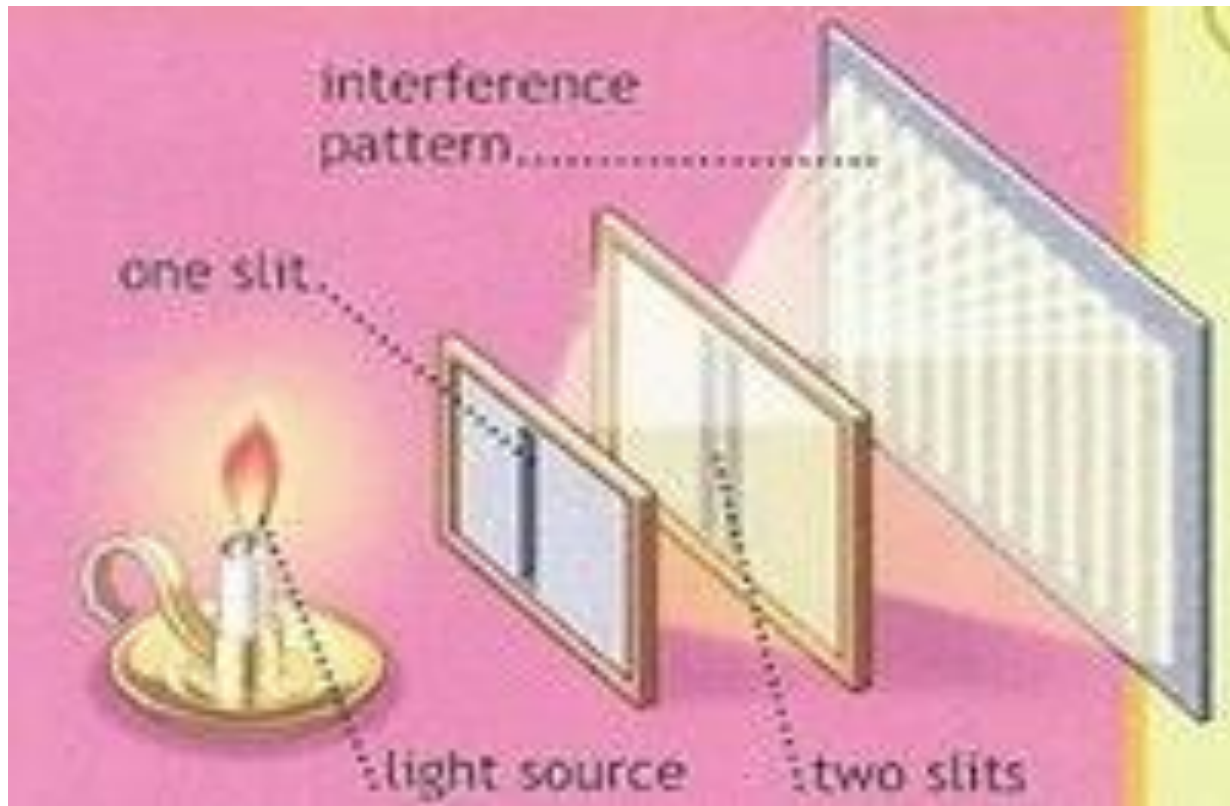
Both slits open

wave theory

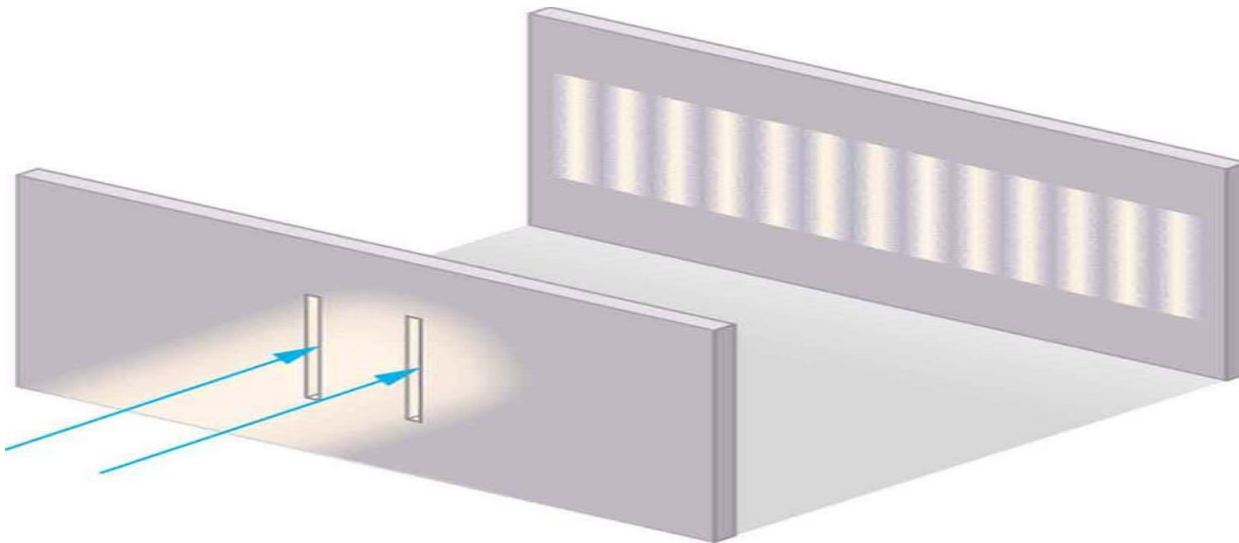
particle theory

observed

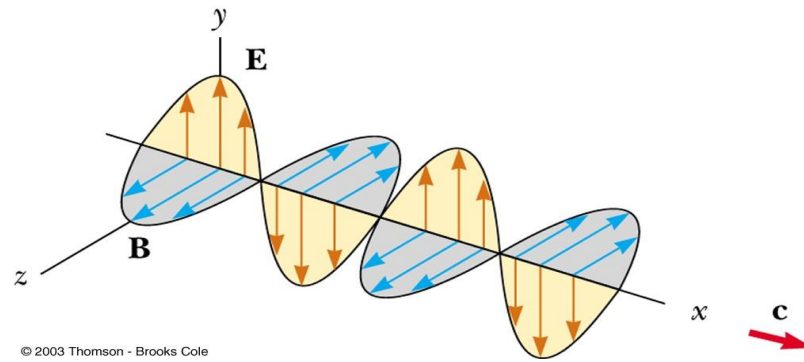




Light is not particles!



What kind of wave?

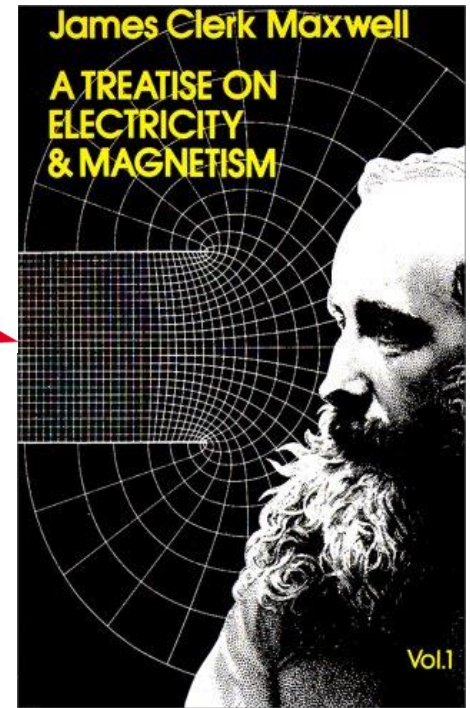


$$\nabla \cdot \mathbf{E} = \frac{\rho}{\epsilon_0}$$

$$\nabla \cdot \mathbf{B} = 0$$

$$\nabla \times \mathbf{E} = -\frac{\partial \mathbf{B}}{\partial t}$$

$$\nabla \times \mathbf{B} = \mu_0 \mathbf{j} + \mu_0 \epsilon_0 \frac{\partial \mathbf{E}}{\partial t}$$



James Clerk Maxwell

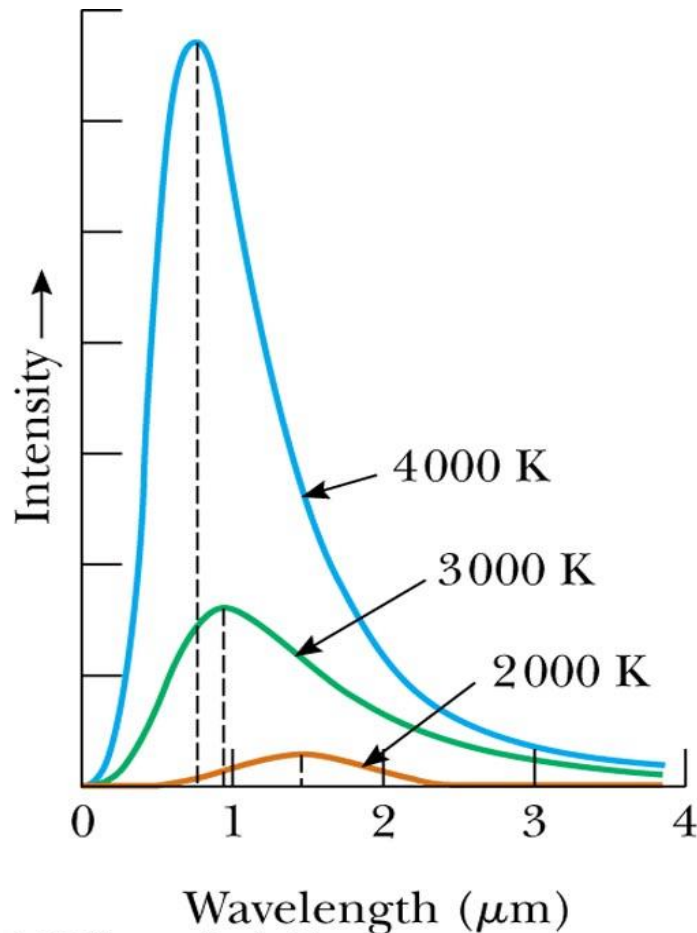
Light is an electromagnetic wave

“The velocity of EM waves is so nearly that of light, that it seems we have strong reason to conclude that **light itself** (including radiant heat, and other radiations if any) **is an electromagnetic** disturbance in the form of waves propagated through the electromagnetic field according to electromagnetic laws.”

Black body Radiations



Max Planck (1901)
Göttingen



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Photons

Electromagnetic radiation has a frequency and a wavelength:

$$\nu = \frac{c}{\lambda}$$

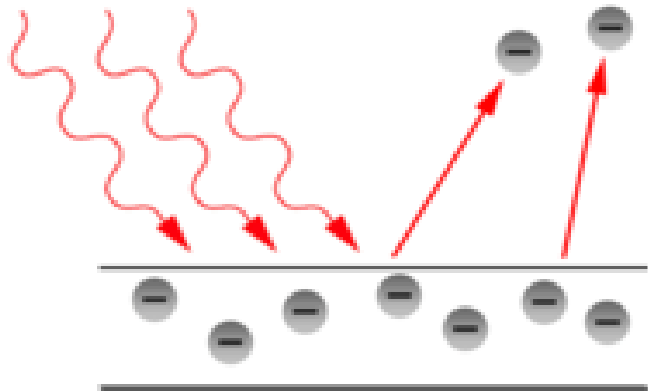
Frequency is related to the energy of a photon:

$$E = h\nu = \frac{hc}{\lambda}$$

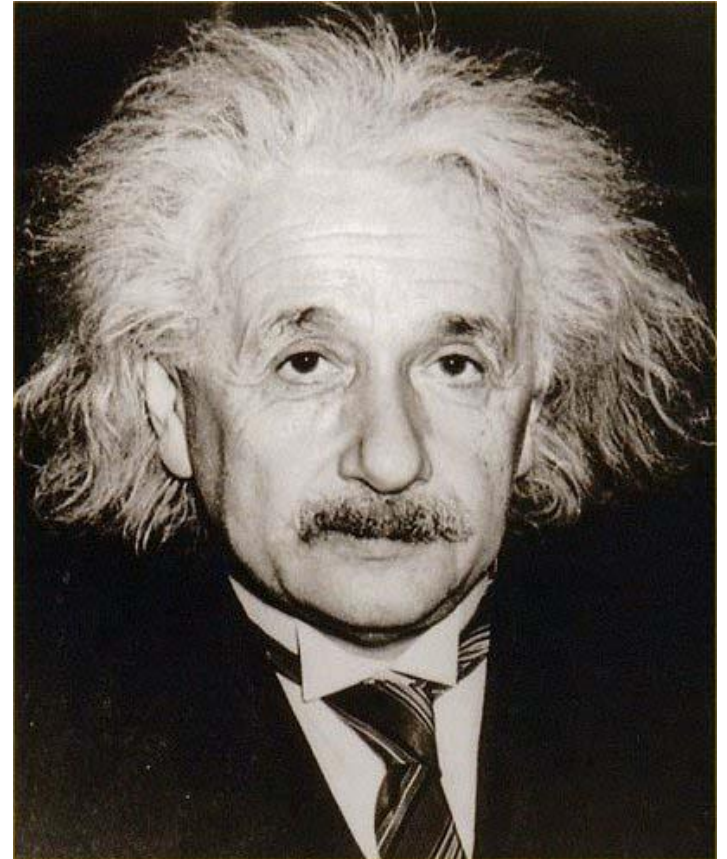
$$E_{tot} = n h \nu$$

The wave theory of light was widely accepted until 1905.....

Wave theory of light? “No way!”



Photoelectric effect



Albert Einstein

1879 - 1955

Let's *COMPROMISE*

Dual Nature of Radiations

Albert Einstein provided a piece of convincing evidence for the particle nature of light

Has the story ended yet?
Is light particles or waves?

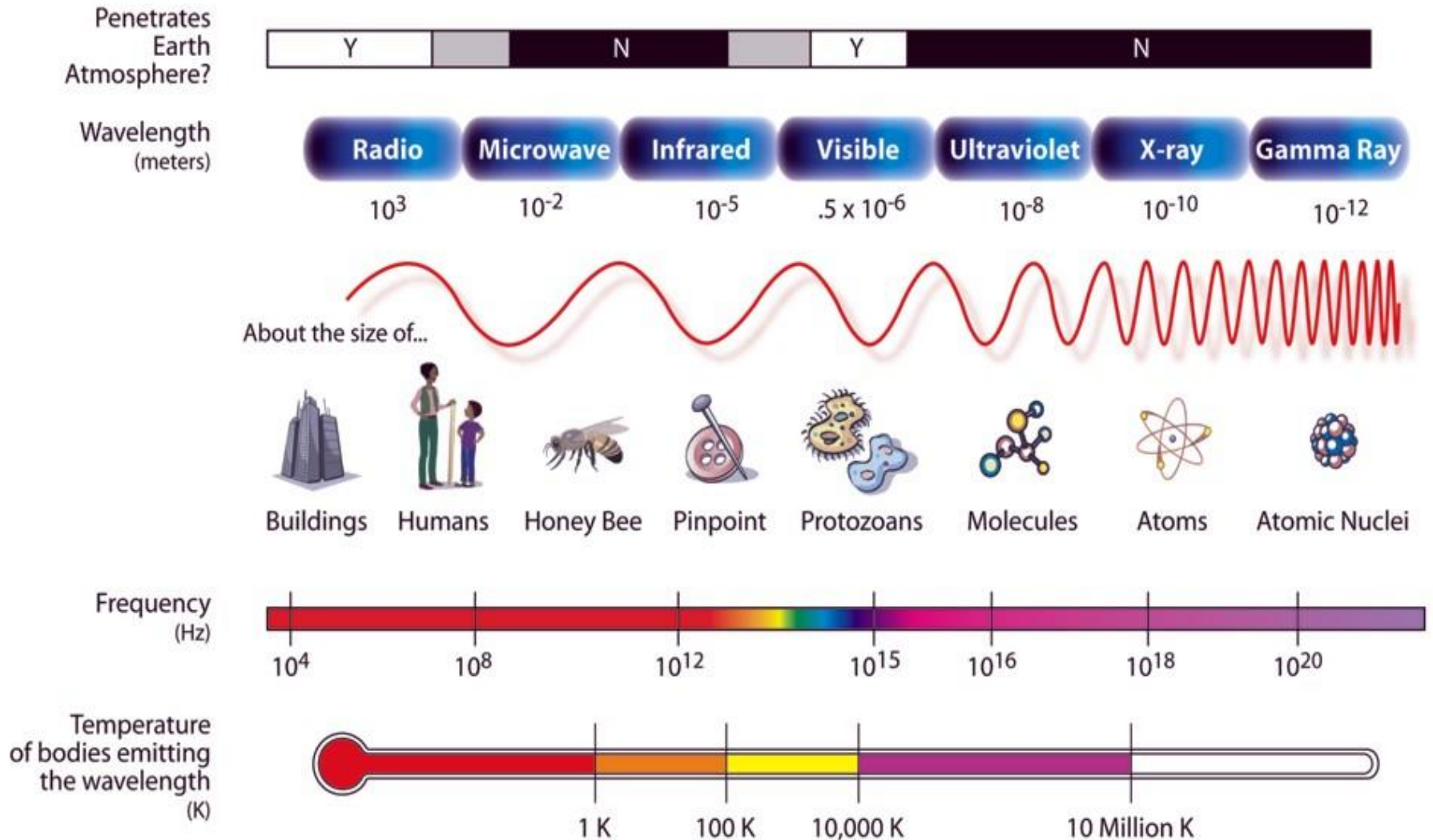
Light is not particles, not waves, but **BOTH!**



Louis de Broglie

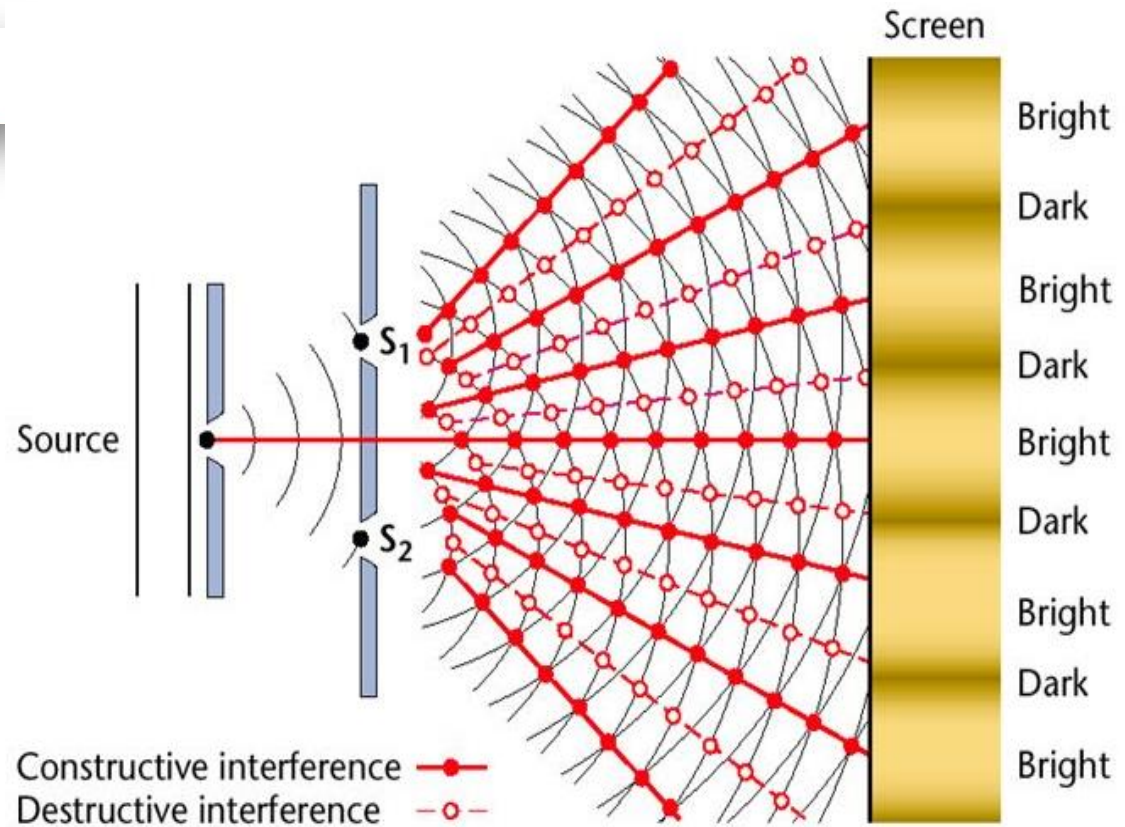
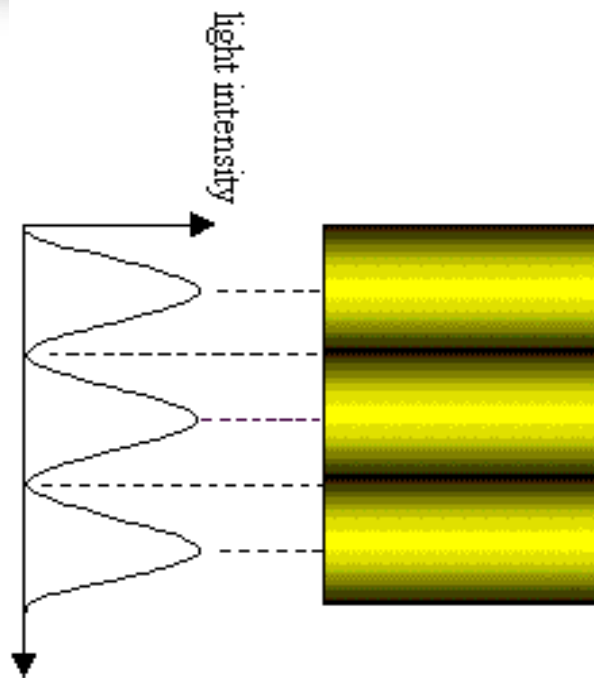
1892 - 1987

THE ELECTROMAGNETIC SPECTRUM

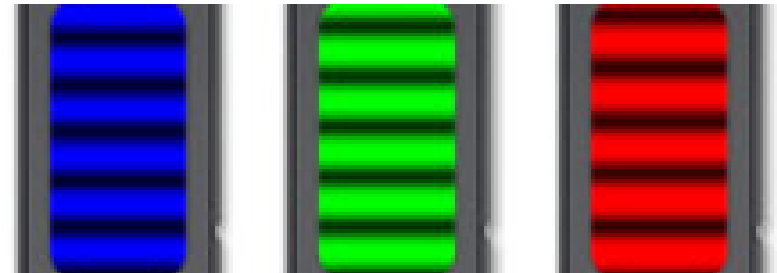


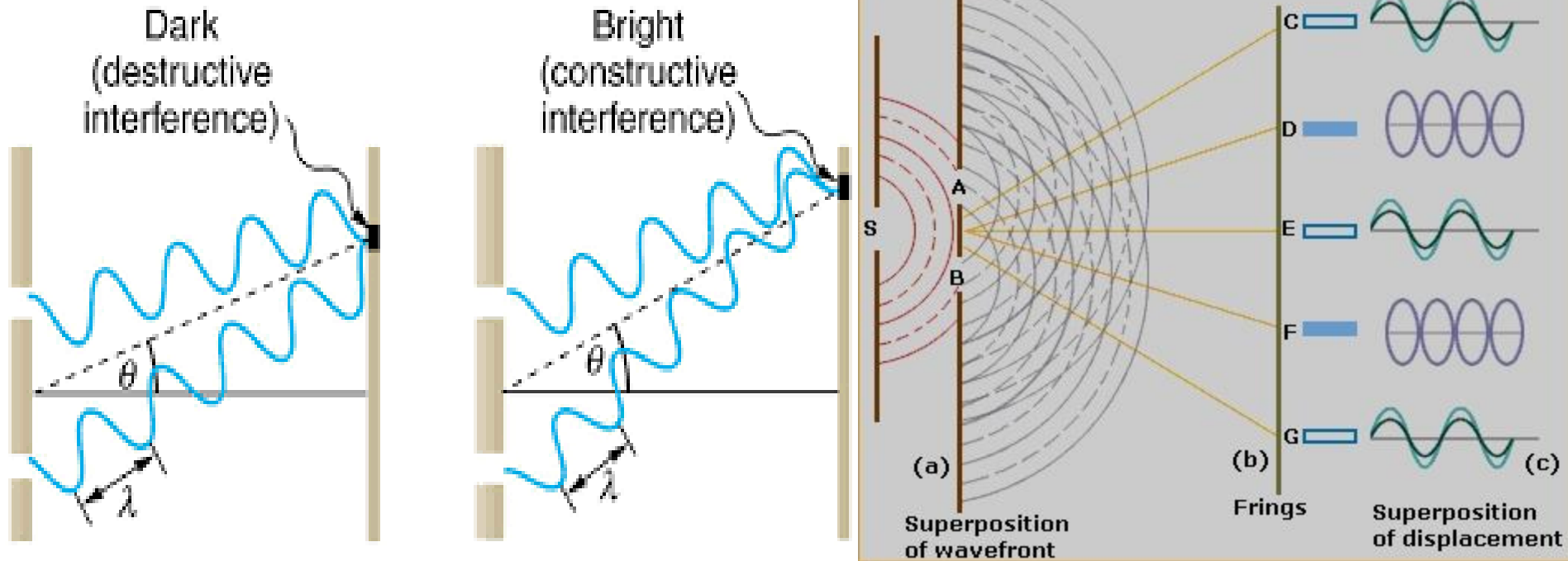
Interference of Light

Young's Two Slit Experiment



Non-uniform distribution of light due to superposition of light waves





Essential Condition: Coherent Sources

Sources which emit light of **same Wave length** and with constant **Phase difference**

$$y = y_1 + y_2 = a_1 \sin \omega t + a_2 \sin(\omega t + \varphi)$$

$$y = A \sin(\omega t + \tau)$$

$$I = A^2$$

$$I = a_1^2 + a_2^2 + 2a_1a_2\cos\phi$$

Condition for *Constructive Interference*

For I to be maximum $\cos\phi = +1$

Phase difference $\phi = 2n\pi$

Path difference $x = n\lambda$

Condition for *Destructive Interference*

For I to be minimum $\cos\phi = -1$

Phase difference $\phi = (2n+1)\pi$

Path difference $x = \left(\frac{2n+1}{2}\right)\lambda$

$$n = 0, 1, 2, 3, 4, \dots$$

$$I_{max} = (a_1 + a_2)^2 = (\sqrt{I_1} + \sqrt{I_2})^2$$

$$I_{min} = (a_1 - a_2)^2 = (\sqrt{I_1} - \sqrt{I_2})^2$$

If $a_1 = a_2 = a$ (say) then

$$I_{max} = 4a^2 = 4I$$

$$I_{min} = 0$$

Fringe Contrast:

$$f = \frac{I_{max} - I_{min}}{I_{max} + I_{min}}$$

Note:

If n number of light sources each of intensity I interfere coherently then

$$I_{max} = n^2 I$$

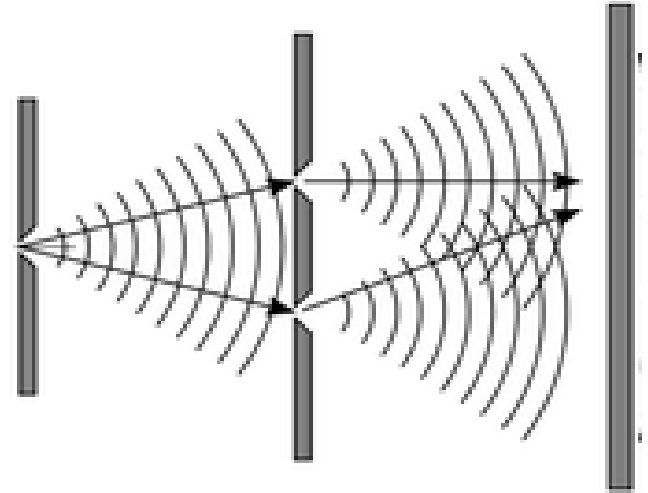
and if incoherently then

$$I_{max} = nI$$

Methods to obtain Interference pattern

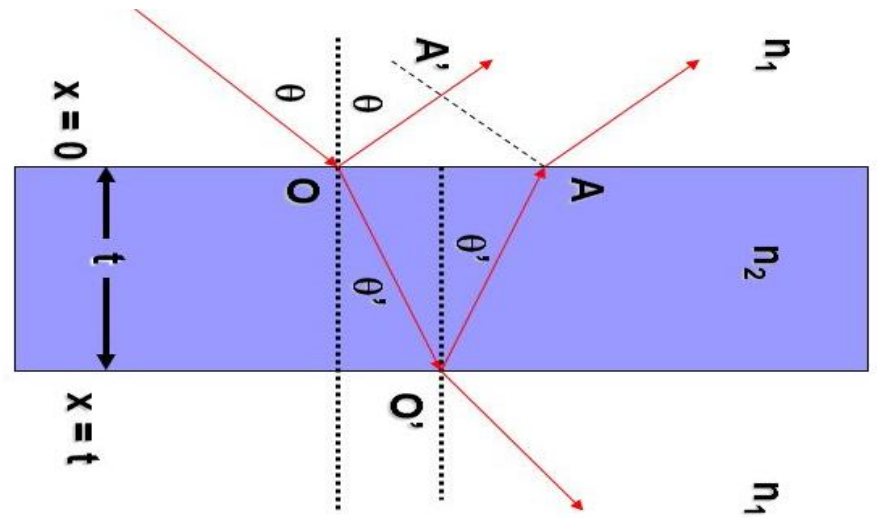
1. Division of Wave front:

E.g. YDSE, Fresnel's biprism, Lloyd's mirror etc.

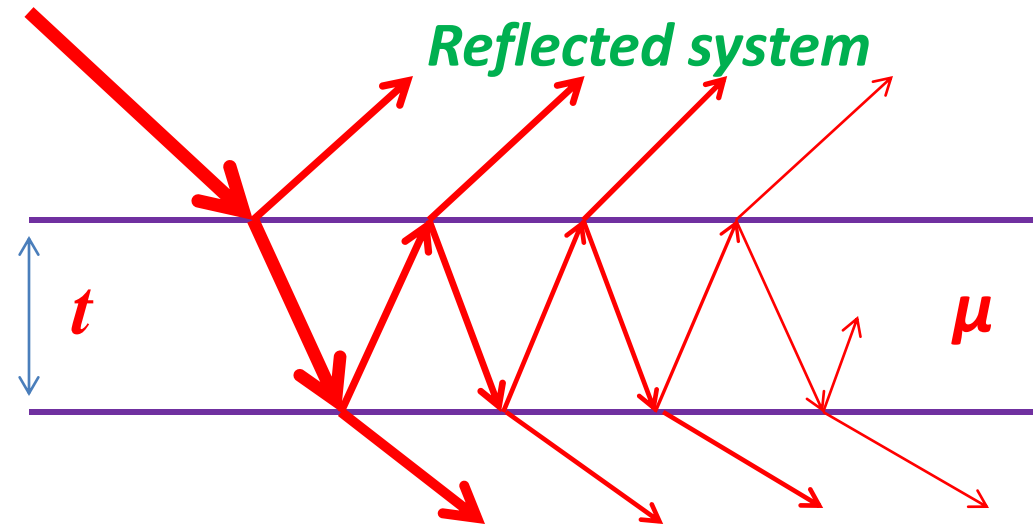
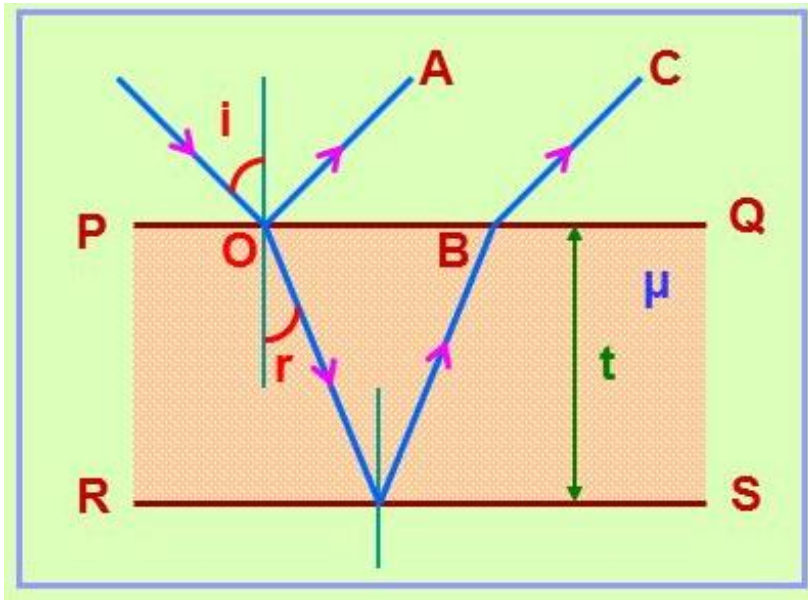


2. Division of Amplitude:

E.g. Interference in thin films, Newton rings, Michelson's interferometer etc.



Interference in Thin films



Path difference between the rays **A** and **C**

$$\Delta = 2\mu t \cos r$$

Additional path difference due to reflection of ray **A** from denser medium is $\lambda/2$. Hence total path difference

$$x = 2\mu t \cos r + \frac{\lambda}{2}$$

For constructive interference

$$2\mu t \cos r + \frac{\lambda}{2} = n\lambda \quad \longrightarrow$$

$$2\mu t \cos r = \left(n - \frac{1}{2}\right)\lambda$$

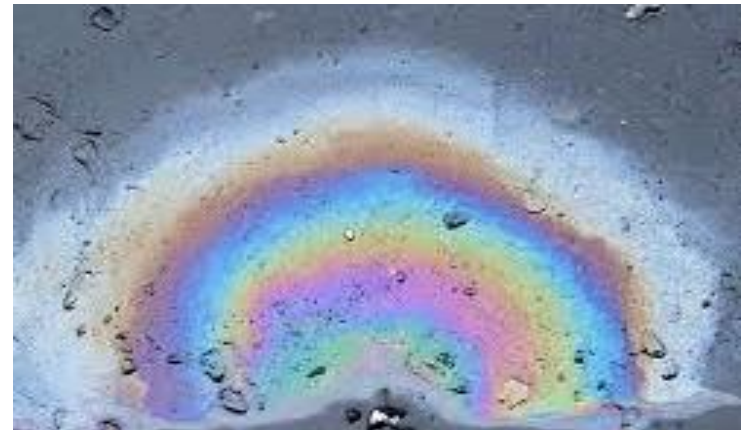
For destructive interference

$$2\mu t \cos r + \frac{\lambda}{2} = \frac{(2n+1)}{2}\lambda \quad \longrightarrow$$

$$2\mu t \cos r = n\lambda$$

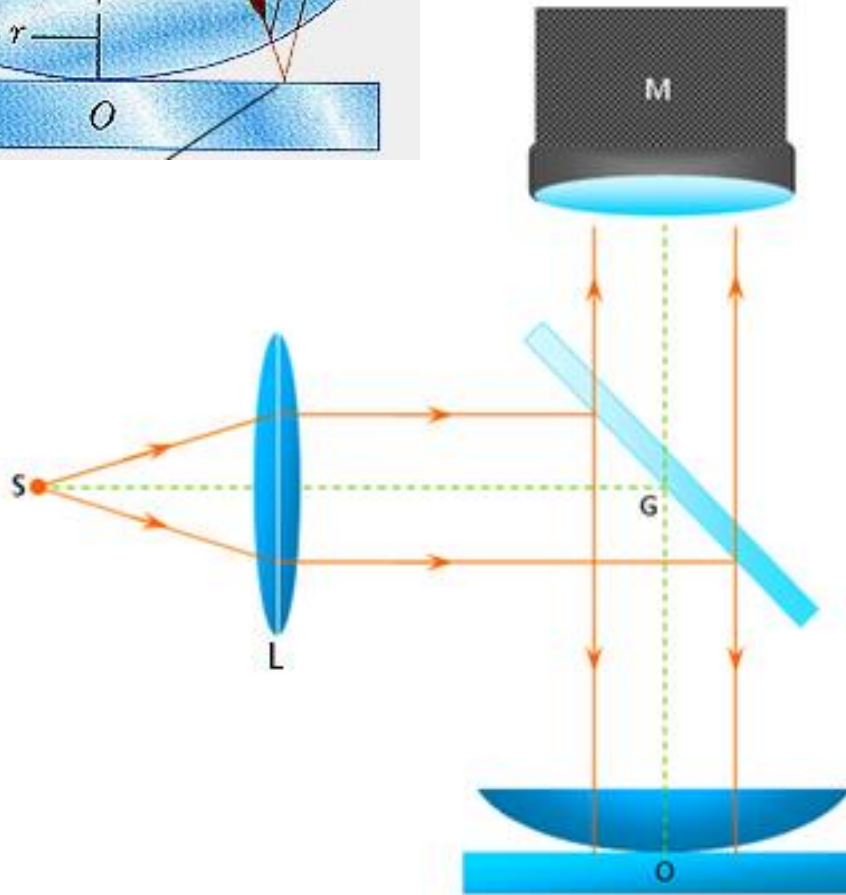
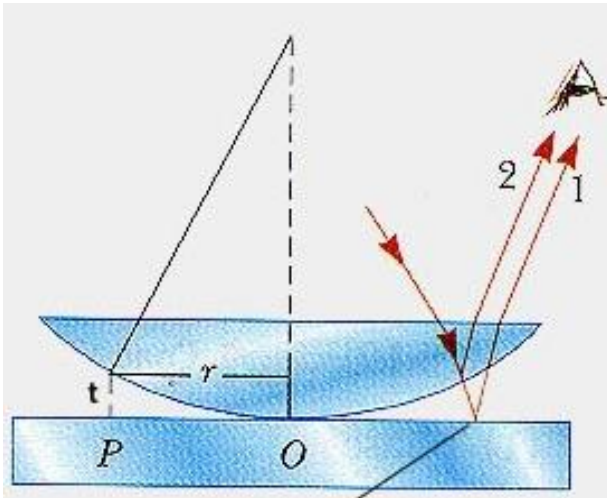
Transmitted system is **complementary interference** pattern of the reflected system, hence **conditions** for constructive and destructive systems are **interchanged**

Multiple colours on thin films in white light

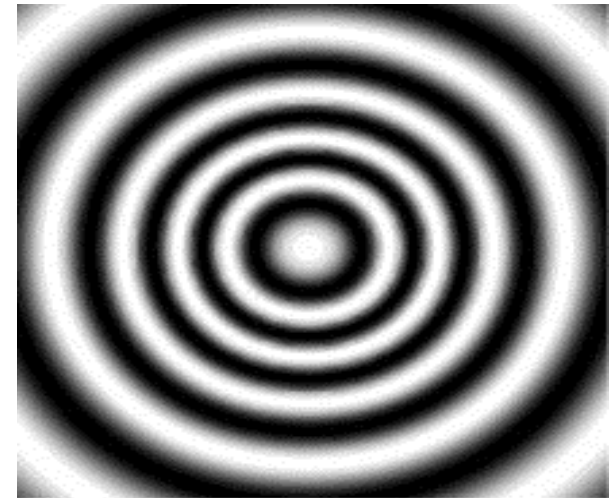
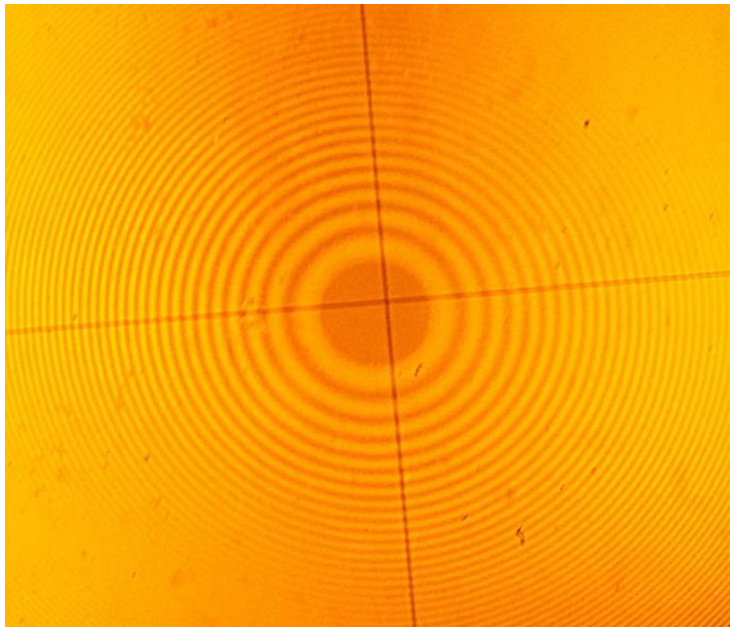
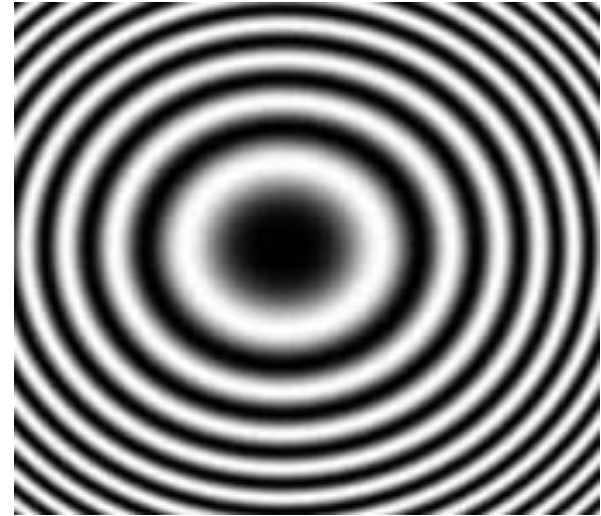
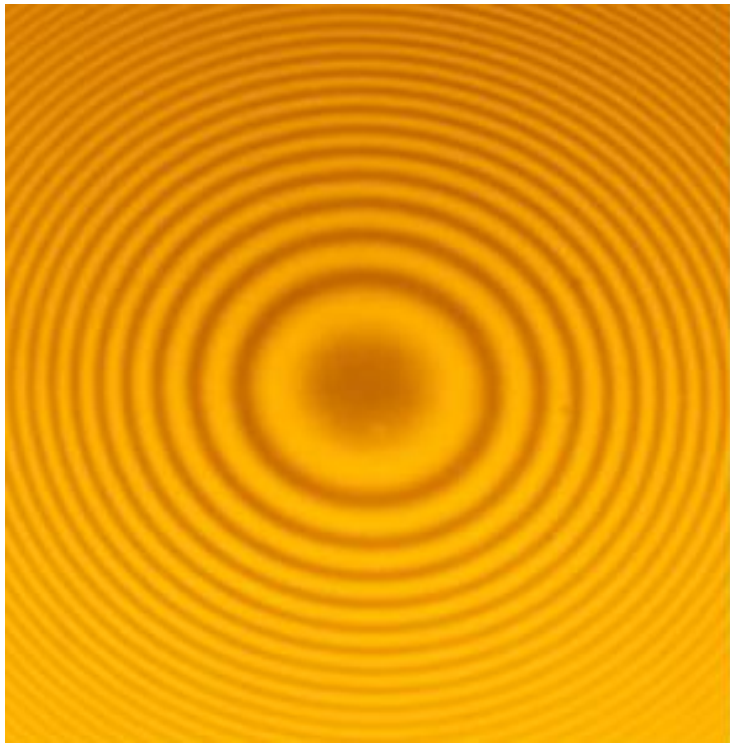


Newton Rings

Circular fringes formed due to the interference of the rays partially reflected from the upper and lower surface of a thin air film enclosed between the curved surface of a plano-convex lens and plane glass sheet



View of Newton rings



Reflected and transmitted systems
are complementary to each other

Theory of Newton Rings

$$DB \times BE = AB \times BC$$

$$= AB \times (AC - AB)$$

$$= t \times (2R - t)$$

$$= (2tR - t^2)$$

$$DB \times BE \approx 2tR \quad \text{as } t \ll R$$

If thickness t results into an n^{th} ring of diameter D_n then $DB \times BE = \frac{D_n^2}{4}$ hence

$$\frac{D_n^2}{4} = 2tR$$



$$\frac{D_n^2}{4R} = 2t$$

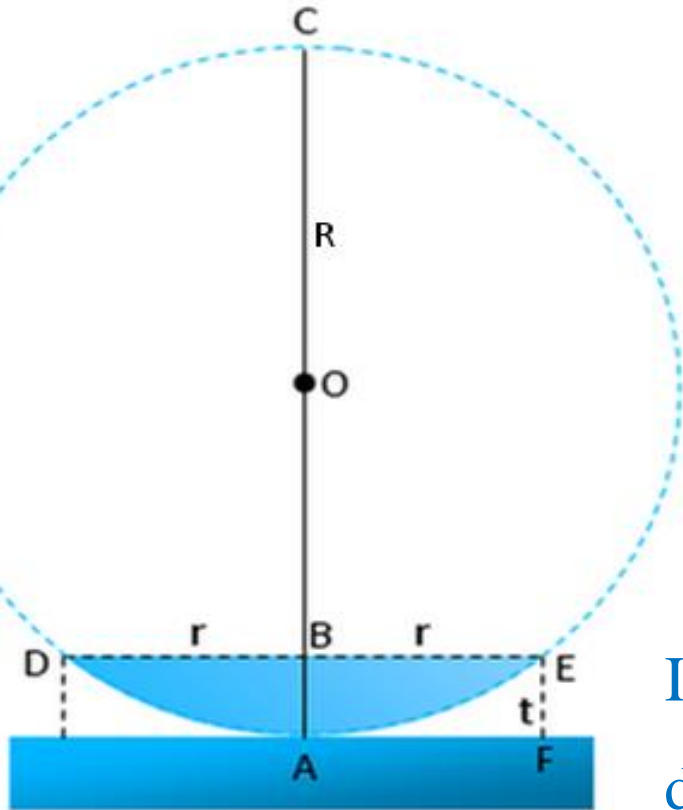
The path difference between the two rays, one reflected from E and other from F

$$x = 2\mu t \cos r + \lambda/2$$



$$x = 2\mu t + \lambda/2$$

for nearly
normal incidence



For constructive interference

$$2\mu t + \frac{\lambda}{2} = n\lambda$$



$$2t = \left(n - \frac{1}{2}\right)\lambda$$

$$\frac{D_n^2}{4R} = \left(n - \frac{1}{2}\right)\lambda$$

Taking $\mu=1$ for air film

$$D_n^2 = \left(n - \frac{1}{2}\right)4R\lambda$$



**Diameters of
various order
bright rings**

For destructive interference

$$2\mu t + \frac{\lambda}{2} = \frac{(2n+1)}{2}\lambda$$



$$2t = n\lambda$$

$$\frac{D_n^2}{4R} = n\lambda$$

Taking $\mu=1$ for air film

$$D_n^2 = 4nR\lambda$$



**Diameters of
various order
Dark rings**

Determination of λ

Diameters of n^{th} and m^{th} order Dark rings are

$$D_n^2 = 4nR\lambda$$

$$D_m^2 = 4mR\lambda$$

$$D_n^2 - D_m^2 = 4R(n - m) \lambda$$



$$\lambda = \frac{D_n^2 - D_m^2}{4R(n - m)}$$

Determination of μ of any transparent liquid

Diameter of any Dark ring with air film enclosed

$$D_{air}^2 = 4nR\lambda$$

Diameter of any Dark ring with liquid film enclosed

$$D_{liq}^2 = 4nR \frac{\lambda}{\mu}$$

$$\mu = \frac{D_{air}^2}{D_{liq}^2}$$



$$\mu = \left(\frac{D_{air}}{D_{liq}} \right)^2$$