

Question 1 - Part B

Supervised Learning Algorithms - Simple Linear Regression (Univariant): Consider any dataset from UCI repository. Create Simple Linear Regression models using the training data set. Predict the scores on the test data and find the error in prediction (E.g. RMSE, MAE, LSE). Include appropriate code snippets to visualize the model. Use Sub-Plots Interpret the result. Write the Inference.

[Kaggle Dataset link](#)

[Dataset which mam gave](#)

- In dataset given by mam code remains same only before doing anything on the dataframe we have to run `df.drop(['Unnamed: 0'], axis=1)`, to drop the extra column.

Dataset Description

In this Program the data set used is ***advertising.csv*** It shows the money spent on **TV**, **Radio** and **Newspaper** Ads and the ***Sales*** Income generated. The Dataset is 200 rows and 4 columns. (TV, Radio, Newspaper and Sales).

```
In [22]: # Importing dataset
import pandas as pd
df=pd.read_csv('advertising.csv')
print(df.head())
print("Dataframe shape is = ",df.shape)
```

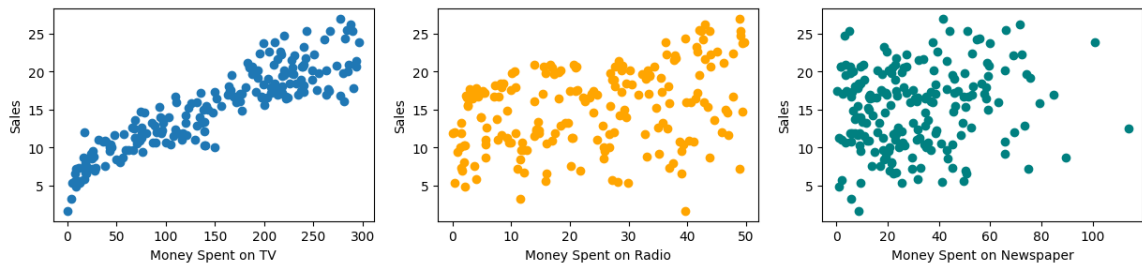
	TV	Radio	Newspaper	Sales
0	230.1	37.8	69.2	22.1
1	44.5	39.3	45.1	10.4
2	17.2	45.9	69.3	12.0
3	151.5	41.3	58.5	16.5
4	180.8	10.8	58.4	17.9

Dataframe shape is = (200, 4)

Plotting Advertising Media vs Sales

```
In [23]: # Plotting advertising media vs sales for each
import matplotlib.pyplot as plt
graphSheet = plt.figure(figsize=(15,10))
graphSheet.add_subplot(3,3,1)
plt.scatter(df['TV'],df['Sales'])
plt.xlabel("Money Spent on TV")
plt.ylabel("Sales")
graphSheet.add_subplot(3,3,2)
plt.scatter(df['Radio'],df['Sales'],c='orange')
plt.xlabel("Money Spent on Radio")
plt.ylabel("Sales")
graphSheet.add_subplot(3,3,3)
plt.scatter(df['Newspaper'],df['Sales'],c='teal')
plt.xlabel("Money Spent on Newspaper")
plt.ylabel("Sales")
```

Out[23]: Text(0, 0.5, 'Sales')



```
In [24]: #Importing and fitting model
from sklearn.linear_model import LinearRegression
from sklearn.model_selection import train_test_split
from sklearn.metrics import mean_squared_error, mean_absolute_error
import numpy as np
```

```
In [25]: # Defining a function to do the work
def linReg(x,y):
    print((x+" vs " + y).center(40,'='))
    # train_test_split with 70-30 ratio
    x_train,x_test,y_train,y_test=train_test_split(df[x],df[y],test_size=0.3)
    x_train = x_train.to_numpy().reshape(-1,1)
    x_test = x_test.to_numpy().reshape(-1,1)
    y_train = y_train.to_numpy().reshape(-1,1)
    y_test = y_test.to_numpy().reshape(-1,1)
    #Initializing and fitting LinearRegression model
    lr = LinearRegression()
    lr.fit(x_train,y_train)
    #Printing Coeff and Intercept values
    print("Coeff=",lr.coef_[0][0],"\nIntercept=",lr.intercept_[0])
    pred = lr.predict(x_test)
    #Prining line of regression
    print("The linear model of {} versus {} is: Y = {:.3} + {:.2}X".format(x,y,lr.intercept_[0],lr.coef_[0][0]))
    #Finding Root Mean Squared Error
    rmse=np.sqrt(mean_squared_error(y_test,pred))
    #Finiding Mean Absolute Error
    mae = mean_absolute_error(y_test,pred)
    #Finding Mean Squared Error
    mse = mean_squared_error(y_test,pred)
    #Printing all error matrices
    print("Root Mean Square Srror= {}\nMean Absolute Error = {}\nMean Squared Error = {}".format(rmse,mae,mse))
    #Plotting the final Graph
    plt.scatter(x_train,y_train)
    plt.scatter(x_test,y_test)
    plt.xlabel("Money Spent on "+x)
    plt.ylabel(y)
    plt.title(x+" vs "+y)
    plt.plot(x_test,pred,c='gold')
```

```
In [26]: #Creating a shhet where we`ll print all graphs
#Calling the function with column names only
sheet = plt.figure(figsize=(20,20))
sheet.add_subplot(2,2,1)
linReg('TV','Sales')
sheet.add_subplot(2,2,2)
linReg('Radio','Sales')
```

```
sheet.add_subplot(2,2,3)
linReg('Newspaper', 'Sales')
```

=====TV vs Sales=====

Coeff= 0.05233041215402095

Intercept= 7.540181071215254

The linear model of TV versus Sales is: $Y = 7.54 + 0.052X$

Root Mean Square Srror= 2.3039551948568016

Mean Absolute Error = 1.8745358406118053

Mean Squared Error = 5.308209539907643

=====Radio vs Sales=====

Coeff= 0.14013949825892588

Intercept= 11.321246203110555

The linear model of Radio versus Sales is: $Y = 11.3 + 0.14X$

Root Mean Square Srror= 4.70270176743546

Mean Absolute Error = 4.156484025205724

Mean Squared Error = 22.115403913440602

=====Newspaper vs Sales=====

Coeff= 0.033793279855684394

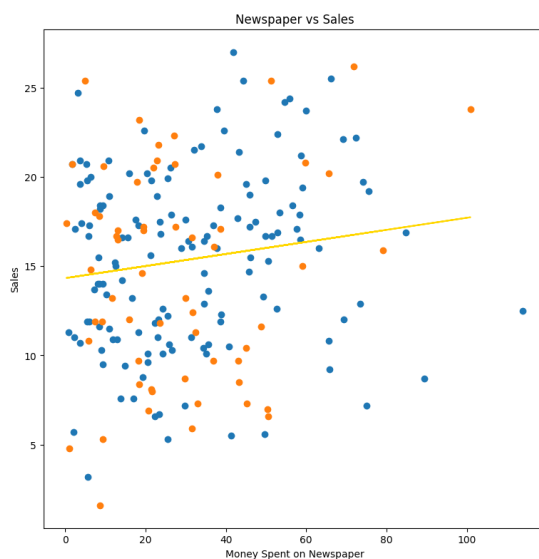
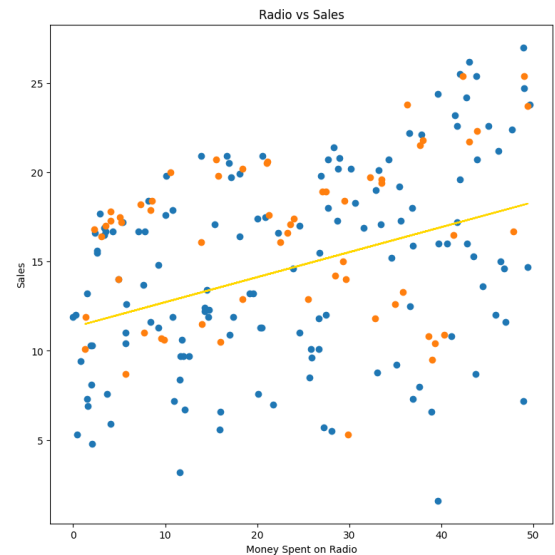
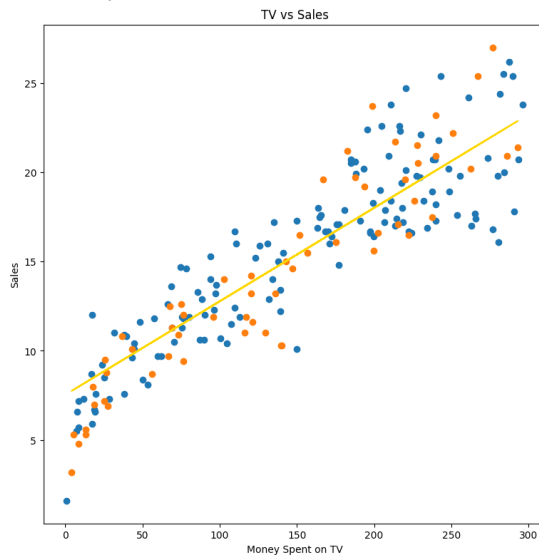
Intercept= 14.327389023061361

The linear model of Newspaper versus Sales is: $Y = 14.3 + 0.034X$

Root Mean Square Srror= 5.891909594049261

Mean Absolute Error = 5.07299028558451

Mean Squared Error = 34.71459866444973



Inference

- Newspaper RMSE = 5.514231114677423
- Radio RMSE = 4.773872035217551
- TV RMSE = 2.396676218281216

The RMSE Value for TV is the least.

This means that the money spent on TV. Ads has the highest possiblity of a reliable sales income prediction.