

LOW LEVEL OPTIMIZATIONS FOR GCN **Hacking The New Generation** 2014-05-11



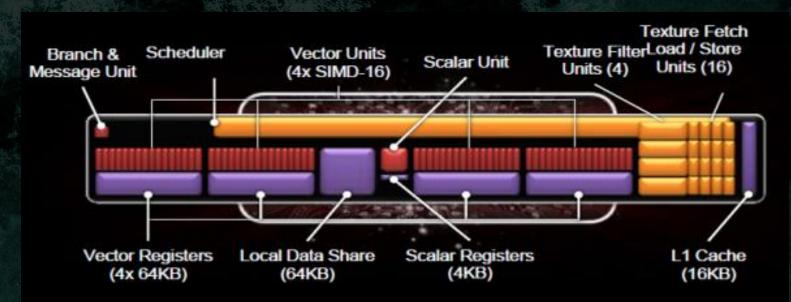


GCN Architecture

- Open documentation by AMD
 - ISA
- Well covered basics
 - "Low-level Shader Optimization for Next-Gen and DX11" Emil Persson
 - "The AMD GCN Architecture: A Crash Course" Layla Mah
- Basics
 - Keep it Wide : Occupancy : Low Resource (VGPR) usage
 - Lots of ,smart' ALU trade for bandwidth
 - GCN super good at hiding latency but needs help

Optimizing ALU

- GCN CU can execute 256 SP Vector ALU in 4 clk
- Each lane dispatches 1 SP ALU op / clk
- Each SP ALU takes 4 clk
- SQ can dispatch from different wavefront each clk



Basic OP Performance

- 32bit arithmetic and logical OPS
 - Full Rate
 - Exception int32 mul/mad @Quarter Rate
 - Use int24 mul/mad if applicable @Full Rate
- 64bit arthimetic and logical OPS
 - Half Rate
 - Exception mul/mad @Quarter Rate
- Conversion and Packing OPS
 - All operands <=32bit @Full Rate</p>
 - Any operand >32bit @Half Rate

Special OP Performance

- Transcendental Functions
 - Use linear approximations
 - Single function runs at all (4) SIMDs simultaniously
 - @Quarter Rate
 - Rcp, Sqrt, rsqrt, log, pow, exp, sin, cos
 - Supporting OPs
 - Cleanup, accuracy, denormal flushing @Full Rate
- 32 bit graphics special OP
 - @Full Rate
 - CubeMap OPs, Packed Byte OPs

Macro OP Performance

- Macro unrolled OP
 - tan, div, atan, acos, asin
 - Smoothstep
 - Length
 - normalize
- Unroll into IEEE compliant approximations
 - Very expensive
- Integer DIV
 - Emulated with FP math
 - Multiple Full and Quarter Rate OPs

Code Flow Performance: BRANCH

- BRANCH
 - >= 4 WAIT states ~ >= 16 cycles ~ >= 16 Full Rate
 - Branch support and logic
 - Additional latency due to potential I\$ miss
 - Additioanl VGPR usage for IC / Label
 - Can skip all OPS
 - Much faster than BRANCH or SELECT
 - Use always in case of redundant Buffer/Texture Memory OP
 - Branch Latency <= L1\$ latency

Code Flow Performance: VSKIP

- VSKIP
 - Special control flow mode
 - Skips Vector OPs at rate of 10 wavefronts / clk
 - CAN NOT VSKIP VMEM Ops
 - For small pieces of Vector only code
 - Much faster than BRANCH or SELECT
 - Compilers are still catching up
 - Write direct ASM if allowed

Code Flow Performance: SELECT

SELECT

- Standard selector
- Execute two code paths
 - SELECT one result based on Comparison
- [flatten]
- Ternary Logical Operator
- CndMask()

VOP3 – 3 Operand Vector Instructions

- IEEE flags free instructions banks for modifiers
 - Input Modifiers :
 - abs() neg()
 - Output Modifiers:
 - mul2 mul4 mul8 div2 div4
 - saturate()

```
// Using VOP3
Out.x = saturate(abs(inV.x) * (-inV.y) * 4.0);
```

```
// In one OP
v_mul_f32 v0, abs(s), -v0 mul:4 clamp
```

VOP3 – 3 Operand Vector Instructions

- Most compilers will automatically use VOP3 when
 - Allowed (-fastmath -IEEEStrcit disabled)
 - (-x)
 - Saturate()
 - ***2.0 *4.0 *8.0 *0.5 *0.25**

VOP3 – Restrictions

- VOP3(VDST, VSRC0, VSRC1, VSRC2)
 - VSRC0 literals , VGPR, SGPR
 - VSRC1 / VSRC2 some restrictions on certain combinations
- i.e. Can not issue both VSRC1 and VSRC2 from SGRPRs
- Forces suboptimal
 - SGRP to VGRP preload
 - Disables VOP3

VOP3 – Restrictions - Example

```
float2 TexcoordToScreenPos(float2 inUV, float4 inFov)
{
    float2 p = inUV;
    p.x = p.x * inFov.x + inFov.z;
    p.y = p.y * inFov.y + inFov.w;
    return p;
}
```

VOP3 – Restrictions – Example - Patch

VOP3 – Constant Patching

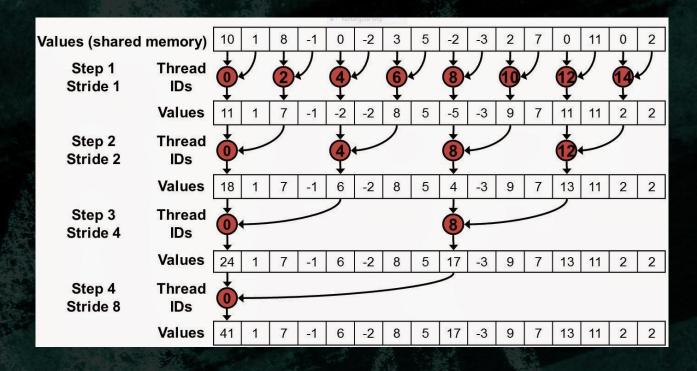
- Built In Fast Literal Constants
 - Built in +/- 1, 2, 4, 8 constants can use with all VOP3
- Single Literal Constant support
 - v_madak_f32
 - v_madmk_f32

VOP3 – Constant Patching

- Consider Uniform Patching
 - If uniforms are constant
 - Artist Generated shaders
 - Particle Systems
 - Transforms
- Beneficial
 - Higher chance of better scheduling
 - Efficient tight loops (i.e. Screen Space Raymarching)
- Balance unique shaders vs performance
 - Crucial shaders can always be patched ,on flight' PS3 style

Special ALU OPs: Reduction

- Min3
- Max3
- Med3
 - Median
 - Clamp()
- Optimized
 - Filtering
 - Sorting



Special ALU OPs: Packing

- GCN exposes multiple packing and conversion operations (used for compressed MRT)
 - F32 -> F16
 - F16 -> F32
 - F32 -> SNorm / UNorm

 - Also pairwise : 2xF32 -> 2xF16
 - v_cvt_* ISA OPs
- Unpacking functions needs to be written manually

Special ALU OPs : BFE

- GCN has full 32bit UINT / INT support
 - Special OPs for masking, shifts, integer artihmetics
- v_bfe_i32
 - BitFieldExtract with sign extension to handle integer based packing
 - Avoids manual care for sign extension due to 2-compliment Integer format
- v_bfe_u32
 - BitFieldExtract to handle unsigned integer based packing
 - Bitmasks, flags, shift + mask

```
// reference implementation for v_bfe_u32
uint BitFieldExtract(uint inSrc, uint inOffset, uint inSize)
{
    return (inSrc >> inOffset) & ((1 << inSize) - 1)
}</pre>
```

Special ALU OPs: BFE

```
// reference implementation for v bfe i32
int BitFieldExtractSignExtend(int inSrc, uint inOffset, uint inSize)
   uint size = inSize & 0x1f;
   uint offset = inOffset & 0x1f;
   uint data = inSrc >> offset;
   uint signBit = data & (1 << (size - 1));</pre>
   uint mask = (1 << size) - 1;
    return (-int(signBit)) | (mask & data);
// Pack 127, -1, -126 into RGB 11 11 10
// Integers are 2's complement
// packed data = 00001111111 1111111111 1110000010
// Unpack R(127)
BFE (packed data, 21, 11) = 0000 0000 0000 0000 0000 0000 0111 1111
// Unpack B(-126)
BFE (packed data, 0, 11) = 1111 1111 1111 1111 1111 1000 0010
```

Special ALU OPs: BFE Pack - Unpack

Fast Int Packing and Unpacking

```
// Int16 packing
int PackInt2ToInt(in int inX, in int inY)
                 (clamp(inX, -int(0x8000), 0x7fff) & 0xffff) |
    return
                 (clamp(inY, -int(0x8000), 0x7f00) << 16);
int2 UnpackInt2FromInt(in int inPackedInt)
    return int2(
        BitFieldExtractSignExtend((int)inPackedInt, uint(0), uint(16)),
        BitFieldExtractSignExtend((int)inPackedInt, uint(16), uint(16)));
```

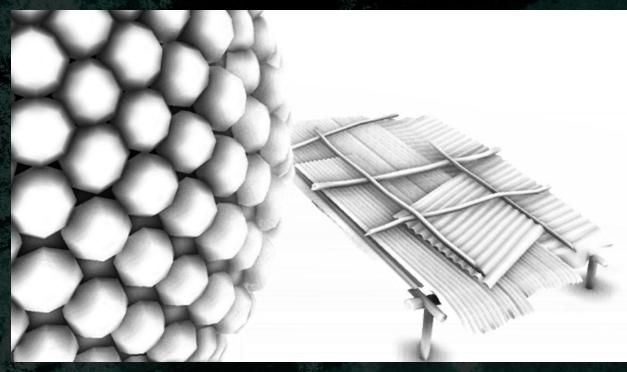
Special ALU OPs: BFE Pack - Unpack

Fast SNorm16 Packing - Unpacking

```
// SNorm16 packing
uint PackSNorm2ToUInt(in float inX, in float inY)
    return (clamp(int(inX * 0x7fff), -int(0x7fff), 0x7fff) & 0xffff) |
           clamp(int(inY * 0x7fff), -int(0x7fff), 0x7fff) << 16);
float2 UnpackSNorm2FromUInt(in uint inPackedUInt)
    return float2(
BitFieldExtractSignExtend((int)inPackedUInt, uint(0), uint(16))/float(0x7fff),
BitFieldExtractSignExtend((int)inPackedUInt, uint(16), uint(16))/float(0x7fff));
```

Special ALU OPs: Sampling Packed Data

- Pack data into ,fat' format
- Sample with GATHER
- Example : Bilateral Filter
- Pack all into UINT32
 - 8 bit DATA
 - 16 bit Depth
 - 8 bit Normal
 - as 4bit SNORM
- 1 Gather:
 - 4 x data
 - 4 x depth
 - 4 x normal



Special ALU OPs: Packing

- Use Bitfields to reduce register pressure with lifetime bool flags
 - Countbits()
 - Firstbithigh()
 - Firstbitlow()

```
uint FastLog2(uint inX)
{
    return firstbithigh(inX) - 1;
}
```

Special ALU OPs : BFE – boolean ops

```
// Software Triangle Frustum (near plane) clipping
// Vertex Sorting before line equations
float v0 = b[0]; float v1 = b[1]; float v2 = b[2];
if(b[0] > near z \mid | b[1] > near z \mid | b[2] > near z)
   if(b[1] > near z) { v0 = t[1]; v1 = t[2]; v2 = t[0]; }
   if(b[2] > near z) { v0 = t[2]; v1 = t[0]; v2 = t[1]; }
if(
(b[0] > near z \&\& b[1] > near z) | |
(b[0] > near z \&\& b[2] > near z) | |
(b[1] > near z && b[2] > near z)
    if(!(b[0] > near z)) \{ v0 = t[1]; v1 = t[2]; v2 = t[0]; \}
    if(!(b[1] > near z)) { v0 = t[2]; v1 = t[0]; v2 = t[1]; }
// Compiles to : 42 ALU @ Full Rate + 4 BRANCH @ (>= 16 FR)
```

Special ALU OPs : BFE — boolean ops optimized

```
// Software Triangle Frustum (near plane) clipping
// Vertex Sorting before line equations
uint bitfield = 0;
bitfield |= b[0] > near z ? 0x1 << 0 : 0x0;
bitfield |= b[1] > near z ? 0x1 << 1 : 0x0;
bitfield |= b[2] > near z ? 0x1 << 2 : 0x0;
float v0 = b[0]; float v1 = b[1]; float v2 = b[2];
uint csb = CountSetBits(bitfield);
uint csb eq2 = (csb >> 1) \& 0x1;
if (bitfield & 0x2 & csb) { v0 = t[1]; v1 = t[2]; v2 = t[0]; }
if (bitfield & 0x4 & csb) { v0 = t[2]; v1 = t[0]; v2 = t[1]; }
if(!(bitfield \& 0x1) \&\& csb eq2) { v0 = t[1]; v1 = t[2]; v2 = t[0]; }
if(!(bitfield & 0x2) && csb eq2) { v0 = t[2]; v1 = t[0]; v2 = t[1]; }
// Compiles to : 35 ALU @ Full Rate
```

Special ALU Ops: Cubemap

- Cubemaps are sampled using unified image_sample
- Need to calculate face UV and face ID for sampling
 - All HW accelerated by custom OPs @Full Rate

```
v1, v2, v3, v0 // calculate tc coords
v cubetc f32
             v4, v2, v3, v0 // calculate tc coords
v cubesc f32
             v5, v2, v3, v0 // calculate major axis
v cubema f32
             v8, v2, v3, v0 // calculate face ID
v cubeid f32
v rcp f32
             v2, abs(v5)
s mov b32
             s0, 0x3fc00000
             v7, v1, v2, s0 // calculate final face UV
v mad f32
             v6, v4, v2, s0 // calculate final face UV
v mad f32
image sample v[0:3], v[6:9], s[4:11], s[12:15] // Tex Array
```

Special ALU Ops: Major Axis

```
// reference implementation for v cubeid f32
float CubeMapFaceID(float inX, float inY, float inZ)
    float3 v = float3(inX, inY, inZ);
    float faceID;
    if (abs(v.z) >= abs(v.x) && abs(v.z) >= abs(v.y))
       faceID = (v.z < 0.0) ? 5.0 : 4.0;
    else if (abs(v.y) >= abs(v.x))
       faceID = (v.y < 0.0) ? 3.0 : 2.0;
    else
        faceID = (v.x < 0.0) ? 1.0 : 0.0;
    return faceID;
```

Special ALU Ops: Major Axis

- Use v_cubeid_f32 , v_cubema_f32 in Major Axis problems
 - Normal Compression
 - Quaternion Compression
 - (Uniform) Custom Kernel Filtering at Cubemap borders
 - Atlased Cubemaps
 - Cubemap raymarching optimizations
 - Several problems in Ray-Casting



Normalized Vector

•
$$1 = \sqrt[2]{x^2 + y^2 + z^2}$$

Store X, Y – reconstruct Z

•
$$z = \sqrt[2]{1 - (x^2 + y^2)} = \sqrt[2]{1 - d}, \ d = x^2 + y^2$$

· Z precision depends on

- E(z) = dd * Er(x, y), where E(x) is error function of storage and reonstruction

•
$$\frac{d}{dd}(z) = \frac{d}{dd}(\sqrt{1-d}) = -\frac{1}{2\sqrt{1-d}}$$

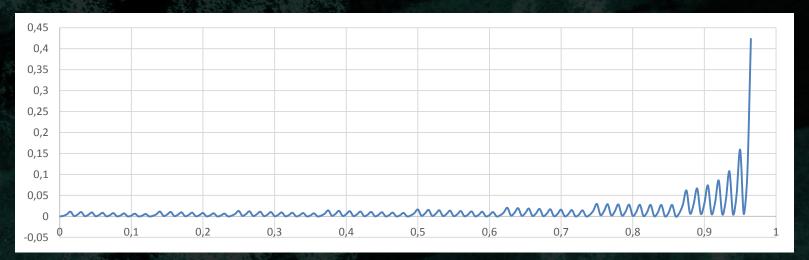
Precision error arises from:

•
$$\lim_{d \to 1} -\frac{1}{2\sqrt{1-d}} = \infty$$

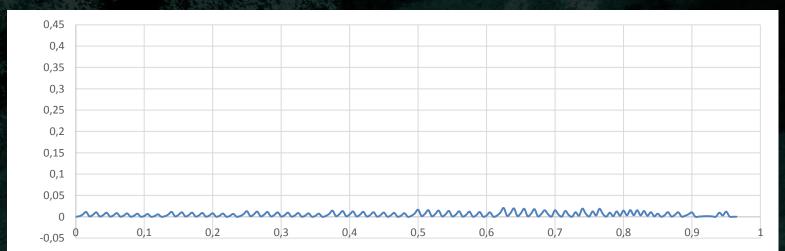
$$- d = x^2 + y^2 \to 1 \Rightarrow E(z) \to \infty$$

- Typical way of minimizing error
 - Limit the error function by bounds
- To minimize E(z) we need to minimize function d
- Simple solution
- $\bullet \quad d(x,y) = m^2 + n^2,$
 - where: $m = \min(x, y, z)$, n = med(x, y, z), $1 = \sqrt[2]{x^2 + y^2 + z^2}$
- d(x, y) becomes upper bounded by : $\frac{2}{3}$

- $E(n,n')=1-n\cdot n'$
- Standard Reconstruction
 - 7bit SNorm X, Y + 1bit sign
 - $MSE(n, n') \approx \frac{3.04}{10000}$, over X, Y domain, where $1 = \sqrt[2]{x^2 + y^2 + z^2}$
 - Useless $n': E(n, n') > \frac{1}{1024} \approx 5.4\%$



- $E(n,n')=1-n\cdot n'$
- Major Axis (minimum m,n from x,y,z)
 - 7bit SNorm M,N + 2.5bit sign/order index
 - $MSE(n, n') \approx \frac{1.18}{10000}$, over X, Y domain, where $1 = \sqrt[2]{x^2 + y^2 + z^2}$
 - Useless $n': E(n, n') > \frac{1}{1024} \approx 0.022\%$



Special ALU Ops: Major Axis

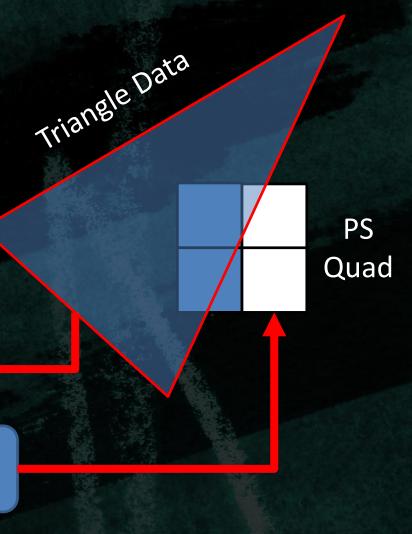
```
float3 PackNormalMajorAxis(float3 inNormal)
    uint index = 2;
    if(abs(inNormal.x) >= abs(inNormal.y) && abs(inNormal.x) >= abs(inNormal.z))
            index = 0;
    else if(abs(inNormal.y) > abs(inNormal.z)
        index = 1:
    float3 normal = inNormal;
    normal = index == 0 ? normal.yzx : normal;
    normal = index == 1 ? normal.xzy : normal;
    float s = normal.z > 0.0 ? 1.0 : -1.0;
    float3 packedNormal;
    packedNormal.xy = normal.xy * s;
    packedNormal.z = index / 2.0f;
    return packedNormal;
  Compiles to :
  28 ALU @ Full Rate + 2 BRANCH @ (>= 16FR)
```

Special ALU Ops: Major Axis

```
float3 PackNormalMajorAxis(float3 inNormal)
   uint index = CubeMapFaceID(inNormal.x, inNormal.y, inNormal.z) * 0.5f;
   float3 normal = inNormal;
   normal = index == 0 ? normal.yzx : normal;
   normal = index == 1 ? normal.xzy : normal;
   float s = normal.z > 0.0 ? 1.0 : -1.0;
   float3 packedNormal;
   packedNormal.xy = normal.xy * s;
   packedNormal.z = index / 2.0f;
   return packedNormal;
  Compiles to :
  17 ALU @Full Rate
```

Interpolation: Interpolation

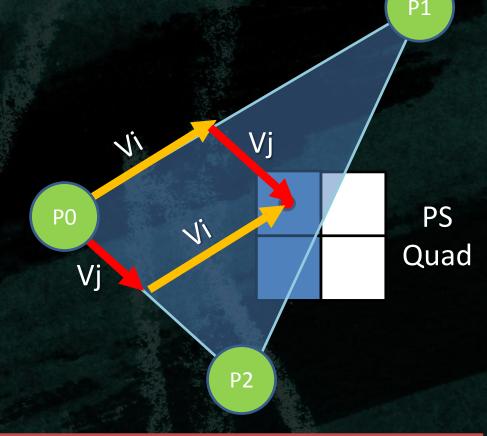
- VS->PS interpolation on GCN is ,manual'
 - Unrolled by compiler
 - Optimized in HW
- LDS contains vertex data per rasterized traingle
- PS fetches the data and interpolates manually



LDS

Interpolation: Interpolation

- P0, P1, P2
 - Hold Vertex Data
- Vi Vj
 - Barycentric Coordinates
- Depending on Interpolant settings
 - Interplolate
 - At center, sample, centroid
 - No interpolation (nointerpolation)
 - Also forced on INT type
 - Fetches data from V0 Vertex 0



```
float4 Interpolate( float4 A, float4 B, float4 C, float2 Vij )
{
   return A * (1.0 - Vij.x - Vij.y) + B * Vij.x + C * Vij.y;
}
```

Interpolator : Mode

```
float4 main( Interpolants In ) : COLOR{
struct Interpolants
                                            float4 Out;
   float4 position : SV POSITION;
                                            Out = In.color;
   float4 color : COLORO;
                                            return Out;
} ;
v interp p1 f32 v2, v0, attr0.x
                                  // Load Data for AttrO from LDS and perform
                                   // Vi - first part of
                                   // interpolation (using V00, V01)
v interp p2 f32 v2, v1, attr0.x
                                  // Load Data for AttrO from LDS and perform
                                   // Vj - second part of
                                   // interpolation (using V01, V10)
v interp p1 f32 v3, v0, attr0.y
v interp p2 f32 v3, v1, attr0.y
v interp p1 f32 v4, v0, attr0.z
v interp p2 f32 v4, v1, attr0.z
v interp p1 f32 v0, v0, attr0.w
v interp p2 f32 v0, v1, attr0.w
```

Interpolator : Mode

```
struct Interpolants
{
   float4 position : SV_POSITION;
   int4 color : COLORO;
};
```

```
int4 main( Interpolants In ) : COLOR{
  int4 Out;
  Out = n.color;
  return Out;
}
```

```
v_interp_mov_f32 v0, p0, attr0.x  // Load Data from Vertex p0 for Attr0 from LDS
v_interp_mov_f32 v1, p0, attr0.y  // Load Data from Vertex p0 for Attr0 from LDS
v_interp_mov_f32 v2, p0, attr0.z  // Load Data from Vertex p0 for Attr0 from LDS
v interp mov f32 v3, p0, attr0.w  // Load Data from Vertex p0 for Attr0 from LDS
```

Special ALU Ops: Interplator Compression

- GCN allows to poll for HW rasterizer Vi Vj barycentric coordinates
 - Calculated according to set interpolator flags
- Opens possibility for custom interpolation and packing
- Geometry Shader and Tessellation Pipeline Data amplfication
 - Requires huge BW
 - Use interpolator packing to optimize BW
- PS can also be bottlenecked by LDS
 - Too much LDS used for ,fat' Vertex Data
- Never interpolate triangle const data!

Interpolator: Packing

Read Vertex Data

- v_interp_mov_f32 v0, p0, attr0.x // Vertex P00
- v interp mov f32 v0, p10, attr0.x // Vertex P10
- v_interp_mov_f32 v0, p20, attr0.x // Vertex P20

Barycentric Coordinates Vi Vj

Preloaded in VGPRs (compiler does it for you)

Interpolator : Packing

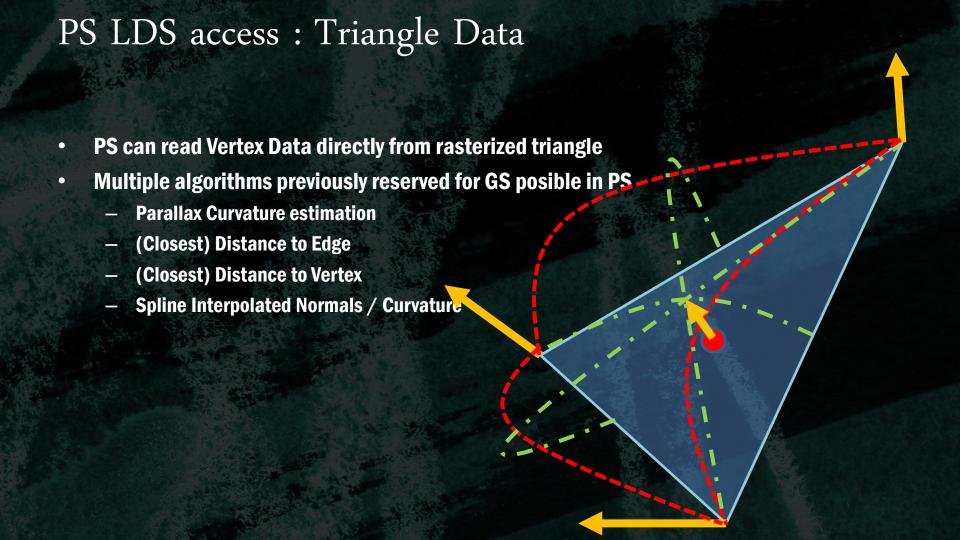
```
float4 Interpolate (float4 A, float4 B, float4 C, float3 barycentric)
  return A * barycentric.z + B * barycentric.x + C * barycentric.y;
   float3 barycentric;
   barycentric.xy = GetBarycentricCoordsPerspectiveCenter(); // Read Vi Vj from HW
  barycentric.z = 1 - barycentric.x - barycentric.y;
  uint rawA = ( GetVertexParameterP0( In.color packed ) ); //Read Raw UINT Data from V00
  uint rawB = ( GetVertexParameterP1( In.color packed ) ); //Read Raw UINT Data from V01
  uint rawC = ( GetVertexParameterP2( In.color packed ) ); //Read Raw UINT Data from V10
   float4 decompressedA = UnpackColor( rawA ); //Unpack Byte from UINT and convert to float
   float4 decompressedB = UnpackColor( rawB ); //Unpack Byte from UINT and convert to float
   float4 decompressedC = UnpackColor( rawC ); //Unpack Byte from UINT and convert to float
   float4 Out;
  Out = Interpolate ( decompressedA, decompressedB, decompressedC, barycentric );
```

PS LDS access: Triangle Data

- PS can read Vertex Data directly from rasterized triangle
- Multiple algorithms previously reserved for GS posible in PS
 - Parallax Curvature estimation
 - (Closest) Distance to Edge
 - (Closest) Distance to Vertex
 - Spline Interpolated Normals / Curvature

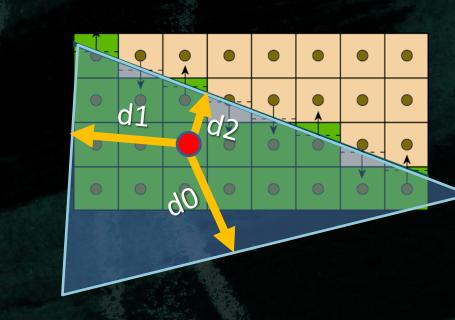
PS LDS access: Triangle Data

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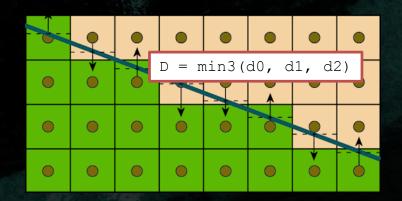
PS LDS access: Distance to Edge

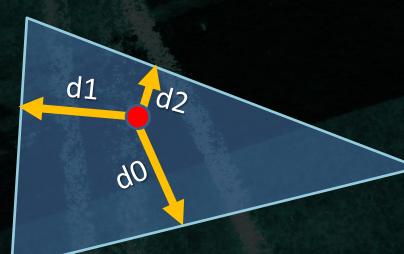
- Example : Distance To Edge AA
 - Output distance to closest edge
 - Directly from PS bypassing GS
 - Used in multiple analytical AA methods
 - GBAA
 - DEAA



PS LDS access: Distance to Edge

- Example : Distance To Edge AA
 - Output distance to closest edge
 - Directly from PS bypassing GS
 - Used in multiple analytical AA methods
 - GBAA
 - DEAA





PS LDS access: Distance to Edge

- Previously impractical due to expensive GS on every mesh
- Now totally viable option
 - Excellent performance
- Check HUMUS GBAA
 - Just move Geometry Shader part to Pixel Shader

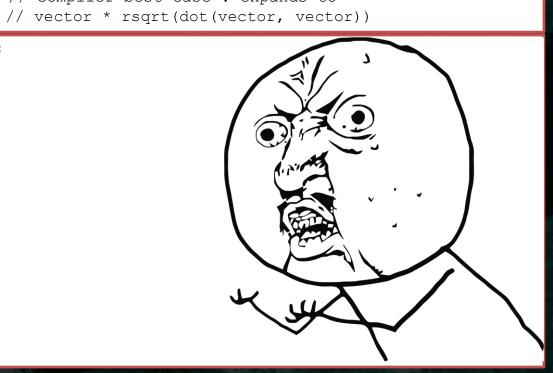


Transcendental Functions

- rcp(x), sqrt(x), rsqrt(x)
 - Most common transcendental functions in rendering
 - @Quarter Rate 16 cycles each
 - Common in loops
 - Light iterators
 - SSAO
 - Multisampling
 - Raymarching
 - Used by macro
 - Length(x)
 - Normalize(x)

Transcendental Functions: Example

```
// SLOW code - some compilers are not aggressive enough to optimize macros
float3 vector;
float vectorLength = length(vector);  // compiler best case :
                               //expands to sqrt(dot(vector, vector))
float3 normalVector = normalize(vector); // compiler best case : expands to
// Timings : (FR - Full Rate cycle - 4 cycles):
v_mov_b32 v0, s2 // 1FR
v mul f32 v1, s2, v0 // 1FR
v_mov_b32 v2, s1 // 1FR
v mac f32 v1, s1, v2 // 1FR
v mov b32 v3, s0 // 1FR
v_mac_f32 v1, s0, v3 // 1FR
// 4FR
v rsq f32 v0, v0
v_mov_b32 v2, #0x7f7fffff // 1FR
v mov b32 s3, #0xff7fffff // 1FR
v med3 f32 v0, v0, s3, v2 // 1FR
// Total not counting MOV //18 FR
```



Transcendental Functions: Example

```
// help compiler by manually unrolling macros
// this is always a good practice
float dotVector = dot(inVector,inVector);
float vectorLength = sqrt(dotVector);
float3 normalVector = inVector * rcp(vectorLength);
```

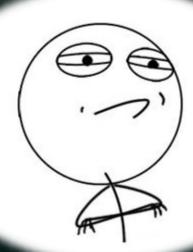
Transcendental Functions: Example

```
// We can do much better for FR count and pipelining by exploiting:
// sqrt(x) = rsqrt(x) * x
// rcp(x) = rsqrt(x) * rsqrt(x) // only for positive X
float dotVector = dot(inVector,inVector);
float rcpVectorLength = rsqrt(dotVector);
float vectorLength = rcpVectorLength * dotVector;
float3 normalVector = inVector * rcpVectorLength;
```



Approximated Transcendental Functions

- Transcendental Functions in HW provide ~1 ULP of precision
- We do not always need that much
 - Especially for F16, F11, UNorm8 data
- Can we do a better job than HW @ Quarter Rate?



Special ALU Ops: Integer Math

- General Purpose Registers
 - Integer Math
 - No reinterpretation cost
- Integer support
 - Allows integer based floating point math

```
// asint() / asfloat() works as reinterpret_cast
// is free - just hints the compiler to treat the data using different instruction set
#define asint(_x) *reinterpret_cast<int*>(&_x);
#define asfloat(_x) *reinterpret_cast<float*>(&_x);
```

0x5f3759df WTF?

- Fast Inverse Square Root
 - Implemented at SGI using integer math
 - Famous due to Quake 3 source code

```
float Q rsqrt( float number )
         long i;
         float x2, y;
         const float threehalfs = 1.5F;
         x2 = number * 0.5F;
         v = number;
         i = * (long *) &y;
                                                    // Float to Int reinterpret
         i = 0x5f3759df - (i >> 1);
                                                    // WTF?
         v = * ( float * ) &i;
                                                  // Int to Float reinterpret
         y = y * (threehalfs - (x2 * y * y)); // Newton Raphson 1st iteration
         return y;
```

0x5f3759df WTF?

- Fast Inverse Square Root
 - Works due to Floating Point Number Binary representation
- Care about speed
 - Remove Newton-Raphson iteration
- Should be fast on GCN?
 - 2x faster than rsqrt()

```
int x = asint(inX);
x = 0x5f3759df - (x >> 1);
return asfloat(x);
////////////////////////////
v_ashr_i32    v0, v0, 1
v_sub_i32    v0, # 0x5f3759df, v0
```

More Magic!

- Using original idea derive
 - $x^n \approx qpow(x,n) = K + n(asInt(x) K), n: [-1,1]$
 - K is a constant
- $E(x,n) = |x^n qpow(x,n)|$
- We search for K to minimize E(x, n) over (x,n) domain
- $E(K) = \sum_{x} E(x,n)$, n = const has stationary point
- asInt(x) is ,close' to log function
 - E(K) has global minima for given x domain and n

More Magic!

- Using gradient binary search
 - Find K best for your
 - n
 - x domain
 - Can find reasonable K for all
- Recommended specialization to minimize error function
 - Find best K for sqrt(), rsqrt(), rcp()
 - Limit domain
 - i.e. For distance calculation in Camera Space cap x to Far Plane

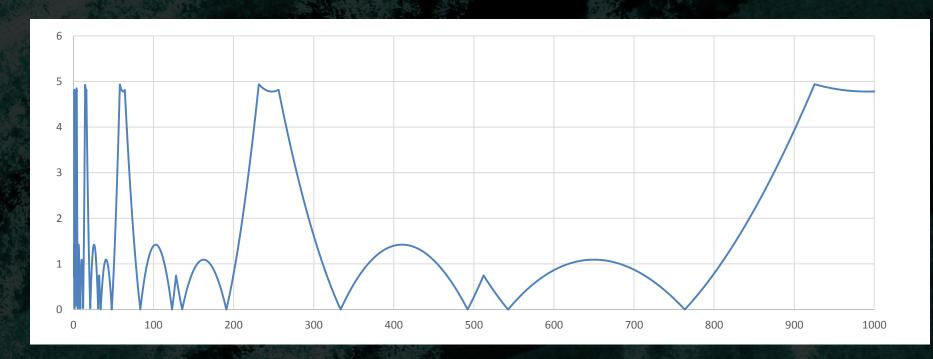
Let's beat 0x5f3759df RSQRT()

- 0x5f3759df found as universal K for rsqrt()
- Our domain is limited x (0, 1000)
- RMSE(K) in % : x(0, 1000), n = -1/2



Let's beat 0x5f3759df RSQRT()

• E(0x5F33AA52), x(0,1000), n = -1/2



Fast Shader Lib

```
// 2 Full Rate
float rcpSqrtIEEEIntApproximation(float inX, const int inRcpSqrtConst)
    int x = asint(inX);
     x = inRcpSqrtConst - (x >> 1);
    return asfloat(x);
  2 Full Rate
float sqrtIEEEIntApproximation(float inX, const int inSqrtConst)
    int x = asint(inX);
     x = inSqrtConst + (x >> 1);
     return asfloat(x);
  1 Full Rate
float rcpIEEEIntApproximation(float inX, const int inRcpConst)
     int x = asint(inX);
     x = inRcpConst - x;
     return asfloat(x);
```



Use Case: Example K's

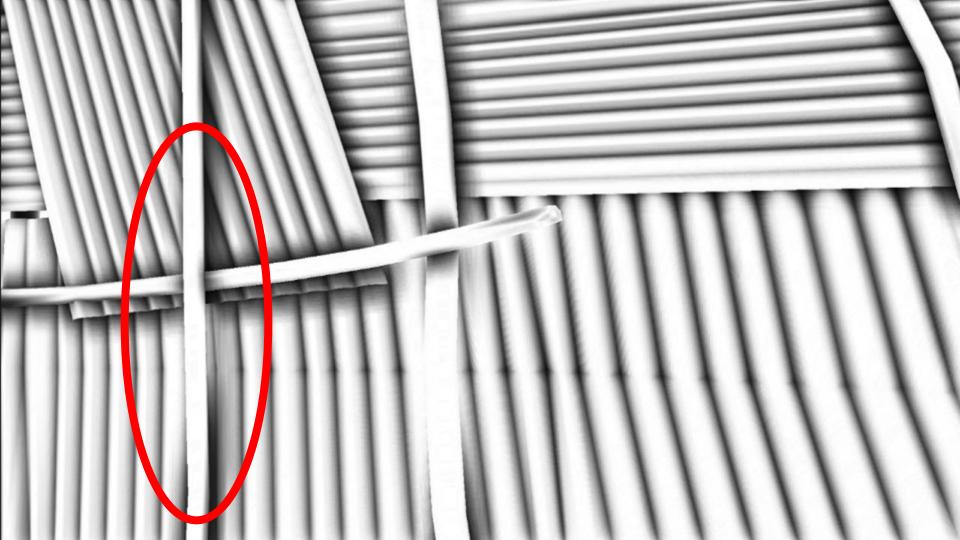
- rsqrt()
 - 0x5F341A43 RME:1.72% (0.0, 1.0)
 - 0x 5F33E79F RME:1.62% (0.0, 1000.0)
- sqrt()
 - 0x1FBD1DF5 RME:1.42% (0.0, 1.0)
 - 0x1FBD22DF RME:1.44% (0.0, 1000.0)
- rcp()
 - 0x7EEF370B RME:2.92% (0.0, 1.0)
 - 0x7EF3210C RME:3.20% (0.0, 1000.0)

Use Case: SSAO / Bilateral Filter

- SSAO
 - Distance() sqrt()
 - Normalize() rsqrt()
- Bilateral Filter
 - Divide() rcp()
 - Normalize() rsqrt()
- All switched to Fast Shader Lib
 - 13% total time improvement on Consoles
 - No visible difference







Be a Creative Code Ninja!

- GPU so much closer to CPU
- Use your SPU / CPU Ninja Skillz!
- Old things might surprise you
- Trade ALU for BW
- Tip of the iceberg
 - Scheduling
 - Async compute
 - Latency Hiding
 - Caching
 - Tons of things we don't know yet
 - Fun ahead!





References

• GCN

- "Low-level Shader Optimization for Next-Gen and DX11" Emil Persson
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- GCN Performance Tweets

Inverse Sqrt

- "Fast inverse Square Root" Chris Lomont
- "The Mathematics Behind the Fast Inverse Square Root Function Code" Charles McEniry
- Quake 3 Source Code github.com/id-Software/Quake-III-Arena

Thanks! **Ubisoft 3D Team(s)** • **Especially:** • **Bart Wronski Jeremy Moore Steve McAuley Stephen Hill AMD Developer Relation Team** • **Especially:** Layla Mah **Chris Brennan**



Bonus Slides

IEEE Performance Mode

- Disable IEEE compliance (-fastmath) to enable VOP3
 - Also called IEEE strict
 - Compiler will NOT handle
 - Denormals
 - QNaNs
 - Div 0
 - Other unsafe cases
 - Will use approximate Transcendental Functions
 - Without cleanup or accuracy OPs
 - Precision varies but guaranteed to be ~1 ULP (IEEE requires 0.5 ULP)

IEEE Strict vs Non-Strict : X / Y

float r = inV.x / inV.y;

```
// Without IEEE strict
// x - v1 y - v2
v rcp f32 v0, v1
                          // Unsafe rcp()might produce NaN
v mul f32 v0, v2, v0
// IEEE strict safe -fastmath
// x - v1 y - v2
v rcp f32 v0, v1 // Unsafe rcp()might produce NaN
v mov b32 v1, \#0x7f7ffffff // MAX FLT
s mov b32 s1, #0xff7fffff // MIN FLT
v med3 f32 v0, v0, s1, v1 // safe clamping to clean NaNs
v mul legacy f32 v0, v2, v0
```

IEEE Strict vs Non-Strict : X / Y

float r = inV.x / inV.y;

IEEE Strict vs Non-Strict : X / Y

```
float r = inV.x / inV.y;
// IEEE strict safe accurate support denormals
// depending on rounding modes and denormal output
// compiler can add:
v rcp f32
v mul f32
v div scale f32
nop
nop
nop
nop
v div fmas f32
```