# Deep Learning Exam WS 2023/24

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First of all, I would like you to know that these notes were written 10 minutes after the exam finished, so they are as fresh as possible.

#### 1 Architecture

Here are two network models: Model A in Fig. 1 and Model B in Fig. 2

#### 1.1 a

Give an example when you would choose Model A over Model B. Write a loss function.

#### 1.2 b

Give an example when would you choose Model B over Model A. Also specify the loss function.

### 2 Neural Networks

#### 2.1 a

What is the Momentum and how do we apply it for the gradient descent, please give the formula. What will change if we apply Nesterov Momentum?

#### 2.2 b

What is adversarial training?(question was unclear if they mentioned the regularization technique or DDPM, but I suppose it was about regularization)

### 3 RNN

#### 3.1 a

There is a RNN network in Figure 3 with only one output value. Give the supervised problem where we can apply it.

#### 3.2 b

Why exactly are we using Back Propagation Through Time(BPTT) in RNNs, please explain the problem with exploding/vanishing gradients and how is it resolved.

## 4 Deep generative networks

#### 4.1 a

Please explain the simplified versions of algorithms in Figure 4for training DDPM, especially the 5th raw of Algorithm 1 and 4th raw of Algorithm 2.

#### 4.2 b

How to make arithmetic operations in GANs

#### 4.3

Explain generative pretrain transformer(GPT)

### 5 Practical part

There is a function:

$$y = ax^2 + bx + c$$

The loss function is

$$L = \sum_{i} e^{(t_i - y(x_i))^2}$$

Please give the update rule for parameters a, b, and c for the stochastic gradient descent with batch size 1.

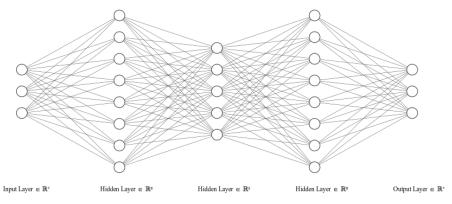


Figure 2: Model B

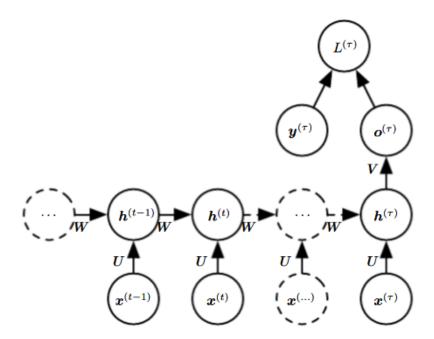


Figure 3: RNN

Algorithm 1 Training	Algorithm 2 Sampling
1: repeat 2: $\mathbf{x}_0 \sim q(\mathbf{x}_0)$ 3: $t \sim \text{Uniform}(\{1, \dots, T\})$ 4: $\epsilon \sim \mathcal{N}(0, \mathbf{I})$ 5: Take gradient descent step on $\nabla_\theta \  \epsilon - \epsilon_\theta (\sqrt{\overline{\alpha}_t} \mathbf{x}_0 + \sqrt{1 - \overline{\alpha}_t} \epsilon, t) \ ^2$ 6: until converged	1: $\mathbf{x}_{T} \sim \mathcal{N}(0, \mathbf{I})$ 2: $\mathbf{for} \ t = T, \dots, 1 \ \mathbf{do}$ 3: $\mathbf{z} \sim \mathcal{N}(0, \mathbf{I}) \ \text{if} \ t > 1$ , else $\mathbf{z} = 0$ 4: $\mathbf{x}_{t-1} = \frac{1}{\sqrt{\alpha_{t}}} \left( \mathbf{x}_{t} - \frac{1-\alpha_{t}}{\sqrt{1-\tilde{\alpha}_{t}}} \boldsymbol{\epsilon}_{\theta}(\mathbf{x}_{t}, t) \right) + \sigma_{t} \mathbf{z}$ 5: $\mathbf{end} \ \mathbf{for}$ 6: $\mathbf{return} \ \mathbf{x}_{0}$

Figure 4: DDMP algorithms