



# Machine Learning

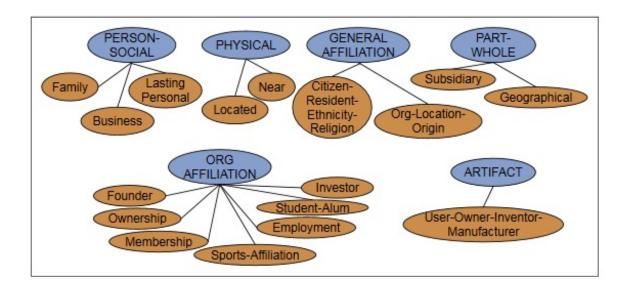
Non structural hierarchical classification





# Non-structured hierarchical classification (NSHC)

• Let us revisit a typical labelset appearing during relation extraction:



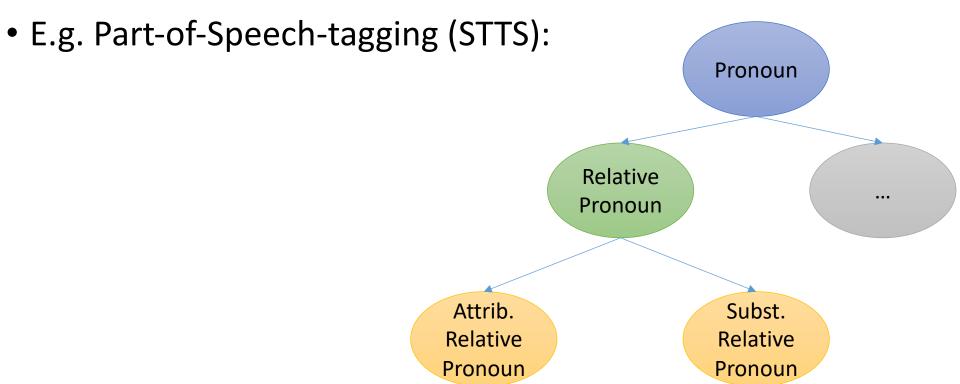
- If we include a <root> node, we got 3 layers of the hierarchy
- → Let us make use of this information during our classification process!





# Non-structured hierarchical classification (NSHC)

 Rethinking your current task, you might even find that your labels do also have some sort of hierarchy







# Non-structured hierarchical classification (NSHC)

 We define our problem as a NSHC, if our labelset fulfills the following conditions:

The set of classes C is in a relation  $\prec$  The relation  $\prec$  is pronounced "IS-A" relation and is **asymmetric**, **anti-reflexive** und **transitive**:

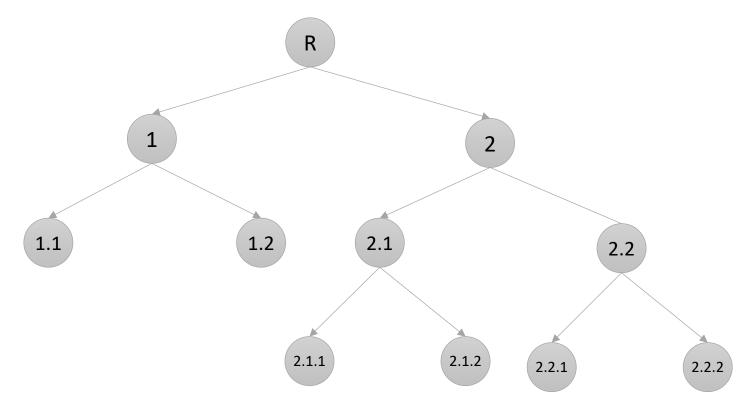
- 1. There is a single biggest element R ("root")
- 2.  $\forall c_i, c_i \in C : if c_i \prec c_i then c_i \prec c_i$  (asymmetric)
- 3.  $\forall c_i \in C, c_i \prec c_i$  (anti-reflexive)
- 4.  $\forall c_i, c_j, c_k \in C$ ,  $c_i \prec c_j$  and  $c_j \prec c_k$  implies  $c_i \prec c_k$  (transitivity)

→ And we will see, that our solution will work with any arbitrary classifier!





### Running Example for NSHC



- Additionally it holds:
  - 1. Each node has exactly one parent and one label ("Single-label NSHC")
  - 2. Classification is done until we reach a leaf node





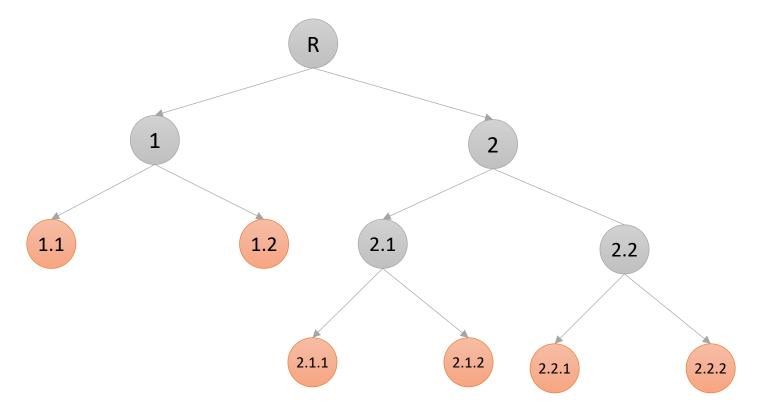
#### Different forms of NSHC

- In general we differ between three forms of NSHC:
  - 1. Flat Classification
  - 2. Local Methods
    - 1. Local classifier per node
    - 2. Local classifier per parent
    - 3. Local classification per layer
  - 3. Global Methods
    - Big-Bang approach





#### Different forms of NSHC: Flat classification



- Classification as you know it
- "Bottom-Up", parent information can be inferred from the leavs
- Ignores the hierarchy information entirely





#### Forms of NSHC: Flat classification

#### • Classifier:

A single classifier

### • Training data:

All instances, using the label according to the leavs

### How to apply:

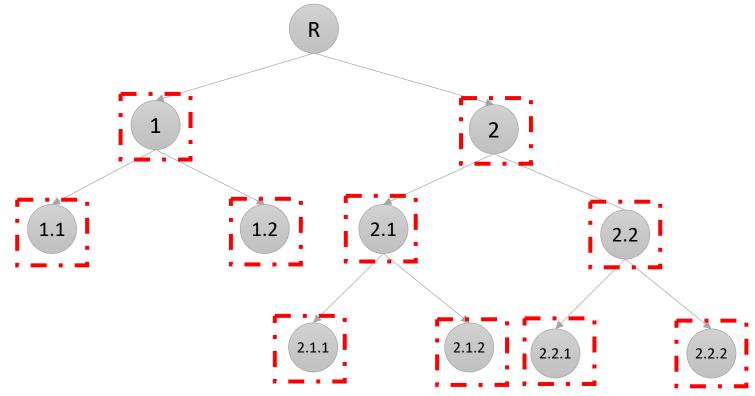
- Directly predict the most concrete label for every instance
- Parents can be inferred from the leaf label if required

#### • Problems:

Does not make use of any structural information



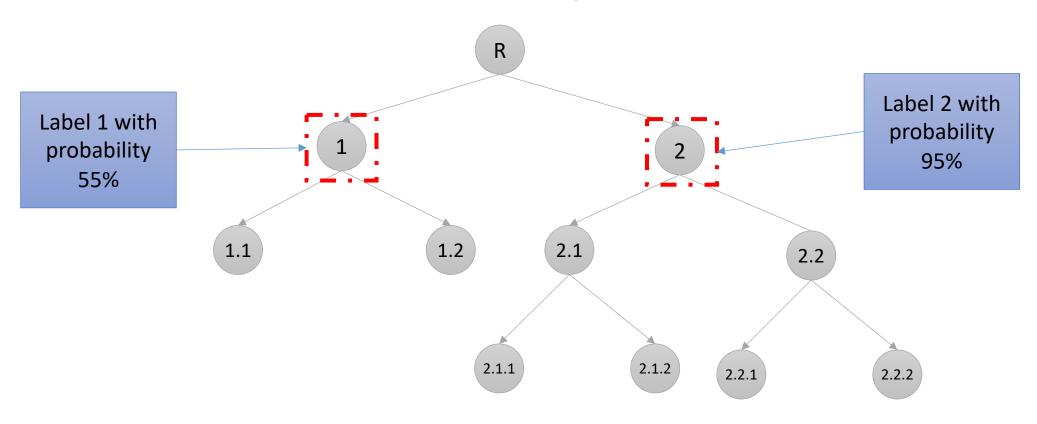




- Each node contains a classifier, which decides if the instance gets this label or not
- "Top-Down" approach
- Most prominent approach in the literature (of NSHC)

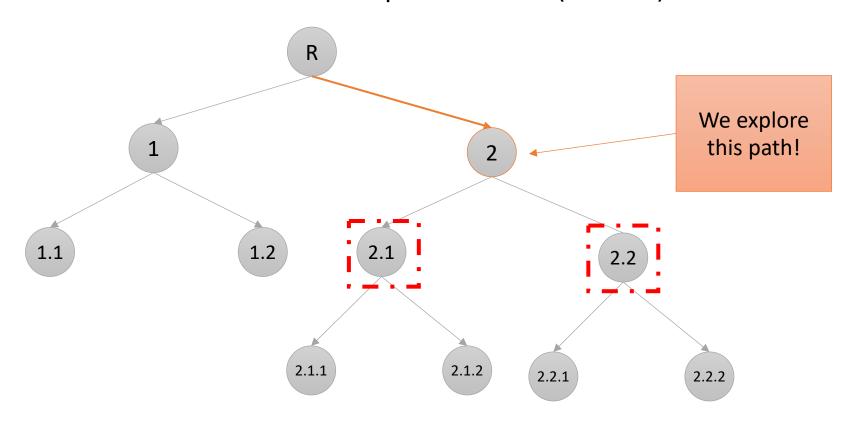
















#### • Classifier:

One classifier for each label (or node)

#### • Training:

- Multiple ways of training the individual classifiers (explained in coming slides)
  - 1. Exclusive-Policy
  - 2. Less-Exclusive-Policy
  - 3. Less-Inclusive-Policy
  - 4. Inclusive-Policy
  - 5. Siblings-Policy
  - 6. Exclusive-Siblings-Policy
- Every classifier predicts a binary outcome ("To be or not to be")

#### How to apply:

- Evaluate all classifier separately and then use a strategy to get the final results!
  - We have shown a strategy where always the highest prediction wins

#### Problems:

- Requires a strategy to resolve inconsistencies
  - What if it is neither **1** or **2**

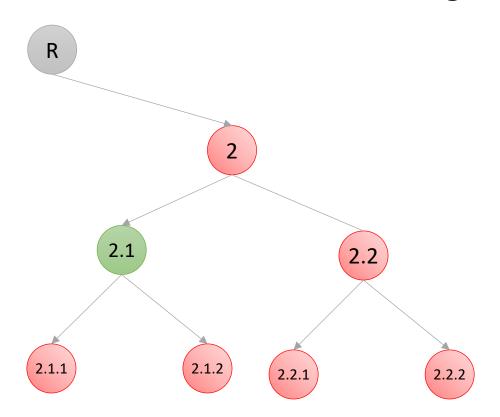




• For a local classifier, we can use a different subset of our training data:

### 1. Exclusive Policy

- Positive Instances
  - Only instance with finest class to be 2.1
- Negative Instances
  - All other instances





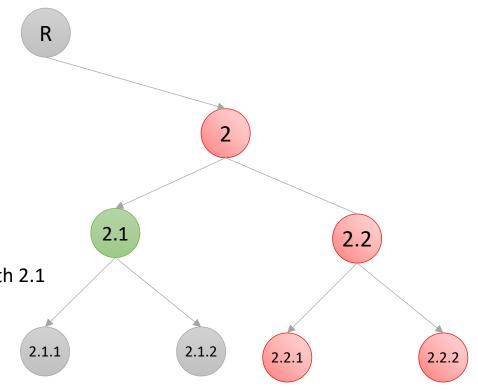


• For a local classifier, we can use a different subset of our training data:

### 2. Less-Exclusive Policy

- Positive Instances
  - Only instance with finest class to be 2.1

- Negative Instances
  - All instances that are no successor of 2.1 and are not labelled with 2.1





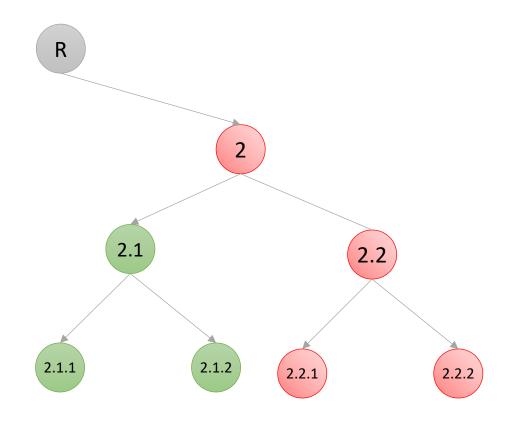


• For a local classifier, we can use a different subset of our training data:

### 3. Less-Inclusive Policy

- Positive Instances
  - All instances with label 2.1 or any successor (2.1.1 or 2.1.2)

- Negative Instances
  - All other instances





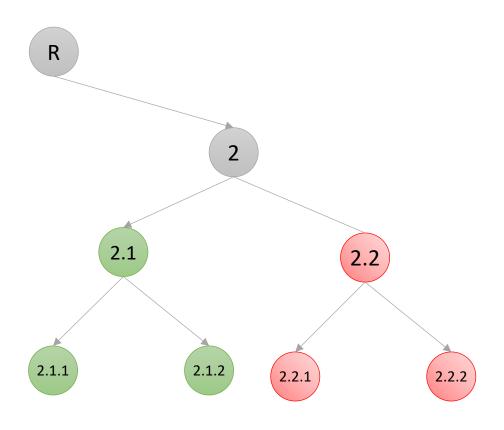


• For a local classifier, we can use a different subset of our training data:

### **4. Inclusive Policy**

- Positive Instances
  - All instances with label 2.1 or any successor (2.1.1 or 2.1.2)

- Negative Instances
  - Alle instances except 2.1 as well as predecessors and successors (not 2.1, 2.1.1, 2.1.2 or 2).





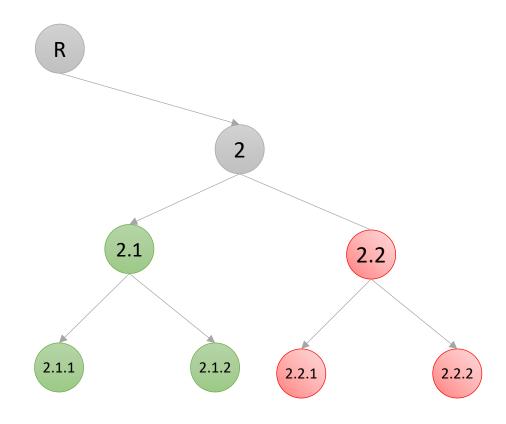


• For a local classifier, we can use a different subset of our training data:

### **5. Siblings Policy**

- Positive Instances
  - All instances with label 2.1 or any successor (2.1.1 or 2.1.2)

- Negative Instances
  - All sibling-instances and their successors (2.2,2.2.1,2.2.2)



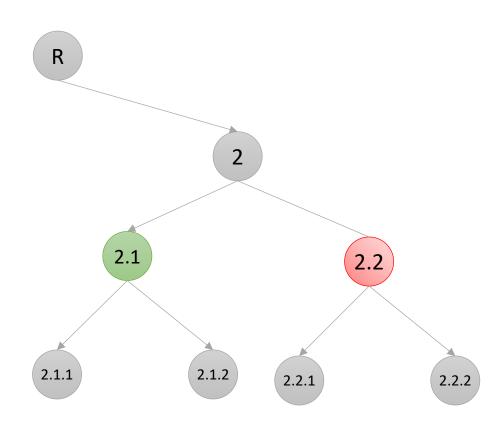




• For a local classifier, we can use a different subset of our training data:

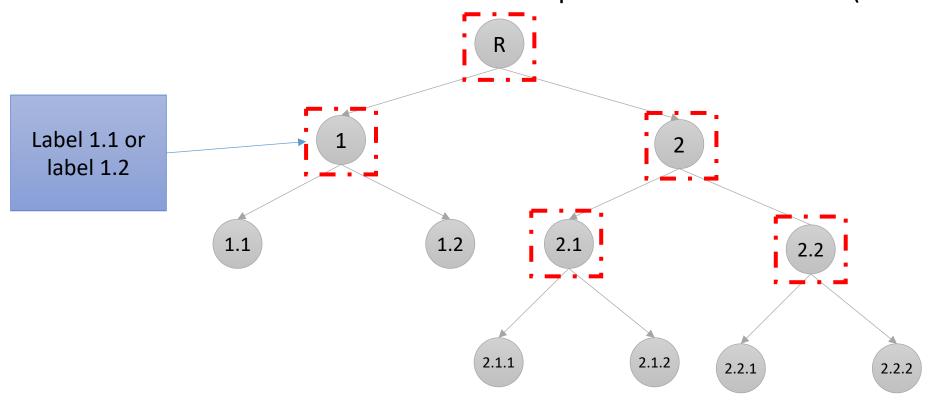
### **6. Exclusive-Siblings Policy**

- Positive Instances
  - Only instances with label 2.1
- Negative Instances
  - Only of sibling instances









- One classifier per non-leaf node, that decides which child is more appropriate
- "Top-Down" approach





#### Classifier:

One classifier for every non-leaf node

#### • Training:

- Multiple possibilities for the instances:
  - 1. Siblings-Policy
  - 2. Exclusive-Siblings-Policy
- Multiclass prediction with respect to the children

#### How to apply:

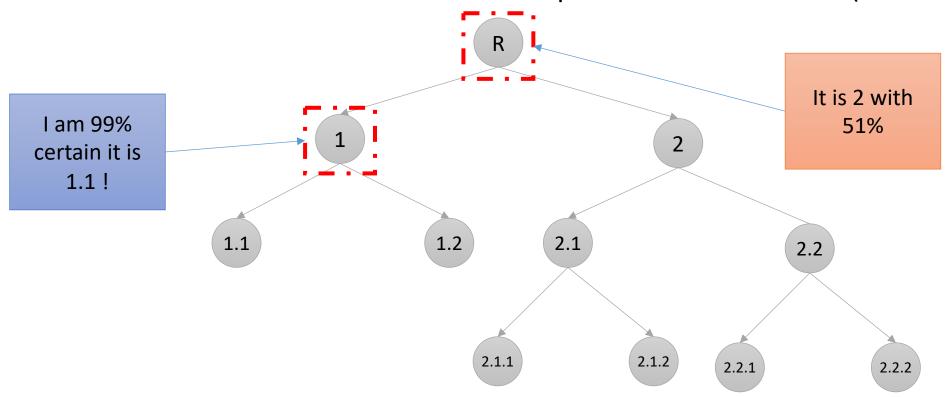
Query the classifier top-down and follow their most likely prediction

#### • Probleme:

- (Potentially) requires an N-Ary classifier instead of just binary classifier
- Might never reach the most appropriate classifier

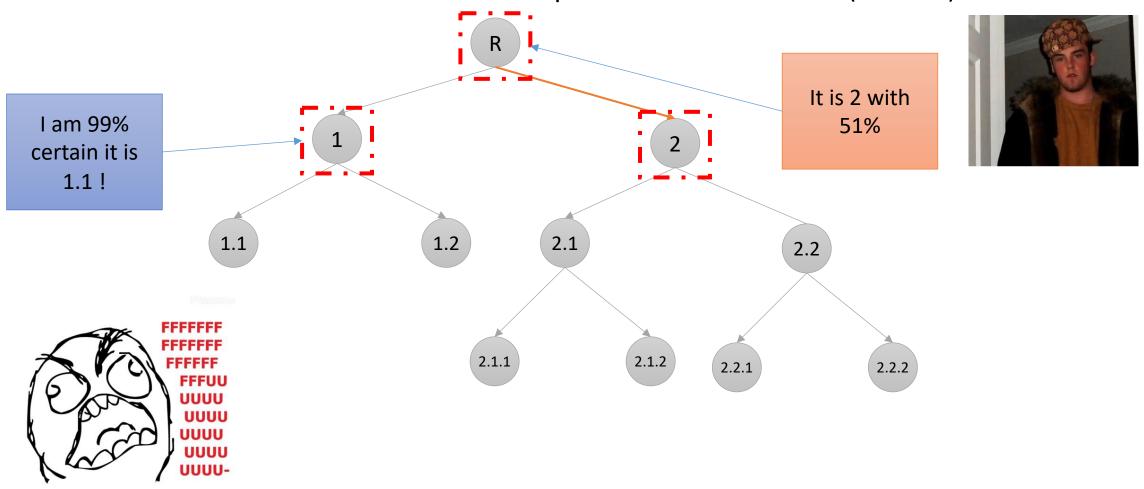








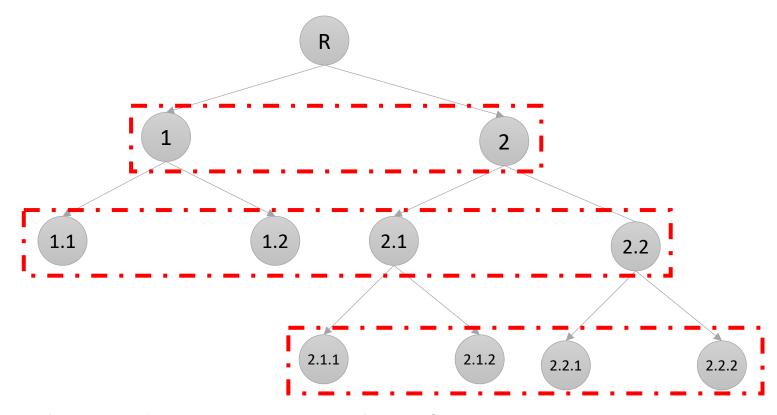








### Formen von NSHK: Lokale Klassifikatoren pro Ebene



- Each layer has a distinct N-ary classifier
- Least used (in NSHC literature)
- Top-Down approach





### Forms of NSHC: Local classifier per Layer(LCL)

#### • Classifier:

One classifier per layer

#### • Training:

- Again different possibilities for the training
  - 1. Siblings-Policy
  - 2. Exclusive-Siblings-Policy
- Multiclass prediction at every layer.

#### • How to apply:

- E.g. Apply top-down and follow their predictions
- Or find the path with the highest score

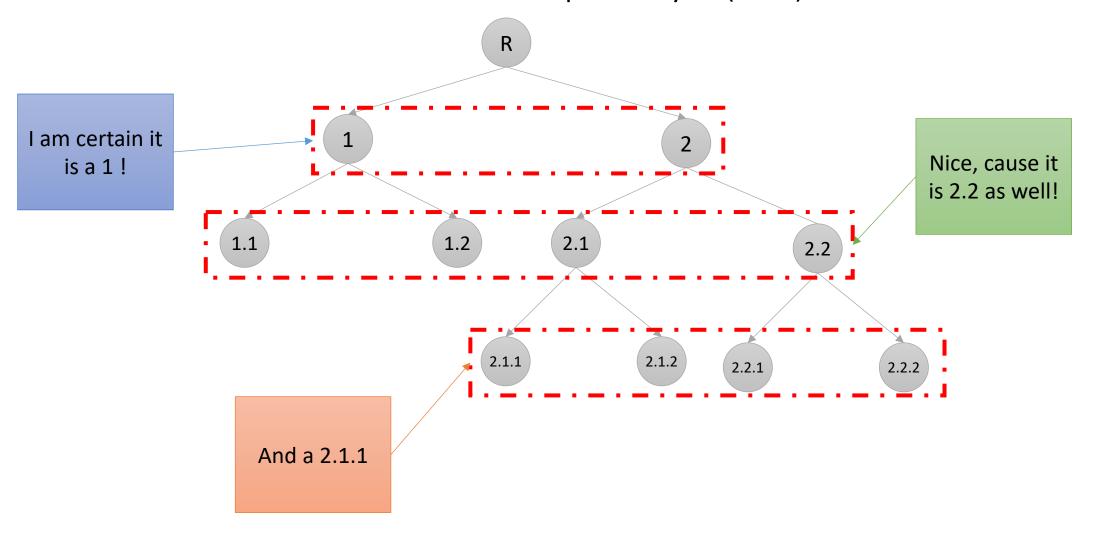
#### • Problems:

• Local inconsistencies





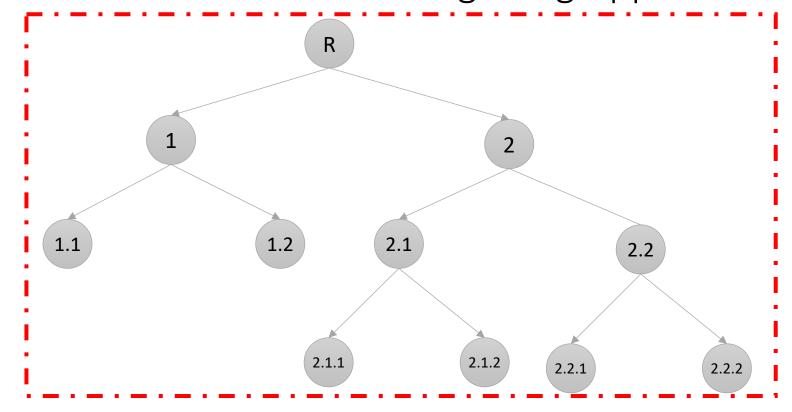
### Forms of NSHC: Local classifier per Layer(LCL)







### Forms of NSHC: Global Methods Big-Bang Approach



- A single classifier for the entire problem
- Makes fully use of the structure





### Forms of NSHK: Global methods: Big-Bang approach

#### Classifier:

- A single classifier:
  - Structured Perceptron
  - Conditional Random Fields

#### • Training:

Instances have to be modelled according to the classifier

#### Application:

Convert an instance appropriately and query the classifier

#### • Problem:

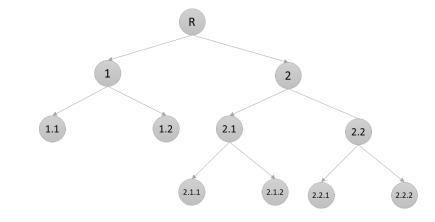
Needs dedicated algorithms!

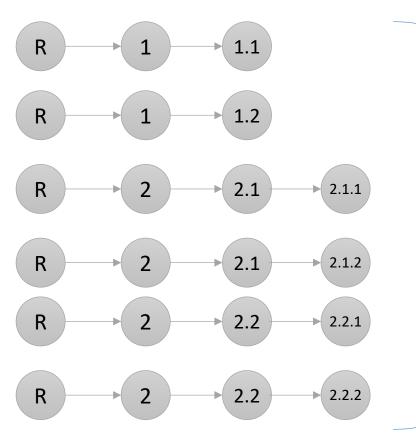




# Big Bang: Example

• Let us dissect our tree of labels into sequences





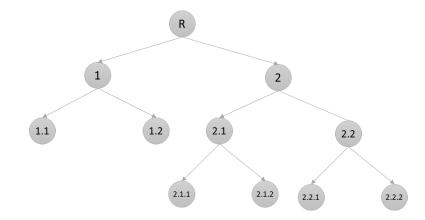
We basicly renamed our 6 leaflabels into "path-labels"

Textmining 28



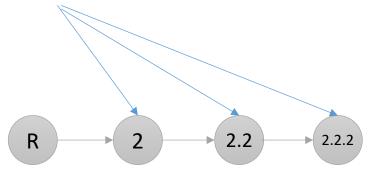
# Big Bang: Example

• But we can then score more appropriately:



$$\underset{S \in valid \ Sequences}{arg max} p(S|x) = \frac{\exp(\sum_{features:i} \lambda_i \cdot f(S, x))}{\sum_{S' \in valid \ Sequences} \exp(\sum_{features:i} \lambda_i \cdot f(S', x))}$$

 This means we can integrate features for every node on the path, similar to "back-off features" that we introduced for CRFs







### Further typical application scenarios

- 1. Music-Genre Prediction
- 2. Protein-function-prediction
- 3. Text classification
- 4. Object Detection
- 5. Predictions of Phonemes
- 6. ... → in any case a lot more than just relation classification!





#### Which NSHC is the best?

No general answer, you probably have to try it!

Approach	Work	Result when compared against					
		Flat	LCN	LCPN	LCL	GC	
LCN	Brecheisen et al. (2006a)	~					
	D'Alessio et al. (2000)	<b>↑</b>					
	Liu et al. (2005)	<b>↑</b>					
	Cesa-Bianchi et al. (2006a,b)	<b>↑</b>	<b>↑</b>				
	Cesa-Bianchi and Valentini (2009)	<b>↑</b>					
	DeCoro et al. (2007)	<b>↑</b>					
	Guan et al. (2008)	<b>↑</b>					

https://link.springer.com/content/pdf/10.1007/s10618-010-0175-9.pdf

→ LCN seems to outperform flat classification





### Which NSHK should I use?

Approach	Work	Result when compared against					
		Flat	LCN	LCPN	LCL	GC	
LCPN	Koller and Sahami (1997)	~					
	Burred and Lerch (2003)	~					
	Chakrabarti et al. (1998)	<b>↑</b>					
	McCallum et al. (1998)	<b>↑</b>					
	Dumais and Chen (2000)	<b>↑</b>					
	Ruiz and Srinivasan (2002)	<b>↑</b>					
	Kriegel et al. (2004)	<b>↑</b>					

https://link.springer.com/content/pdf/10.1007/s10618-010-0175-9.pdf

→ LCPN seems to outperform flat classification





### Which NSHK should I use?

Approach	Work	Result when compared against					
		Flat	LCN	LCPN	LCL	GC	
GC	Dekel et al. (2004a,b)	1		1			
	Wang et al. (2001)	<b>↑</b>					
	Peng and Choi (2005)	<b>↑</b>					
	Rousu et al. (2005, 2006)	<b>↑</b>					
	Blockeel et al. (2006)	<b>↑</b>					
	Cai and Hofmann (2004, 2007)	<b>↑</b>					
	Wang et al. (1999)	<b>↑</b>					
	Kiritchenko et al. (2005, 2006)	<b>↑</b>		~			

https://link.springer.com/content/pdf/10.1007/s10618-010-0175-9.pdf

→ GC seems to outperform flat classification





### Recap NSHC

- Applicable, if the labels are ordered in a hierarchy.
- Local Approaches
  - One classifier per node (LCN)
  - One classifier per parent node (LCPN)
  - One classifier per layer (LCL)
  - → Easy to apply, since any classifier can be used, but some approaches need strategies to resolve inconsistencies.
- Global Approaches
  - Big-Bang approach
  - → Classifier has to be able to deal with the structure
  - → Makes use of the entire hierarchy
- Results from literature show, that NSHC outperforms flat classification, but there is no clear winner!