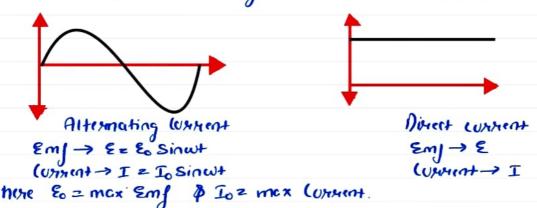
ALTERNATING CURRENT

Alternating Convent

An alternating current is that current whose magnitude changes continuously with time direction severses periodially.



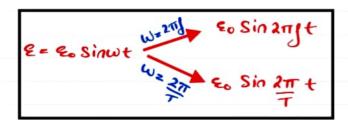
Amportant terms

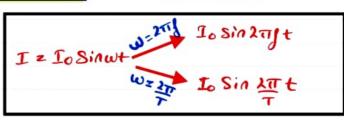
Amplitude > The maximum value attained by alternating wherent.

Time heriod > The time taken by Ac consent to complete one cycle

Time taken = Angular displacement

trequency: The no, of cycles (empleted in 1 sec. It is characted by $\int_{-\frac{\pi}{2}}^{2\pi} \frac{1}{1} = \frac{\omega}{2\pi}$ \longrightarrow $\omega = 2\pi i$





Relation 5/w average value & Peak value for half (yell (7/2)

De know = I = Io Sinwt

In small time at, a Small charge all will flow ina with :
I = all

So de z Idt de z Io Sinwt dt Anterening bom Sidus for hall yele

$$\int d\theta = \int_{0}^{1/2} T_{0} Sin\omega + dt$$

$$\theta = \int_{0}^{1/2} \left[-\frac{(0S\omega T)}{\omega} \right]_{0}^{1/2} = -\frac{T_{0}}{\omega} \left[(0S\omega T) - (0S\omega (0)) \right]$$

$$\theta = -\frac{T_{0}}{\omega} \left[(0S\Delta T) - (0S0) \right] \left((0S\omega T) - (0S0) \right] \left((0S\omega T) - (0S0) \right) = -\frac{T_{0}}{\omega} \left[-1 - 1 \right] = -\frac{T_{0}}{\omega} \left[-2 \right]$$

$$\theta = -\frac{T_{0}}{\omega} \left[(0S\omega T) - (0S0) \right] = -\frac{T_{0}}{\omega} \left[-1 - 1 \right] = -\frac{T_{0}}{\omega} \left[-2 \right]$$

$$\theta = \frac{2T_{0}}{\omega} \times T \qquad \left((0S\omega T) - (0S\omega (0)) \right)$$

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Now when
$$=\frac{0}{\tau/2} = \frac{1}{\pi} \times \frac{1}{\tau/2} = \frac{2\frac{T_0}{\pi}}{\pi}$$

$$I_{avg} = \frac{2}{\pi} I_0 = 0.637 I_0$$

Now Multiplying Both sides with R we get
$$\left(\frac{2}{10} \right) R$$
we get
$$\left(\frac{2}{11} \right) R$$

Root mean square coursent (Rms)

Suppose an alternating convent I= Iosinwt is given to a hearing element. Men heat prenduced in small time at is

all I I Rat

Men total heat produced in one cycle of Ac:
$$\int dH = \int_{0}^{T} I^{2}R dt \longrightarrow H = \int_{0}^{T} I^{2}R dt \longrightarrow I$$

Now Iey be effective value of current which will produce the Same hearing effect

H= Iey RT -2

Now comparing ①
$$\beta$$
 ②:-

Tegg RT = $\int_{0}^{T} I^{2} R dt$

$$I_{egg}^{2} = \frac{1}{RT} R \int_{0}^{T} I^{2} dt$$

$$I_{egg}^{2} = \sqrt{\frac{1}{T}} \int_{0}^{T} I^{2} dt$$

This is known as effective connect on Root mean Square

Now forms =
$$I_{eff} = \int \frac{1}{T} \int_{0}^{T} I^{1} dt$$

Now Potting $I = I_{0} \sin \omega t$ P solving it:

$$I_{Hims}^{2} = \frac{1}{T} \int_{0}^{T} \left(I_{0} \sin \omega t \right)^{2} dt = \frac{1}{T} \int_{0}^{T} I_{0}^{2} \sin^{2} \omega t dt$$

$$I_{Hims}^{2} = \frac{I_{0}^{2}}{T} \int_{0}^{T} \sin^{2} \omega t dt$$

$$I_{Hims}^{2} = \frac{I_{0}^{2}}{T} \int_{0}^{T} \left(\frac{1 - (\cos 2\omega t)}{2} \right) dt$$

$$I_{Hims}^{2} = \frac{I_{0}^{2}}{2T} \int_{0}^{T} I dt - \int_{0}^{T} (\cos 2\omega t) dt$$

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$$I_{Hims}^{2} = \frac{I_{0}^{2}}{2T} \int_{0}^{T} I dt$$

$$I_{0}^{2} = \frac{I$$

This is the value of Rms curvent.

Root mean Square Emf (Rms)

Suppose an A-c emy is given to having themen. Then heat produced in time at $clh = \frac{\mathbf{E}^2}{R} at = \left(\frac{\mathbf{E}_0 \operatorname{Sin} wt}{R}\right)^2 dt$ Then heat produced in one cycle $\left(dH = \int_{-\infty}^{T} \frac{\mathbf{E}_0' \operatorname{Sin}^2 wt}{R} dt \right)^2 dt$

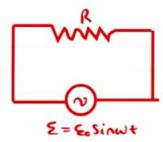
hundre Same heating then,

H= zigg T - 2 Now of Egy is the effective value of conf which will

Now comparing en 0 & @ we get.

This emp is known as ems or effective Emp

Revision only A.C CIMEUIT Containing



Suppose an A.c. Source is connected to o Resistor as shown. Then Emg is

2 = Eo Sinut

using ohms law &= IR Men

IR = IOR SINW+

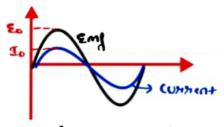
I = I Sinwt

here To is the max consumt.

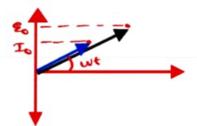
so for an Pure Resistive circuit

E= Eo Sinwt & I= Io Sinwt

More is no phase difference between Emf & corrent

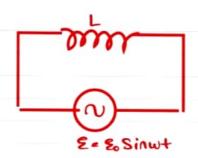


becopinical diagram



Phosox diagram

Pure Anductive Circuit



Suppose we applied an Ac emp to a pure Inductor. Now a inductor always upposes the applied Emp.

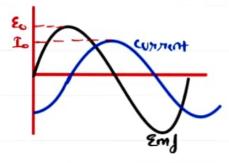
for a Pure inductive Circuit.

Applied Ac Emp = Back Emp by Inductor

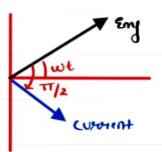
Eo Sinut = Lat

Then $dI = \frac{1}{L}(2e \sin \omega + dt)$ Gategrating to m Sides $dI = \frac{1}{L} \int E_e \sin \omega + dt$ $I = \frac{1}{L} \int E_e \sin \omega + dt = \frac{2e}{L} \int -\frac{(u \sin \omega)}{u}$ $I = -\frac{2e}{L} \int \cos \omega + \frac{1}{L} \int \sin (\pi - \omega) = \sin (\pi - \omega)$ $I = -\frac{2e}{L} \int \sin (\pi - \omega)$ $I = \frac{2e}{L} \int \sin (\omega + \pi) \int \cos \omega + \frac{1}{L} \cos \omega + \frac{1}$

on comparing whent with Emy, we noticed luverent lags benind the voltage by 90.



Guaphical digram

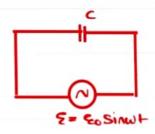


Phaver digreem

On comparing To = \(\frac{\xe}{\circ} \) with I=\(\frac{\xe}{\circ} \) (onm law) we find that here we plays the we sure of R Resistance. Thus type of Hesistance is known as Reactionce. It is denoted by \(\text{L} \)

Also w= 211/ 30 x= 211/L 50

Pune Capacitive Cincuit



Suppose we applied on AC Empto Capacitor 2 = & SINW+

Now we know

men @= (2

To find (unsuent we apply . Iz of in differential form

I = d [(& Sinw+) = (& d [Sinw+])

I 2 (5, [W(OS Wt] 2 CW 50 (OSW+

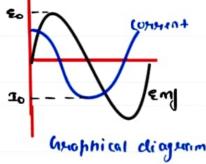
Mow using (050= sin (90+0)

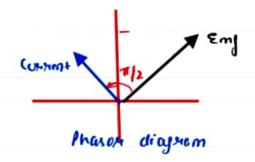
(+w+0) ni2 3W) = I 02

Un Iz (WE Sin (W+II)

IZ To Sin (w+ 17) where Io = (w&

for home Capacitive Circuit, 8= & sinut and I= Io Sin (w++1) on composing Emp with current, we find that convent leads the vottege Emp by 90.





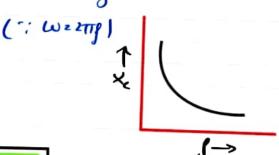
Cabacitive Acactonie: We know

$$I = I_0 \sin(\omega t + \pi)$$
here $I_0 = \omega c s_0 = \frac{\epsilon_0}{\omega c}$

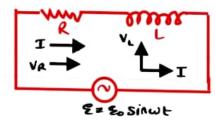
on comparing I = 80 with I = 8 (ohm (aw) we find that

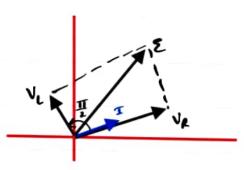
here you plays the reole of Resistance. This type of resistance is known as reacture. It is denoted by the

here
$$k \propto \frac{1}{1}$$



AC CIMILITY WITH Resistance and gnavetunce





& feriston Connected in Series.

1) Now Voltage across Resistan VR = IR

will be in phase with constant I.

4) Voltage oranss anductur

is ahead of consent by Til2

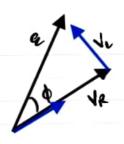
NOW

from havalleloguam low of vector addition

$$\mathcal{E} = \sqrt{I^2 R^2 + I^2 x_L^2} = \sqrt{I^2 (R^2 + x_L^2)}$$

$$T = \frac{\mathcal{E}}{\sqrt{R^2 + \chi_L^2}}$$

On comparing it with I= E/R (shows low) here $\sqrt{R^2 + \chi_1^2}$ plays the rule of effective excistance. It is known as sompedance



here phase angle blu eml & (we sent is find =
$$\frac{f}{g} = \frac{VL}{VR} = \frac{IXL}{R} = \frac{XL}{R}$$

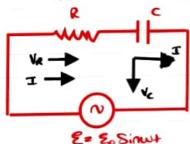
Find = $\frac{XL}{R} = \frac{WL}{R}$

so from phanes diagram it is clear that correct lags behind Emj by phase angle \$.

I= To Sin (wt-0)

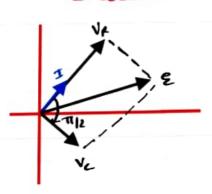
Ac circuit with Kesiston & Capaciton

Let us apply an AC Emy to a Ruistor & Capacitor Connected in Series &= Eo Sinut



phow voltage agross Revistor is in phase with current VR = IR

2) Voltage across capaciton lags behind the content by 11/2 radian

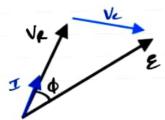


Now from parollelogram law y coldition
$$E = \int (v_R l^2 + (v_C)^2 = \int (IR l^2 + (Ix_C)^2) dt$$

$$E = \int I^2 (R^2 + x_C)^2 = I \int R^2 + x_C^2$$
Now
$$I = \underbrace{E}$$

Now comparing it with I = E[R] (thms law), here $\sqrt{R^2 + \chi_c^2}$ plays the score of effective successful e. This is known as Impedence 9+ is denoted by 2

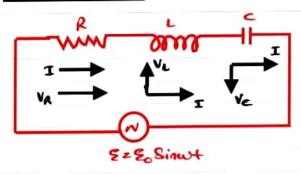
here $Z = \sqrt{R^2 + \chi_c^2}$ or $Z = \sqrt{R^2 + \frac{1}{w^2c^2}}$

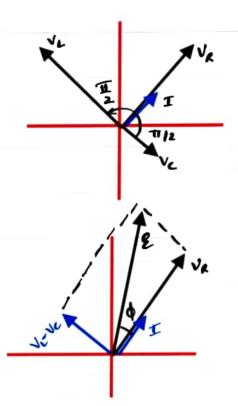


here phase angle blu correct & Eng is
$$\int G d = \frac{1}{R} = \frac{V_C}{V_R} = \frac{I_{R}}{I_R} = \frac{X_C}{R}$$

$$\int G d = \frac{X_C}{R}$$

the Emp by angle of Iz To Sin (w++ 4)





det us apply on Ac Emp to RLC Circuit

E = & Sinwt

i) Now Voltage occuss R will elemoin in phase with Current

VR = IR

2) voltage cross anducton L is chead
of comment by Tile

VL = I × L

S) Voltage across capacitus C lays behind the current by 11/2 Vez IXe

Let us suppose

Very acress L > Voltage acress c Then phasen diagreem will drown as shown in figure.

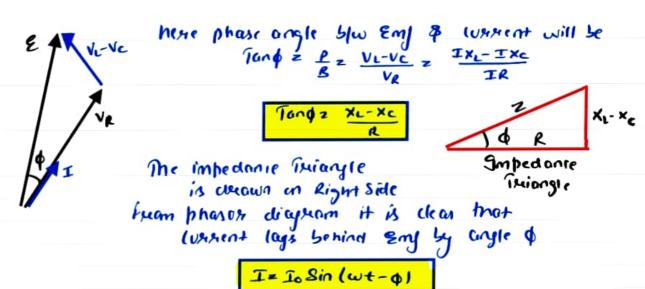
Now from parollelogram law of cooling $E_{z} = \sqrt{(v_{L} - v_{c})^{2} + v_{R}^{2}} = \sqrt{(I \times_{L} - I \times_{c})^{2} + I^{2}R^{2}}$ $E_{z} = \sqrt{I^{2}(x_{L} - x_{c})^{2} + I^{2}R^{2}}$ $E_{z} = I = \sqrt{(x_{L} - x_{c})^{2} + I^{2}R^{2}}$

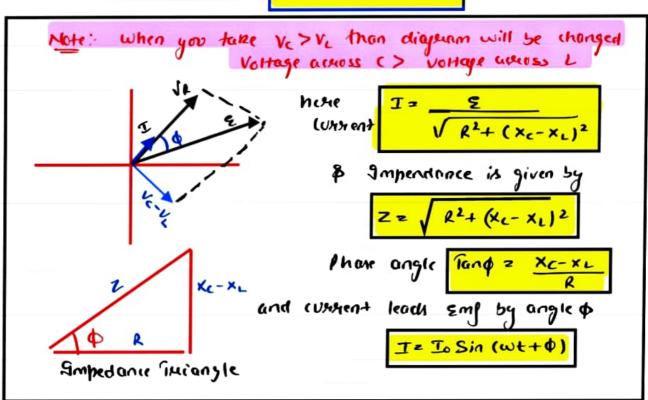
$$T = \underbrace{\xi}_{\sqrt{(\chi_{L} - \chi_{L})^{L} + R^{2}}}$$

on comparing it with I= E/R (Annlow) here $\sqrt{(x_c-x_c)^2+R^2}$ plays the mole of ejective maistance. It is called Impedance
It is denoted by z.

OR

$$Z = \sqrt{\left(\omega L - \frac{1}{\omega c}\right)^2 + R^2}$$





Resonance Condition

A LIR CIMENT IS A GIOL to be in the Mysmance (and than when the coursent through it has morimum value we know $T = \frac{\varepsilon}{R^2 + (\omega L - \frac{1}{\omega c})^2}$ (UMMENT will be maximum when $\int R^2 + (\omega L - \frac{1}{\omega c})^2$ has minimum value. Then, $(\omega L - \frac{1}{\omega c})^2 = 0$ Because $R^2 \neq 0$ (cornot)

Then $T = \frac{\varepsilon_0}{\sqrt{R^2}} = \frac{\varepsilon_0}{R}$. At this instant circuit will be pure Mysistive.

And the current through the circuit will be maximum. This condition is known as Resonance condition.

Then,
$$\omega L = \perp$$
 $\omega C \longrightarrow \omega^2 = \perp$

$$\omega = \frac{1}{\sqrt{LC}}$$

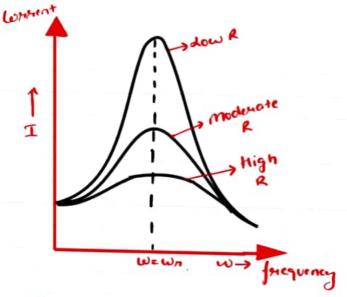
On
$$2\pi f = \frac{1}{\sqrt{L}}$$

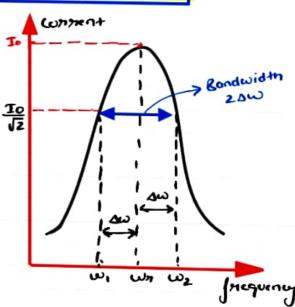
This Juguency is called as resonance frequency

Shorpness of Resonance (Quality factor)

The Quality factor is algined as the reation of the resonant frequency to the difference in two frequencies taken on both sides of the resonant frequency such that at each frequency, the correct amplitude becomes in times the value of contract at resonant frequency vi

$$Q = \frac{Wr}{W_2 - W_1} = \frac{Wr}{2\Delta w} = \frac{\text{Resmant frequency}}{\text{Randwidth}}$$





The Hismant Juequency does not depend upon R
But the shortness on Quality depends upon R
The leak is higher for smaller values of R (dess Noise)
The leak is wider (lower) for high values of R (more Noise)

To get sharpness on quality of the signal, a very less value of R must be taken to get high Peak & Less Noise Signal.

Power in an Ac Circuit

Consumed in an electric circuit is colled fower.

Suppose we apply an accent to a Grait.

Ez & Sinwt

Now let us suppose consent of that time is I=IoSin(wt-\$) where consent lays behind sing by phase angle \$.

At any 9 mont, small Power of is given for small time at de = EIdt at

Now total Powers commend for one cycle of A.C. $\int aP = \int_0^{\epsilon} \frac{EIdt}{\int_0^{\epsilon} dt}$

$$P = \int_{0}^{T} \frac{(\epsilon_{0} \sin \omega t) \left[T_{0} \sin (\omega t - \phi) \right] dt}{\int_{0}^{T} dt} = \int_{0}^{T} \frac{\epsilon_{0} T_{0} \sin \omega t \sin (\omega t - \phi) dt}{\left[t \right]_{0}^{T}}$$

Now multiplying & dividing eyn by @:P= 50 To 5 2 sinut sin (wt-0) at

Now using $2 \sin A \sin B = (\cos (A-B) - \cos (A+B))$ $P = \frac{E_0 T_0}{2T} \int_0^T \{\cos (\omega t - \omega t + \phi) - (\cos (\omega t + \omega t - \phi))\} dt$

Special Cases!

- 1) Pure Resistive circuit = for pure menistive (incuit phone difference = 0

 \$\phi = 0 \quad \text{SO} \quad \text{Pz Irons Errors} \quad (050)

 \[\begin{align*} \begin{align*} \text{Pz Irons} \quad \text{Errors} \quad \text{Coso} = 1 \end{align*}
 - 2) Pure Some circuit = for pore Goductive (incuit, mere is a phase difference of \$\Pi/2 \quad \tau = \Pi/2 \\ \lambda = \Pi/2 \
 - 3) Pube capocitive circuit = for buse capocitive circuit, mere is a phase difference of $\pi/2$, so $\phi = \pi/2$ Propositive circuit = for buse capocitive circuit, mere is a phase cifference of $\pi/2$, so $\phi = \pi/2$ Propositive circuit = for buse capocitive circuit, mere is a phase cifference of $\pi/2$ cos $\phi = \pi/2$ Propositive circuit = for buse capocitive circuit, mere is a phase cifference of $\pi/2$ cos $\phi = \pi/2$
 - 4) LCR (invit = 9) More is a phase difference of 4.

 Men Pz Exam Irms (as of where of z Tan-1 x1-xc)

 R
 - So Power Pz Same Imms (USO)

This entire Power is dissipated across the Resistance R.

Wattless Connent

The current in an AC circuit is said to be wettless Current when the average fower consumed in soung circuit is zoro.

such current is also coiled as Idle current.

The Journala for Colculating wattless connect is

P= 2I (05 \$

here P= Power consumed by circuit

Iz correct flowing through circuit.

& = emj applied to the circuit.

\$ = phase argle Hw Emj & warrent.

when the circuit is only anductor or conacitor, in that condition phase difference between voltage & warent is 90°.

So power Consumption is

P = SI (0590 But las 90 = 0

So dearly there is no power comumption. This is colled as worthess comment

AC Generator

A generator (dynamo) is a device which (mount mechanical energy into electrical energy.

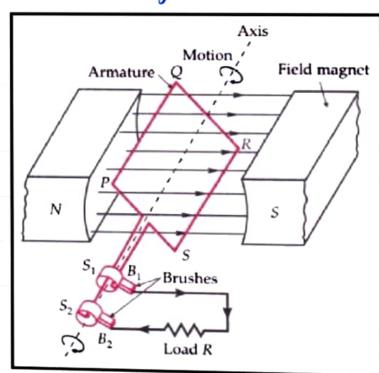
Principal: - It works on the principal of electromagnetic Induction.

When a closed loil is restated in a uniform magnetic field The magnetic flux linked with the coil changes and an induced Emf is set up in it.

(one true trion

Prield magnet: 9+ is a perimonent magnet. It produce strong magnetic field which passes muough the coil.

2) Armature: - 9+ (mist of a Hectungular coil Pars having a large no, of turns of insulated Copper wire wound one soft inon come. The comonume Can be knotated inside the magnetic field



- 3) Slip Hings: The two ends of the communities will also connected to two coaxial breass rings S, and S2 called slip rings. As the aumative motates, the slip mings also motate about the Same axis of motation.
- 4) Brushes: Two flexible graphite brushes one slightly brossed against the two slip rings. They help to maintain the electrical Connection between the coil & the external supply.
- 5) Source of energy: The CHMO TWAR COIL is MUTATED OBOUT its CITIES with the help of turbine or any other device connected to it.

working: As the commotione motorus, the magnetic for linked with it changes so an induced consent flows through it Suppose initially coil Pars is mept in Vertical hosition in the magnetic field & it is motated in clockwise direction. The Side po moves downworld and SR moves upwell. Acc. to fleming signs hand mule, the induced consent flows from OTOP and Jum Stor. So in first holy motation consent flows in direction skap. During second half Matation, the side Pa moves upwound & SR

moves downward. Men Ger. to Steming Right hand Aule, The induced coursent flows from Pto a and from A to s. Thus the direction of the convent is sevensed in each hay cycle & we get on Alternating convent.

Mathematical Expression:

N= No. of tourns of coil
Az Ama of earth coil

B= magnetic field

Now we know $\phi = BA \cos \theta$

where o is angle between magnetic field and Area vector

 $\phi = BA(0s\theta)$ Then $\xi = -N\frac{d\theta}{dt} = -N\frac{d\theta}{dt}$ (BA(0s0)

82 -NBA d ((030) = -NBA d ((03W+) (: 0=w+)

Ez - NBA W (-SINW+) = + NBAWSINW+

S = So Sinwt Where So = NBAW = max value of

Dividing both by R:- E = Eo Sinut

I = Io Sinwt This is the expression for Ac Current.

TRANSFORMER

A transformer is an electrical device used for converting low AC voltage into high AC voltage and vice versa. If the output voltage increases, it is called step up transformer.

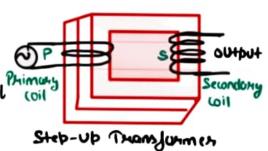
If the output voltage decreases, it is called a step down transformer

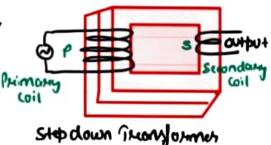
Principal-

it work on the principle of mutual induction, when a changing current is passed through the primary coil and induced EMF is set up in the secondary coil

Construction-

A transformer consist of two coils of insulated copper wire having different number of turns and wound on the same a soft iron core. The coil P to which electrical energy supplied is called primary coil and the coil S from which the energy is taken is called secondary coil. Because of high permeability of soft iron core the entire magnetic flux produced by the primary coil passes through the secondary coil and an induced EMF is set up in the secondary coil

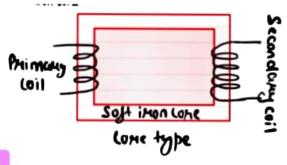


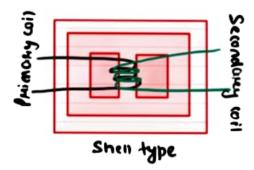


Types of transformer-

Core type-in the core type transformer the primary and the secondary coil are wound on Opposite sides of the soft iron core.

Shell type-in the shell type transformer the primary and the secondary coil are wound one over the another on the same side of the iron core.





Working-

As the alternating current flows through the primary coil, it generates an alternative magnetic flux in the core which also passes through the secondary coil. This changing flux set up an induced EMF in the secondary coil. If there is no leakage of the magnetic flux, then Flux linked with the primary coil will always equal to The flux which passes through secondary coil.

Mathematical Pant

in the paimony and secondary will Hespectively. Then At any instant, flux through primary will always equal to flux theory secondary coil - so det flux .

andred Emy in Primary wil, E = - M do Induced Emj in Secondary will, Ezz -MI do

on Dividing both $\frac{\mathcal{E}_1}{\mathcal{E}_2} = \frac{N_1}{N_2}$ Of $\frac{\mathcal{E}_2}{\mathcal{E}_1} = \frac{N_2}{N_1}$

Then The matio Me is called the Thangermen matio.

In a steb ub Thankjohmer, Nz > N. Then \$2 = \$1 M2 ON M27H, Then Justim M2 >1 Ez will always queater then & (Ez > E1)

gn a step down shongommer, N 7 Mz Ez = E, M2 But have Mz LI Thus & will be less then & (2, LE,)

Now from low conservation of energy

Input Power = output Power 80, 2, I, = 2, I2 $\frac{\mathcal{E}_2}{\mathcal{E}_1} = \frac{\mathcal{I}_1}{\mathcal{I}_2}$ which gives $\mathcal{E}_2 \propto \frac{1}{\mathcal{I}_2}$

so a step up manyumer step up the vertage but step down the content by some matio. So total Power memain construed

Similarly, step down Thansformer, step down the votage but step up the consent by Same Matio.

The efficiency of Thomstonmer is defined as

7= Power output x 1002

Losses in transformer

Copper loss-some energy is lost due to the heating of copper wires as per joules law of heating. This power loss can be minimised by using thick copper wire of low resistance.

Eddie current loss-the alternative magnetic flux induces Eddy current in the iron core Which leads to some energy losses in the form of heat. This loss can be reduced by using laminated core Hysteresis loss-the alternative current Magnetise and demagnetise the iron core many times due to which some energy is lost in the form of heat. This is called hysteresis loss and can be minimised by using material of Low hysteresis loss

Flux leakage-the magnetic flux produced by the primary coil may not fully pass through the secondary coil, some of the flux may leak into the air. This loss can be prevented by using a good iron core for both the loop

Humming loss-as the transformer works, its core length and and shortens during each cycle of alternative voltage, this phenomena is called magnetostriction which gives rise to a humming sound so some energy is lost in the form of sound