

cardinalR: Generating interesting high-dimensional data structures

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Abstract A high-dimensional dataset is one where each observation is described by many features, or dimensions, with associations between them. These datasets contain nonlinear manifolds in image and speech recognition, clusters in genomics and forensic analysis, and sparse distributions in text mining. Data with a variety of structures can be generated using mathematical functions and statistical distributions to create test datasets. High-dimensional data structures are useful for testing, validating, and improving algorithms used in dimensionality reduction, clustering, machine learning, and visualization. Their controlled complexity allows researchers to understand challenges posed in data analysis and helps to develop robust analytical methods across diverse scientific fields like bioinformatics, machine learning, and forensic science. Functions to generate a large variety of structures in high dimensions are organized into the R package `cardinalR`, along with some already generated examples, adding to the existing toolset of benchmark datasets for evaluating algorithms.

1 Introduction

Generating synthetic datasets with clearly defined geometric properties is useful for evaluating and benchmarking algorithms in various fields, such as machine learning, data mining, and computational biology. Researchers often need to generate data with specific dimensions, noise characteristics, and complex underlying structures to test the performance and robustness of their methods. There are numerous packages available in R for generating synthetic data, each designed with unique characteristics and focus areas. The `geozoo` package ([Schloerke \(2016\)](#)) offers a large collection of geometric objects, allowing users to create and analyze specific shapes, primarily in lower-dimensional spaces. The package is `snedata` ([Melville \(2025\)](#)), which provides tools for generating simplified datasets useful for evaluating dimensionality reduction techniques like tSNE, often focusing on understanding and evaluating low-dimensional embeddings of complex data structures. Additionally, `splatter` ([Zappia et al. \(2017\)](#)) is designed to simulate complex biological data, capturing field-specific nuances such as batch effects and differential expression. In contrast, `m1bench` ([Leisch and Dimitriadou \(2024\)](#)) includes a collection of well-known benchmark datasets commonly associated with established classification or regression challenges. The `surreal` package ([Balamuta \(2024\)](#)) implements the “Residual (Sur)Realism” algorithm ([Stefanski \(2007\)](#)) to generate datasets that embed hidden images or text into residual plots, providing engaging visual demonstrations for teaching model diagnostics. Meanwhile, the `DHARMA` package ([Hartig \(2024\)](#)) adopts a simulation-based approach to create scaled quantile residuals for generalized linear (mixed) models and related frameworks, supporting model diagnostics through intuitive residuals, plots, and tests for common misspecification issues.

While these packages are valuable, their scope is often limited to specific applications or low-dimensional structures. To address this gap, this paper introduces the `cardinalR` R package. This package provides a collection of functions designed to generate customizable data structures in any number of dimensions, starting from basic geometric shapes. `cardinalR` offers important functionalities that extend beyond the capabilities of existing tools, allowing users to: (i) construct high-dimensional datasets based on geometric shapes, including the option to enhance dimensionality by adding controlled noise dimensions; (ii) introduce adjustable levels of background noise to these structures; and (iii) combine high-dimensional datasets into a single multi-faceted, clustered dataset in a space of arbitrary dimension. By using clearly defined geometric shapes and controllable characteristics such as number of dimensions, sample size; `cardinalR` allows researchers to generate transparent and interpretable synthetic datasets useful for evaluating the performance of nonlinear dimensionality reduction (NLDR) methods, clustering algorithms, and visualization techniques. Moreover, these datasets can serve as benchmark examples for exploring how different algorithmic choices affect the identification or representation of cluster and manifold structures in high-dimensional spaces.

The paper is organized as follows. In the next section, we introduce the implementation of the `cardinalR` package on GitHub, including a demonstration of the package’s key functions. We illustrate how a clustering data structure affects the dimension reductions in the Application section. Finally, we give a brief conclusion of the paper and discuss potential opportunities for the use of our data collection.

Table 1: The main arguments for gen_multicluster().

Argument	Type	Explanation
n	numeric (vector)	Number of points in each cluster.
k	numeric	Number of clusters.
loc	numeric (matrix)	Locations/centroids of clusters.
scale	numeric (vector)	Scaling factors of clusters.
shape	character (vector)	Shapes of clusters.
rotation	numeric (list)	Rotation matrices, one per cluster.
is_bkg	boolean	Background noise should exist or not.

2 Implementation

The cardinalR R package is available on GitHub at [JayaniLakshika/cardinalR](https://github.com/JayaniLakshika/cardinalR).

Usage

Main function

The main function of the package is gen_multicluster(), which generates datasets consisting of multiple clusters with user-specified characteristics. Users can control the number of clusters (k), and the number of points in each cluster (n). Each cluster can take on a different geometric shape (e.g., Gaussian, cone, uniform cube) by specifying the corresponding generator function (shape), can be scaled to adjust its spread, rotated using custom rotation matrices (rotation), and positioned at defined centroids (loc). The function ensures flexibility in cluster location and orientation, allowing users to simulate complex high-dimensional structures.

To maintain consistency across generators, the function identifies the arguments required by each chosen generator function and supplies only those arguments that are valid for that specific generator. This design enables the combination of cluster types with differing parameter requirements within the same dataset. When clusters are generated with fewer dimensions than others, the function augments the lower-dimensional clusters with additional Gaussian noise variables so that all clusters are represented in the same dimensional space. These noise dimensions are drawn independently from normal distributions

$$X \sim \mathcal{N}(m, s^2),$$

where the mean (m) is set to the average of the cluster coordinates and the standard deviation (s) defaults to 0.2.

An optional argument, is_bkg, adds background noise drawn from a multivariate normal distribution centered on the dataset's overall mean with standard deviations matching the observed spread. Extra arguments (...) can be passed to cluster generators, allowing further control over per-cluster characteristics like radius of the sphere.

The main arguments of the gen_multicluster() function are shown in Table 1.

Shape generators

The shape generators form the foundation of the package, providing a collection of functions to create synthetic data structures based on simple, well-defined geometric structures. These include fundamental shapes such as cones, pyramids, spheres, grids, and branching structures. If a shape is not inherently defined in more than three dimensions, additional noise dimensions can be added to embed the structure into higher-dimensional space. Users can specify how these noise dimensions are generated (e.g., Gaussian, wavy) (noise_fun), offering control over the embedding process. All shape generators allow the user to define the number of points (n) and dimensions (p), and most include additional arguments to customize specific characteristics of the structure.

Cone To simulate a cone-shaped structure in arbitrary dimensions (Figure 1), we define a function gen_cone(n, p, h, ratio), which creates a high-dimensional cone with options for a sharp or blunted apex, allowing for a dense concentration of points near the tip.

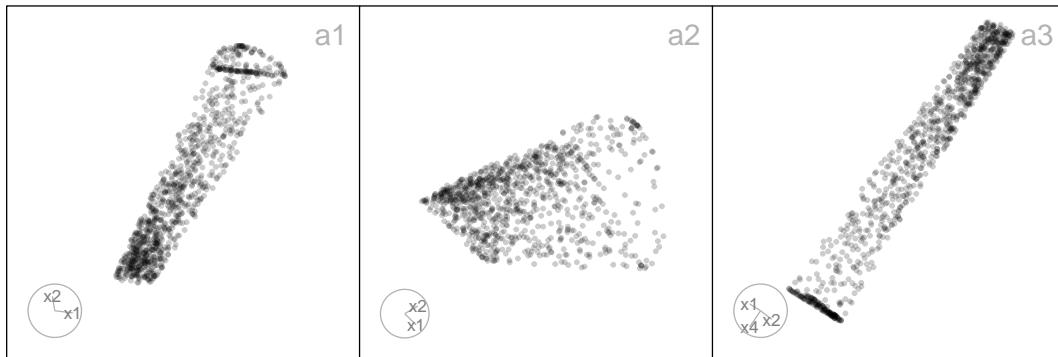


Figure 1: Three 2-D projections from 4-D, for the ‘cone’ data.

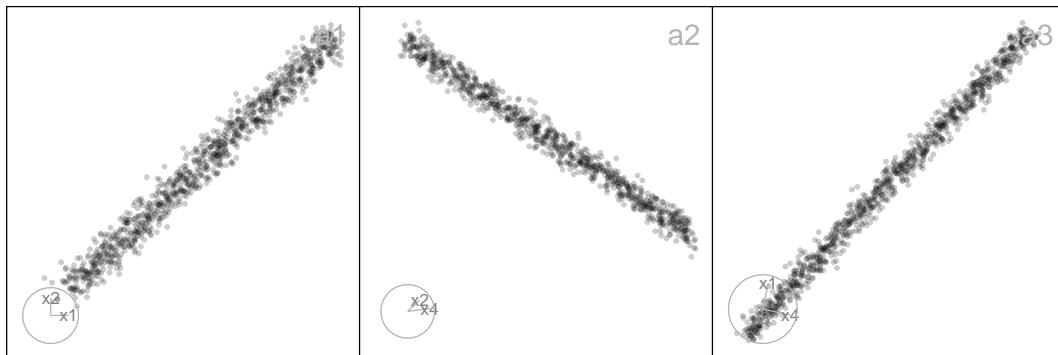


Figure 2: Three 2-D projections from 4-D, for the ‘linear’ data.

This function generates n points in p -D, where the last dimension, X_p , represents the height along the cone’s axis, and the first $p - 1$ dimensions define a shrinking hyperspherical cross-section toward the tip. Heights are sampled from a truncated exponential distribution, $X_p \sim \text{Exp}(\lambda = 2/h)$, capped at the cone height h , producing a higher density of points near the tip. At each height X_p , the radius of the cross-section decreases linearly from base to tip according to $r = r_{\min} + (r_{\max} - r_{\min})X_p/h$, where r_{\min} = ratio and $r_{\max} = 1$.

For each point, a direction in the first $p - 1$ dimensions is sampled uniformly on a $(p - 1)$ -dimensional hypersphere using generalized spherical coordinates. The radial coordinates are scaled by the height-dependent radius r , producing the conical taper. In three dimensions ($p = 3$), this results in a classical 3-D cone, while for $p > 3$, additional dimensions provide a smooth embedding into higher-dimensional space, preserving the conical structure.

```
cone <- gen_cone(n = 1000, p = 4, h = 5, ratio = 0.5)
```

Linear The `gen_longlinear(n, p)` function generates a high-dimensional dataset representing a long linear structure with noise. Each variable is formed as $X_i = \text{scale}_i \cdot (0, 1, \dots, n-1 + \epsilon) + \text{shift}_i$, where $\text{scale}_i \sim U(-10, 10)$ determines the orientation of the line in each dimension, $\text{shift}_i \sim U(-300, 300)$ offsets the line to separate dimensions, and $\epsilon \sim N(0, (0.03n)^2)$ introduces Gaussian noise.

```
linear <- gen_longlinear(n = 1000, p = 4)
```

Gaussian The `gen_gaussian(n, p, s)` function generates a multivariate Gaussian cloud in p -D, centered at the origin with user-defined covariance structure (Figure 3). Each point is independently drawn using the multivariate normal distribution with $X_i \sim N_p(\mathbf{0}, s)$, where s is a user-defined $p \times p$ positive-definite matrix.

```
gau <- gen_gaussian(n = 1000, p = 4, s = diag(4))
```

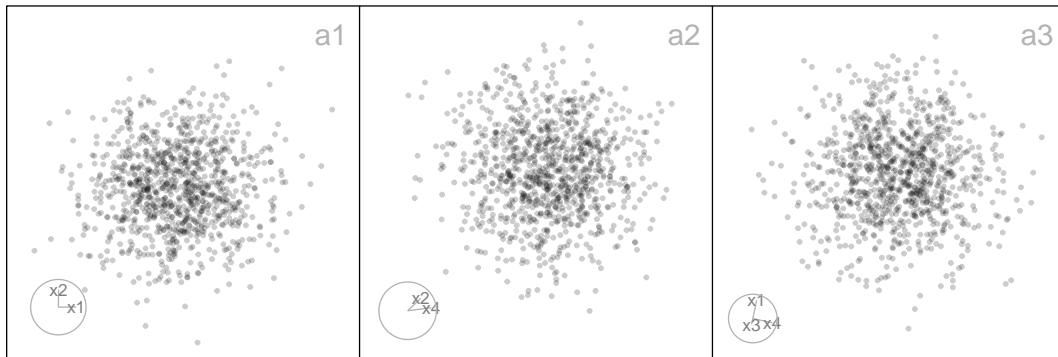


Figure 3: Three 2-D projections from 4-D, for the ‘gau’ data.

Table 2: cardinalR noise dimensions generation functions

Function	Explanation
gen_noisedims	Gaussian noise dimensions with optional mean and standard deviation.
gen_wavydims1	Wavy noise dimensions based on a user-specified theta sequence with added jitter.
gen_wavydims2	Wavy noise dimensions using polynomial transformations of an existing dimension vector.
gen_wavydims3	Wavy noise dimensions using a combination of polynomial and sine transformations based on the first three dimensions of a dataset.

Wrappers

Generate noise dimensions

High-dimensional data structures often benefit from the addition of auxiliary noise dimensions, which can be used to assess the robustness of dimensionality reduction and clustering algorithms. The functions in this section provide flexible ways to generate random noise dimensions, ranging from purely random Gaussian variables to more structured, wavy patterns that mimic non-linear distortions in high-dimensional space. These functions can be applied independently or combined with other geometric structures to create complex simulated datasets. Table 2 details these functions.

The `gen_noisedims(n, p, m, s)` function generates p independent Gaussian noise dimensions,

$$X_j \sim N(m_j, s_j^2), \quad j = 1, \dots, p,$$

with odd-numbered dimensions multiplied by -1 to introduce sign alternation, enhancing variability and decorrelation.

For scenarios where noise should follow a smooth wavy pattern, `gen_wavydims1(n, p, theta)` generates dimensions as

$$X_j = \alpha_j \theta + \varepsilon_j, \quad \varepsilon_j \sim N(0, \sigma^2), \quad j = 1, \dots, p,$$

where each dimension is scaled by a different factor α_j , producing structured noise that oscillates along the latent parameter θ , mimicking trends or trajectories observed in real-world data.

The `gen_wavydims2(n, p, x_1)` function extends this approach by applying a non-linear transformation to an existing dimension vector x_1 :

$$X_j = \beta_j (-1)^{\lfloor j/2 \rfloor} x_1^{k_j} + \varepsilon_j, \quad j = 1, \dots, p,$$

where k_j is a randomly chosen polynomial power, β_j is a scaling factor, and ε_j is small uniform noise.

Finally, `gen_wavydims3(n, p, data)` generates noise for datasets with multiple correlated dimensions. The first three dimensions are small perturbations of the original coordinates (X_1, X_2, X_3),

Table 3: cardinalR multiple clusters generation functions

Function	Explanation
make_mobiusgau	Möbius-like cluster combined with a Gaussian.
make_multigau	Multiple Gaussian clusters in high-dimensional space.
make_curvygau	Curvilinear cluster with a Gaussian cluster.
make_klink_circles	K-link circular clusters (non-linear circular patterns).
make_chain_circles	Chain-like circular clusters connected sequentially.
make_klink_curvycycle	K-link curvy cycle clusters (curvilinear loop structures).
make_chain_curvycycle	Chain-like curvy cycle clusters connected sequentially.
make_gaucircles	Circular clusters with a Gaussian cluster in the middle.
make_gaucurvycycle	Curvy circular clusters with a Gaussian cluster in the middle.
make_onagrid	Single grid in two dimensions.
make_twogrid_overlap	Two overlapping grids.
make_twogrid_shift	Two grids shifted relative to each other.
make_shape_para	Parallel shaped clusters.
make_three_clust	Three clusters with different shapes. (eg:- 01, 02, ..., 20)

Table 4: cardinalR additional functions

Function	Explanation
gen_bkgnoise	Adds background noise.
randomize_rows	Randomizes the rows.
relocate_clusters	Relocates the clusters.
gen_nproduct	Generates a vector of positive integers whose product is approximately equal to a target value.
gen_nsum	Generates a vector of positive integers whose summation is approximately equal to a target value.
gen_rotation	Generates rotations.
normalize_data	Normalizes data.

while higher dimensions are constructed via non-linear combinations, including polynomial and trigonometric transformations, e.g.,

$$X_j = f_j(X_1, X_2, X_3) + \varepsilon_j, \quad j > 3,$$

producing high-dimensional noise that preserves some geometric correlation with the base structure while introducing additional complexity.

Multiple cluster examples

By using the shape generators mentioned above, we can create various examples of multiple clusters. The package includes some of these examples, which are described in Table 3.

Additional functions

The package includes various supplementary tools in addition to the shape generating functions mentioned earlier. These tools allow users to create background noise, randomize the rows of the data, relocate clusters, generate a vector whose product and sum are approximately equal to a target value, rotate structures, and normalize the data. Table 4 details these functions.

3 Application

This section illustrates the use of package by generating a synthetic dataset to evaluate the performance of six popular dimension reduction techniques: Principal Component Analysis (PCA) (Jolliffe, 2011), t-distributed stochastic neighbor embedding (tSNE) (Maaten and Hinton, 2008), uniform manifold approximation and projection (UMAP) (McInnes et al., 2018), potential of heat-diffusion for affinity-based trajectory embedding (PHATE) algorithm (Moon et al., 2019), large-scale dimensionality reduction Using triplets (TriMAP) (Amid and Warmuth, 2019), and pairwise controlled manifold approximation (PaCMAP) (Wang et al., 2021).

The following code generates a dataset of five clusters, positioned with equal inter-cluster distances in 4-D space (Figure 4). Each cluster was chosen to reflect distinct geometric and topological properties, allowing us to test how well DR methods preserve both local and global structures. The *helical spiral* cluster is designed to evaluate methods on elongated, twisting structures that challenge linear embeddings such as PCA and require preservation of curvilinear continuity. The *hemisphere* provides a curved surface with partial coverage of a 3-D manifold, useful for testing neighborhood preservation and unfolding in algorithms like UMAP and tSNE. The *uniform cube* represents isotropic, uniformly distributed data and serves as a control cluster with simple geometric structure to assess baseline embedding fidelity. The *cone* introduces variable density along one axis, mimicking structures where point density changes with geometry, helping evaluate how well algorithms maintain relative distances in non-uniform distributions. Finally, the *Gaussian* cluster is a standard multivariate normal distribution, included to assess algorithm performance on simple, spherical, high-density clusters. Together, these clusters create a challenging synthetic dataset suitable for benchmarking and exploring the strengths and weaknesses of different dimensionality reduction techniques.

```
positions <- geozoo:::simplex(p=4)$points
positions <- positions * 0.8

## To generate data
five_clusts <- gen_multiclus(n = c(2250, 1500, 750, 1250, 1750), k = 5,
                               loc = positions,
                               scale = c(0.4, 0.35, 0.3, 1, 0.3),
                               shape = c("helicalspiral", "hemisphere", "unifcube",
                                        "cone", "gaussian"),
                               rotation = NULL,
                               is_bkg = FALSE)
```

The five clusters have different geometric structures and each contain different number of points. Specifically, the helical spiral cluster includes 2250 points and was generated with a scale parameter of 0.4. The hemisphere cluster consists of 1500 points with a scale parameter of 0.35. The uniform cube-shaped cluster contains 750 points and uses a scale parameter of 0.3. The blunted cone cluster includes 1250 points, generated with a scale parameter of 1. Finally, the Gaussian-shaped cluster contains 1750 points and was generated with a scale parameter of 0.3.

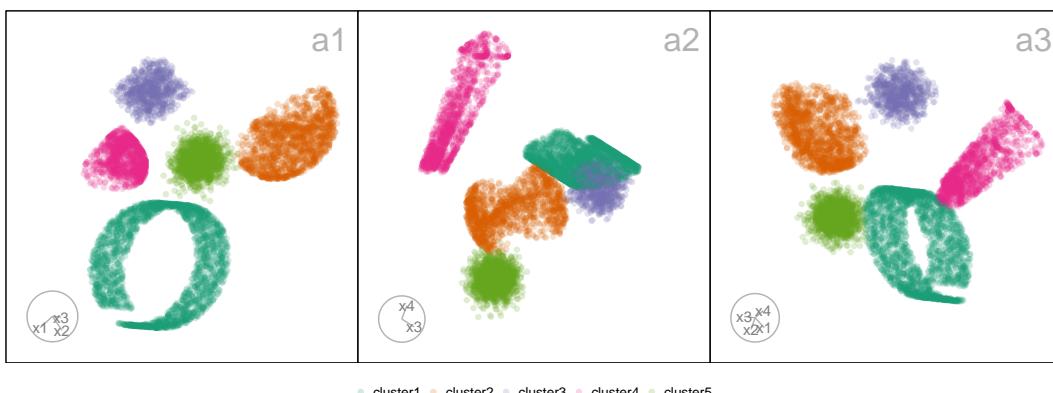


Figure 4: Three 2-D projections from 4-D, for the five clusters data. The helical spiral cluster is represented in dark green, the hemisphere cluster in orange, the uniform cube-shaped cluster in purple, the blunted cone cluster in pink, and the Gaussian-shaped cluster in light green.

UMAP, PHATE, TriMAP, and PaCMAP effectively separate the five clusters and show the preservation of the global structure (Figure 5). However, PHATE reveals three non-linear clusters, even

though two of them do not show non-linearity. UMAP, TriMAP, and PaCMAP successfully maintain the local structures of the data. In contrast, tSNE divides the non-linear cluster into sub-clusters. Also, tSNE fails to preserve the distances between the clusters. PCA, on the other hand, preserves the local structures of the clusters, but some clusters are incorrectly merged that should remain distinct.

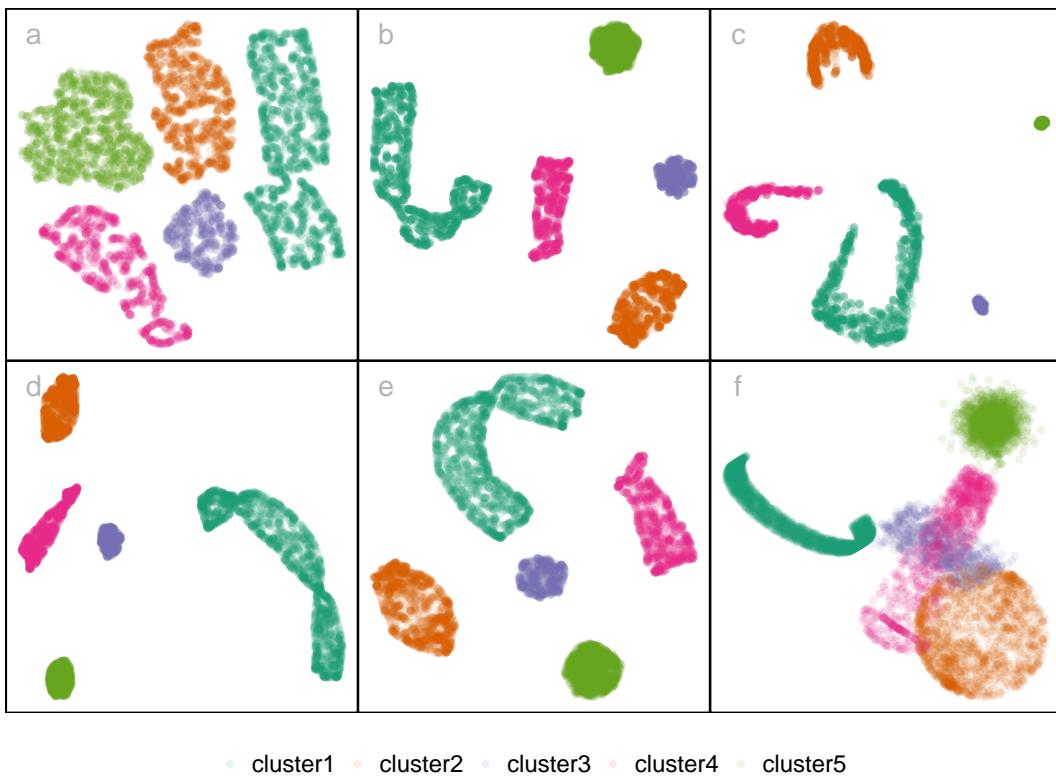


Figure 5: Six different dimension reduction representations of the five clusters data using default hyperparameter settings: (a) tSNE, (b) UMAP, (c) PAHTE, (d) TriMAP, (e) PaCMAP, and (f) PCA.

4 Conclusion

The cardinalR package introduces a flexible framework for generating high-dimensional data structures with well-defined geometric properties. It addresses an important need in the evaluation of clustering, machine learning, and DR methods by enabling the construction of customized datasets with interpretable structures, noise characteristics, and clustering arrangements. In this way, cardinalR complements existing packages such as geozoo, snedata, and mlbench, while extending the scope to higher dimensions and more complex shapes.

The motivation for developing this package originated from the need to design a perception-misperception experiment, aimed at investigating how well NLDR methods preserve inter-cluster structure. To conduct this study, we required simulated datasets with carefully controlled geometric and clustering properties. While some existing packages provided useful starting points, none fully supported the creation of flexible, high-dimensional data with the specific structural variations needed for our experiment. Developing these generators for research purposes gradually led to the design of cardinalR as a general-purpose package, so that other researchers can benefit from the same tools for simulation, benchmarking, and teaching.

The included structures cover a wide range of diagnostic settings. Branching shapes facilitate the study of continuity and topological preservation, the Scurve with a hole allows investigation of incomplete manifolds, and clustered spheres assess separability on curved surfaces. The Möbius strip introduces challenges from non-orientable geometry, while gridded cubes and pyrholes test spatial regularity and clustering in sparse, non-convex regions.

These structures are designed to support not only algorithm diagnostics, but also teaching high-dimensional concepts, benchmarking reproducibility, and evaluating hyperparameter sensitivity. By allowing users to adjust dimensionality, sample size, noise, and clustering properties, the package promotes transparent experimentation and comparative model evaluation.

Future extensions of cardinalR may include biologically inspired or application-driven data

structures would further broaden its utility in domains such as bioinformatics, forensic science, and spatial analysis.

5 Acknowledgements

The source material for this paper is available at github.com/JayaniLakshika/paper-cardinalR.

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