

UCS1602: COMPILER DESIGN

Introduction to
Intermediate code generation



Session Outcomes

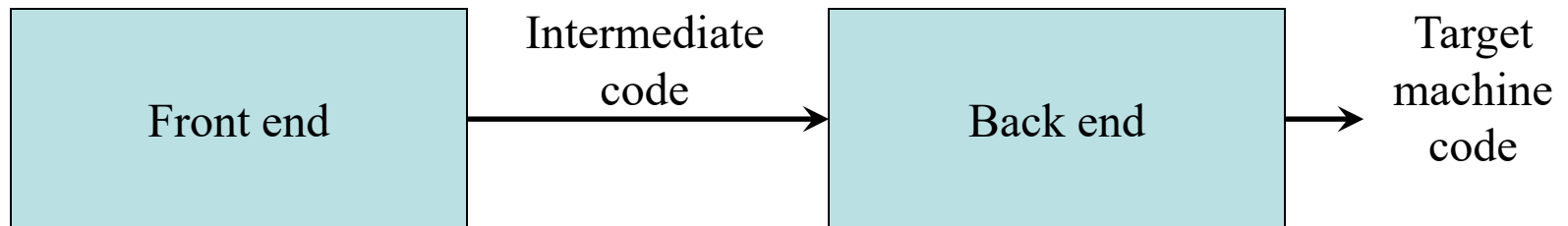
- At the end of this session, participants will be able to
 - Understand the concepts of Intermediate code
 - Study about three address code

Outline

- Intermediate code
- Abstract syntax tree
- Three address code
- Implementation of TAC

Introduction

- *Intermediate codes* are machine independent codes, but they are close to machine instructions.
- Simplifies retargeting of the compiler.
- Allows a variety of optimizations to be implemented in a machine-independent way.



- The given program in a source language is converted to an equivalent program in an intermediate language by the intermediate code generator.

Introduction Cont...

- Intermediate language can be many different languages, and the designer of the compiler decides this intermediate language.
 - syntax trees can be used as an intermediate language.
 - postfix notation can be used as an intermediate language.
 - three-address code can be used as an intermediate language
- we will use quadraples to discuss intermediate code generation
 - quadraples are close to machine instructions, but they are not actual machine instructions.
- Some programming languages have well defined intermediate languages.
 - java – java virtual machine
 - prolog – warren abstract machine

Syntax-Directed Translation of Abstract Syntax Trees

Production	Semantic Rule
$S \rightarrow \mathbf{id} := E$	$S.nptr := mknnode(':=', mkleaf(\mathbf{id}, \mathbf{id}.entry), E.nptr)$
$E \rightarrow E_1 + E_2$	$E.nptr := mknnode('+', E_1.nptr, E_2.nptr)$
$E \rightarrow E_1 * E_2$	$E.nptr := mknnode('*', E_1.nptr, E_2.nptr)$
$E \rightarrow - E_1$	$E.nptr := mknnode('uminus', E_1.nptr)$
$E \rightarrow (E_1)$	$E.nptr := E_1.nptr$
$E \rightarrow \mathbf{id}$	$E.nptr := mkleaf(\mathbf{id}, \mathbf{id}.entry)$

Postfix Notation

a := b * -c + b * -c

a b c uminus * b c uminus * + assign

Postfix notation represents
operations on a stack

Pro: easy to generate

Cons: stack operations are more difficult to optimize

Three-Address Code

$a := b * -c + b * -c$

$t1 := -c$

$t2 := b * t1$

$t3 := -c$

$t4 := b * t3$

$t5 := t2 + t4$

$a := t5$

Three-Address Statements

Binary Operator: **result := y op z**

where op is a binary arithmetic or logical operator. This binary operator is applied to y and z, and the result of the operation is stored in result.

Unary Operator: **result := op y**

where op is a unary arithmetic or logical operator. This unary operator is applied to y, and the result of the operation is stored in result.

Three-Address Statements (cont.)

Move Operator: **result := y**

where the content of y is copied into result.

Unconditional Jumps: **goto L**

We will jump to the three-address code with the label L, and the execution continues from that statement.

Three-Address Statements (cont.)

Conditional Jumps: *if y **relop** z goto L*

We will jump to the three-address code with the label L if the result of $y \text{ relop } z$ is true, and the execution continues from that statement. If the result is false, the execution continues from the statement following this conditional jump statement.

Our relational operator can also be a unary operator.

Three-Address Statements (cont.)

Procedure Parameters: param x

Procedure Calls: call p,n

where x is an actual parameter, we invoke the procedure p with n parameters.

Ex:

param x_1

param x_2

→ $p(x_1, \dots, x_n)$

param x_n

call p,n

Three-Address Statements (cont.)

Indexed Assignments:

$x := y[i]$

$y[i] := x$

Address and Pointer Assignments:

$x := \&y$

$x := *y$

Implementation of Three-Address Statements

1. Quadruples
2. Triples
3. Indirect triples

Quadruples: A quadruples is a record structure with four fields: OP, arg1, arg2 and result.

OP field contains an internal code for the operator

Implementation of Three-Address Statements: Quadruple

#	Op	Arg1	Arg2	Res
(0)	uminus	c		t1
(1)	*	b	t1	t2
(2)	uminus	c		t3
(3)	*	b	t3	t4
(4)	+	t2	t4	t5
(5)	:=	t5		a

Quads (quadruples)

Pro: easy to rearrange code for global optimization
Cons: lots of temporaries

Implementation of Three-Address Statements: Triples

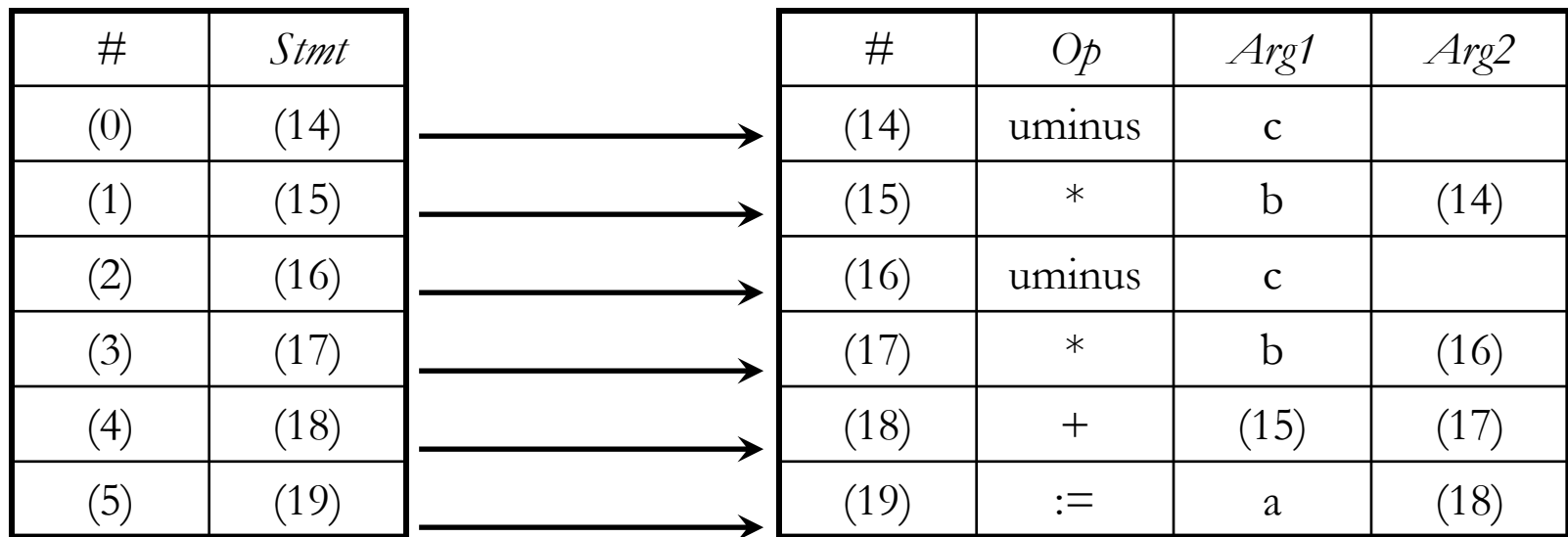
#	<i>Op</i>	<i>Arg1</i>	<i>Arg2</i>
(0)	uminus	c	
(1)	*	b	(0)
(2)	uminus	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	:=	a	(4)

Triples

Pro: temporaries are implicit

Cons: difficult to rearrange code

Implementation of Three-Address Stmts: Indirect Triples



Program

Triple container

Pro: temporaries are implicit & easier to rearrange code

Summary

- Intermediate code
- Abstract syntax tree
- Three address code
- Implementation of TAC

Check your understanding?

1. Translate the expression $-(a+b)*(c+d)+(a+b+c)$ into Quadruples, triple and indirect triple