SSN COLLEGE OF ENGINEERING, KALAVAKKAM (An Autonomous Institution, Affiliated to Anna University, Chennai)

DEPARTMENT OF COMPUTER SCIENCE AND ENGINEERING

LAB EXERCISE 8

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1. To Implement Warshall's Algorithm Transitive Closure using DP

Code:

```
#include <bits/stdc++.h>
#include <stdlib.h>
using namespace std;
typedef struct Graph *graph;
typedef struct Graph
    int nv;
    int **am;
graph creategraph(int v)
    g->am = (int **)malloc(v * sizeof(int *));
    for (int i = 0; i < v; i++)
        g->am[i] = (int *)malloc(v * sizeof(int));
    for (int i = 0; i < v; i++)</pre>
        for (int j = 0; j < v; j++)
            g\rightarrow am[i][j] = 0;
graph fillmatrix(graph g, int i, int j)
```

```
g->am[i][j] = 1;
graph getgraph(graph g)
    char v1, v2;
    int width;
        int vv1 = v1 - 'A';
        int vv2 = v2 - 'A';
        g = fillmatrix(g, vv1, vv2);
        printf("\nEdge ::\n Vertice 1 :: ");
    return g;
void warshalls(graph g)
    int D[g->nv][g->nv];
    for (int i = 0; i < g->nv; i++)
        for (int j = 0; j < g > nv; j++)
            D[i][j] = g->am[i][j];
    for (int k = 0; k < g > nv; k++)
        for (int i = 0; i < g->nv; i++)
            for (int j = 0; j < g > nv; j++)
                if (D[i][j] == 1 || (D[i][k] && D[k][j]))
                    D[i][j] = 1;
    for (int i = 0; i < g->nv; i++)
```

```
for (int j = 0; j < g->nv; j++)
            if (D[i][j] == 1)
                cout << char(j + 'A') << ", ";
        cout << "--- is reachable from " << char(i + 'A') << endl;</pre>
    for (int i = 0; i < g->nv; i++)
        for (int j = 0; j < g > nv; j++)
            cout << D[i][j] << " ";
int main()
    int n, src;
    char ch;
    g = getgraph(g);
    warshalls(g);
```

Output:

```
Edge ::
 Vertice 1 :: A
 Vertice 2 :: D
Edge ::
 Vertice 1 :: D
 Vertice 2 :: A
Edge ::
Vertice 1 :: D
Vertice 2 :: C
Edge ::
 Vertice 1 :: 0
 Vertice 2 :: 0
Warshal;s transitive closure ::
A, B, C, D, --- is reachable from A
A, B, C, D, --- is reachable from B
--- is reachable from C
A, B, C, D, --- is reachable from D
```

2. To Implement Floyd's Algorithm for all pair shortest path using \overline{DP} Code:

```
#include <bits/stdc++.h>
#include <stdio.h>
#include <stdib.h>
#include <string.h>
#define INF 9999;
using namespace std;
typedef struct Graph *graph;
typedef struct Graph
{
    int nv;
    int **am;
} Graph;
graph creategraph(int v)
{
    graph g = (graph)malloc(sizeof(Graph));
    g->nv = v;
    g->am = (int **)malloc(v * sizeof(int *));

    for (int i = 0; i < v; i++)
    {
        g ->am[i] = (int *)malloc(v * sizeof(int));
    }
    for (int i = 0; i < v; i++)
    {
</pre>
```

```
for (int j = 0; j < v; j++)
                g\rightarrow am[i][j] = 0;
                g->am[i][j] = INF;
graph fillmatrix(graph g, int i, int j, int w)
        g->am[i][j] = w;
graph getgraph(graph g)
    char v1, v2;
    int width;
    printf(" Weight of edge :: ");
    while (v1 != '0' && v2 != '0')
        int vv1 = v1 - 'A';
        int vv2 = v2 - 'A';
        g = fillmatrix(g, vv1, vv2, width);
        printf("\nEdge ::\n Vertice 1 :: ");
        printf(" Weight of edge :: ");
void floyd(graph g)
    int D[g->nv][g->nv];
    for (int i = 0; i < g->nv; i++)
        for (int j = 0; j < g->nv; j++)
```

```
D[i][j] = g->am[i][j];
    for (int k = 0; k < g > nv; k++)
        for (int i = 0; i < g->nv; i++)
            for (int j = 0; j < g > nv; j++)
                D[i][j] = min(D[i][j], D[i][k] + D[k][j]);
    for (int i = 0; i < g->nv; i++)
        for (int j = 0; j < g->nv; j++)
            cout << char(i + 'A') << " --> " << char(j + 'A') << " ";</pre>
            cout << D[i][j];</pre>
        cout << "\n ";</pre>
int main()
    int n, src;
    char ch;
    g = (graph)malloc(sizeof(Graph));
    g = getgraph(g);
    floyd(g);
```

Output:

```
Vertice 1 :: A
Vertice 2 :: B
Weight of edge :: 3
Edge ::
Vertice 1 :: B
Vertice 2 :: A
Weight of edge :: 2
Edge ::
Vertice 1 :: B
Vertice 2 :: D
Weight of edge :: 4
Edge ::
Vertice 1 :: A
Vertice 2 :: D
Weight of edge :: 5
Edge ::
Vertice 1 :: D
Vertice 2 :: C
Weight of edge :: 2
Edge ::
Vertice 1 :: C
Vertice 2 :: B
C --> A 3
C --> B 1
C --> D 5
D --> A 5
```