

Chandy-Misra-Haas Algorithm for the AND Model

- Chandy-Misra-Haas's distributed deadlock detection algorithm for AND model is based on edge-chasing.
- The algorithm uses a special message called *probe*, which is a triplet (i, j, k) , denoting that it belongs to a deadlock detection initiated for process P_i and it is being sent by the home site of process P_j to the home site of process P_k .
- A probe message travels along the edges of the global WFG graph, and a deadlock is detected when a probe message returns to the process that initiated it.

- A process P_j is said to be *dependent* on another process P_k if there exists a sequence of processes $P_j, P_{i1}, P_{i2}, \dots, P_{im}, P_k$ such that each process except P_k in the sequence is blocked and each process, except the P_j , holds a resource for which the previous process in the sequence is waiting.
- Process P_j is said to be *locally dependent* upon process P_k if P_j is dependent upon P_k and both the processes are on the same site.

Data Structures

- Each process P_i maintains a boolean array, $dependent_i$, where $dependent_i(j)$ is true only if P_i knows that P_j is dependent on it.
- Initially, $dependent_i(j)$ is false for all i and j .

The following algorithm determines if a blocked process is deadlocked:

- if P_i is locally dependent on itself then declare a deadlock else for all P_j and P_k such that
 - 1 P_i is locally dependent upon P_j , and
 - 2 P_j is waiting on P_k , and
 - 3 P_j and P_k are on different sites, send a probe (i, j, k) to the home site of P_k
- On the receipt of a probe (i, j, k), the site takes the following actions: if
 - 1 P_k is blocked, and
 - 2 $dependent_k(i)$ is false, and
 - 3 P_k has not replied to all requests P_j ,

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then
  begin
     $dependent_k(i) = \text{true};$ 
    if  $k=i$ 
      then declare that  $P_i$  is deadlocked
    else for all  $P_m$  and  $P_n$  such that
      (a')  $P_k$  is locally dependent upon  $P_m$ ,
      and
      (b')  $P_m$  is waiting on  $P_n$ , and
      (c')  $P_m$  and  $P_n$  are on different sites,
      send a probe (i, m, n) to the home site
      of  $P_n$ 
    end.

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- A probe message is continuously circulated along the edges of the global WFG graph and a deadlock is detected when a probe message returns to its initiating process.

Performance Analysis

- One probe message (per deadlock detection initiation) is sent on every edge of the WFG which that two sites.
- Thus, the algorithm exchanges at most $m(n - 1)/2$ messages to detect a deadlock that involves m processes and that spans over n sites.
- The size of messages is fixed and is very small (only 3 integer words).
- Delay in detecting a deadlock is $O(n)$.