

DSTL LAB ASSIGNMENT- 4

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1. WAP TO FIND CATERSIAN PRODUCT OF TWO SETS

CODE:

```
#include <stdio.h>
```

```
int main()
```

```
{   int n,m;
```

```
scanf("%d",&n);
```

```
    int a[n];   for(int
```

```
i=0;i<n;i++)
```

```
{
```

```
    scanf("%d",&a[i]);
```

```
}
```

```
    scanf("%d",&m);
```

```
int b[m];   for(int
```

```
i=0;i<m;i++)
```

```
{
```

```
    scanf("%d",&b[i]);
```

```

}

for(int i=0;i<n;i++)

{

    for(int j=0;j<m;j++)

    {

        if(i==n-1 && j==m-1)

printf("(%d,%d)",a[i],b[j]);

        else

        printf("(%d,%d)

, ",a[i],b[j]);

    }

}

return 0;

}

```

OUTPUT:

```

3
1 2 3
3
4 5 6
(1,4) , (1,5) , (1,6) , (2,4) , (2,5) , (2,6) , (3,4) , (3,5) , (3,6)

```

2. UNDERSTANDING WORKING ON COMPUTATIONAL SOFTWARE

Maple provides an interactive problem-solving environment, complete with procedures for performing symbolic, numeric, and graphical computations.

At the core of the Maple computer algebra system is a powerful programming language, on which the Maple libraries of mathematical commands are built.

There are many types of valid statements.

Examples include statements that request help on a particular topic, display a text string, perform an arithmetic operation, use a Maple library command, or define a procedure. Statements in 1-D notation require a trailing semicolon (;) or colon (:).

If you enter a statement with a trailing semicolon, for most statements, the result is displayed.

If you enter a statement with a trailing colon, the result is computed but not displayed.

`> 2 + 3; 5 (1) > 2 + 3:`

SOME FEATURES OF MAPPLE:

- Displaying a Text String
- Performing an Arithmetic Operation
 - Assigning to a Name
- Using Maple Library Commands
- Solve problems from virtually any branch of mathematics
 - Solve math problems easily and accurately.

3. EXPERIMENT: CLOSED FORMULA FOR RECURRENCE RELATION EQUATION

PROGRAM 1

FOR FIRST ORDER RECURRENCE RELATION:

$$\{f(1) = 1, f(n) = f(n-1) + 2 \cdot n + 1\};$$

$$\begin{aligned} & \{f(1) = 1, f(n) = f(n-1) + 2 \cdot n + 1\} \\ & \text{rsolve}(\%, f(k)); \\ & -4 - k + (2 \cdot (k+1)) \cdot ((1/2) \cdot k + 1) \end{aligned}$$

PROGRAM 2

FOR SECOND ORDER RECURRENCE RELATION:

$$\{f(1) = 3, f(2) = 27, f(n) = 6 \cdot f(n-1) - 9 \cdot f(n-2)\};$$

$$\begin{aligned} & \{f(1) = 3, f(2) = 27, f(n) = 6 \cdot f(n-1) - 9 \cdot f(n-2)\} \\ & \text{rsolve}(\%, f(k)); \\ & -3 \cdot 3^k + (2 \cdot k + 2) \cdot 3^k \end{aligned}$$