

## 2. (text) Common Substring [15 points]

// Problem 2: Common Substring (text)

public static String commonString(String text1, String text2) {

StringBuilder sb = new StringBuilder(); // a string is immutable, StringBuilder allow you to add.  
int maxLength = 0;

// System.out.println(sb); // make sure that cs is empty  
// boolean[] isLength = new boolean[text2.length()];

// reusing loops from problem 1

for (int i = 0; i < text1.length(); i++) { // O(n)

for (int j = 0; j < text2.length(); j++) { // O(n)

int length = 0;

while (i + length < text1.length() && j + length < text2.length() && text1.charAt(i + length) == text2.charAt(j + length)) {  
length++;

} if (length > maxLength) {

maxLength = length;

sb = new StringBuilder(text1.substring(i, i + length));

};

// isLength[i] = true;

// break; not need bc of while loop;

}

return sb.toString();

}

modify string

• reused code from Problem one

• add while loop with logic that check how far the two strings match starting at positions

• want the longest common Substring

text1 indicies

[while loop logics: i + length < text1.length() & j + length < text2.length() & text1.charAt(i + length) == text2.charAt(j + length)]

• Similar to problem 1: js need to add code to meet extra conditions

## 6. Algorithm Analysis [20 points]

Problem 1: Worst-case Big-O:  $O(n \cdot m)$ , where  $n = \text{text1.length()}$ ,  $m = \text{text2.length()}$ , nested loop but they don't rely on each other.

Best-case: Big-O:  $O(1)$ , when both text1 & text2 match in every character so text1 = "abc" & text2 = "abc".

3 operations  
↳ O(1)  
constants

outer loop:  $O(n)$

inner loop:  $O(m)$

Know this  
from Problem 1.

Problem 2: worst case:  $O(n \cdot m)$  • min amount while loop checks (i & j)

- 3 nested loop but ~~NOT~~  $n^3$  bc it what we know from 1

Best case:  $O(n \cdot m)$ , there are not common letter so while loop breaks early but we still need to check all pairs. i & j (text1 & text2)

Problem 3: I used 2 methods. notFib() worst case  $O(2^n)$  → we have 2 guaranteed recursive calls notFib(n-1) & notFib(n-2)  
the recursive tree is built each call. each level the number of call doubles.  $O(2^n)$  n is the input size, # of sequence you want.

Base Case:  $O(2^n)$ , no matter what the input is it still has to go through return notFib(n-1) + notFib(n-2) = recursive

method: notFibonacci() same as notFib() bc it just calling the recursive method to save to long[] resultArr

↳  $O(2^n) == O(2^n)$  so we can say  $O(2^n)$  Big Theta

Problem 4: does a recursive call to notFib(i) → has time complexity of  $O(2^n)$ , while goes until notFib(i) is > or = -n.

$T(n) = O(2^n) + O(2^n) + O(2^n) + \dots + O(2^0)$  just a  $\Sigma$  (geom-series) while loop  $O(n)$ . Best Case is  $O(1)$  when input = 0

loop only goes once. Worst Case is  $O(n)$  loop goes until notFib(i) > or = n.

Problem 5: just has 1 for loop where it runs the length of the array given. Best Case:  $O(n)$ , none of elements == target, one pass through array.

Worst Case:  $O(n)$  where n = elements in the array. whole array is gone through

(not elements copied)

↳  $O(n) == O(n)$  so we can say  $O(n)$  Big Theta

Problem: Extra Credit (text) # of the notFib sequence you want.

code:

long[] extra = notFibonacci(1000)

System.out.println("Extra Credit: ") + Arrays.toString(extra);

code needed for this

~~BUT will not work!~~

each time the notFib is called it creates a recursive tree, as seen in class, creates over & over again but this case 1000 times that's why it would run forever if uncommented. ↳ the tree depths get bigger/deeper each time. Output also grow exponentially  
In CompOrg we learned about integer overflow, this occurs when int is larger than the max value variable type can hold.

• java int (-2147483648 to 2147483647)

• java long (-9223372036854775808 to 9223372036854775807)

• additional comment about time complexity also left in code file!!