

Q1.

A CFG is nothing but is unambiguous. If every string has at most one valid derivation according to the CFG otherwise the grammar is ambiguous. If you have a CFG and can produce two different derivation trees for some string have an ambiguous grammar. A CFL is inherently ambiguous if and only if it is not the language of any unambiguous CFG. For **Ambiguous grammar**, they are defined as being able to have multiple parse trees, which means that it will have at least one string. In order to define ambiguity, it is basically a CFG for which there exists a string that can have more than one **left most** derivation whereas on the other hand unambiguous grammar is a CGG for every valid string has a unique left more derivation. Which will then result into some left most reduction for some grammar example;

$S \rightarrow T - |$

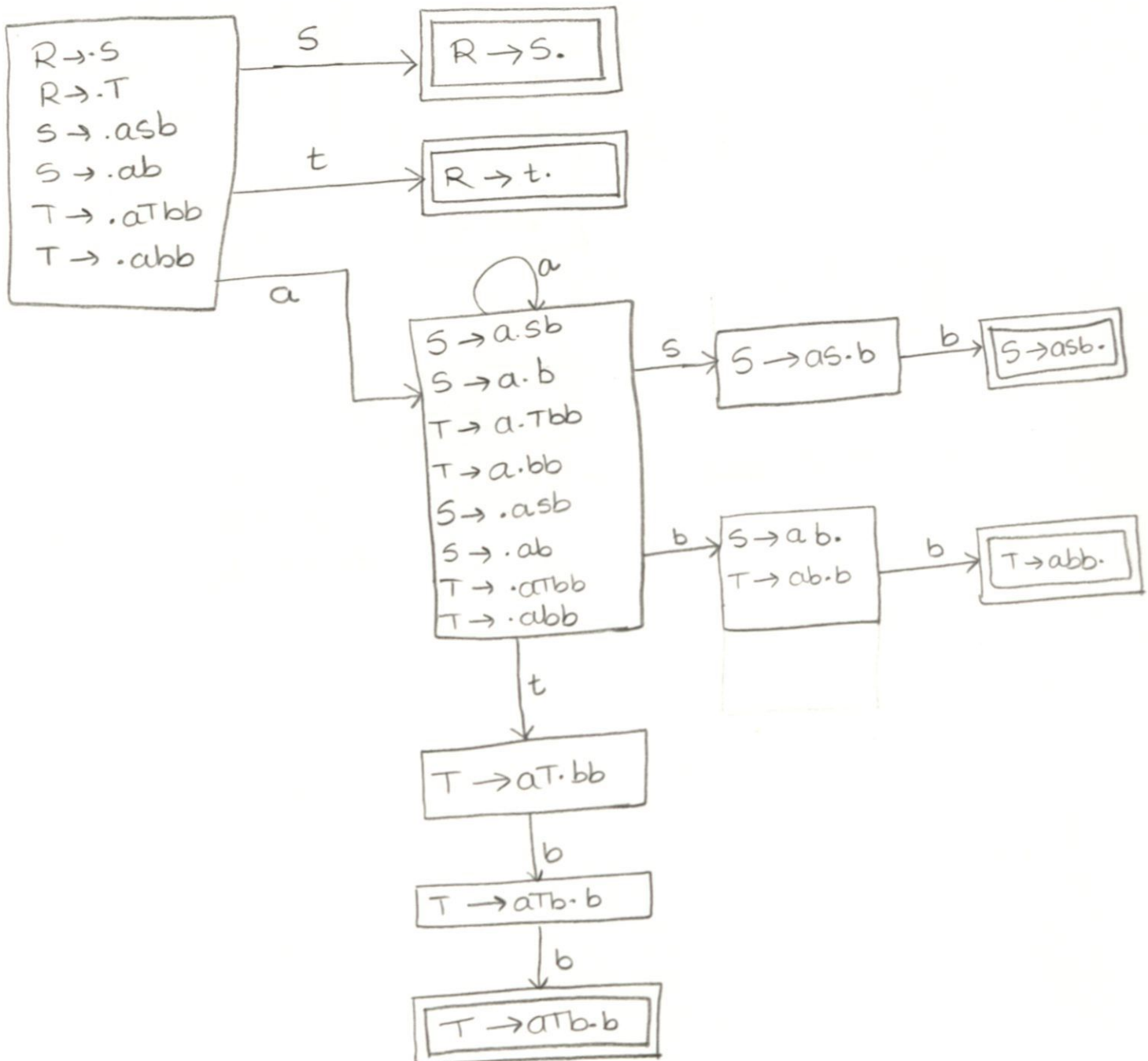
$T \rightarrow T (T) | \epsilon$

Which will then result it **diverging into two different rules**, which results in that the grammar has at least **one string** where there are more than one handles. As we know that **right most derivation is equivalence to the left most reductant**.

Which will then result in grammar as not deterministic if the grammar is ambiguous since the string cannot have multiple derivations.

Q2]
a

$R \rightarrow s|T$
 $S \rightarrow aSb|ab$
 $T \rightarrow aTbb|abb$

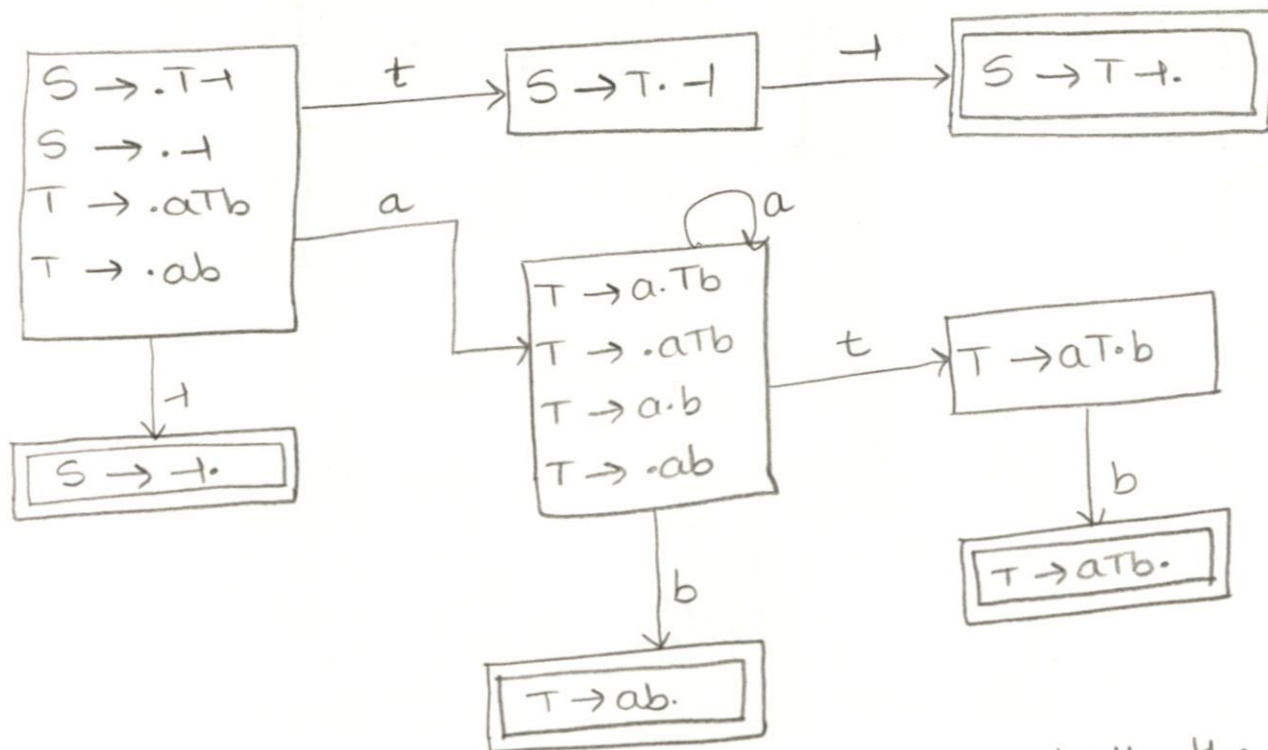


Non deterministic, because \square fails the second rule of DK test
 also in other word "dot" before
 the terminal

Q2]

b]

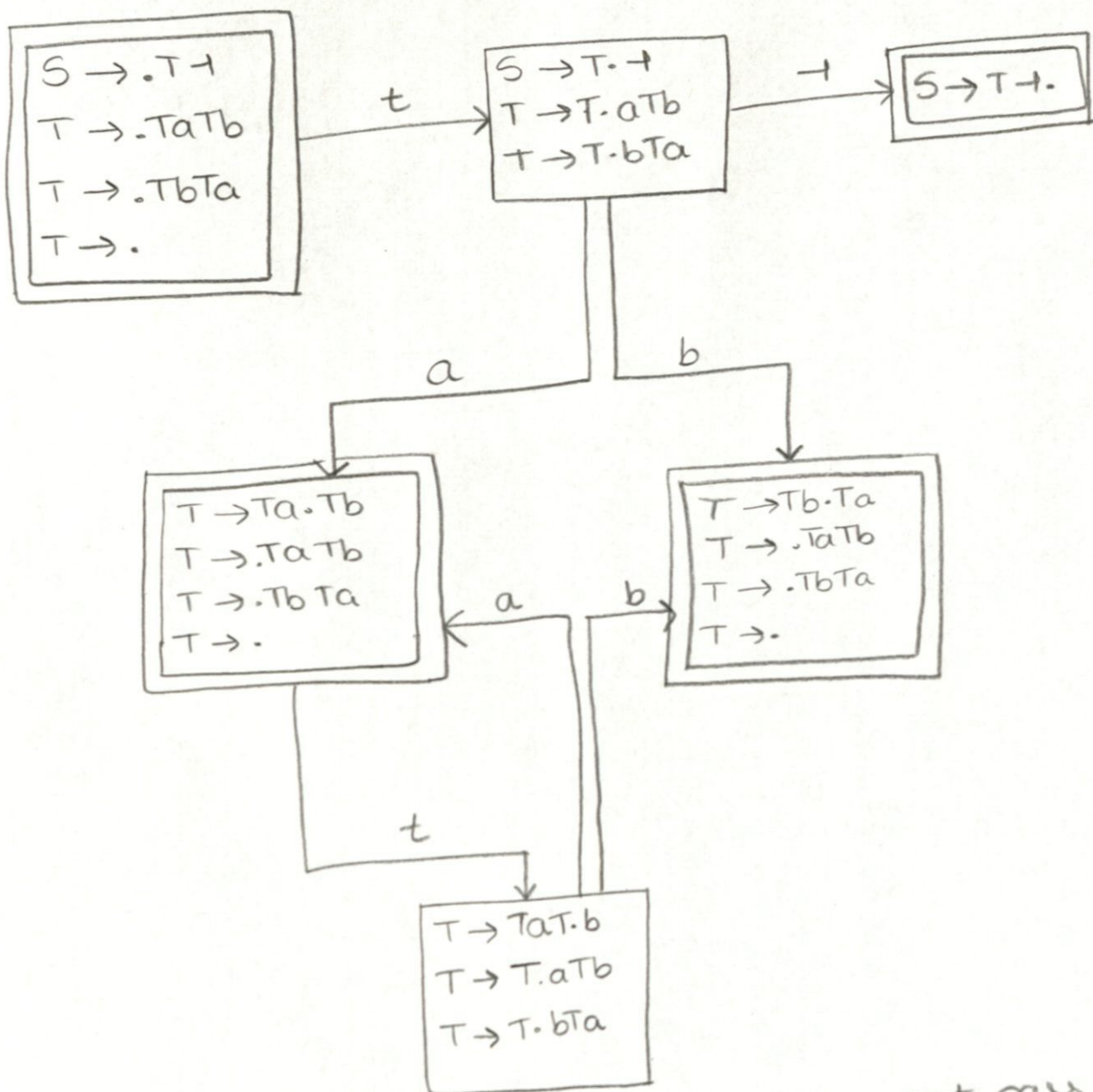
$$S \rightarrow T + | +$$

$$T \rightarrow aTb | ab$$


It is deterministic since it passes both the rules of LR-test

Q2]

c) $S \rightarrow T \mid$
 $T \rightarrow TaTb \mid TbTa \mid \epsilon$



Non deterministic because it does not pass the
 DK test because there's a dot before the terminal