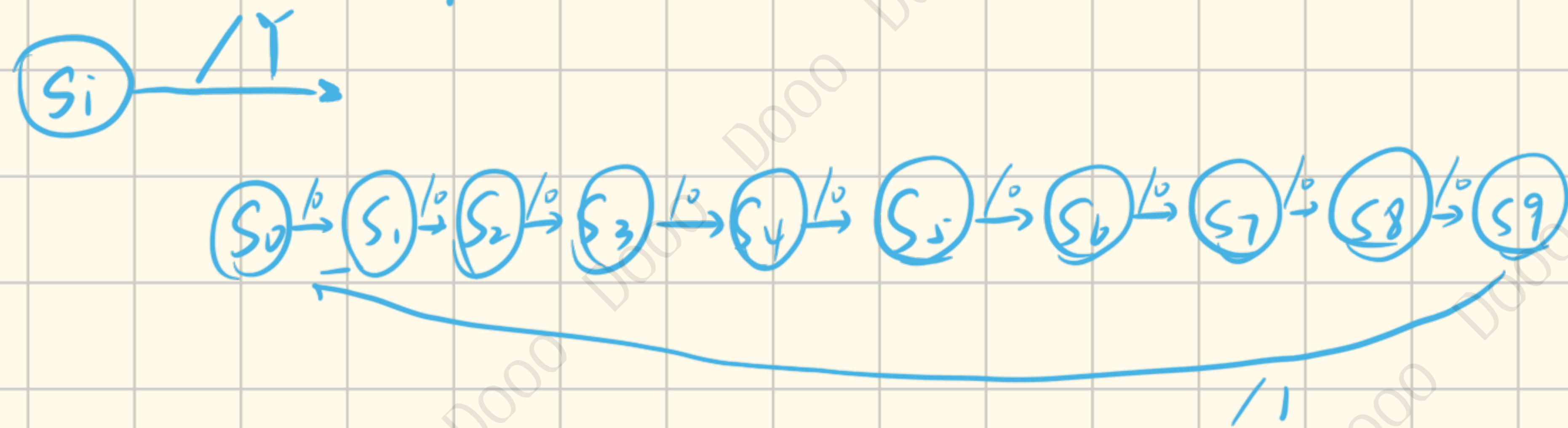


解: 旧题 有10个状态, 记为  $S_i$ , 不妨令输出为1.   
 有效

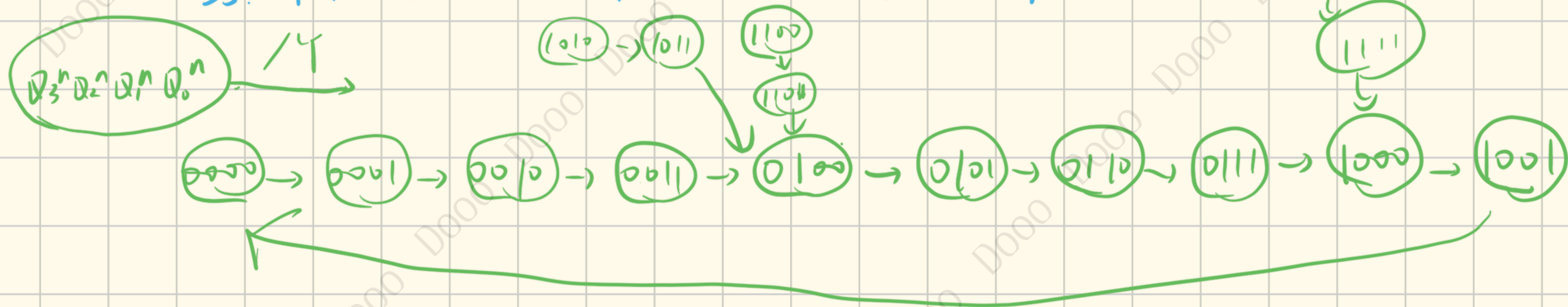
JK 10进制计数器

得初始状态转移图如下所示



易知, 用4个触发器即可实现该电路.

不妨令  $S_0 = 0000$   $S_1 = 0001$   $S_2 = 0010$   $S_3 = 0011$   $S_4 = 0100$   
 $S_5 = 0101$   $S_6 = 0110$   $S_7 = 0111$   $S_8 = 1000$   $S_9 = 1001$

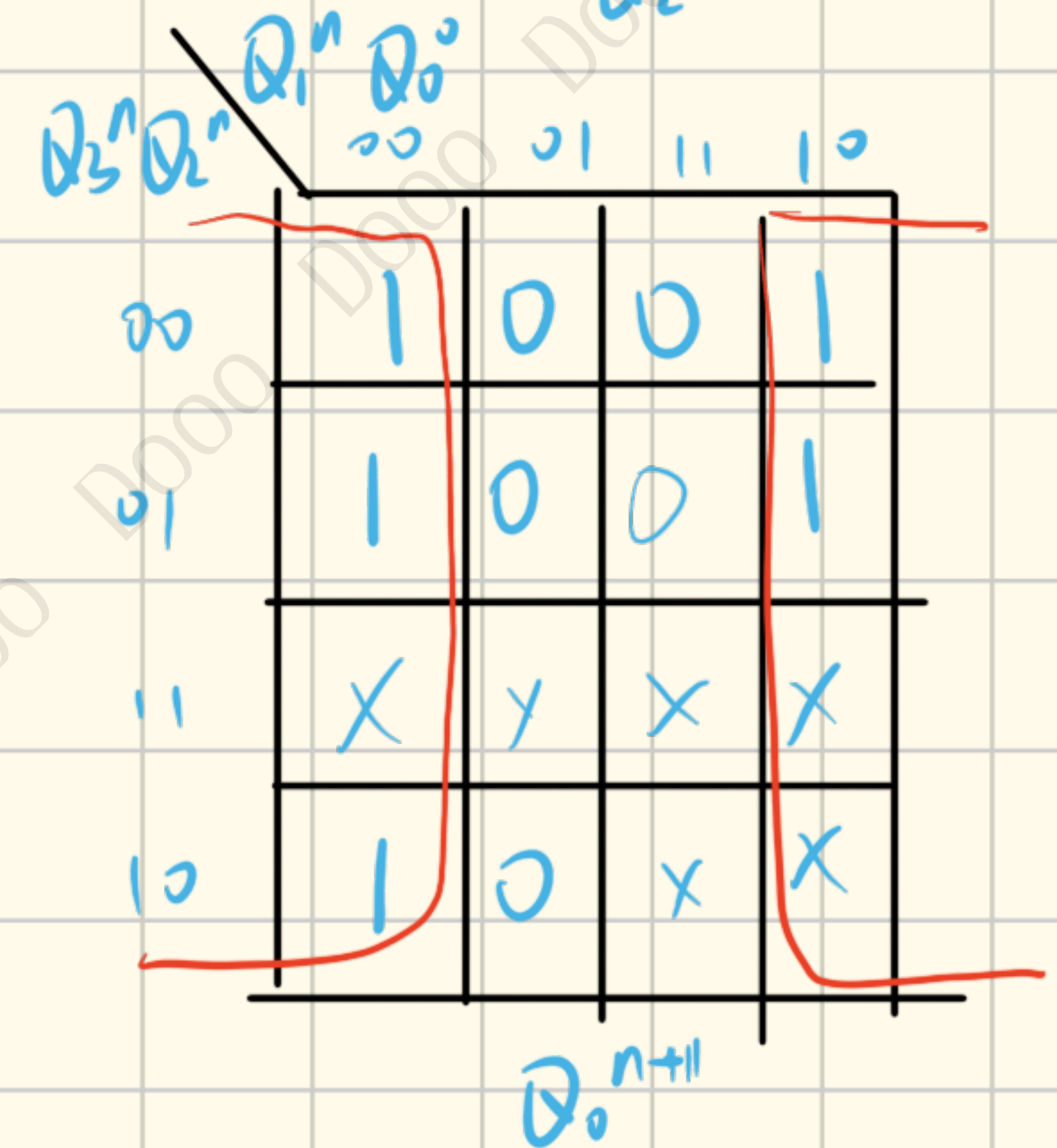
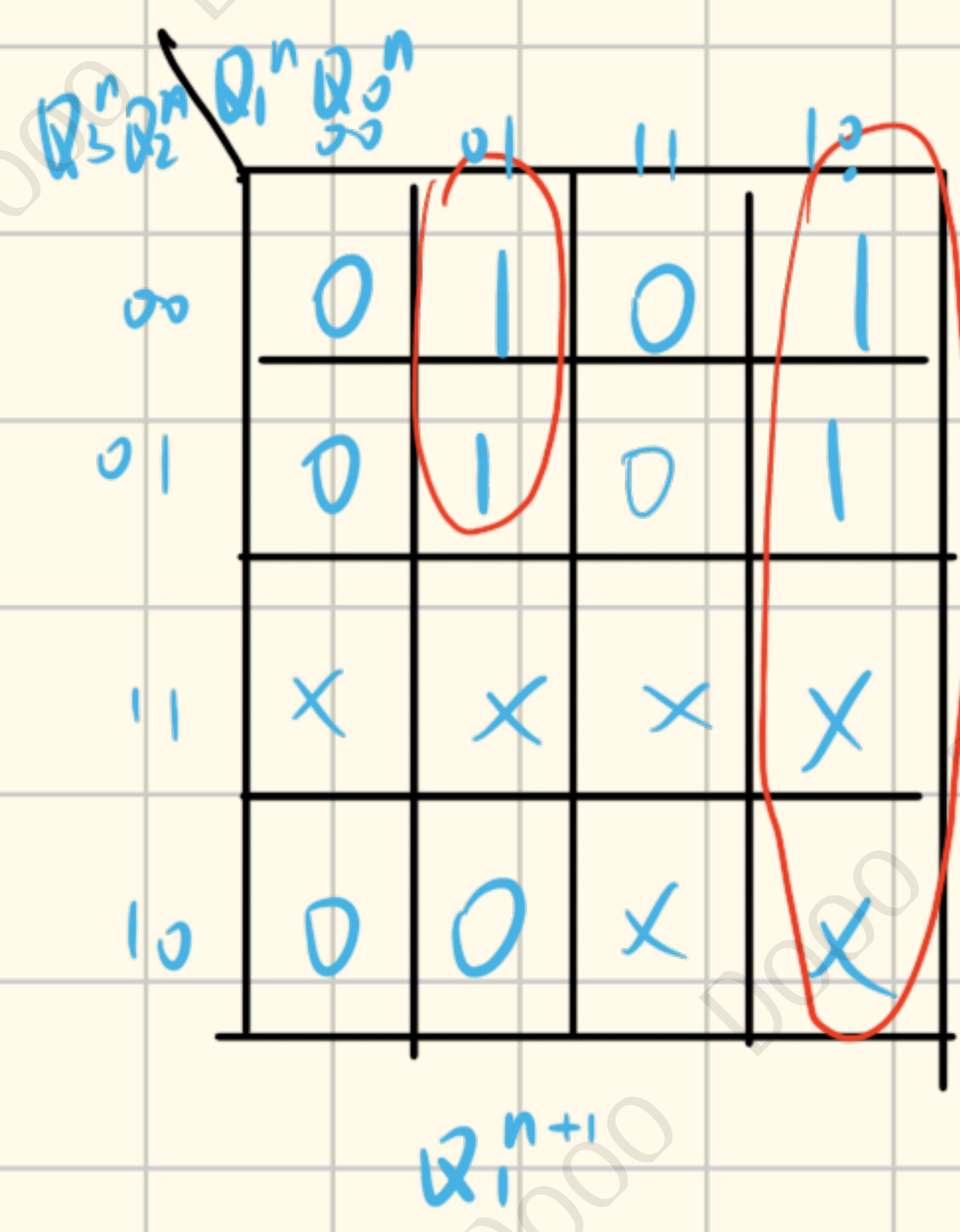
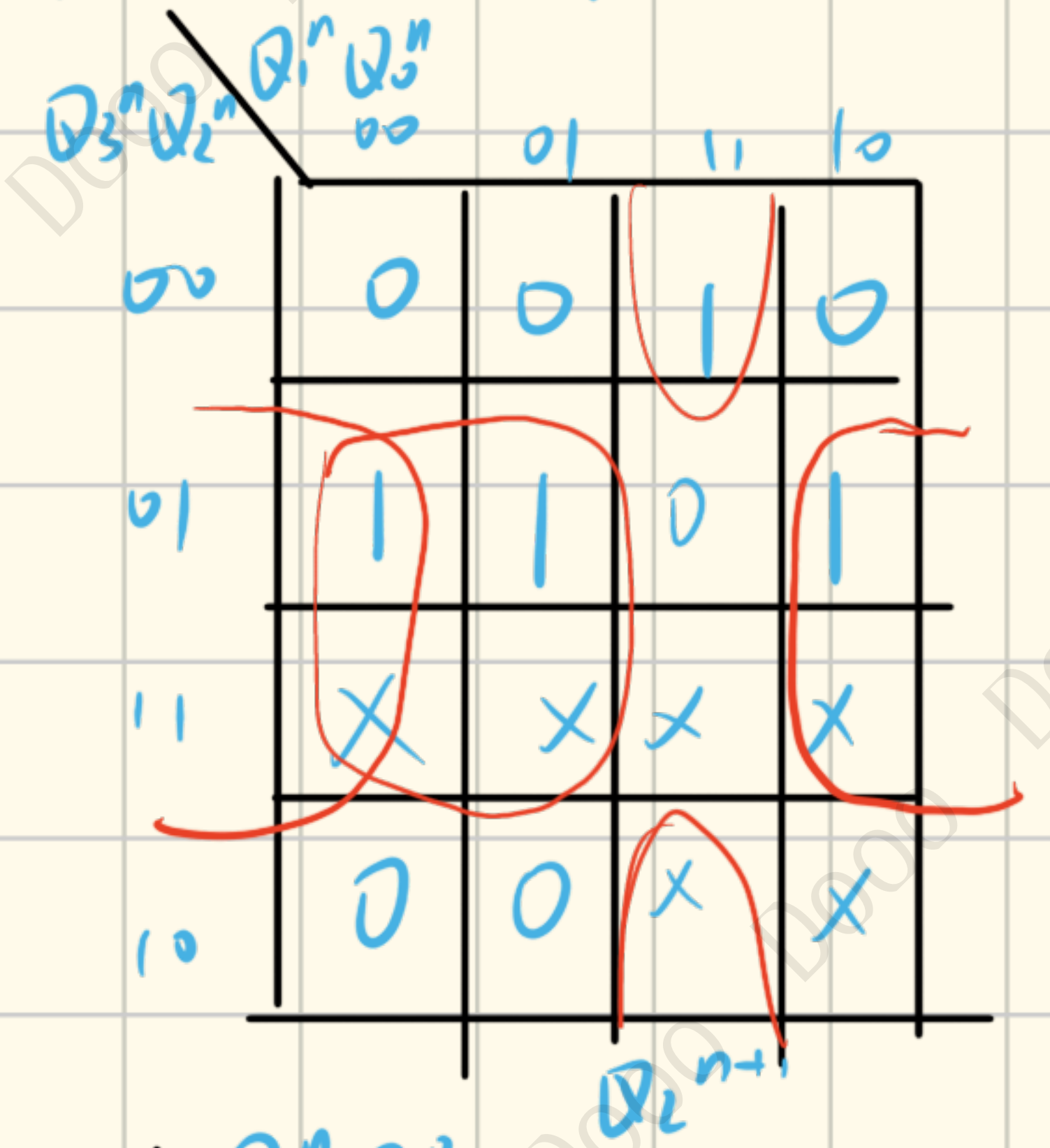
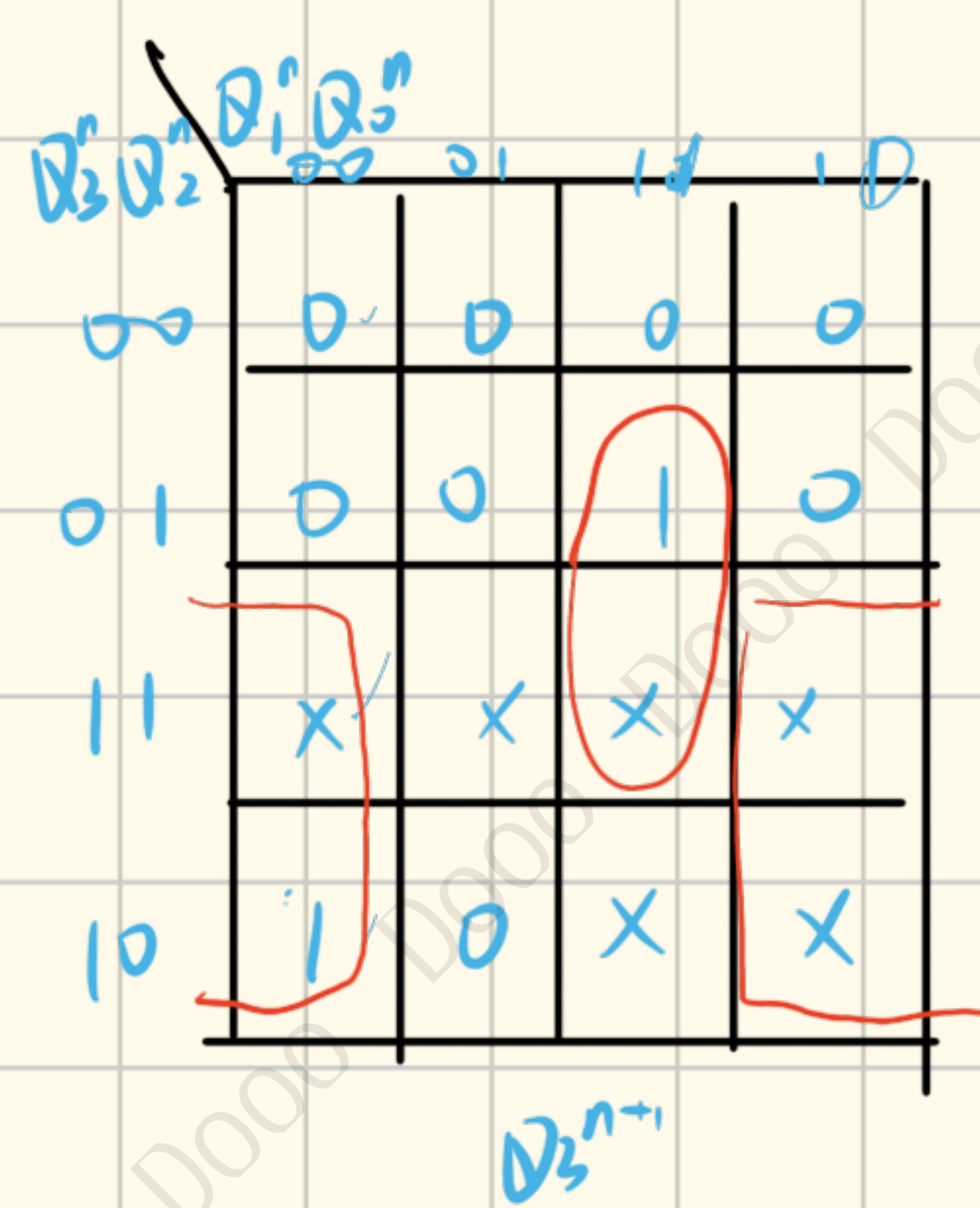




得状态转移表如下所示.

$Q_3^n Q_2^n Q_1^n Q_0^n$	$Q_3^{n+1} Q_2^{n+1} Q_1^{n+1} Q_0^{n+1}$	$Y$
0 0 0 0	0 0 0 1	0
0 0 0 1	0 0 1 0	0
0 0 1 0	0 0 1 1	0
0 0 1 1	0 1 0 0	0
0 1 0 0	0 1 0 1	0
0 1 0 1	0 1 1 0	0
0 1 1 0	0 1 1 1	0
0 1 1 1	1 0 0 0	0
1 0 0 0	1 0 0 1	0
1 0 0 1	0 0 0 0	1
1 0 1 0	x x x x	x
1 0 1 1	x x x x	x
1 1 0 0	x x x x	x
1 1 0 1	x x x x	x
1 1 1 0	x x x x	x
1 1 1 1	x x x x	x

得次态卡诺图与输出卡诺图共5个.



$$A + \bar{A}B = A(\bar{B} + B) + \bar{A}B = A\bar{B} + AB + \bar{A}B = A\bar{B} + B$$

$$= A + B$$



由卡诺图得表达式.

$$JK \quad Q^{n+1} = J\bar{Q}^n + \bar{K}Q^n$$

$$Q_3^{n+1} = Q_3^n \bar{Q}_0^n + Q_2^n Q_1^n Q_0^n = (\bar{Q}_0^n + Q_2^n Q_1^n) Q_3^n + Q_2^n Q_1^n Q_0^n \bar{Q}_3^n$$

$$Q_2^{n+1} = Q_2^n \bar{Q}_1^n + Q_2^n \bar{Q}_0^n + \bar{Q}_2^n Q_1^n Q_0^n = (\bar{Q}_1^n + \bar{Q}_0^n) Q_2^n + Q_1^n Q_0^n \bar{Q}_2^n$$

$$Q_1^{n+1} = Q_1^n \bar{Q}_0^n + \bar{Q}_3^n \bar{Q}_1^n Q_0^n = Q_1^n \bar{Q}_0^n + \bar{Q}_3^n Q_0^n \bar{Q}_1^n$$

$$Q_0^{n+1} = \bar{Q}_0^n$$

$$Y = Q_3^n Q_0^n$$

$$\text{易知 } J_3 = Q_2^n Q_1^n Q_0^n \quad K_3 = \bar{Q}_0^n + Q_2^n Q_1^n$$

$$J_2 = Q_1^n Q_0^n$$

$$K_2 = Q_1^n Q_0^n$$

$$J_1 = Q_1^n$$

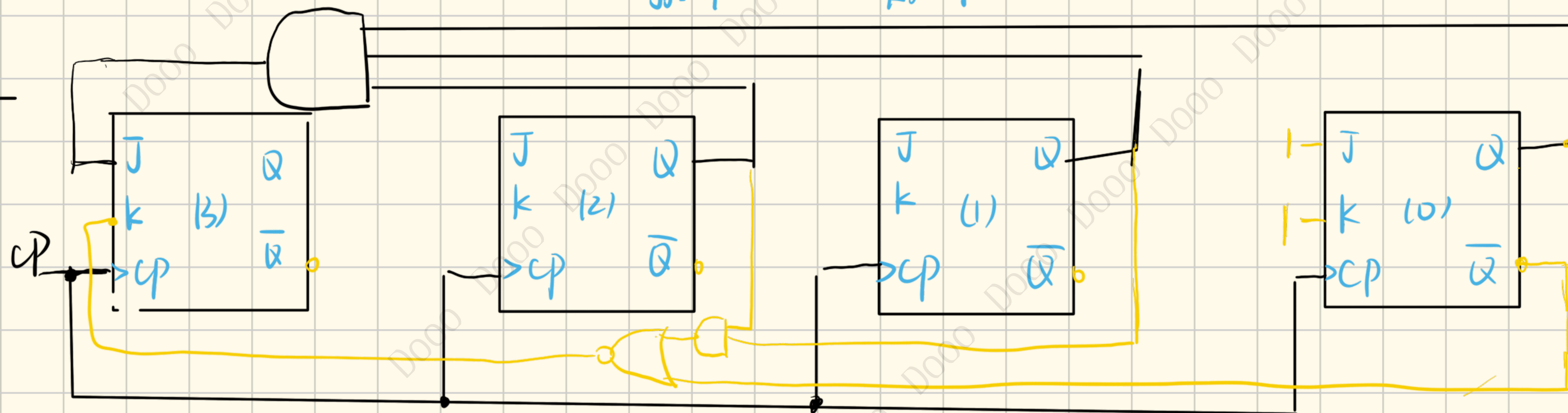
$$K_1 = \bar{Q}_3^n Q_0^n$$

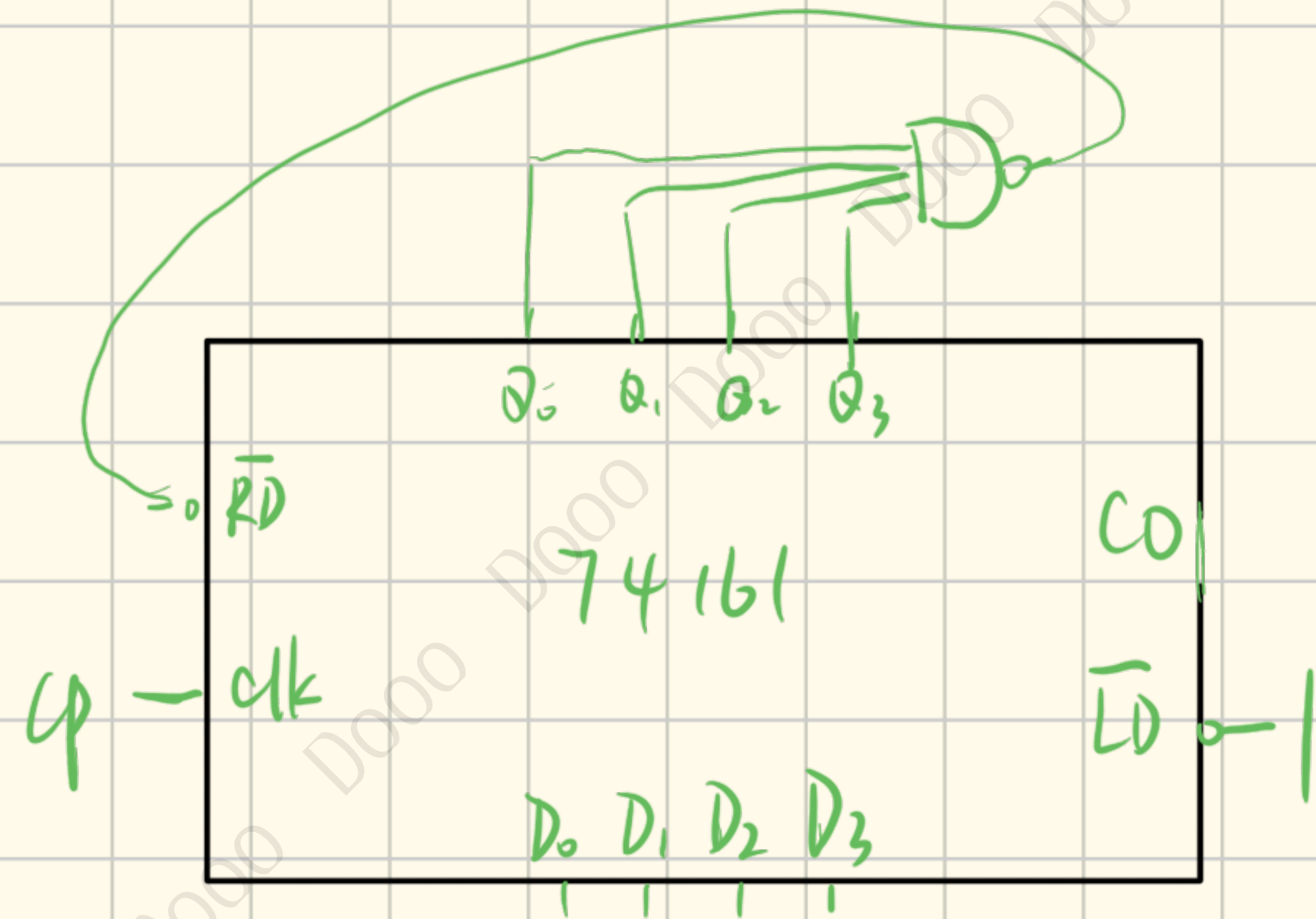
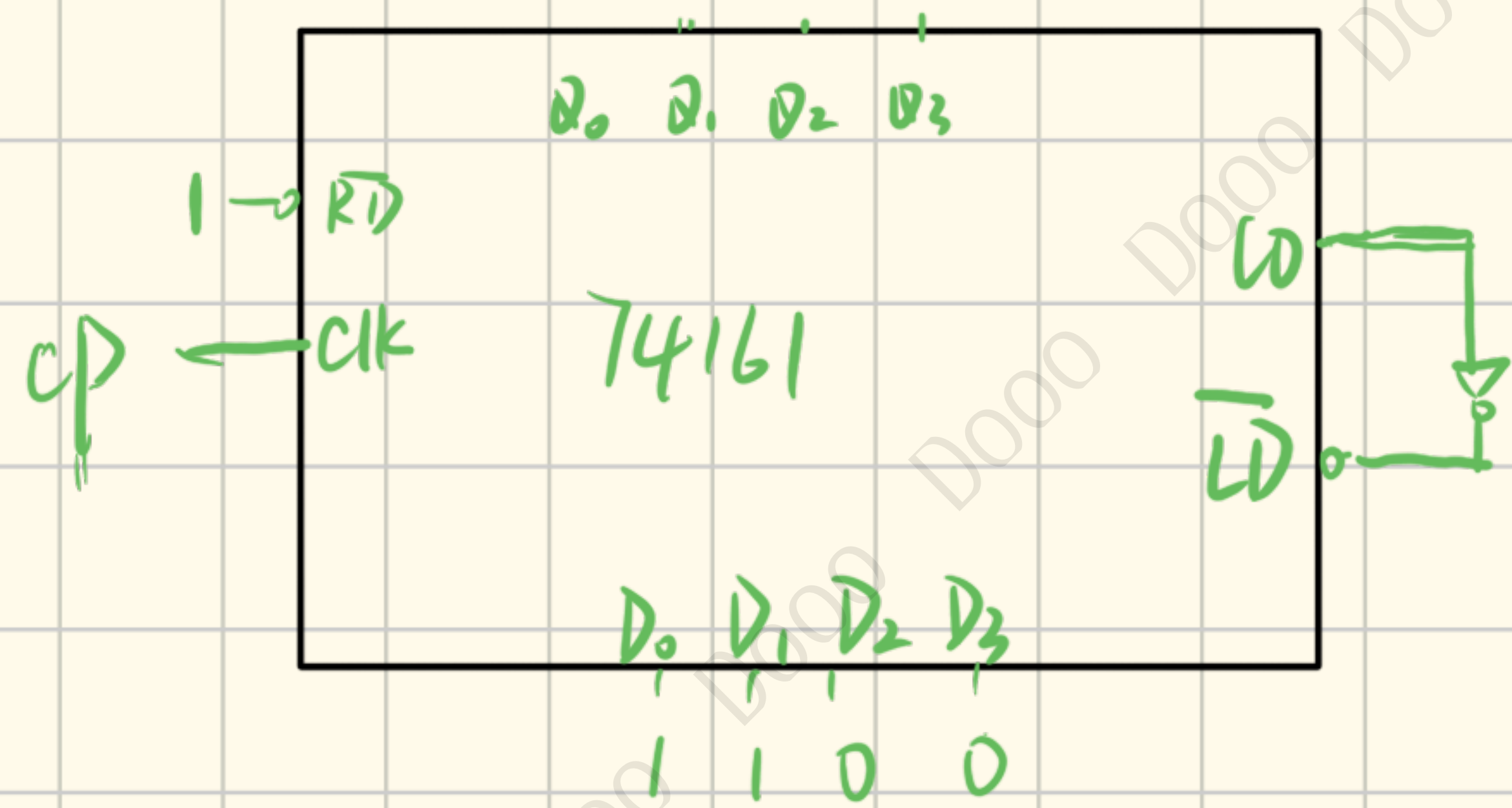
$$J_0 = 1$$

$$K_0 = 1$$

$Q_3^n Q_2^n \backslash Q_1^n Q_0^n$	01	11	10
00	0	0	0
01	0	0	0
11	X	X	X
10	0	X	X

Y.







让状态为  $S_i$ , 输出为  $Y$ . 原始状态转移图.

1001 序列检测器.

$S_0$ : 默认状态.

$S_1$ : 接收 1.

$S_2$ : 接收 10.

$S_3$ : ~ 100

$S_4$ : ~ 1001

因为有 5 个状态, 所以需要 2 个触发器.

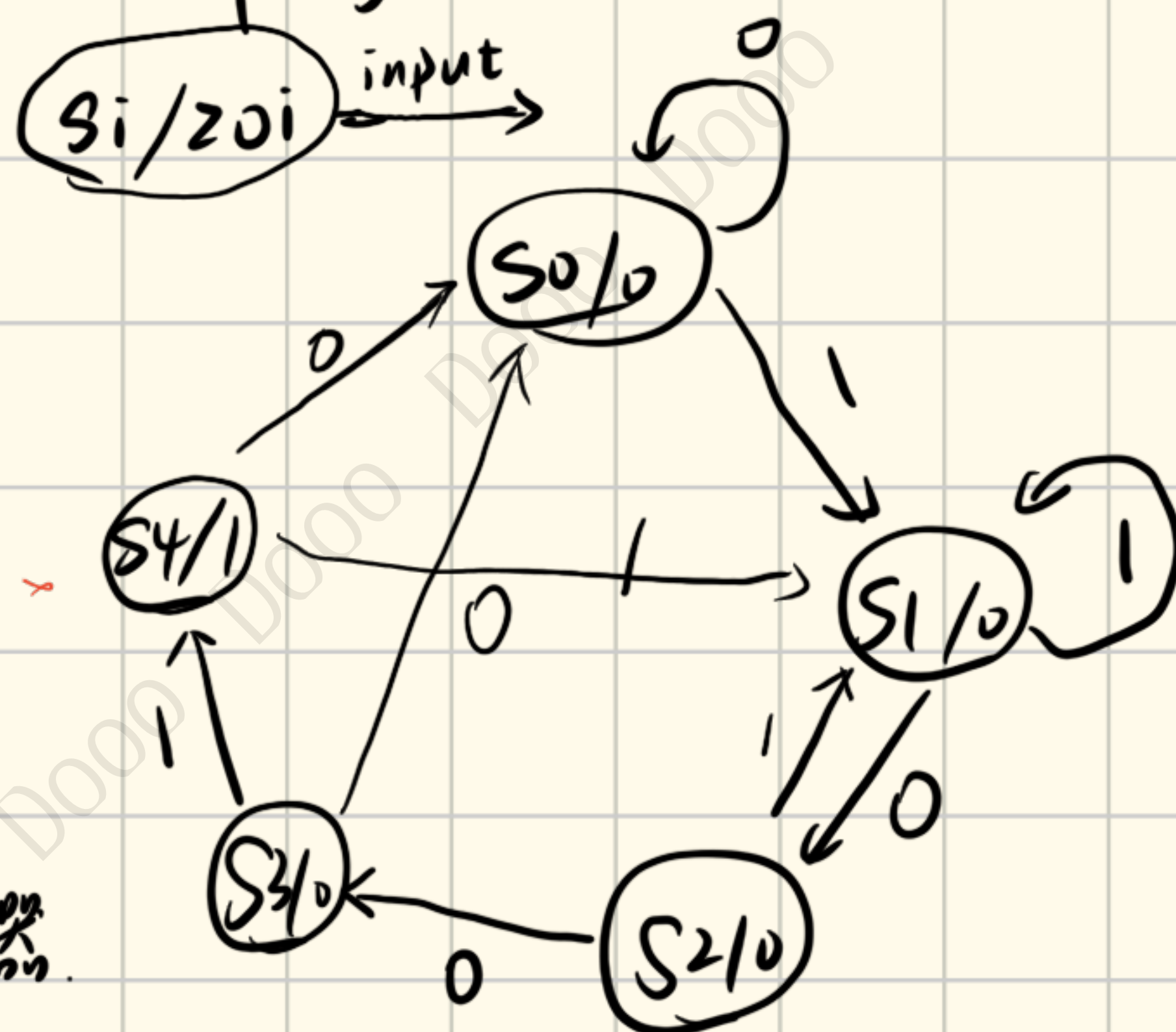
不妨设  $S_0 = 000$

$S_1 = 001$

$S_2 = 010$

$S_3 = 011$

$S_4 = 100$



$Q_2^n Q_1^n Q_0^n$	$Q_2^{n+1} Q_1^{n+1} Q_0^{n+1}$	$Y$
000	000	0
001	001	0
010	010	0
011	011	0
100	100	1
101	X X X	X
110	X X X	X
111	X X X	X

$X=0$  上  $Q_2^n Q_1^n$

$X=1$  下  $Q_2^n Q_1^n$

$Q_2^n Q_1^n$	$Q_2^{n+1}$	$Q_1^{n+1}$	$Q_0^{n+1}$	$Y$
00	0	0	0	0
01	0	0	1	0
11	X	X	X	X
10	0	0	X	X

$Q_2^n Q_1^n$	$Q_2^{n+1}$	$Q_1^{n+1}$	$Q_0^{n+1}$	$Y$
00	0	1	1	0
01	1	1	0	0
11	X	X	X	X
10	0	1	X	X

$Q_2^n Q_1^n$	$Q_2^{n+1}$	$Q_1^{n+1}$	$Q_0^{n+1}$	$Y$
00	0	0	0	1
01	1	0	0	0
11	X	X	X	X
10	0	0	X	X

$Q_2^n Q_1^n$	$Q_2^{n+1}$	$Q_1^{n+1}$	$Q_0^{n+1}$	$Y$
00	0	0	0	0
01	0	0	0	0
11	X	X	X	X
10	1	1	X	X

$Y = Q_2^n$