

Communication Systems Design

Lab 4: MIMO Transmission System

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Wireless Communication Base-station











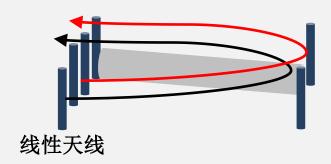
顺丰包邮】TP-LINK信号放大器 无线网络扩 展器中继器WIFI6路由扩大增强器干兆双频

■ 八度教码专营店

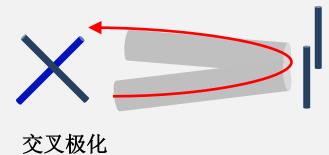
1000+人付款

Multi Input Multi Output: MIMO

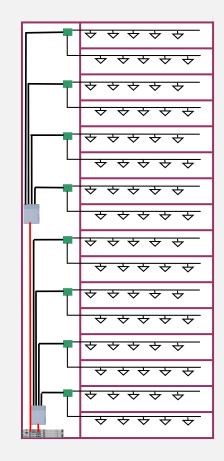
Scenario A (Open area)



Scenario B (City)



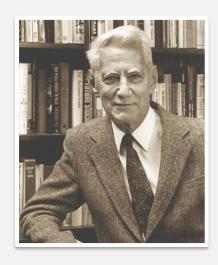
Scenario C (Indoor)



Why MIMO?

Beyond Shannon-Hartley theorem

$$C = B\log_2(1 + \frac{S}{N})$$



C: the channel capacity in bits per second

B: the bandwidth of the channel in hertz

S/N: the signal-to-noise ratio (SNR)

How about MIMO systems?

MIMO: Multi-Input and Multi-Output

$$C = B\log_2(1 + \frac{S}{N})$$

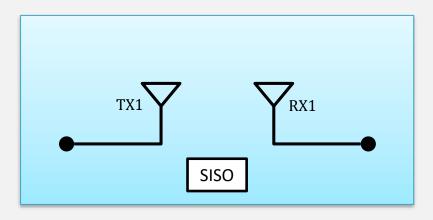


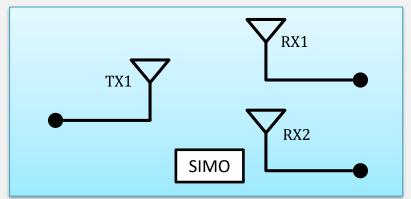
$$C = \mathbf{n}B\log\left(1 + \frac{h^2S}{N}\right)$$

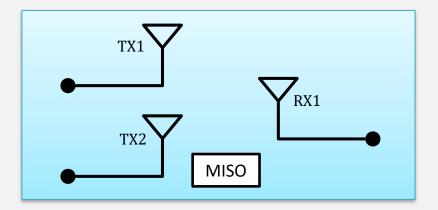


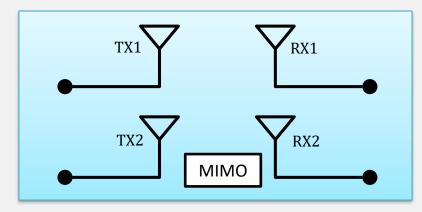
Both the transmitter and the receiver have n antennas. h is orthogonal channel matrix.

Diversity

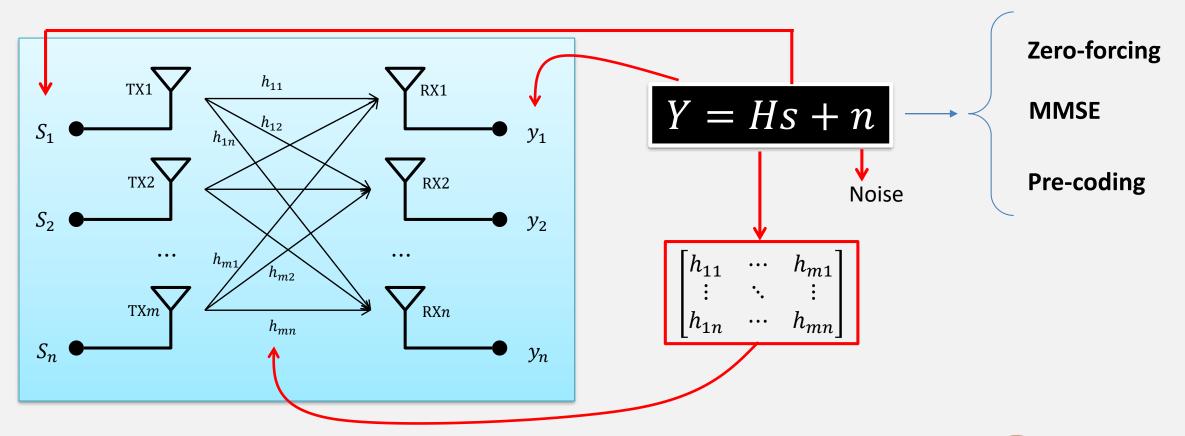








MIMO transmission model





MIMO Pre-coding

$$\begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \mathbf{H} \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} + \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

Example: 2 X 2 MIMO Precoding

$$\mathbf{H}=\mathbf{U}\mathbf{\Sigma}\mathbf{V}^{\mathbf{H}},$$

$$\Sigma = \begin{bmatrix} \lambda_1 & 0 \\ 0 & \lambda_2 \end{bmatrix}$$

$$U^{H}U = I_{n}, V^{H}V = I_{m}$$

$$\begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \mathbf{U} \begin{bmatrix} \boldsymbol{\lambda_1} & \mathbf{0} \\ \mathbf{0} & \boldsymbol{\lambda_2} \end{bmatrix} \mathbf{V}^{\mathbf{H}} \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} + \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

$$\mathbf{s}' \to \mathbf{s},$$

$$\begin{bmatrix} s_1 \\ s_2 \end{bmatrix} = V \begin{bmatrix} s'_1 \\ s'_2 \end{bmatrix}$$

Step 3:

$$\begin{bmatrix} r_{2}^{*} \end{bmatrix} = \mathbf{I} \begin{bmatrix} s_{2} \end{bmatrix}^{*} \begin{bmatrix} n_{2}^{*} \end{bmatrix}$$

$$\mathbf{H} = \mathbf{U} \mathbf{\Sigma} \mathbf{V}^{\mathbf{H}}, \quad \mathbf{\Sigma} = \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \quad \mathbf{U}^{\mathbf{H}} \mathbf{U} = \mathbf{I}_{\mathbf{n}}, \quad \mathbf{V}^{\mathbf{H}} \mathbf{V} = \mathbf{I}_{\mathbf{m}}$$

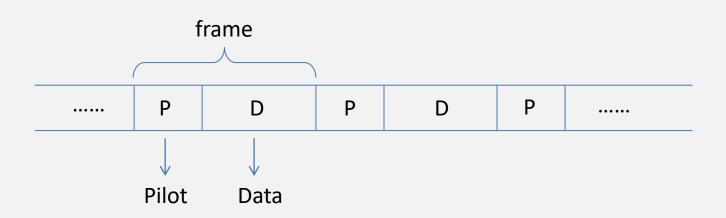
$$\begin{bmatrix} r_{1} \\ r_{2}^{*} \end{bmatrix} = \mathbf{U} \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \mathbf{V}^{\mathbf{H}} \begin{bmatrix} s_{1} \\ s_{2} \end{bmatrix} + \begin{bmatrix} n_{1} \\ n_{2}^{*} \end{bmatrix}$$

$$\mathbf{S}^{'} \rightarrow \mathbf{S}, \quad \mathbf{S}^{'} \rightarrow \mathbf{S},$$

$$\begin{bmatrix} r_{1} \\ r_{2}^{*} \end{bmatrix} = \mathbf{U} \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \mathbf{V}^{\mathbf{H}} \mathbf{V} \begin{bmatrix} s_{1}^{'} \\ s_{2}^{'} \end{bmatrix} + \begin{bmatrix} n_{1} \\ n_{2}^{*} \end{bmatrix} \implies \begin{bmatrix} r_{1} \\ r_{2}^{*} \end{bmatrix} = \mathbf{U} \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \begin{bmatrix} s_{1}^{'} \\ s_{2}^{'} \end{bmatrix} + \begin{bmatrix} n_{1} \\ n_{2}^{*} \end{bmatrix}$$

$$\implies \mathbf{U}^{\mathbf{H}} \begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \begin{bmatrix} \boldsymbol{\lambda_1} & \mathbf{0} \\ \mathbf{0} & \boldsymbol{\lambda_2} \end{bmatrix} \begin{bmatrix} \boldsymbol{s_1'} \\ \boldsymbol{s_2'} \end{bmatrix} + \mathbf{U}^{\mathbf{H}} \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

Zero-forcing Algorithm

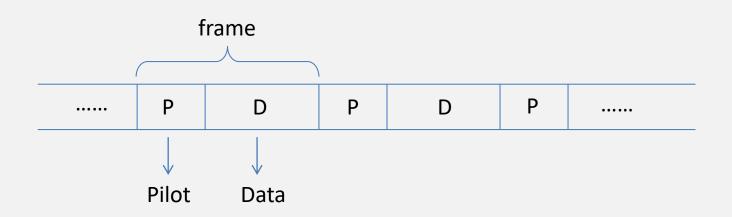


Assume that channels are held constant for the whole frame.

$$\widehat{S}_{ZF} = (H^{H}H)^{-1}H^{H}r_{D}$$



MMSE: Minimum Mean Squared Error



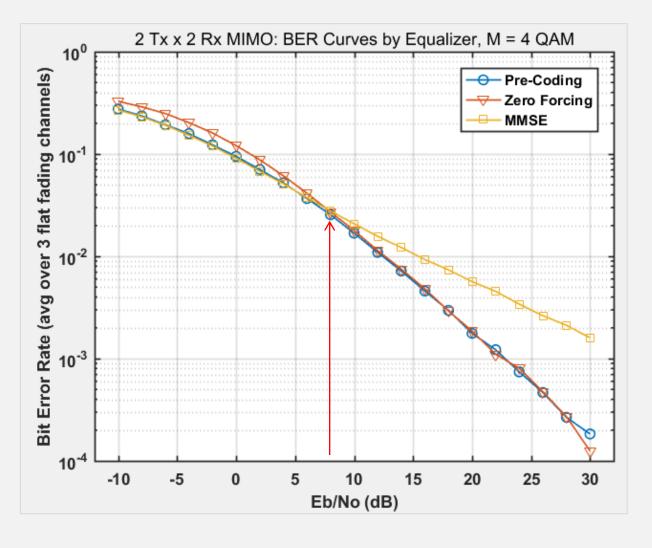
Assume that channels are held constant for the whole frame.

$$\widehat{\mathbf{S}}_{MMSE} = \left(\mathbf{H}^{\mathrm{H}}\mathbf{H} + \frac{\sigma_{n}^{2}}{\sigma_{s}^{2}}\mathbf{I}\right)^{-1}\mathbf{H}^{\mathrm{H}}\mathbf{r}_{\mathrm{D}}$$



Pre-Coding/Zero-forcing/MMSE

```
%% MIMO
      % model a 2x2 MIMO link with flat fading gains and 3 equalizer schemes:
      % Pre-coding, Zero-forcing and MMSE
      % ** Pre-coding has perfect CSIT, where Zero-forcing and MMSE has CSIR
      clear: close: clc:
      %% Parameter Setup
      M = 4; % modulation order---->调制阶数
      k = log2(M); % coded bits per symbol----->单符号传递比特数
      nSyms = 1e4; % number of symbols to send----->发送符号总数
10 -
      nBits = nSyms * k; % number of Bitsls to send----->发送比特总数
12
      nChan = 3; % number of flat fading MIMO channels-->平坦衰落信道
13 -
      14 —
      snrVector = EbNo + 10*log10(k); % Es/No before adding noise
15 -
16
17
      % 2 x 2 MIMO channel
      Mt = 2:
18 —
19 -
      Mr = 2:
20
      % initialize
21
      berZeroForcing = zeros(nChan, length(snrVector));%----->迫零算法
22 -
      berMMSE = zeros(nChan, length(snrVector));%----->MMSE(最小均方)
23 -
24
```



```
%% Transmit Precoding and Receiver Shaping Scheme
% Reference
% Goldsmith, $Wireless\;Communications$ [pp. 323-324]

% Transmit precoding: x = V*(x_hat)
% Receiver shaping: (y_hat) = (U_hermitian_transposed)*y

[berPreCoding]=PreCoding(M, nBits, nChan, snrVector, Mt, Mr);%-->需要编写的函数
```

%% 1: Parameter Setup

%% model a 2x2 MIMO link and a equalizer scheme: Pre-coding

function [berPreCoding] = PreCoding (M, nBits, nChan, snrVector, Mt, Mr)

Step1: Parameter Setup

```
berPreCoding = zeros(nChan, length(snrVector));%----->初始化误码率
% Transmit precoding: x = V*(x hat)
```

% Receiver shaping: (v hat) = (U hermitian transposed)*v

```
U = zeros(Mr, Mt, nBits); %------>初始化U矩阵
S = zeros(Mr, Mt, nBits); %------>初始化S矩阵
V = zeros(Mr, Mt, nBits); %------>初始化V矩阵
prefiltered = zeros(Mt, 1, nBits); %----->初始化编码前矩阵
txData = zeros(Mt, 1, nBits); %----->发送数据矩阵
rxData = zeros(Mr, 1, nBits); %----->接收数据矩阵
```

Step2: MIMO Pre-Coding Programming

```
%% 2: MIMO precoding
disp('MIMO precoding');
for i = 1:nChan
   fprintf('Channel: %d\n', i);
   % unique MIMO channel for 'Mr' receive and 'Mt' transmit antennas
   H = (randn(Mr, Mt, nBits) + 1j*randn(Mr, Mt, nBits)) / sqrt(2);
   % generate a sequence of random message bits and QAM modulate
   data = randi([0 M-1], Mt, 1, nBits):
   dataMod = gammod(data, M);
   % precode
    for bit = 1:nBits
       % decompose channel matrix H by SVD----->奇异值分解
       [U(:,:,bit), S(:,:,bit), V(:,:,bit)] = svd(H(:,:,bit))
       % pre-code data for each bit: (x = V * x hat)---->预编码
       prefiltered(:,:,bit) = V(:,:,bit) * dataMod(:,:,bit);
                                     ----->信道上发送
       % send over the fading channel
       txData(:,:,bit) = H(:,:,bit) * prefiltered(:,:,bit);
    end
```

```
fprintf('SNR:\t');
   for j = 1:length(snrVector)
      fprintf('%d\t', j);
      % add white Gaussian noise (x noisy <-- x + noise)
      % for double-sided white noise, (y_hat = U^(H) * y)
      noise = randn(Mr, 1, nBits) + 1j*randn(Mr, 1, nBits) / sqrt(2);
      txNoisy = txData + noise * 10^(-snrVector(j)/10/2);
      for bit = 1:nBits
          % post-code data for each bit: remove fading channel components
          rxData(:,:,bit) = U(:,:,bit)' * txNoisy(:,:,bit);
      end
      % QAM demodulate and compute bit error rate
      rxData = gamdemod(rxData, M):
       [~, berPreCoding(i, j)] = biterr(data, rxData);
   end
   fprintf('\n'):
end
```

```
for j = 1:length(snrVector)
55 -
               fprintf('%d\t', j);
56 -
               % add white Gaussian noise (x_noisy <-- x + noise)
57
               % double-sided white noise, (y_hat = U^(H) * y)
58
               noise = randn(Mr, 1, nBits) + 1j*randn(Mr, 1, nBits) / sqrt(2);
59 -
               txNoisy = txData + noise * 10 (-snrVector(j)/10/2):
60 —
61
62 -
               for bit = 1:nBits
                   % (1) W_{zf} = H_{pseudoinverse} = (H^{H} * H)^{-1} * H^{H}
63
                   W(:,:,bit) = (H(:,:,bit)' * H(:,:,bit))^-1 * H(:,:,bit)'
64 -
                   rxData(:,:,bit) = W(:,:,bit) * txNoisy(:,:,bit);
65 -
                   % (2) or simply solve linear system H*x = y for x, if full rank
66
                   % rxData(:,:,bit) = H(:,:,bit) \ txNoisy(:,:,bit);
67
68 -
               end
69
70
               % QAM demodulate and compute bit error rate
71 -
               rxData = qamdemod(rxData, M);
               [~, berZeroForcing(i, j)] = biterr(data, rxData);
72 -
73 -
            end
```

Zero-forcing

$$\hat{\mathbf{S}}_{ZF} = \left(\mathbf{H}^{\mathsf{H}}\mathbf{H}\right)^{-1}\mathbf{H}^{\mathsf{H}}r_{\mathsf{D}}$$



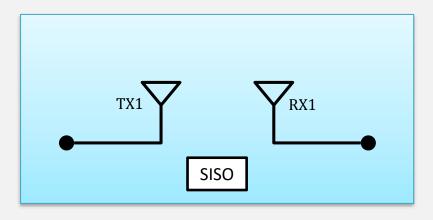
```
for j = 1:length(snrVector)
101 —
                fprintf('%d\t', j);
102 -
                % add white Gaussian noise (x_noisy <-- x + noise)
103
                % for double-sided white noise, (y_hat = U^(H) * y)
104
                noise = randn(Mr, 1, nBits) + 1j*randn(Mr, 1, nBits) / sqrt(2);
105 -
                txNoisy = txData + noise * 10^(-snrVector(j)/10/2):
106 -
107
108 —
                for bit = 1:nBits
109
                    % add noise variations
                    W(:,:,bit) = (H(:,:,bit)' * H(:,:,bit) + ...
110 -
                                + eye(Mt)*10^(-snrVector(j)/10/2))^-1 * H(:,:,bit)';
111
                    rxData(:,:,bit) = W(:,:,bit) * txNoisy(:,:,bit);
112 -
113 -
                end
114
115
                % QAM demodulate and compute bit error rate
                rxData = gamdemod(rxData, M);
116 —
                [~, berMMSE(i, j)] = biterr(data, rxData);
117 -
118 -
             end
```

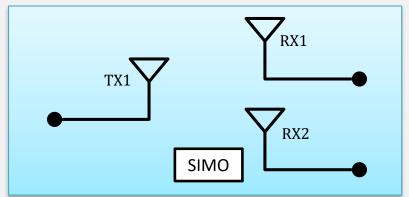
MMSE

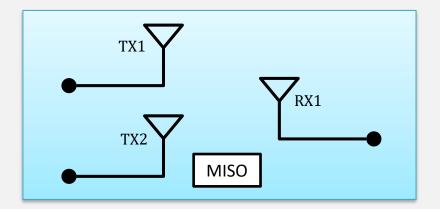
$$\widehat{\mathbf{S}}_{MMSE} = \left(\mathbf{H}^{\mathrm{H}}\mathbf{H} + \frac{\sigma_{n}^{2}}{\sigma_{s}^{2}}\mathbf{I}\right)^{-1}\mathbf{H}^{\mathrm{H}}\mathbf{r}_{\mathrm{D}}$$

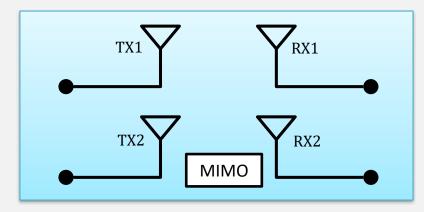


CSIT or CSIR ?

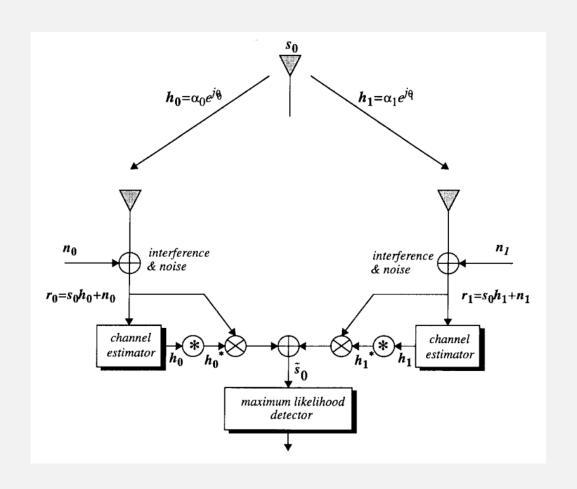


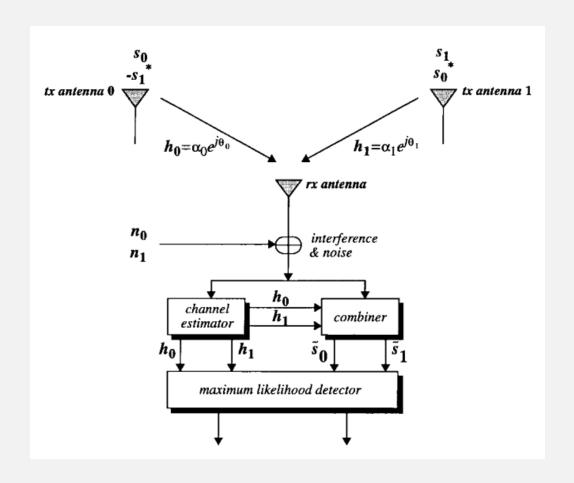






STBC: Space Time Block Code

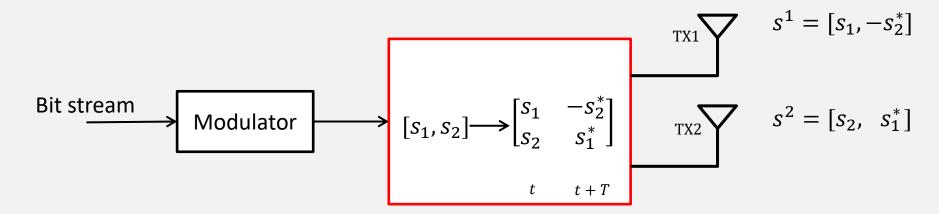




A Simple Transmit Diversity Technique for Wireless Communications, Siavash M. Alamouti, IEEE JOURNAL ON SELECT AREAS IN COMMUNICATIONS, VOL. 16, NO. 8, OCTOBER 1998.

Alamouti: Transmit Diversity

Alamouti

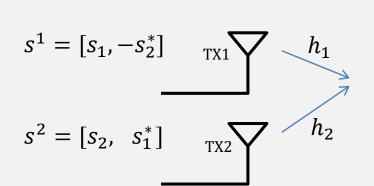


$$\mathbf{C} = \begin{bmatrix} s_1 & -s_2^* \\ s_2 & s_1^* \end{bmatrix} \qquad \mathbf{CC^H} = \begin{bmatrix} s_1 & -s_2^* \\ s_2 & s_1^* \end{bmatrix} \begin{bmatrix} s_1^* & s_2^* \\ -s_2 & s_1 \end{bmatrix} = (|s_1|^2 + |s_1|^2) \mathbf{I_2}$$
Identity matrix

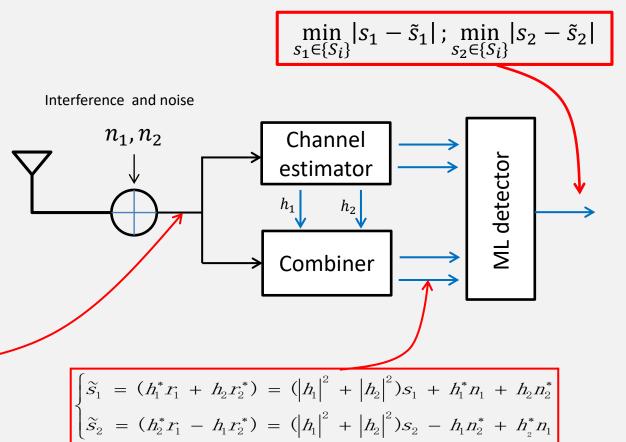
A Simple Transmit Diversity Technique for Wireless Communications, Siavash M. Alamouti, IEEE JOURNAL ON SELECT AREAS IN COMMUNICATIONS, VOL. 16, NO. 8, OCTOBER 1998.

Alamouti 2X1

Alamouti



$$\begin{cases} r_1 = h_1 s_1 + h_2 s_2 + n_1 \\ r_2 = -h_1 s_2^* + h_2 s_1^* + n_2 \end{cases}$$



Matrix representation

$$\begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \begin{bmatrix} h_1 & h_2 \\ h_2^* & -h_1^* \end{bmatrix} \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} + \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

$$\mathbf{r} = \begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} \quad \mathbf{H} = \begin{bmatrix} h_1 & h_2 \\ h_2^* & -h_1^* \end{bmatrix}$$

$$\mathbf{S} = \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} \quad \mathbf{n} = \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

$$r = HS + n$$

$$\updownarrow$$

$$H^{H}r = S + H^{H}n$$

$$\updownarrow$$

$$\begin{cases} r_1 = h_1 s_1 + h_2 s_2 + n_1 \\ r_2 = -h_1 s_2^* + h_2 s_1^* + n_2 \end{cases}$$

$$\begin{bmatrix} h_1^* & h_2 \\ h_2^* & -h_1 \end{bmatrix} \begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = (|h_1|^2 + |h_2|^2) \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} + \begin{bmatrix} h_1^* n_1 & h_2 n_2^* \\ h_2^* n_1 & -h_1 n_2^* \end{bmatrix}$$

MIMO Pre-coding

$$\begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \mathbf{H} \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} + \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

Example: 2 X 2 MIMO Precoding

$$\mathbf{H}=\mathbf{U}\mathbf{\Sigma}\mathbf{V}^{\mathbf{H}},$$

$$\Sigma = \begin{bmatrix} \lambda_1 & 0 \\ 0 & \lambda_2 \end{bmatrix}$$

$$U^{H}U = I_{n}, V^{H}V = I_{m}$$

$$\begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \mathbf{U} \begin{bmatrix} \boldsymbol{\lambda_1} & \mathbf{0} \\ \mathbf{0} & \boldsymbol{\lambda_2} \end{bmatrix} \mathbf{V}^{\mathbf{H}} \begin{bmatrix} s_1 \\ s_2 \end{bmatrix} + \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

$$\mathbf{s}' \to \mathbf{s},$$

$$\begin{bmatrix} s_1 \\ s_2 \end{bmatrix} = V \begin{bmatrix} s'_1 \\ s'_2 \end{bmatrix}$$

Step 3:

$$\begin{bmatrix} r_{2}^{*} \end{bmatrix} = \mathbf{I} \begin{bmatrix} s_{2} \end{bmatrix}^{*} \begin{bmatrix} n_{2}^{*} \end{bmatrix}$$

$$\mathbf{H} = \mathbf{U} \mathbf{\Sigma} \mathbf{V}^{\mathbf{H}}, \quad \mathbf{\Sigma} = \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \quad \mathbf{U}^{\mathbf{H}} \mathbf{U} = \mathbf{I}_{\mathbf{n}}, \quad \mathbf{V}^{\mathbf{H}} \mathbf{V} = \mathbf{I}_{\mathbf{m}}$$

$$\begin{bmatrix} r_{1} \\ r_{2}^{*} \end{bmatrix} = \mathbf{U} \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \mathbf{V}^{\mathbf{H}} \begin{bmatrix} s_{1} \\ s_{2} \end{bmatrix} + \begin{bmatrix} n_{1} \\ n_{2}^{*} \end{bmatrix}$$

$$\mathbf{S}^{'} \rightarrow \mathbf{S}, \quad \mathbf{S}^{'} \rightarrow \mathbf{S},$$

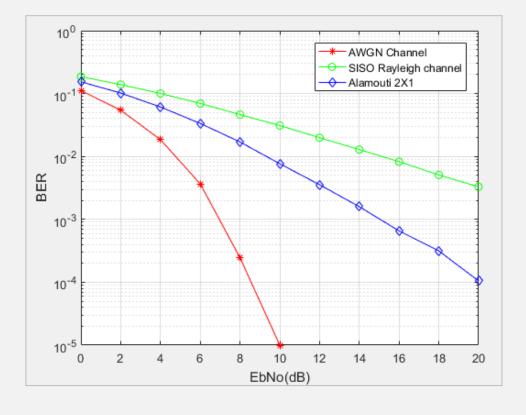
$$\begin{bmatrix} r_{1} \\ r_{2}^{*} \end{bmatrix} = \mathbf{U} \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \mathbf{V}^{\mathbf{H}} \mathbf{V} \begin{bmatrix} s_{1}^{'} \\ s_{2}^{'} \end{bmatrix} + \begin{bmatrix} n_{1} \\ n_{2}^{*} \end{bmatrix} \implies \begin{bmatrix} r_{1} \\ r_{2}^{*} \end{bmatrix} = \mathbf{U} \begin{bmatrix} \lambda_{1} & \mathbf{0} \\ \mathbf{0} & \lambda_{2} \end{bmatrix} \begin{bmatrix} s_{1}^{'} \\ s_{2}^{'} \end{bmatrix} + \begin{bmatrix} n_{1} \\ n_{2}^{*} \end{bmatrix}$$

$$\implies \mathbf{U}^{\mathbf{H}} \begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \begin{bmatrix} \boldsymbol{\lambda_1} & \mathbf{0} \\ \mathbf{0} & \boldsymbol{\lambda_2} \end{bmatrix} \begin{bmatrix} \boldsymbol{s_1'} \\ \boldsymbol{s_2'} \end{bmatrix} + \mathbf{U}^{\mathbf{H}} \begin{bmatrix} n_1 \\ n_2^* \end{bmatrix}$$

```
3 -
        clear all
        datasize=100000:
 5 -
        EbNo=0: 2: 20:
 6 -
        M=4:
                                             % OPSK modulation
        x=randsrc(2, datasize/2, [0:3]):
        x1=pskmod(x, M, pi/4);
8 -
9 -
        h=randn(4, datasize/2)+j*randn(4, datasize/2); %Rayleigh fading channel
        h=h./sqrt(2);
10 -
     for indx=1:length(EbNo)
11 -
```

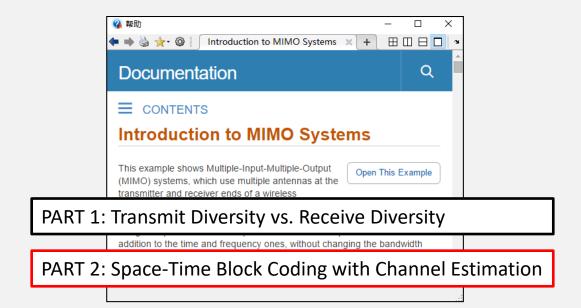
```
sigmal=sqrt(1/(4*10. ^(EbNo(indx)/10)));
12 -
            n=sigma1*(randn(2, datasize/2)+j*randn(2, datasize/2));
13 -
14 -
             v=x1+n:
            v1=x1+n, h(1:2,:):
15 -
            x2=pskdemod(y, M, pi/4);
16 -
            x3=pskdemod(y1, M, pi/4);
17 -
             sigma2=sqrt(1/(2*10. ^(EbNo(indx)/10)));
18 -
            n=sigma2*(randn(4, datasize/2)+j*randn(4, datasize/2));
19 -
            n1(1,:) = (conj(h(1,:)).*n(1,:)+h(2,:).*conj(n(2,:)))./(sum(abs(h(1:2,:)).^2));
20 -
            n1(2,:)=(conj(h(2,:)).*n(1,:)-h(1,:).*conj(n(2,:)))./(sum(abs(h(1:2,:))).^2));
21 -
22 -
             v=x1+n1:
            x4=pskdemod(y, M, pi/4);
23 -
            n2(1,:)=(conj(h(1,:)).*n(1,:)+h(2,:).*conj(n(2,:))+...
24 -
                      conj(h(3,:)).*n(3,:)+h(4,:).*conj(n(4,:)))./(sum(abs(h).^2));
25
            n2(2,:)=(conj(h(2,:)).*n(1,:)-h(1,:).*conj(n(2,:))+...
26 -
                      conj(h(4,:)).*n(3,:)-h(3,:).*conj(n(4,:)))./(sum(abs(h).^2));
27
28 -
             v1=x1+n2:
            x5=pskdemod(y1, M, pi/4);
29 -
             [temp, ber1(indx)] = biterr(x, x2, log2(M));
30 -
31 -
             [temp, ber2(indx)] = biterr(x, x3, log2(M));
             [temp, ber3(indx)] = biterr(x, x4, log2(M));
32 -
             [temp, ber4(indx)] = biterr(x, x5, log2(M));
33 -
34
35 -
        end
        semilogy(EbNo, ber1, '-r*', EbNo, ber2, '-go', EbNo, ber3, '-bd', EbNo, ber4, '-k.')
36 -
```

$$\frac{\begin{bmatrix} h_1^* & h_2 \\ h_2^* & -h_1 \end{bmatrix}}{|h_1|^2 + |h_2|^2} \begin{bmatrix} r_1 \\ r_2^* \end{bmatrix} = \begin{bmatrix} S_1 \\ S_2 \end{bmatrix} + \frac{\begin{bmatrix} h_1^* n_1 & h_2 n_2^* \\ h_2^* n_1 & -h_1 n_2^* \end{bmatrix}}{|h_1|^2 + |h_2|^2}$$



Tutorial in MATLAB help documents

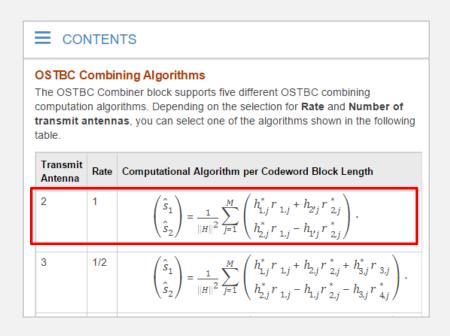
- hAlamoutiEnc = comm.OSTBCEncoder;
- hAlamoutiDec = comm.OSTBCCombiner;

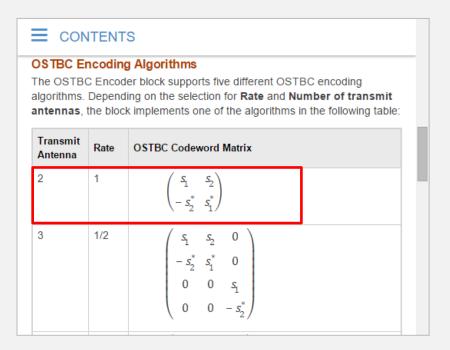




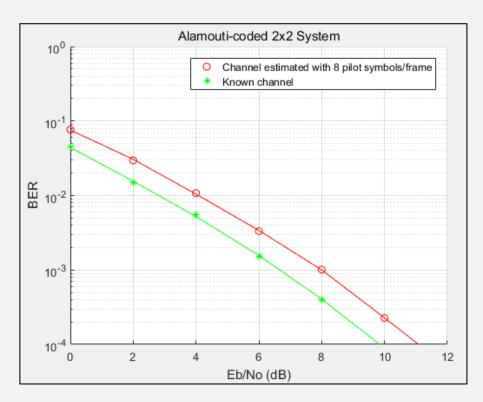
Simulation with comm. functions

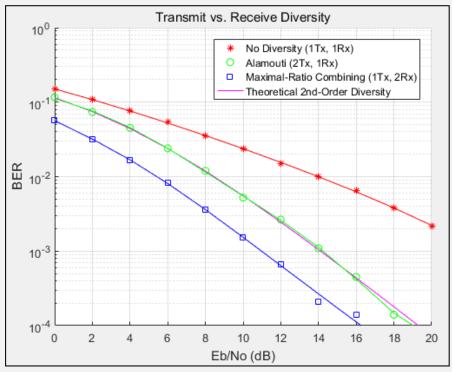
- comm.OSTBCEncoder
- comm.OSTBCCombiner





Simulation results





Apply Alamouti 2X2 to the QPSK transceiver

```
H 11o world, 086
Hello world 1087
Hello world, 088
Hello y/rld 1089
Hello t?rb$ 1090
Hello y/rld 1091
Hello world ?p92
OEllo t?rkD 1093
H 11o workD 1094
Hello worVd 1095
Hello wor $ 1096
Hello world 097
                       EbNo=10dB
Hello world 1098
Hello workD 1099
Error rate = 0.035893.
Number of detected errors = 402.
Total number of compared samples = 11200.
```

```
Hello wn 1d 0X84
HeoHo world 2 85
Hello world 1D86
hf?<U wa2ld 1D87ello world 1088
Heb.W wmJld 0X89
Hello world 6 90
K5qlo wa2ld 0,91
Helo? wa2ld 6 92ello world 1093
ello world 2 94
Hello wn ld 1D95
Hello wbbld 10:f
Xello whRld 6 97
                         EbNo=5dB
 elkO world 1098
Hello world 7x99
Error rate = 0.076696.
Number of detected errors = 859.
Total number of compared samples = 11200.
```

```
HellH
      ot- T0X88
 ello y/uLj 1 87
F"Llo whH
            1088
       f d 1089
:K, 1 MoL P1090
F$>1o#'ow9: 2T~
|%b, b6?or d 1 2
!q6la Mop=d=1092
rd lo ~ 3 d 2z 3
!xb, 'Wi=< D6 7
oello woqHy 1>~
Hello.7ojN Z0 $7
                       EbNo=0dB
H lla v=r* 1 w
|(}>r#'UrU3 1-M9
Error rate = 0.289464.
Number of detected errors = 3242.
Total number of compared samples = 11200.
```

Assignments

- > Read the example 'Introduction to MIMO Systems' in Communications System Toolbox.
- > Read the paper: A Simple Transmit Diversity Technique for Wireless Communications.
- > Apply Alamouti 2X2 to the QPSK transceiver
- Alamouti 2X2 implementation using USRP



Question ?

