

**SUBJECT CODE: CS301**  
**SUBJECT NAME: DATA STRUCTURES**  
**AND ALGORITHMS**  
**UNIT - 3 (MY NOTES)**

**SEMESTER: 3**



# Introduction to Data Structures

## 👉 Data Structure:

It is simply a way of **organizing and storing data** so that we can use it easily and efficiently inside programs.

## ◆ Types of Data Structures

### a) Primitive Data Structures

- Basic data types given by programming languages
  - Examples: int, float, char, pointer

### b) Non-Primitive Data Structures

✓ **Linear Data Structures** – elements are arranged in order

- Array
- Stack
- Queue
- Linked List

✓ **Non-Linear Data Structures** – elements are connected in hierarchy/network

- Tree
- Graph

## ◆ Classification of Data Structures

### ✓ Static Data Structure

- Size is fixed before execution
  - Example: Array

### ✓ Dynamic Data Structure

- Size can change during runtime
  - Example: Linked List

## ◆ Why Do We Need Data Structures?

- Helps use memory efficiently
- Makes searching and sorting faster
- Makes programs more organized and easier to manage

# Algorithms

## 👉 Algorithm:

A step-by-step procedure used to solve a problem.

### ◆ Characteristics of a Good Algorithm

- **Input** – takes data
- **Output** – gives result
- **Definiteness** – steps must be clear
- **Finiteness** – must end after some steps
- **Effectiveness** – easy to execute

### ◆ Example Algorithm (Largest Number)

1. Start
2. Read A and B
3. If  $A > B$  print A
4. Else print B
5. Stop

# Analysis of Algorithms

Used to check **how efficient** an algorithm is.

## ◆ Types of Analysis

- **Best Case** → minimum time taken
- **Average Case** → normal situation
- **Worst Case** → maximum time taken

# Time Complexity

👉 Time complexity tells us **how fast an algorithm runs** depending on input size n.

## ◆ Common Complexities

- $O(1)$  → Constant time
- $O(\log n)$  → Logarithmic
  - $O(n)$  → Linear
  - $O(n \log n)$
- $O(n^2)$  → Quadratic
- $O(2^n)$  → Exponential

Example:

```
for(i=0;i<n;i++)
    print(i);
```

➡ Runs n times →  $O(n)$

# Space Complexity

👉 Amount of memory used by an algorithm.

Includes:

- **Fixed part** → variables, constants
- **Variable part** → dynamic memory allocation

# Asymptotic Notations

Used to describe how an algorithm grows when input increases.

## ◆ Big-O ( $O$ )

- Shows upper bound (Worst Case)

## ◆ Omega ( $\Omega$ )

- Shows lower bound (Best Case)
  - ◆ **Theta ( $\Theta$ )**
- Shows tight bound (Average behaviour)

## Recursion (Basic Idea)

👉 Recursion means a function **calling itself** to solve smaller parts of a problem.

### Parts of Recursion

- **Base Case** → stopping condition
- **Recursive Case** → function repeats

Example:

```
factorial(n):
    if n==1 return 1
    else return n * factorial(n-1)
```

## Abstract Data Type (ADT)

👉 ADT explains **what operations** a data structure can do, not how it is implemented.

Example:

- Stack ADT → push(), pop(), peek()

Focus on:

- ✓ Operations performed
- ✗ Internal implementation