# 可视化2

- 使用python的seaborn分别绘制了密度曲线拟合图、箱线图、散点图、散点图矩阵
- 点击查看 Visualization\_2

#### 导入包

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt

from scipy import stats, integrate
import seaborn as sns
sns.set(style="white", color_codes=True)

%matplotlib inline
```

### 导入数据

```
df = pd.read_excel('data.xlsx', index_col=0)
columns = df.columns
data = df.drop(columns[0], axis=1)
```

## 密度曲线拟合图(kde方法)

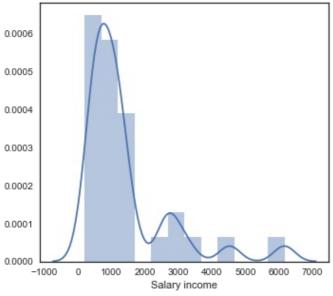
KDE: In statistics, kernel density estimation (KDE) is a non-parametric way to estimate the probability density function of a random variable. Kernel density estimation is a fundamental data smoothing problem where inferences about the population are made, based on a finite data sample. In some fields such as signal processing and econometrics it is also termed the Parzen–Rosenblatt window method, after Emanuel Parzen and Murray Rosenblatt, who are usually credited with independently creating it in its current form. -- Wikipedia1

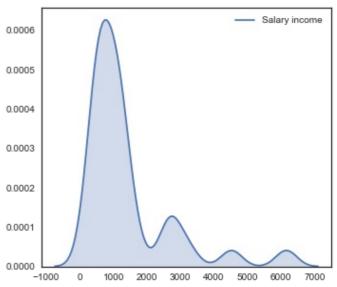
核密度估计(kernel density estimation)是在概率论中用来估计未知的密度函数,属于非参数检验方法之一,由Rosenblatt (1955)和Emanuel Parzen(1962)提出,又名Parzen窗(Parzen window)。Ruppert和Cline基于数据集密度函数聚类算法提出修订的核密度估计方法。

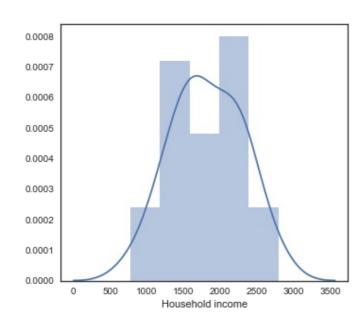
```
for i in range(1, len(columns)):
    fig = plt.figure(figsize=(12,5))
    ax1 = plt.subplot(1,2,1)
    sns.distplot(data[columns[i]])
    ax2 = plt.subplot(1,2,2)
    sns.kdeplot(data[columns[i]], shade=True)
    plt.show()
```

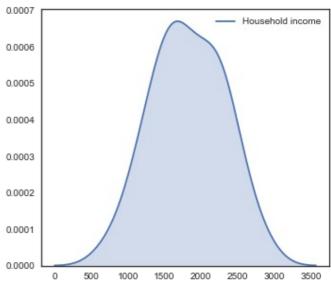
 $C:\Users\J\AppData\Local\Continuum\Anaconda3\lib\site-packages\statsmody = X[:m/2+1] + np.r_[0,X[m/2+1:],0]*1j$ 

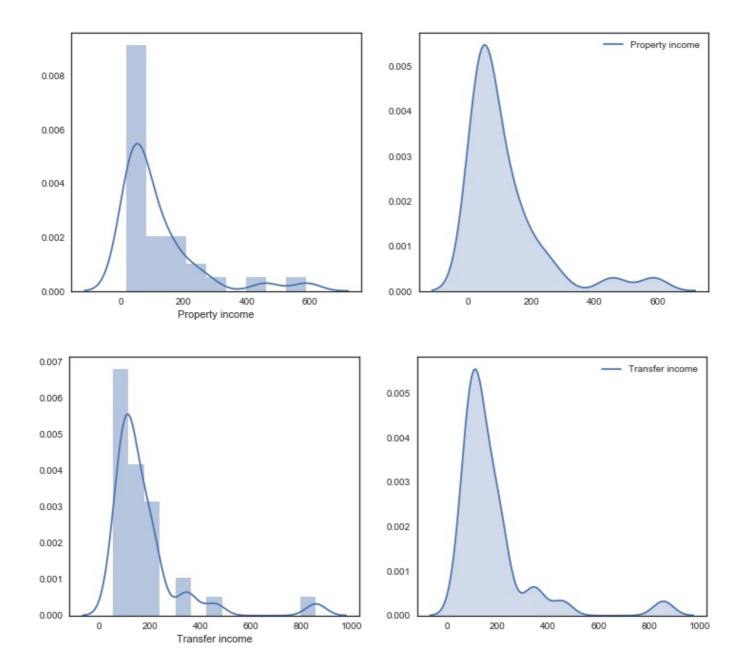
Salary income





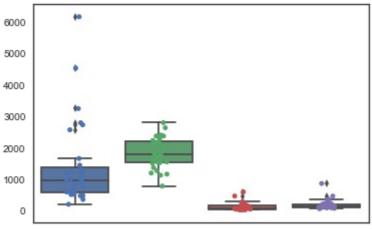




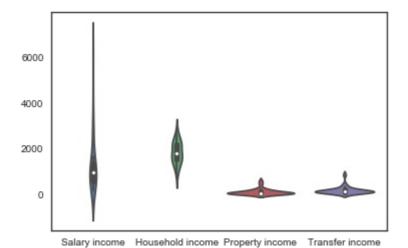


# 箱线图

```
ax = sns.boxplot(data=data)
ax = sns.stripplot(data=data, jitter=True, edgecolor="gray")
plt.show()
sns.violinplot( data=data, size=6)
plt.show()
```



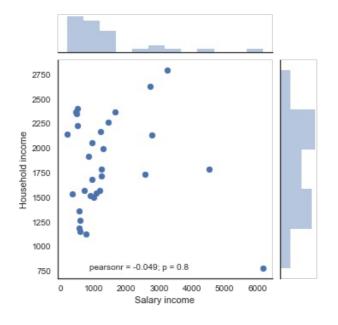
Salary income Household income Property income Transfer income



散点图 (观察两个变量相关关系)

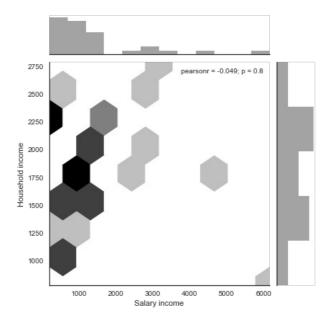
```
sns.jointplot(x=columns[1], y=columns[2], data=data, size=5)
```

<seaborn.axisgrid.JointGrid at 0x2676119aac8>



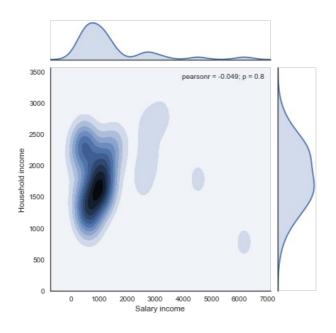
```
sns.jointplot(x=columns[1], y=columns[2],data=data, kind="hex", color="k
```

<seaborn.axisgrid.JointGrid at 0x1ec831c5668>



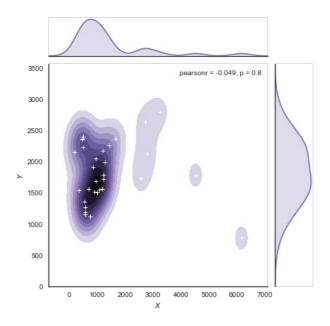
sns.jointplot(x=columns[1], y=columns[2],data=data, kind="kde");

C:\Users\J\AppData\Local\Continuum\Anaconda3\lib\site-packages\statsmod
y = X[:m/2+1] + np.r\_[0,X[m/2+1:],0]\*1j

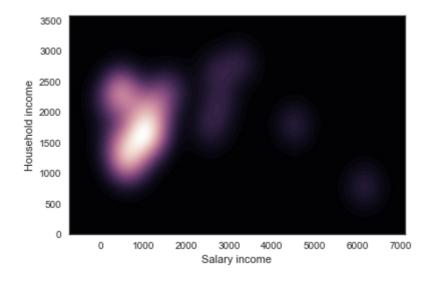


```
g = sns.jointplot(x=columns[1], y=columns[2],data=data, kind="kde", colo
g.plot_joint(plt.scatter, c="w", s=30, linewidth=1, marker="+")
g.ax_joint.collections[0].set_alpha(0)
g.set_axis_labels("$X$", "$Y$");
```

```
C:\Users\J\AppData\Local\Continuum\Anaconda3\lib\site-packages\statsmod
y = X[:m/2+1] + np.r_[0,X[m/2+1:],0]*1j
```

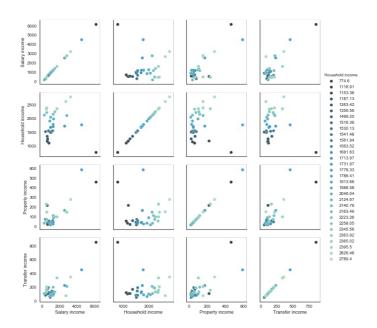


```
cmap = sns.cubehelix_palette(as_cmap=True, dark=0, light=1, reverse=True
sns.kdeplot(data[columns[1]], data[columns[2]], cmap=cmap, n_levels=60,
```



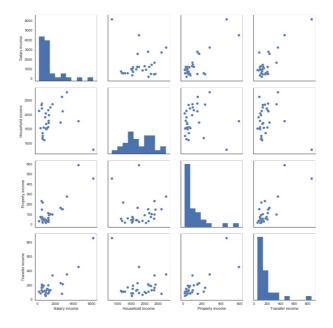
#### 散点图矩阵

```
g = sns.PairGrid(data, hue=columns[2], palette="GnBu_d")
g.map(plt.scatter, s=50, edgecolor="white")
g.add_legend();
```



```
sns.pairplot(data, size=3)
```

#### <seaborn.axisgrid.PairGrid at 0x1ecf4a9beb8>

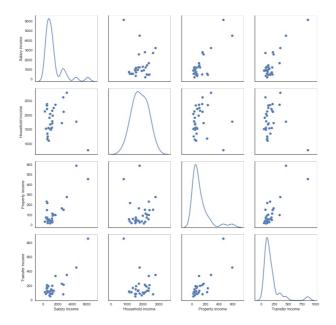


```
sns.pairplot(data, size=3, diag_kind="kde")
```

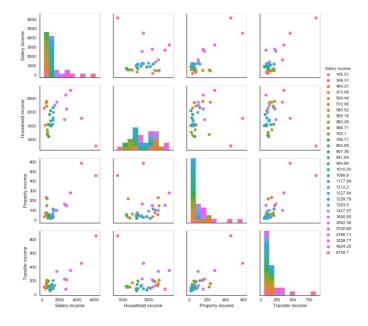
```
 C:\Users\J\AppData\Local\Continuum\Anaconda3\lib\site-packages\statsmod y = X[:m/2+1] + np.r_[0,X[m/2+1:],0]*1j
```

<seaborn.axisgrid.PairGrid at 0x1ecf7a73048>

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```
g = sns.PairGrid(data, hue=columns[1])
g.map_diag(plt.hist)
g.map_offdiag(plt.scatter)
g.add_legend();
```



```
g = sns.PairGrid(data)
g.map_upper(plt.scatter)
g.map_lower(sns.kdeplot, cmap="Blues_d")
g.map_diag(sns.kdeplot, lw=3, legend=False);
```

 $C:\Users\J\AppData\Local\Continuum\Anaconda3\lib\site-packages\statsmody = X[:m/2+1] + np.r_[0,X[m/2+1:],0]*1j$ 

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