

COSC2406
Assembly Language Programming
Assignment 1

Student ID: 239659420

SHOW ALL YOUR WORK (either in the same document or as a separate PDF scan), NO SUPPORT = 50% PENALTY. All your calculation work must be provided with the assignment. Submit your completed assignment electronically via Brightspace.

1. [10] Using Number Set#1 – (Decimal 39, 78, 221, 145) for this assignment and presuming an 8-bit number system (meaning that all numbers are 8-bits in size), convert each of the following numbers into:

a. Hexadecimal representation

1. 39

To convert to hexadecimal, you can use the remainder method. Divide 39 by 16:

Divide $39/16 = Q:2, R:7$ (Q: Quotient, R: Reminder)

Divide $2/16 = Q:0, R:2$

The final quotient is 0 and reminders are 7 and 2

The hexadecimal representation is 27.

2. 78

To convert to hexadecimal, you can use the remainder method. Divide 78 by 16:

Divide $78/16 = Q:4, R:E$ (14 in decimal)

Divide $4/16 = Q:0, R:4$

The final quotient is 0 and the remainders are E and 4.

The hexadecimal representation is 4E.

3. 221

To convert to hexadecimal, you can use the remainder method. Divide 221 by 16:

Divide $221/16 = Q:D(13 \text{ in decimal}), R:D(13 \text{ in decimal})$

Divide $D/16 = Q:0, R:D(13 \text{ in decimal})$

The final quotient is 0 and the remainders are D and D.

The hexadecimal representation is DD.

4. 145

To convert to hexadecimal, you can use the remainder method. Divide 145 by 16:

Divide $145/16 = Q:9, R:1$

Divide $9/16 = Q:0, R:9$

The final quotient is 0 and the remainders are 1 and 9.

The hexadecimal equivalent is 91.

b. Binary representation ()

1. 39

To convert to binary, you can use the remainder method and divide 39 by 2 repeatedly and note down remainders:

$39 / 2 = 19$ with a remainder of 1

$19 / 2 = 9$ with a remainder of 1

$9 / 2 = 4$ with a remainder of 1

$4 / 2 = 2$ with a remainder of 0

$2 / 2 = 1$ with a remainder of 0

$1 / 2 = 0$ with a remainder of 1

Reading the remainders from bottom to top, the 8-bit binary representation is 00100111

2. 78

$78 / 2 = 39$ with a remainder of 0

$39 / 2 = 19$ with a remainder of 1

$19 / 2 = 9$ with a remainder of 1

$9 / 2 = 4$ with a remainder of 1

$4 / 2 = 2$ with a remainder of 0

$2 / 2 = 1$ with a remainder of 0

$1 / 2 = 0$ with a remainder of 1

Reading the remainders from bottom to top, the 8-bit binary representation is 01001110.

3. 221

$221 / 2 = 110$ with a remainder of 1

$110 / 2 = 55$ with a remainder of 0

$55 / 2 = 27$ with a remainder of 1

$27 / 2 = 13$ with a remainder of 1

$13 / 2 = 6$ with a remainder of 1

$6 / 2 = 3$ with a remainder of 0

$3 / 2 = 1$ with a remainder of 1

$1 / 2 = 0$ with a remainder of 1

Reading the remainders from bottom to top, the 8-bit binary representation is 11011101.

4. 145

$145 / 2 = 72$ with a remainder of 1

$72 / 2 = 36$ with a remainder of 0

$36 / 2 = 18$ with a remainder of 0

$18 / 2 = 9$ with a remainder of 0

$9 / 2 = 4$ with a remainder of 1

$4 / 2 = 2$ with a remainder of 0

$2 / 2 = 1$ with a remainder of 0

$1 / 2 = 0$ with a remainder of 1

Reading the remainders from bottom to top, the 8-bit binary representation is 10010001.

2. [10] Using Number Set #2 (four binary numbers) 11101101b, 00011011b, 11110101b, 01100100b, show the value of each number as:

a. An unsigned decimal value (CALCULATIONS IN OTHER PDF NAMES calculations.pdf)

11101101b = 237

00011011b = 27

11110101b = 245

01100100 = 100

b. A signed decimal value

11101101b = -20

00011011b = 27

11110101b = -19

01100100 = 100

3. [10] Using Number Set #2 (four binary numbers) 01100100b, 10011010b, 01101101b, 11000110b, where the first number is considered to be A, the second number B, the third C, etc... calculate each of the following:

a) $A \vee B$, $A \vee C$, $A \vee D$ (\vee is the symbol for the OR operation)

$$A \vee B = 01100100b \vee 10011010b = 11111110b$$

$$A \vee C = 01100100b \vee 01101101b = 01101101b$$

$$A \vee D = 01100100b \vee 11000110b = 11100110b$$

b) $A \wedge B$, $A \wedge C$, $A \oplus D$ (\wedge is the symbol for the AND operation, \oplus is the symbol for the XOR operation)

$$A \wedge B = 01100100b \wedge 10011010b = 00000000b$$

$$A \wedge C = 01100100b \wedge 01101101b = 01100100b$$

$$A \oplus D = 01100100b \oplus 11000110b = 10100010b$$

4. [10] Using Number Set#3 - HEX 71AF2523h, 2B988398h, 9E5E4AD8h, 6B7C3487h (four hexadecimal numbers) where the first number is Q, the second number R, the third S, etc... calculate each of the following:

a) $Q + R$, $Q + S$, $Q + T$ (show the carry value – 9th digit, if there is a carry value)

METHOD 1:

$Q + R$:

$$Q = 71AF2523h = 1930950275 \text{ decimal}$$

$$R = 2B988398h = 731113240 \text{ decimal}$$

$$Q + R = 1930950275 + 731113240 = 2662063515 \text{ decimal}$$

$$\text{Converted back to hexadecimal: } 9E3F674Bh$$

There is no carry.

$Q + S$:

$$Q = 71AF2523h = 1930950275 \text{ decimal}$$

$$S = 9E5E4AD8h = 1661154136 \text{ decimal}$$

$$Q + S = 1930950275 + 1661154136 = 3592104411 \text{ decimal}$$

$$\text{Converted back to hexadecimal: } D6FD6DC3h$$

There is no carry.

$Q + T$:

$$Q = 71AF2523h = 1930950275 \text{ decimal}$$

$$T = 6B7C3487h = 1803720967 \text{ decimal}$$

$$Q + T = 1930950275 + 1803720967 = 3734671242 \text{ decimal}$$

$$\text{Converted back to hexadecimal: } DEEE599Ah$$

There is no carry.

METHOD 2:

1. $Q+R$:

$$71AF2523$$

$$+ 2B988398$$

$$9D3789BB$$

2. Q+S

71AF2523
+ 9E5E4AD8

1100D7FB

3. Q+T:

71AF2523
+ 6B7C3487

DD2B59AA

b) Q - R, Q - S, Q - T (use the TWO's complement method)

METHOD 1:

1.

$Q - R = 71AF2523h - 2B988398h = 71AF2523h + D4677C68h = 46179A8Bh$ (no carry)

2.

$Q - S = 71AF2523h - 9E5E4AD8h = 71AF2523h + 619B B527h + 1 = D39A7F4Bh$
(carry 1)

3.

$Q - T = 71AF2523h - 6B7C3487h = 71AF2523h + 9483CB78h + 1 = 0A32F09Ch$ (carry 1)

METHOD 2:

Q - R:

Two's complement of R: D4677C68h

$Q + (-R) = 71AF2523h + D4677C68h = 11605218Bh$ (no carry)

Q - S:

Two's complement of S: 61A1B528h

$Q + (-S) = 71AF2523h + 61A1B528h = D35E77ABh$ (carry 1)

Q - T:

Two's complement of T: 9483CB79h

$Q + (-T) = 71AF2523h + 9483CB79h = 0162F09A2h$ (no carry)

