1 a. Implement Multilinear Regression on Data1.csv. Display the coefficients. (that is B1, B2, B3)

b. Predict Y values for

Y X1 X2 X3

?507080

## ? 30 40 50

```
# Import necessary libraries
import numpy as np
import pandas as pd
# Read data from CSV file into a DataFrame
df = pd.read csv('C:/Users/raosu/Documents/Assignment 6
aiml/Data1.csv')
# Display the first few rows of the DataFrame
df.head()
   Υ
      X1 X2 X3
  43 30 63 33
1 63 45 47 52
2 71 68 67 62
     46 83 42
3 61
4 81
     66 84 42
# Create a new DataFrame 'x' by dropping the 'Y' column from the
original DataFrame 'df'
x = df.drop('Y', axis=1)
# Display the modified DataFrame 'x'
print(x)
# Insert a new column 'x0' at the beginning of the DataFrame with
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constant values [1, 1, 1, 1, 1, 1]
x.insert(0, 'x0', [1, 1, 1, 1, 1, 1])
# Convert the DataFrame 'x' to a NumPy array
x = x.values
# Display the resulting NumPy array
      X2 X3
   X1
   30
      63
           33
0
  45
      47 52
2
      67 62
  68
3
  46
      83 42
4 66
      84 42
5 36 50 66
array([[ 1, 30, 63, 33],
       [ 1, 45, 47, 52],
       [ 1, 68, 67, 62],
       [ 1, 46, 83, 42],
       [ 1, 66, 84, 42],
       [ 1, 36, 50, 66]], dtype=int64)
# Transpose the NumPy array 'x' to obtain the transpose 'x transpose'
x \text{ transpose} = x.T
# Display the transposed array
x transpose
array([[ 1, 1, 1, 1, 1, 1],
       [30, 45, 68, 46, 66, 36],
       [63, 47, 67, 83, 84, 50],
       [33, 52, 62, 42, 42, 66]], dtype=int64)
# Calculate the dot product of the transposed matrix 'x transpose' and
the original matrix 'x' to get 'x_transposeX'
x \text{ transposeX} = x \text{ transpose.dot}(x)
# Display the resulting matrix 'x transposeX'
x transposeX
array([[
            6, 291, 394,
                               297],
         291, 15317, 19723, 14626],
         394, 19723, 27112, 18991],
       [ 297, 14626, 18991, 15521]], dtype=int64)
# Calculate the inverse of the matrix 'x transposeX' using NumPy's
linear algebra module
x_transposeX_inv = np.linalg.inv(x_transposeX)
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# Display the inverse matrix 'x transposeX inv'
x transposeX inv
array([[ 1.69580230e+01, 8.31914459e-02, -1.73130574e-01,
        -1.91055228e-01],
       [ 8.31914459e-02, 1.89410821e-03, -1.54994977e-03,
        -1.48031635e-03],
       [-1.73130574e-01, -1.54994977e-03, 2.35593088e-03,
         1.89084867e-031,
       [-1.91055228e-01, -1.48031635e-03, 1.89084867e-03,
        2.80171396e-03]])
# Extract the dependent variable 'Y' from the DataFrame 'df' and
convert it to a NumPy array
y = df['Y'].values
# Display the resulting NumPy array 'y'
array([43, 63, 71, 61, 81, 43], dtype=int64)
# Calculate the dot product of the transposed matrix 'x transpose' and
the dependent variable 'y' to get 'x transposeY'
x \text{ transposeY} = x \text{ transpose.dot}(y)
# Display the resulting vector 'x transposeY'
x transposeY
array([ 362, 18653, 24444, 17899], dtype=int64)
# Calculate the coefficients of the linear regression model using the
normal equation
B hat = x transposeX inv.dot(x transposeY)
# Extract individual coefficients BO, B1, B2, B3 from the vector B hat
B0, B1, B2, B3 = B hat[0], B hat[1], B hat[2], B hat[3]
# Display the calculated coefficients
print("B0:", B0, "\nB1:", B1, "\nB2:", B2, "\nB3:", B3)
B0: 38.873096698266636
B1: 1.0629493797738405
B2: -0.1518057423441661
B3: -0.4065501253204644
# Predict the dependent variable 'Y' for new data (50, 70, 80) using
the calculated coefficients
y predicted = B0 + (B1 * 50) + (B2 * 70) + (B3 * 80)
# Display the predicted value of 'Y'
y predicted
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```
48.87015369722931
# Predict the dependent variable 'Y' for new data (30, 40, 50) using
the calculated coefficients
y_predicted = B0 + (B1 * 30) + (B2 * 40) + (B3 * 50)
# Display the predicted value of 'Y'
y_predicted
44.361842131691986
```

2. Implement Multiple Linear Regression to predict the price given the data set below. Do data preprocessing to fill the null value. Display the coefficients. (that is B1, B2, B3)

```
# Import necessary libraries
import numpy as np
import pandas as pd

# Read data from the CSV file 'HPriceData.csv' into a DataFrame 'df'
df = pd.read_csv('C:/Users/raosu/Documents/Assignment 6
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aiml/HPriceData.csv')
# Display the first few rows of the DataFrame 'df'
df.head()
   Area
        Bedrooms
                   Age
                         Price
  2600
              3.0
                    20
                        550000
  3000
              4.0
                    15
                        565000
2 3200
              NaN
                    18
                       610000
  3600
              3.0
                    30 595000
4 4000
              5.0
                  8 760000
# Replace non-numeric values ('?') with NaN
df = df.replace('?', np.nan)
# Convert columns to numeric type
df = df.apply(pd.to numeric)
# Fill NaN values with the median of each column
df = df.fillna(df.median())
# Create a new DataFrame 'x' by dropping the 'Price' column from the
original DataFrame 'df'
x = df.drop('Price', axis=1)
# Display the modified DataFrame 'x'
Χ
   Area
        Bedrooms
                   Age
  2600
              3.0
                    20
  3000
              4.0
                    15
1
2
              3.5
  3200
                   18
3
  3600
              3.0
                    30
4
  4000
              5.0
                    8
5 3000
              3.0
                    40
6 2500
              4.0
                   5
# Insert a new column 'x0' with constant value 1 at the beginning of
the DataFrame 'x'
x.insert(0, 'x0', [1, 1, 1, 1, 1, 1])
# Display the modified DataFrame 'x' with the new column 'x0'
Χ
             Bedrooms Age
   x0
      Area
      2600
0
    1
                  3.0
                        20
                  4.0
      3000
                        15
1
    1
2
      3200
                  3.5
                        18
    1
3
    1 3600
                  3.0
                        30
    1 4000
                  5.0
                         8
```

```
40
    1 3000
                  3.0
                  4.0 5
6 1 2500
# Convert the DataFrame 'x' to a NumPy array
x = x.values
# Display the resulting NumPy array 'x'
array([[1.0e+00, 2.6e+03, 3.0e+00, 2.0e+01],
       [1.0e+00, 3.0e+03, 4.0e+00, 1.5e+01],
       [1.0e+00, 3.2e+03, 3.5e+00, 1.8e+01],
       [1.0e+00, 3.6e+03, 3.0e+00, 3.0e+01],
       [1.0e+00, 4.0e+03, 5.0e+00, 8.0e+00],
       [1.0e+00, 3.0e+03, 3.0e+00, 4.0e+01],
       [1.0e+00, 2.5e+03, 4.0e+00, 5.0e+00]])
# Transpose the NumPy array 'x' to get 'x transpose'
x transpose = x.T
# Display the transposed array 'x transpose'
x transpose
array([[1.0e+00, 1.0e+00, 1.0e+00, 1.0e+00, 1.0e+00, 1.0e+00,
1.0e+001.
       [2.6e+03, 3.0e+03, 3.2e+03, 3.6e+03, 4.0e+03, 3.0e+03,
2.5e+031,
       [3.0e+00, 4.0e+00, 3.5e+00, 3.0e+00, 5.0e+00, 3.0e+00,
4.0e+00],
       [2.0e+01, 1.5e+01, 1.8e+01, 3.0e+01, 8.0e+00, 4.0e+01,
5.0e+00]])
# Calculate the dot product of the transposed array 'x transpose' and
the original array 'x' to get 'x transposeX'
x \text{ transposeX} = x \text{ transpose.dot}(x)
# Display the resulting matrix 'x transposeX'
x transposeX
array([[7.000e+00, 2.190e+04, 2.550e+01, 1.360e+02],
       [2.190e+04, 7.021e+07, 8.080e+04, 4.271e+05],
       [2.550e+01, 8.080e+04, 9.625e+01, 4.530e+02],
       [1.360e+02, 4.271e+05, 4.530e+02, 3.538e+03]])
# Calculate the inverse of the matrix 'x transposeX' using NumPy's
linear algebra module
x transposeX inv = np.linalg.inv(x transposeX)
# Display the resulting inverse matrix 'x transposeX inv'
x transposeX inv
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```
7.84051843e-04, -4.02559849e+00,
array([[ 1.65082071e+01,
        -2.13789879e-011,
       [ 7.84051843e-04,
                          1.25507721e-06, -1.02269182e-03,
       -5.07052381e-05],
       [-4.02559849e+00, -1.02269182e-03, 1.57552154e+00,
        7.64730964e-02],
       [-2.13789879e-01, -5.07052381e-05, 7.64730964e-02,
         4.83021991e-0311)
# Extract the 'Price' column from the DataFrame 'df' and convert it to
a NumPy array 'y'
y = df['Price'].values
# Display the resulting array 'y'
У
array([550000., 565000., 610000., 595000., 760000., 595000., 595000.])
# Calculate the dot product of the transposed array 'x transpose' and
the array 'y' to get 'x transposeY'
x transposeY = x transpose.dot(y)
# Display the resulting vector 'x transposeY'
x transposeY
array([4.27000e+06, 1.35315e+10, 1.57950e+07, 8.11600e+07])
# Calculate the coefficients 'B hat' using the formula: B hat =
(x transposeX inv) * x transposeY
B hat = x transposeX inv.dot(x transposeY)
# Extract individual coefficients B0, B1, B2, B3 from 'B hat'
B0, B1, B2, B3 = B hat[0], B hat[1], B hat[2], B hat[3]
# Display the calculated coefficients
print("B0:", B0, "\nB1:", B1, "\nB2:", B2, "\nB3:", B3)
B0: 163927.0857784897
B1: 62.32421045124647
B2: 64059.25664011389
B3: 912.4937231284566
# Predict the target variable 'y' using the calculated coefficients
y predicted = B0 + (B1 * 3000) + (B2 * 3) + (B3 * 40)
# Display the predicted value 'y predicted'
y predicted
579577.2359777091
# Predict the target variable 'y' using the calculated coefficients
for a new set of input values
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y_predicted = B0 + (B1 * 2500) + (B2 * 4) + (B3 * 5)
# Display the predicted value 'y_predicted'
y_predicted
580537.1070827037
```