

# CRYPTOGRAPHY AND NETWORK SECURITY

## ASSESSMENT – 03

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### SHA-512 ALGORITHM

Qn.No	Questions	Marks
1	<p>For the given plaintext "SATURDAY" determine the following using SHA-512 algorithm.</p> <p>(a) Find the length of padding bits</p> <p>(b) Determine the first twenty 64-bit words in hexadecimal format (W0 to W19)</p> <p>(c) Apply the majority function of round operation on buffers A, B and C</p> <p>(d) Apply the condition function of round operation on buffers E, F and G</p> <p>Consider the following values for the buffer.</p> <p>A 00111100 00111100</p> <p>B 10001000 00010001</p> <p>C 11001100 00110011</p> <p>D 10011001 01100110</p> <p>E 11100111 00011000</p> <p>F 11110000 00001111</p> <p>Theoretically verify the simulated results.</p>	10

### Code

```
private static final String[] BUFFER_VALUES = {  
    "00111100 00111100", // A  
    "10001000 00010001", // B  
    "11001111 00110011", // C  
    "10011001 01100110", // D  
    "11100111 00011000", // E
```

```

    "11110000 00001111" // F
};

public static void main(String[] args) {
    String input = "SATURDAY"; // Example input
    System.out.println("SHA-512 Implementation");
    System.out.println("=====");
    System.out.println("Input: " + input);
    String binaryInput = stringToBinary(input);
    System.out.println("Input in binary: " + binaryInput);
    System.out.println("Input length in bits: " + binaryInput.length());
    int originalLength = binaryInput.length();
    int paddingLength = calculatePaddingLength(originalLength);
    System.out.println("\nPadding Information:");
    System.out.println("Original message length: " + originalLength + " bits");
    System.out.println("Padding bits to be added: " + paddingLength + " bits (1 followed by " + (paddingLength - 1) + " zeros)");
    String paddedMessage = applyPadding(binaryInput, originalLength);
    System.out.println("Total length after padding: " + paddedMessage.length() + " bits");
    System.out.println("Number of 1024-bit blocks: " + (paddedMessage.length() / 1024));
    long[] words = calculateFirst20Words(paddedMessage);
    System.out.println("\nFirst 20 words (W0 to W19):");
    for (int i = 0; i < 20; i++) {
        System.out.printf("W%02d: %016x\n", i, words[i]);
    }

    calculateFunctions();
}

public static String stringToBinary(String input) {
    StringBuilder binary = new StringBuilder();
    for (char c : input.toCharArray()) {

```

```

    String binaryChar = Integer.toBinaryString(c);
    while (binaryChar.length() < 8) {
        binaryChar = "0" + binaryChar;
    }
    binary.append(binaryChar);
}
return binary.toString();
}

public static int calculatePaddingLength(int messageLength) {
    int k = 0;
    while ((messageLength + 1 + k + 128) % 1024 != 0) {
        k++;
    }
    return 1 + k; // 1 for the mandatory '1' bit plus k zeros
}

public static String applyPadding(String message, int originalLength) {
    StringBuilder padded = new StringBuilder(message);
    padded.append("1");
    while ((padded.length() + 128) % 1024 != 0) {
        padded.append("0");
    }

    String lengthBinary = Long.toBinaryString(originalLength);
    StringBuilder length128 = new StringBuilder();
    for (int i = 0; i < 64; i++) {
        length128.append("0");
    }
    while (lengthBinary.length() < 64) {
        lengthBinary = "0" + lengthBinary;
    }
}

```

```

length128.append(lengthBinary);
padded.append(length128);
return padded.toString();
}

public static long[] calculateFirst20Words(String paddedMessage) {
    long[] words = new long[80]; // SHA-512 uses 80 words total
    for (int i = 0; i < 16; i++) {
        String word64 = paddedMessage.substring(i * 64, (i + 1) * 64);
        words[i] = Long.parseUnsignedLong(word64, 2);
    }
    for (int i = 16; i < 20; i++) { // Only calculating first 20 as requested
        long s0 = rightRotate(words[i-15], 1) ^ rightRotate(words[i-15], 8) ^ (words[i-15] >>>
7);
        long s1 = rightRotate(words[i-2], 19) ^ rightRotate(words[i-2], 61) ^ (words[i-2] >>> 6);
        words[i] = words[i-16] ^ s0 ^ words[i-7] ^ s1; // CHANGED: Using XOR instead of
addition
    }
    return words;
}

public static long rightRotate(long value, int positions) {
    return (value >>> positions) | (value << (64 - positions));
}

public static void calculateFunctions() {
    System.out.println("\nFunction Results:");
    System.out.println("=====");
    long[] buffers = new long[6];

    for (int i = 0; i < 6; i++) {
        String binaryValue = BUFFER_VALUES[i].replace(" ", "");
        buffers[i] = Long.parseLong(binaryValue, 2);
    }
}

```

```

    }

    long A = buffers[0], B = buffers[1], C = buffers[2];

    long majority = (A & B) ^ (A & C) ^ (B & C);

    System.out.println("Majority Function Result:");

    System.out.printf("Maj(A,B,C) = %04x\n", majority);

    long D = buffers[3], E = buffers[4], F = buffers[5];

    long choice = (D & E) ^ (~D & F);


    System.out.println("\nCondition Function Result:");

    System.out.printf("Ch(D,E,F) = %04x\n", choice);

}

}

```

## Output :

```

PS D:\Documents\Crypto> javac SHA512.java ; java SHA512
SHA-512 Implementation
=====
Input: SATURDAY
Input in binary: 01010011010000010101010001010101010010010001000100000101011001
Input length in bits: 64

Padding Information:
Original message length: 64 bits
Padding bits to be added: 832 bits (1 followed by 831 zeros)
Total length after padding: 1024 bits
Number of 1024-bit blocks: 1

```

First 20 words (W0 to W19):

W00: 5341545552444159  
W01: 8000000000000000  
W02: 0000000000000000  
W03: 0000000000000000  
W04: 0000000000000000  
W05: 0000000000000000  
W06: 0000000000000000  
W07: 0000000000000000  
W08: 0000000000000000  
W09: 0000000000000000  
W10: 0000000000000000  
W11: 0000000000000000  
W12: 0000000000000000  
W13: 0000000000000000  
W14: 0000000000000000  
W15: 0000000000000040  
W16: 12c1545552444159  
W17: 8008000000000201  
W18: 1e6a85a3ede1b185  
W19: 0200100100001004

Function Results:

=====

Majority Function Result:

Maj(A,B,C) = 8c31

Choice Function Result:

Ch(D,E,F) = e109

## Manual Calculation :

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SHA-512 Algorithm.

plaintext : "SATURDAY".

a) Length of padding bits.

$$\text{length of plaintext (in bits)} = 8 \times 8 = 64 \text{ bits}$$

$$\begin{aligned} \text{length of padding bits} &= 64 + ? = 896 \bmod 1024 \\ &= 64 + \underline{832} = 896 \bmod 1024 \end{aligned}$$

$$\boxed{\text{Length of padding bits} = 832}$$

b) First 20 64-bit words in hexadecimal format (W<sub>0</sub> to W<sub>19</sub>)

$$\begin{aligned} W_0 = \text{SATURDAY} &= 01010011010000010101010001010101 \\ &\quad 01010010010001000100000101011001 \end{aligned}$$

$$= 53 \ 41 \ 54 \ 55 \ 52 \ 44 \ 41 \ 59$$

$$W_1 = \underbrace{1000 \dots 00}_{64 \text{ bits}} = 80 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00$$

$$W_2 = 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00$$

$$W_3 =$$

$$W_4 =$$

$$\vdots$$

$$W_{13} =$$

$$W_{14} =$$

$$W_{15} = 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 40$$

$$w_{16} = w_{16-16} \oplus \sigma_0^{512}(w_{16-15}) \oplus w_{16-7} \oplus \sigma_1^{512}(w_{16-2})$$

$$= w_0 \oplus \sigma_0^{512}(w_1) \oplus w_9 \oplus \sigma_1^{512}(w_{14})$$

$$\sigma_0^{512}(w_1) = \text{ROTR}^1(w_1) \oplus \text{ROTR}^8(w_1) \oplus \text{SHR}^7(w_1)$$

$$\begin{array}{r} \text{ROTR}^1(w_1) = 40 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \\ \text{ROTR}^8(w_1) = 00 \ 80 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \\ \text{SHR}^7(w_1) = 01 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \\ \hline 41 \ 80 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \end{array}$$

$$\begin{array}{r} w_{16} = 53 \ 41 \ 54 \ 55 \ 52 \ 44 \ 41 \ 59 \\ 41 \ 80 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \\ \hline 12 \ 01 \ 54 \ 55 \ 52 \ 44 \ 41 \ 59 \end{array}$$

$$\begin{array}{r} 0101 \\ 0100 \\ \hline 0001 \\ 011 \\ 001 \\ \hline 010 \end{array}$$

$$w_{17} = w_1 \oplus \sigma_0^{512}(w_2) \oplus w_{10} \oplus \sigma_1^{512}(w_{15})$$

$$\sigma_1^{512}(w_{15}) = \text{ROTR}^{19}(w_{15}) \oplus \text{ROTR}^{61}(w_{15}) \oplus \text{SHR}^6(w_{15})$$

$$\begin{array}{r} \text{ROTR}^{19}(w_{15}) = 00 \ 08 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \\ \text{ROTR}^{61}(w_{15}) = 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 02 \ 00 \\ \text{SHR}^6(w_{15}) = 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 01 \\ \hline 00 \ 08 \ 00 \ 00 \ 00 \ 00 \ 02 \ 01 \end{array}$$

$$\begin{array}{r} w_{17} = 80 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \ 00 \\ 00 \ 08 \ 00 \ 00 \ 00 \ 00 \ 02 \ 01 \\ \hline 80 \ 08 \ 00 \ 00 \ 00 \ 00 \ 02 \ 01 \end{array}$$

$$w_{18} = w_2 \oplus \sigma_0^{512}(w_3) \oplus w_{11} \oplus \sigma_1^{512}(w_{16})$$



$$\sigma_1^{512}(w_{16}) = \text{ROT}^{19}(w_{16}) \oplus \text{ROT}^{61}(w_{16}) \oplus \text{SHR}^6(w_{16})$$

$$w_{16} = 000100101100000101010100010101010101 \\ 00100100010000100000101011001$$

$$\text{ROT}^{19} = 10001000001010110010001001011000001010101 \\ 00010101010101001001000$$

$$\text{ROT}^{61} = 10010110000010101010001010101010010 \\ 010001000100000101011001000$$

$$\text{SHR}^6(w_{16}) = 0000000001001011000001010101000 \\ 101010101010010010001000100000101$$

$$\sigma_1^{512}(w_{16}) = 1E \ 6A \ 85 \ A3 \ ED \ E1 \ B1 \ 85$$

$$w_{18} = 1E \ 6A \ 85 \ A3 \ ED \ E1 \ B1 \ 85$$

$$w_{19} = w_3 \oplus \sigma_6^{512}(w_4) \oplus w_{12} \oplus \sigma_1^{512}(w_{17})$$

$$\sigma_1^{512}(w_{17}) = \text{ROT}^{19}(w_{17}) \oplus \text{ROT}^{61}(w_{17}) \oplus \text{SHR}^6(w_{17})$$

$$w_{17} = 100000000000010000000000000000000000000000 \\ 0000000000000000000000100000000000000000001$$

$$\text{ROT}^{19}(w_{17}) = 0000000000100000000011000000000001 \\ 000000000000000000000000000000000000000$$

$$\text{ROT}^{61}(w_{17}) = 0000000000100000000000000000000000 \\ 000000000000000000000010000000001100$$

$$\text{SHR}^6(w_{17}) = 000000100000000000001000000000000000 \\ 0000000000000000000000000000001000$$

$$\sigma_1^{512}(w_{17}) = 02 \ 00 \ 10 \ 01 \ 00 \ 00 \ 00 \ 0A$$

c) Majority Function of round operation on buffers A, B and C.

A - 00111100 00111100  
 B - 10001000 00010001  
 C - 11001100 00110011

$$\text{Majority}(x, y, z) = (x \text{ AND } y) \oplus (y \text{ AND } z) \oplus (z \text{ AND } x)$$

A AND B = 00001000 00010000  
 B AND C = 10001000 00010001  
 C AND A = 00001100 00110000  
 10001100 00110001

⇒ [8C 31]

d) Condition Function of round operation on buffers E, F and D.

D - 10011001 01100110  
 E - 11100111 00011000  
 F - 11110000 00001111

$$\text{Condition}(x, y, z) = (x \text{ AND } y) \oplus (\bar{x} \text{ AND } z)$$

(D AND E) = 10000001 00000000  
 (D AND F) = 01100000 00001001  
 11100001 00001001

⇒ [E1 09]

## Result

Therefore the simulated results are theoretically verified by the manual calculation results