VISVESVARAYA TECHNOLOGICAL UNIVERSITY

"JnanaSangama", Belgaum -590014, Karnataka.



MACHINE LEARNING

Submitted by

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in partial fulfillment for the award of the degree of BACHELOR OF ENGINEERING in COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING
(Autonomous Institution under VTU) BENGALURU-560019
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B. M. S. College of Engineering, Bull Temple Road, Bangalore 560019 (Affiliated To Visvesvaraya Technological University, Belgaum) Department of Computer Science and Engineering

CERTIFICATE



This is to certify that the Lab work entitled "MACHINE LEARNING" carried out by JEEVANTHI KASHYAP(1BM21CS080), who is bonafide student of B. M. S. College of Engineering. It is in partial fulfillment for the award of Bachelor of Engineering in Computer Science and Engineering of the Visvesvaraya Technological University, Belgaum during the year 2023-24. The Lab report has been approved as it satisfies the academic requirements in respect of Machine Learning Lab - (22CS6PCMAL) work prescribed for the said degree.

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Course outcomes:

CO1	Apply machine learning techniques in computing systems
CO2	Evaluate the model using metrics
CO3	Design a model using machine learning to solve a problem
CO4	Conduct experiments to solve real-world problems using appropriate machine learning techniques

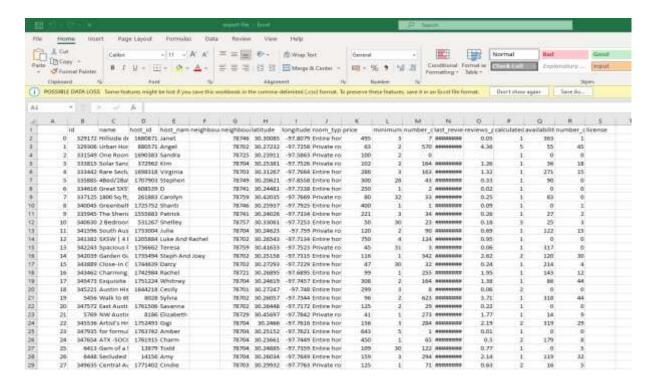
1. Write a python program to import and export data using Pandas library functions

Observation Screenshot:

S-our-24	Page 0
Week-01:-	
1 Write a python of export data us	rogeam to import and ing Pandas library function
import pandas as # Read csv file orisbnd - data = pd	pd read_csv("listings.csv")
# View first 5 ho airbad data head	()
airbadb_data.to_c	sv ("emport-file.civ")

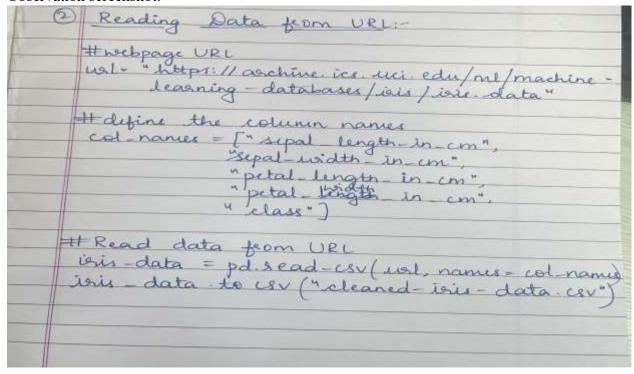
# 81 #	Nead the rbnb_dat View the	ndas as pd e CSV file ta = pd.read e first 5 ru ta.head()		stings.csv"	i							B ↑ ↓ 占 ¹	₽ 前
	id	name	host_id	host_name	neighbourhood_group	neighbourhood	latitude	longitude	room_type	price	minimum_nights	number_of_reviews	last_r
0	329172	Hillside designer home,10 min.dwntn	1680871	Janet	NaN	78746	30,30085	-97.80794	Entire home/apt	495	3	7	2022-
1	329306	Urban Homestead, 5 minutes to downtown	880571	Angel	NaN	76702	30.27232	-97,72579	Private room	63	2	570	2022-
2	331549	One Room with Private Bathroom	1690383	Sandra	NaN	78725	30.23911	-97.58625	Private room	100	2		1
3	333815	Solar Sanctuary - Austin Room	372962	Kim	NaN	75704	30.25381	-97.75262	Private room	102	2	164	2022-
4	333442	Rare Secluded 1940s Estate	1698318	Virginia	Nafil	78703	30.31267	-97.76641	Entire home/apt	286	3	163	2022-

airbnb_data.to_csv("export-file.csv")



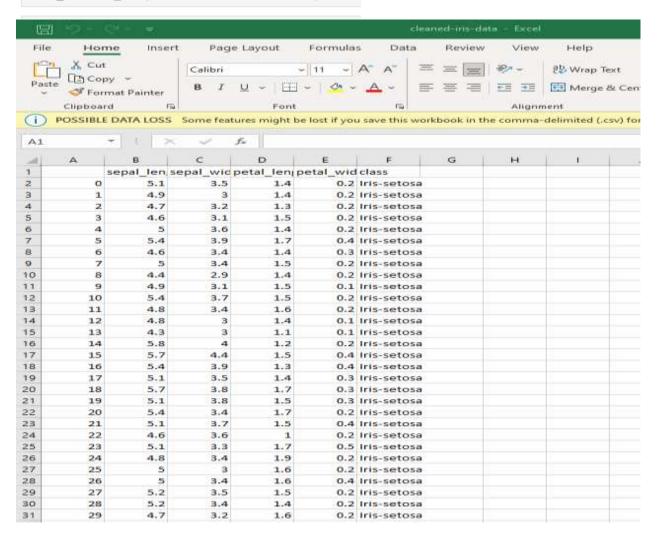
Reading data from URL:

Observation screenshot:



	sepal_length_in_cm	sepal_width_in_cm	petal_length_in_cm	petal_width_in_cm	class
0	5.1	3.5	1.4	0.2	Iris-setosa
1	4.9	3.0	1.4	0.2	Iris-setosa
2	4.7	3.2	1.3	0.2	Iris-setosa
3	4.6	3.1	1.5	0.2	Iris-setosa
4	5.0	3.6	1.4	0.2	iris-setosa

iris_data.to_csv("cleaned-iris-data.csv")



2. Demonstrate various data pre-processing techniques for a given dataset

Observation Screenshot:

0	
	Week-00-
*	Demonstrate various data pre-processing techniques
	Algorithm:
0	Impost dataset using pandas
2	Export dataset using pandas Reform dataset shape () to analyze shape of dataset.
3)	the inull () function from Pandas to analyse
4)	Deop or fill missing values according to
	of the contract
5)	Example: desopnal) and fillnal) Whe can generate dummy variable (is a binar, vociable that indicates whether a separate
	Categorical vousiable taken on a specific valu

```
%matplotlib inline
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import sklearn
dataset = pd.read_csv("Data.csv")
df = pd.DataFrame(dataset)
print(df.head())
  Country Age Salary Purchased
0 France 44.0 72000.0
   Spain 27.0 48000.0
                               No
2 Germany 30.0 54000.0
   Spain 38.0 61000.0
                                No
4 Germany 40.0
                  NaN
                                Yes
X = df.iloc[:, :-1].values
y = df.iloc[:, -1].values
print(X)
[['France' 44.0 72000.0]
['Spain' 27.0 48000.0]
 ['Germany' 30.0 54000.0]
 ['Spain' 38.0 61000.0]
 ['Germany' 40.0 nan]
 ['France' 35.0 58000.0]
 ['Spain' nan 52000.0]
['France' 48.0 79000.0]
['Germany' 50.0 83000.0]
['France' 37.0 67000.0]]
print(y)
['No' 'Yes' 'No' 'No' 'Yes' 'Yes' 'No' 'Yes' 'No' 'Yes']
```

: df2

	Country	Age	Salary	Purchased
0	France	44.0	72000.0	No
1	Spain	27.0	48000.0	Yes
2	Germany	30.0	54000.0	No
3	Spain	38.0	61000.0	No
4	Germany	40.0	NaN	Yes
5	France	35.0	58000.0	Yes
6	Spain	NaN	52000.0	No
7	France	48.0	79000.0	Yes
8	Germany	50.0	83000.0	No
9	France	37.0	67000.0	Yes

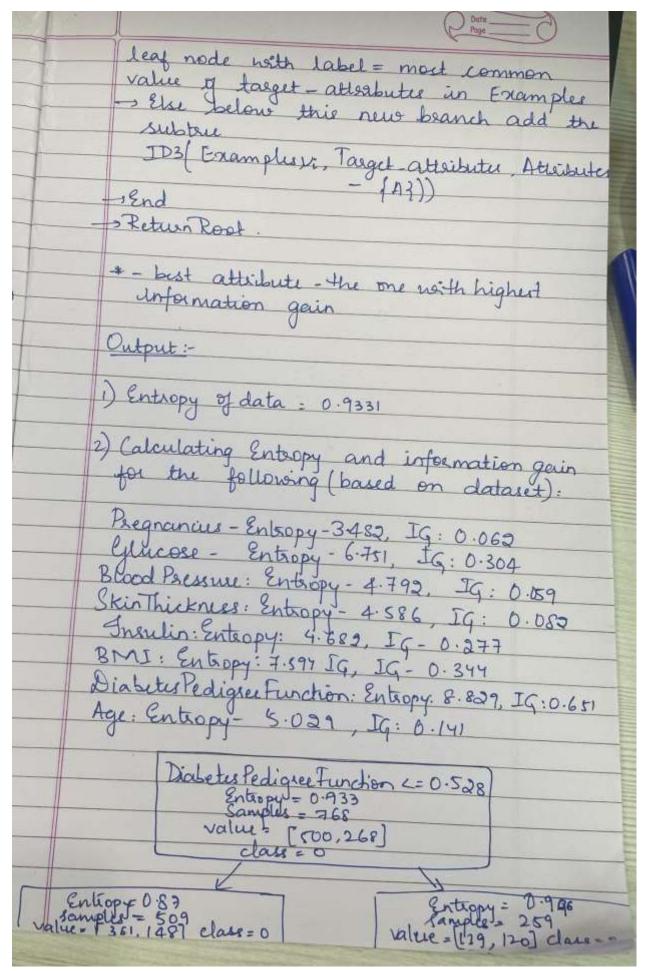
pd.get_dummies(df2)

:		Age	Salary	Country_France	Country_Germany	Country_Spain	Purchased_No	Purchased_Yes
	0	44.0	72000.0	True	False	False	True	False
	1	27.0	48000.0	False	False	True	False	True
	2	30.0	54000.0	False	True	False	True	False
	3	38.0	61000.0	False	False	True	True	False
	4	40.0	NaN	False	True	False	False	True
	5	35.0	58000.0	True	False	False	False	True
	6	NaN	52000.0	False	False	True	True	False
	7	48.0	79000.0	True	False	False	False	True
	8	50.0	83000.0	False	True	False	True	False
	9	37.0	67000.0	True	False	False	False	True

3. Use an appropriate data set for building the decision tree (ID3) and apply this knowledge to classify a new sample.

Observation Screenshot:

15-04-54	3.50
Week- 9: 103	
TD3 Massithmic	
Land to the second of the seco	
JD3 (Examples, Target-Attoibute, Attoibutes)	
Examples are the training examples	
larget' Attendute - whose Value is predicted	1
Attributes - List of other attributes that	No.
may be tested by the learned decision truly	
-> Create a Root node for the true	
If all examples are positive, Return the	
single - node tare not noith label = +	-
If all examples are negative, Return the single-node true Post, with label = -	
- If Attachetes are empty, Return the	MILE
single-node tree Root, with label = most	1
common value of target attaibute in	
Example	10/16
Otherwise Begin	
A the attribute from attributes that	
best * classifies Examples	
The decision attendent for Root & A	19/1
for each possible value, vi of A	14 15
- Add a new tree branch below Root	
corresponding to the test A = vi	
- Let Examples Vi be the Subset of	1
Examples that have value Vi for A	
-> If Examples Vi il empty	
- Then below this new beauch add a	
man dad o	1

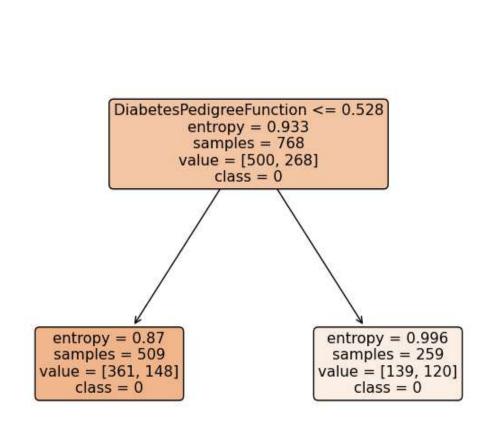


```
import pandas as pd
from sklearn.tree import DecisionTreeClassifier, plot_tree
import matplotlib.pyplot as plt
import math
df = pd.read_csv('/content/diabetes.csv')
df.head()
```

	Pregnancies	Glucose	BloodPressure	SkinThickness	Insulin	BMI	DiabetesPedigreeFunction	Age	Outcome
0	6	148	72	35	0	33.6	0.627	50	1
1	1	85	66	29	0	26.6	0.351	31	0
2	8	183	64	0	0	23.3	0.672	32	1
3	1	89	66	23	94	28.1	0.167	21	0
4	0	137	40	35	168	43.1	2.288	33	1

```
def calculate entropy(data, target column):
total rows = len(data)
target values = data[target column].unique()
entropy = 0
for value in target values:
       # Calculate the proportion of instances with the current value
       value count = len(data[data[target column] == value])
       proportion = value count / total rows
       entropy -= proportion * math.log2(proportion)
return entropy
entropy outcome = calculate entropy(df, 'Outcome')
print(f"Entropy of the dataset: {entropy outcome}")
       Entropy of the dataset: 0.9331343166407831
def calculate entropy(data, target column): # for each categorical variable
total rows = len(data)
target values = data[target column].unique()
entropy = 0
for value in target values:
       # Calculate the proportion of instances with the current value
       value count = len(data[data[target column] == value])
       proportion = value count / total rows
       entropy -= proportion * math.log2(proportion) if proportion != 0 else 0
return entropy
def calculate information gain(data, feature, target column):
```

```
# Calculate weighted average entropy for the feature
unique values = data[feature].unique()
weighted entropy = 0
for value in unique values:
       subset = data[data[feature] == value]
       proportion = len(subset) / len(data)
       weighted entropy += proportion * calculate entropy(subset, target column)
# Calculate information gain
information gain = entropy outcome - weighted entropy
return information gain
for column in df.columns[:-1]:
entropy = calculate entropy(df, column)
information gain = calculate information gain(df, column, 'Outcome')
print(f"{column} - Entropy: {entropy:.3f}, Information Gain: {information gain:.3f}")
     Pregnancies - Entropy: 3.482, Information Gain: 0.062
     Glucose - Entropy: 6.751, Information Gain: 0.304
     BloodPressure - Entropy: 4.792, Information Gain: 0.059
     SkinThickness - Entropy: 4.586, Information Gain: 0.082
     Insulin - Entropy: 4.682, Information Gain: 0.277
     BMI - Entropy: 7.594, Information Gain: 0.344
     DiabetesPedigreeFunction - Entropy: 8.829, Information Gain: 0.651
     Age - Entropy: 5.029, Information Gain: 0.141
# Feature selection for the first step in making decision tree
selected_feature = 'DiabetesPedigreeFunction'
# Create a decision tree
clf = DecisionTreeClassifier(criterion='entropy', max_depth=1)
X = df[[selected feature]]
y = df['Outcome']
clf.fit(X, y)
plt.figure(figsize=(8, 6))
plot tree(clf,
               feature names=[selected feature], class names=['0', '1'], filled=True,
rounded=True)
plt.show()
```



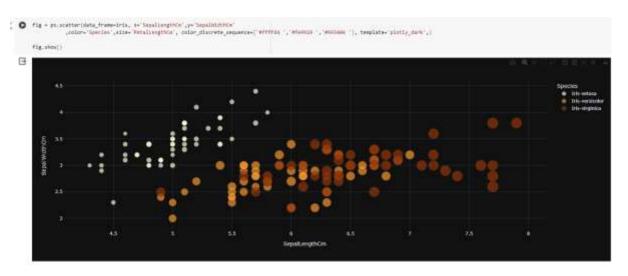
4. Build KNN Classification model for a given dataset.

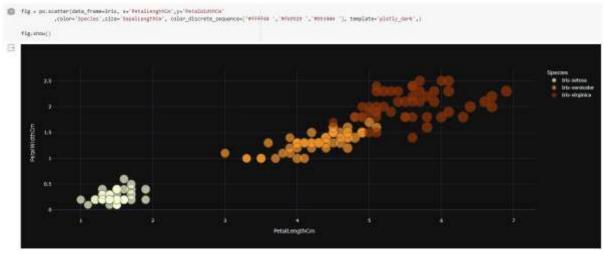
Observation Screenshot:

3/05/241	
Deubl KNN classification model for a give dataset.	
Algorithm:- 7 Define the nalue of K and a distance	
Too the given point calculate the distance between the given point E, every other point in the dataset.	
47 The class/ nature of the given point is the majority of that of & points	
distance metaic then $d = \sqrt{(x_1 - x_2)^2 + (y_1 - y_2)}$	2

```
y [1] import numpy as np
        import pandas as pd
        import matplotlib.pyplot as plt
        import plotly.express as px
        import seaborn as sns
  [3] iris = pd.read_csv("Iris.csv") #Load Data
        iris.drop('Id',inplace=True,axis=1) #Drop Id column

  [4] iris.head()
            SepalLengthCm SepalWidthCm PetalLengthCm PetalWidthCm
                                                                         Species
                                                                                    5.1
                                     3.5
                                                     1.4
                                                                   0.2 Iris-setosa
                       4.9
                                                                   0.2 Iris-setosa
         2
                       4.7
                                     3.2
                                                     1.3
                                                                   0.2 Iris-setosa
         3
                       4.6
                                     3.1
                                                     1.5
                                                                   0.2 Iris-setosa
                       5.0
                                     3.6
                                                                   0.2 Iris-setosa
                                                     1.4
    os [5] X = iris.iloc[:,:-1] #Set our training data
        y = iris.iloc[:,-1] #Set training labels
O fig - paginicia, 'Species', color_miacreta_sepance-| "#ffff66", "#f66000", "#88666" [,title-Tone Distribution ,template-'plothy_fack']
   41g show!
 Œ
         Data Distribution
```





```
[ [ class KNW:
            K-Nearest Neighbors (KNN) classification algorithm
            Parameters:
            m_neighbors : int, optional (default=5)
               Number of neighbors to use in the majority vote.
            Methods:
            fit(X_train, y_train):
               Stores the values of X_train and y_train.
            predict(X):
                Predicts the class labels for each example in {\bf X}.
            def __init__(self, n_neighbors=5):
                self.n_neighbors = n_neighbors
            def euclidean_distance(self, x1, x2):
                Calculate the Euclidean distance between two data points.
                Parameters:
                x1 : numpy.ndarray, shape (n_features,)
    A data point in the dataset.
                x2 : numpy.ndarray, shape (n_features,)
A data point in the dataset.
                Returns:
                distance : float
                The Euclidean distance between x1 and x2.
              return mp.linalg.norm(x1 - x2)
```

```
def fit(self, X_train, y_train):
    Stores the values of X train and y train.
    Parameters:
   X_train : numpy.ndarray, shape (n_samples, n_features)
        The training dataset.
   y_train : numpy.ndarray, shape (n_samples,)
       The target labels.
   self.X_train = X_train
    self.y_train = y_train
def predict(self, X):
    Predicts the class labels for each example in X.
    Parameters:
   X : numpy.ndarray, shape (n_samples, n_features)
       The test dataset.
    Returns:
    predictions : numpy.ndarray, shape (n_samples,)
      The predicted class labels for each example in X.
    # Create empty array to store the predictions
    predictions = []
    # Loop over X examples
    for x in X:
        # Get prediction using the prediction helper function
        prediction = self._predict(x)
        # Append the prediction to the predictions list
        predictions.append(prediction)
    return np.array(predictions)
```

```
def _predict(self, x):
   Predicts the class label for a single example.
   Parameters:
   x : numpy.ndarray, shape (n_features,)
       A data point in the test dataset.
   Returns:
   most_occuring_value : int
   The predicted class label for x.
   # Create empty array to store distances
   distances = []
    # Loop over all training examples and compute the distance between x and all the training examples
   for x_train in self.X_train:
       distance = self.euclidean_distance(x, x_train)
       distances.append(distance)
   distances = np.array(distances)
   # Sort by ascendingly distance and return indices of the given n neighbours
   n_neighbors_idxs = np.argsort(distances)[: self.n_neighbors]
   # Get labels of n-neighbour indexes
   labels = self.y_train[n_neighbors_idxs]
   labels = list(labels)
   # Get the most frequent class in the array
   most_occuring_value = max(labels, key=labels.count)
   return most occuring value
```

```
| def train_test_split(X, y, random_state=42, test_size=0.2):
         Splits the data into training and testing sets.
         Parameters:
             X (numpy.ndarray): Features array of shape (n_samples, n_features).
             y (numpy.ndarray): Target array of shape (n_samples,).
             random_state (int): Seed for the random number generator, Default 1s 42,
             test size (float): Proportion of samples to include in the test set. Default is 0.2.
         Tuple[numpy.ndarray]: A tuple containing X_train, X_test, y_train, y_test.
         # Get number of samples
        n_samples = X.shape[0]
        # Set the seed for the random number generator
        np.random.seed(random_state)
         # Shuffle the indices
         shuffled_indices = np.random.permutation(np.arange(n_samples))
         # Determine the size of the test set
         test_size - int(n_samples * test_size)
         # Split the indices into test and train
         test_indices = shuffled_indices[:test_size]
         train_indices = shuffled_indices[test_size:]
         # Split the features and target arrays into test and train
         X_train, X_test = X[train_indices], X[test_indices]
         y_train, y_test = y[train_indices], y[test_indices]
         return X_train, X_test, y_train, y_test
```

[12] X_train, X_test, y_train, y_test = train_test_split(X.values, y.values, test_size = 0.2, random_state=42) #

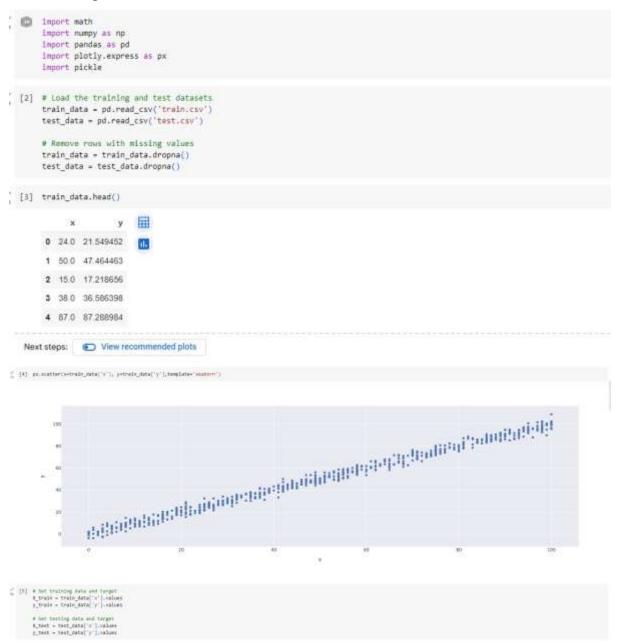
```
s [13] model = KNN(7)
       model.fit(X_train, y_train)
[ [14] def compute_accuracy(y_true, y_pred):
           Computes the accuracy of a classification model.
           Parameters:
           y_true (numpy array): A numpy array of true labels for each data point.
           y_pred (numpy array): A numpy array of predicted labels for each data point.
           float: The accuracy of the model, expressed as a percentage.
           y_true = y_true.flatten()
           total_samples = len(y_true)
           correct_predictions = np.sum(y_true == y_pred)
           return (correct_predictions / total_samples)
[ [15] predictions = model.predict(X_test)
       accuracy = compute_accuracy(y_test, predictions)
print(f" our model got accuracy score of : {accuracy}")
        our model got accuracy score of : 0.9666666666666667
[16] from sklearn.neighbors import KNeighborsClassifier
       skmodel = KNeighborsClassifier(n_neighbors=7)
       skmodel.fit(X_train, y_train)
                KNeighborsClassifier
       KNeighborsClassifier(n_neighbors=7)
/s [17] sk_predictions = skmodel.predict(X_test)
       sk_accuracy = compute_accuracy(y_test, sk_predictions)
       print(f" sklearn-model got accuracy score of : {sk_accuracy}")
        sklearn-model got accuracy score of : 0.966666666666667
```

18

5.Linear Regression Observation Screenshot:

(2)	Build Lineae Regression model for a given set.
(*26-)	Algorithm:
579	function linear regression (x, y, learning rate,
123-0173	Anitialize random values for slope(m) and intercept (b)
	for i=1 to num_iterations # Step-2: Compute predictions
	# Step-3: Compute Esson
	errors = predictions - y
14.14	Transaction of the second

Dorte Page
=# Step-4: Compute loss function 1058 = mean_ squared. error (error)
1058 = mean squared error (corred
Step-5: Gradient Descent gradient: m= (2/N) * sum(errors * x)
gradient:n= (2/N) * sum (erroes * x)
gradient -m = (2/N) * sum (earors)
m= m-leaening-rate * gradient-m
b = b - learning - rate * gradient - b.
The state of the s
Return m, b
function mean-squased-error (errors) squared-errors = errori²
Squared-egross = egrori2
mse = sum (squared-error) / In(errors)
setuen mee.
Aprilla (S) which the all-



```
[0]
         Standardizes the input data using mean and standard deviation,
             X_train (numpy.ndarray): Training data.
X_test (numpy.ndarray): Testing data.
         Tuple of standardized training and testing data.
         # Calculate the mean and standard deviation using the training data
         mean = np.mean(X_truin, axis=0)
std = np.std(X_train, axis=0)
         %_train = (X_train - mean) / std
X_test = (X_test - mean) / std
         return X_train, X_test
     X_train, X_test = standardize_data(X_train, X_test)
[7] K_train = np.expand_tims(X_train, exis=-1)
      X test + rg.expand dima(K test, axis+-1)
[8] class LinearRegression:
         Linear Regression Podel with Gradient Descent
         linear regression is a supervised machine learning algorithm used for modeling the relationship between a dependent variable (target) and one or more independent variables (features) by fitting
         a linear equation to the observed data.
         this class implements a linear regression model using gradient descent optimization for training. It provides methods for model initialization, training, prediction, and model persistence.
            learning rate (float): The learning rate used in gradient descent, convergence_tol (float, optional): The tolerance for convergence (stopping criterion). Defaults to ie-6.
        Attributes
           ATTRIBUTES!
[8]
                W (numpy.ndarray): Coefficients (weights) for the linear regression model.
                b (float): Intercept (bias) for the linear regression model.
           Methods:
                initialize_parameters(n_features): Initialize model parameters.
                forward(X): Compute the forward pass of the linear regression model.
                compute_cost(predictions): Compute the mean squared error cost.
                backward(predictions): Compute gradients for model parameters.
                fit(X, y, iterations, plot_cost=True): Fit the linear regression model to training data.
                predict(X): Predict target values for new input data.
                save_model(filename=None): Save the trained model to a file using pickle.
                load_model(filename): load a trained model from a file using pickle.
                >>> from linear_regression import LinearRegression
                >>> model - LinearRegression(learning_rate=0.01)
                >>> model.fit(X_train, y_train, iterations=1808)
                >>> predictions = model.predict(X_test)
           def __init__(self, learning_rate, convergence_tol=ie-6):
                self.learning_rate = learning_rate
                self.convergence_tol = convergence_tol
                self.W = None
                self.b - None
           def initialize parameters(self, n_features):
                Initialize model parameters.
                Parameters
                n_features (int): The number of features in the input data.
                self.W - np.random.randn(n_features) * 0.01
                self.b = 6
           def forward(self, X):
                Compute the forward pass of the linear regression model.
                    X (numpy.ndarray): Input data of shape (m, n_features).
```

```
[8]
            Returnst
             numpy.ndarray: Predictions of shape (m,).
            return np.dot(X, self.W) + self.b
         def compute_cost(self, predictions):
            Compute the mean squared error cost.
            Parameters:
                predictions (numpy.ndarray): Predictions of shape (m,).
            Returns:
            float: Mean squared error cost.
             m = len(predictions)
            cost = np.sum(np.square(predictions - self.y)) / (2 * m)
            return cost
         def backward(self, predictions):
            Compute gradients for model parameters.
            Parameters:
                predictions (numpy.ndarray): Predictions of shape (m,).
            Updates:
                numpy.ndarray: Gradient of W.
                float: Gradient of b.
             m = len(predictions)
             self.dw = np.dat(predictions + self.y, self.X) / m
             self.db - np.sum(predictions - self.y) / m
         def fit(self, X, y, iterations, plot_cost=True):
             Fit the linear regression model to the training data.
            Parameters:
                X (numpy.odarray): Training input data of shape (m. n_features).
                 y (numpy.ndarray): Training labels of shape (m,).
                 iterations (int): The number of iterations for gradient descent.
                plot_cost (bool, optional): Whether to plot the cost during training. Defaults to True.
```

```
Raises:
    AssertionError: If input data and labels are not NumPy arrays or have mismatched shapes.
Plotly line chart showing cost vs. iteration (if plot_cost is True).
assert isinstance(X, mp.ndarray), "X must be a NumPy array"
assert isinstance(y, np.ndarray), "y must be a Numby array" assert X.shape[0] -- y.shape[0], "X and y must have the same number of samples" assert iterations > 0, "Iterations must be greater than 0"
self.y = ;
self.initialize_parameters(X.shape[1])
costs - []
for i in range(iterations):
     predictions - self.forward(X)
     cost = self.compute_cost(predictions)
self.backward(predictions)
     self.W -- self.learning_rate * self.dW
     self.b -= self.learning_rate * self.db
     costs.append(cost)
    if 1 % 100 == 0;
          print(f'Iteration: (i), Cost: (cost)')
    if i > 0 and abs(costs[-1] - costs[-2]) < self.coovergence_tol:
    print(f'Converged after (i) iterations.')
if plot cost:
     fig = px.line(y=costs, title="Cost vs Iteration", template="plotly_dark")
     fig.update_layout(
          title font color="#418EEG",
xaxis=dict(color="#418EEG", title="Iterations"),
yaxis=dict(color="#418EEG", title="Cost")
   fig.show()
```

```
fig.show()
def predict(self, X):
   Predict target values for new input data.
       X (numpy.ndarray): Input data of shape (m, n_features).
   Returns:
    numpy.ndarray: Predicted target values of shape (m,).
    return self.forward(X)
def save_model(self, filename=None):
   Save the trained model to a file using pickle.
   Parameters:
    filename (str): The name of the file to save the model to.
    model_data - {
        'learning rate': self.learning rate,
       "convergence_tol": self.convergence_tol,
       'W': self.W.
       "b": self.b
   with open(filename, 'wb') as file:
       pickle.dump(model_data, file)
def load_model(cls, filename):
   toad a trained model from a file using pickle.
   Parameters:
       filename (str): The name of the file to load the model from.
   WILL OPEN TITERAME, NO. / NO. TILE;
       pickle.dump(model_data, file)
```

```
pickle.dump(model_data, file)

@classmethod
def load_model(cls, filename):
    """

Load a trained model from a file using pickle.

Parameters:
    filename (str): The name of the file to load the model from.

Returns:
    LinearRegression: An instance of the LinearRegression class with loaded parameters.

with open(filename, 'rb') as file:
    model_data = pickle.load(file)

# Create a new instance of the class and initialize it with the loaded parameters loaded_model = cls(model_data['b']
loaded_model.W = model_data['W']
loaded_model.W = model_data['b']

return loaded_model

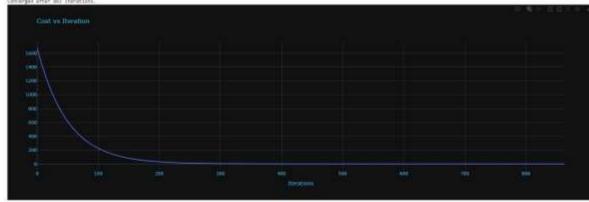
model_model

return loaded_model
```

9] lr = LinearRegression(0.01) lr.fit(X_train, y_train, 10000)

```
Iteration: 0, Cost: 1670.0184887161677
Iteration: 100, Cost: 227.15535101517312
Iteration: 200, Cost: 33.8410169614528
Iteration: 300, Cost: 7.9408253395546575
Iteration: 400, Cost: 4.4707200072934835
Iteration: 500, Cost: 4.005803317750673
Iteration: 600, Cost: 3.943513116253261
Iteration: 700, Cost: 3.9351674953098015
Iteration: 800, Cost: 3.9340493517293090
Converged after 863 iterations.
```

```
Ituration RMS, Cost: 3.0148407517250000
Converged after BEI Iturations.
```



```
[10] In accommodify word poly [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [ [10] [[10] [ [10] [[10] [[
```

```
[43] class RegressionMetrics:
            Sstationethod
            def mean_squared_error(y_true, y_pred):
                Calculate the Mean Squared Error (MSE).
                   y_true (numpy.odarray); The true target values.
                    y_pred (numpy.ndarray): The predicted target values.
                float: The Mean Squared Error.
                assert len(y_true) -- len(y_pred), "Input arrays must have the same length." mse - np.mean((y_true - y_pred) ** 2)
               return mse
            Estationethod
            def root_mean_squared_error(y_true, y_pred):
                Calculate the Root Mean Squared Error (RMSE).
                   y_true (numpy.ndarray): The true target values.
                    y_pred (numpy.ndarray): The predicted target values.
                Returns:
               float: The Noot Mean Squared Error,
               assert len(y\_true) -- len(y\_pred), "Input arrays must have the same length."
               mse - RegressionMetrics.mean_squared_error(y_true, y_pred)
               rmse = np.sqrt(mse)
return rmse
            #stationethod
            def r_squared(y_true, y_pred):
                Calculate the R-squared (R^2) coefficient of determination.
             Arres:
```

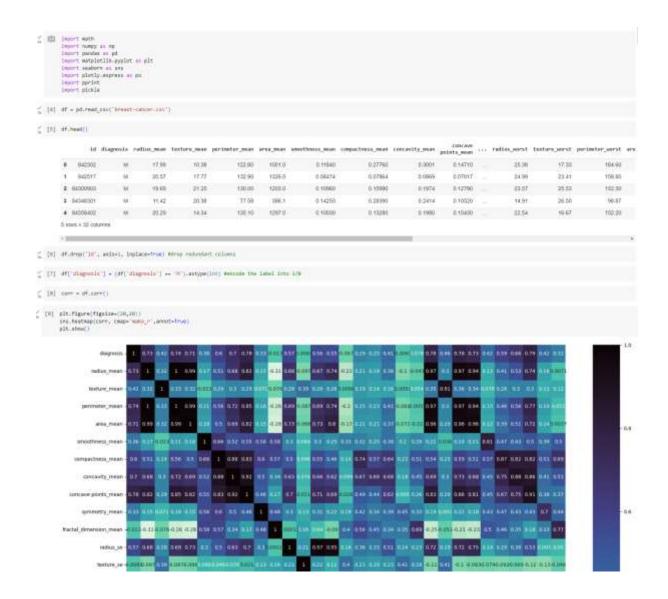
```
#staticmethod
[62]
           def r_squared(y_true, y_pred):
                  Calculate the R-squared (R^2) coefficient of determination.
                       y_true (numpy,ndarray): The true target values.
                       y_pred (numpy.ndarray): The predicted target values.
                  float: The R-squared (R^2) value.
                  assert len(y_true) -- len(y_pred), "Input arrays must have the same length,"
                 mean_y = np.mean(y_true)
ss_total = np.sum((y_true - mean_y) ** 2)
ss_residual = np.sum((y_true - y_pred) ** 2)
r2 = 1 - (ss_residual / ss_total)
                  return r2
[13] y_pred = model.predict(X_test)
       mse_value - RegressionMetrics.mean_squared_error(y_test, y_pred)
       rese_value - RegressionMetrics.root_mean_squared_error(y_test, y_pred)
       r\_squared\_value - Regression Metrics.r\_squared(y\_test, y\_pred)
      print(f"Mean Squared Error (MSE): { mse_value}")
print(f"Root Mean Squared Error (RMSE): { rmse_value}")
print(f"R-squared (Coefficient of Determination): { r_squared_value}")
       Mean Squared Error (MSE): 9.44266965025894
Root Mean Squared Error (RMSE): 3.87289271701805
R-squared (Coefficient of Determination): 0.9887898724670081
 O model.predict([[2]])
       array([187.82727115])
```

6.Logistic Regression

Observation Screenshot:

oXe.	Implement Logistic Regression Veing Appropriate
Re l	Latant
	function logistic regression (x, y, learning rate,
	num its):
	beight (w) &
	for i=1 to num its logits = X * W + b fued = sigmoid (logite) loss = compute loss (y, ked) update weighte & has using gradient
	logite = X * W+b
4	pred = sigmoid (logite)
table	loss = compute loss (y, ked)
	update weighte & has hing geodient
Former	atab at i set year betiling
	Return w.b
	function sigmoid (x)
(1)	neturn 1 M 1+ exp(-x))
	function sigmoid (x) return 1/(1+ exp(-x)) function compute loss (y-true, y-fied):

	1000 - mian (11 taus - 100 (4 120d) + (1+
	1088 = - mean (y-true x log (y-fred) + (1+ y-true)* log(1-y-fred
/x 46	situen loss.

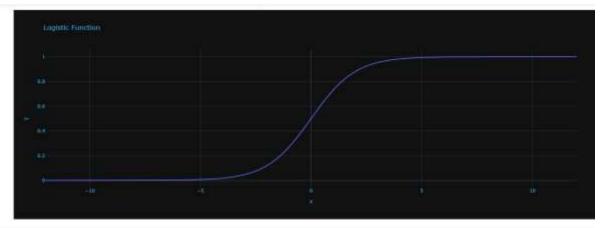


```
[D] # Get the absolute value of the correlation
         cor_target = abs(corr["diagnosis"])
         # Select highly correlated features (thresold = \theta.2)
         relevant_features = cor_target[cor_target>0.2]
         # Collect the names of the features
         names * [index for index, value in relevant_features.items()]
         # Drop the target variable from the results
         names.remove('diagnosis')
         # Display the results
         pprint.pprint(names)
   ['radius_mean', 'texture_mean',
          'perimeter mean',
'area_mean',
'smoothness_mean',
'compactness_mean',
           'concavity_mean',
           'concave points_mean',
           'symmetry_mean',
'radius_se',
           'perimeter_se',
          'area_se',
'compactness_se',
           'concavity_se',
           'concave points_se',
          'radius_worst',
'texture_worst',
           'perimeter_worst',
'area_worst',
           'smoothness_worst',
'compactness_worst',
           'concavity_worst',
'concave points_worst',
'symmetry_worst',
           'fractal_dimension_worst']
```

```
[13] X = df[names].values
    y = df['diagnosis'].values
```

```
[14] def train_test_split(X, y, random_state=42, test_size=0.2):
         Splits the data into training and testing sets.
         Parameters:
            X (numpy.ndarray): Features array of shape (n_samples, n_features).
             y (numpy.ndarray): Target array of shape (n_samples,).
             random_state (int): Seed for the random number generator. Default is 42.
             test_size (float): Proportion of samples to include in the test set. Default is 0.2.
         Tuple[numpy.ndarray]: A tuple containing X_train, X_test, y_train, y_test.
         # Get number of samples
         n_samples = X.shape[0]
         # Set the seed for the random number generator
         np.random.seed(random_state)
         # Shuffle the indices
         shuffled_indices = np.random.permutation(np.arange(n_samples))
         # Determine the size of the test set
         test_size = int(n_samples * test_size)
         # Split the indices into test and train
         test_indices = shuffled_indices[:test_size]
         train_indices = shuffled_indices[test_size:]
         # Split the features and target arrays into test and train
         X_train, X_test = X[train_indices], X[test_indices]
         y_train, y_test = y[train_indices], y[test_indices]
         return X_train, X_test, y_train, y_test
```

```
[ [ X_train, X_test, y_train, y_test = train_test_split(X,y)
[16] def standardize_data(X_train, X_test):
           Standardizes the input data using mean and standard deviation.
           Parameters:
               X_train (numpy.ndarray): Training data.
               X_test (numpy.ndarray): Testing data.
           Tuple of standardized training and testing data.
           # Calculate the mean and standard deviation using the training data
           mean - np.mean(X_train, axis-0)
           std = np.std(X_train, axis=0)
           # Standardize the data
           X_train = (X_train - mean) / std
           X_test = (X_test - mean) / std
           return X_train, X_test
       X_train, X_test = standardize_data(X_train, X_test)
[17] def signoid(z):
           Compute the signoid function for a given input.
           The signoid function is a mathematical function used in logistic regression and neural networks
           to map any real-valued number to a value between 0 and 1.
               z (float or numpy.ndarray): The input value(s) for which to compute the signoid.
              float or numpy.ndarray: The sigmoid of the input value(s).
           Example:
              >>> sigmoid(0)
         # Compute the sigmoid function using the formula: 1 / (1 + e^{-z}).
         sigmoid_result = 1 / (1 + np.exp(-z))
         \ensuremath{\text{\#}} Return the computed sigmoid value.
         return sigmoid_result
z = np.linspace(-12, 12, 200)
     fig = px.line(x=z, y=sigmoid(z),title='Logistic Function',template="plotly_dark")
     fig.update_layout(
         title font color="#41BEE9",
         xaxis=dict(color="#41BEE9"),
         yaxis=dict(color="#41BEE9")
     fig.show()
```



```
[15] Class inglatic Regression model.

Farantims:

| learning_vits (float): Learning rate for the model.

Nutbels:
| Initialize_parameter(): Initializes the parameters of the model.
| signoid(): Computes the identify further for given input s.
| forward(): Computes forward propagation for given input s.
```

```
[19]
          def __init__(self, learning_rate=8.8081):
               np.random.seed(1)
self.learning_rate = learning_rate
          def initialize_parameter(self):
               Initializes the parameters of the model.
               self.W = np.teros(self.X.shape{1})
self.b = 0.8
          def forward(self, X):
               Computes forward propagation for given input X.
               Parameters:
                   X (numpy.ndarray): Input array.
              numpy.ndarray: Output array.
                print(X.shape, self.W.shape)
              Z = np.matmul(X_a self.W) = self.b
               A = sigmoid(Z)
               return A
          def compute_cost(self, predictions):
               Computes the cost function for given predictions.
               Parameters:
                  predictions (numpy,ndarray): Predictions of the model.
               float: Cost of the model,
               m - self.X.shape[0] # number of training examples
               # compute the cost

cost = np.sum((-np.log(predictions + ie-8) * self.y) + (-np.log(1 - predictions + ie-8)) * (

1 - self.y)) # we are adding small value epsilon to avoid log of 0
```

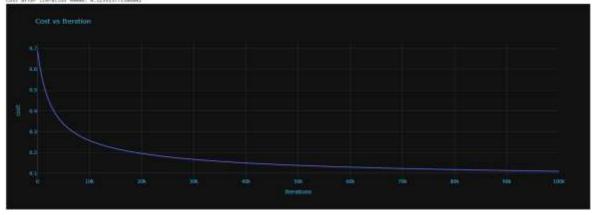
```
[19]
            m = self.X.shape[0] # number of training examples
            # compute the cost
            cost = np.sum((-np.log(predictions + 1e-8) * self.y) + (-np.log(1 - predictions + 1e-8)) * (
                   1 - self.y)) # we are adding small value epsilon to avoid log of 0
            cost = cost / m
            return cost
         def compute_gradient(self, predictions):
            Computes the gradients for the model using given predictions.
            Parameters:
            predictions (numpy.ndarray): Predictions of the model.
            # get training shape
            m = self.X.shape[0]
            # compute gradients
            self.dW = np.matmul(self.X.T, (predictions - self.y))
            self.dW = np.array([np.mean(grad) for grad in self.dW])
            self.db = np.sum(np.subtract(predictions, self.y))
            # scale gradients
            self.dW = self.dW * 1 / m
            self.db = self.db * 1 / m
         def fit(self, X, y, iterations, plot_cost=True):
            Trains the model on given input \boldsymbol{X} and labels \boldsymbol{y} for specified iterations.
            Parameters:
                X (numpy.ndarray): Input features array of shape (n_samples, n )
                y (numpy.ndarray): Labels array of shape (n_samples, 1)
                iterations (int): Number of iterations for training.
                plot_cost (bool): Whether to plot cost over iterations or not.
            Returns:
            None.
            self.X = X
```

```
selt.X = X
19]
             self.y = y
             self.initialize_parameter()
             costs = []
             for i in range(iterations):
                 # forward propagation
                 predictions = self.forward(self.X)
                 # compute cost
                 cost = self.compute_cost(predictions)
                 costs.append(cost)
                 # compute gradients
                 self.compute_gradient(predictions)
                 # update parameters
                 self.W = self.W - self.learning_rate * self.dW
                 self.b = self.b - self.learning_rate * self.db
                 # print cost every 100 iterations
                 if i % 10000 == 0:
                     print("Cost after iteration {}: {}".format(i, cost))
             if plot_cost:
                 fig = px.line(y=costs,title="Cost vs Iteration",template="plotly_dark")
                 fig.update_layout(
                     title_font_color="#41BEE9",
xaxis=dict(color="#41BEE9",title="Iterations"),
yaxis=dict(color="#41BEE9",title="cost")
                 fig.show()
        def predict(self, X):
             Predicts the labels for given input \boldsymbol{X}.
             Parameters:
                X (numpy.ndarray): Input features array.
             numpy.ndarray: Predicted labels.
```

```
[19]
             predictions = self.forward(X)
              return np.round(predictions)
          def save_model(self, filename=None):
              Save the trained model to a file using pickle.
             Parameters:
              filename (str): The name of the file to save the model to.
              model_data - [
                  'learning rate': self.learning rate,
                  'W': self.W.
                  'b': self.b
             with open(filename, 'wb') as file:
                  pickle.dump(model_data, file)
          Sclassmethod
          def load_model(cls, filename):
             Load a trained model from a file using pickle.
             Parameters:
                  filename (str): The name of the file to load the model from.
             LogisticRegression: An instance of the LogisticRegression class with loaded parameters.
             with open(filename, 'rb') as file:
                 model_data - pickle.load(file)
              # Create a new instance of the class and initialize it with the loaded parameters
              loaded_model = cls(model_data['learning_rate'])
              loaded_model.W = model_data['W'
             loaded_model.b - model_data['b']
             return loaded_model
(E) lg - inglatioRegression()
lg.Fitta_train_j_train_trasse)
```

G. Fitta train. p (fell. heree)

Cost after iteration 90000: 0.550770279856184
Cost after iteration 30000: 0.550770279856184
Cost after iteration 30000: 0.500770279856184
Cost after iteration 30000: 0.5005720770179856184
Cost after iteration 30000: 0.5005720770179876070
Cost after iteration 30000: 0.500579718070498
Cost after iteration 30000: 0.50070418174191
Cost after iteration 30000: 0.570149020980129
Cost after Iteration 30000: 0.570149027980700707
Cost after Iteration 30000: 0.570149027980700707
Cost after Iteration 30000: 0.570149027980700707



```
[22] lg.save_model("model.pkl")
( [ class ClassificationMetrics:
           def accuracy(y_true, y_pred):
               Computes the accuracy of a classification model.
               y_true (numpy array): A numpy array of true labels for each data point,
               y_pred (numpy array): A numpy array of predicted labels for each data point.
               float: The accuracy of the model, expressed as a percentage.
               y_true = y_true.flatten()
               total_samples = len(y_true)
correct_predictions = np.sum(y_true == y_pred)
               return (correct_predictions / total_samples)
           Estationethod
           def precision(y_true, y_pred):
               Computes the precision of a classification model.
              y_true (numpy array): A numpy array of true labels for each data point.
y_pred (numpy array): A numpy array of predicted labels for each data point.
              float: The precision of the model, which measures the proportion of true positive predictions out of all positive predictions made by the model.
              true_positives = np.sum((y_true \rightarrow 1) & (y_pred \rightarrow 1)) false_positives = np.sum((y_true \rightarrow 0) & (y_pred \rightarrow 1)) return true_positives / (true_positives + false_positives)
             @staticmethod
 [23]
             def recall(y_true, y_pred):
                  Computes the recall (sensitivity) of a classification model.
                  y_true (numpy array): A numpy array of true labels for each data point.
                 y_pred (numpy array): A numpy array of predicted labels for each data point.
                  Returns:
                  float: The recall of the model, which measures the proportion of true positive predictions
                  out of all actual positive instances in the dataset.
                 true_positives = np.sum((y_true == 1) & (y_pred == 1))
                  false_negatives = np.sum((y_true == 1) & (y_pred == 0))
                  return true positives / (true positives + false negatives)
             @staticmethod
             def f1_score(y_true, y_pred):
                  Computes the F1-score of a classification model.
                  Parameters:
                  y_true (numpy array): A numpy array of true labels for each data point.
                  y_pred (numpy array): A numpy array of predicted labels for each data point.
                  Returns:
                  float: The F1-score of the model, which is the harmonic mean of precision and recall.
                  precision_value = ClassificationMetrics.precision(y_true, y_pred)
                  recall_value = ClassificationMetrics.recall(y_true, y_pred)
                  return 2 * (precision_value * recall_value) / (precision_value + recall_value)
 [24] model = LogisticRegression.load model("model.pkl")
```

7.Build Support vector machine model for a given dataset Algorithm Observation Screenshot:

24-05-24	
1. 3.4	Week-4
	SOMULIA THE STATE OF THE STATE
-	Support Vector Machine
	- des purasses re-h
	Algorithm
280	1. Define Kunel-function
FEG WALL	Ex: k(x1) x2) = x1.x2
100	2. Solve the quadratic programming problem to
- ASSASA	find the & value
	3. Compute weight and bias
	4. Identify they the support rectors
	5. Make predictions
	the state of the s
- 6	Dulput:-
	-> Model = svm(x)
	model. fit (x-train, y-train)
	Predictions = 3 model, bredict (x text) }
	accusacy (y-test, predictions)
	0.962300.
	the state of the s
	- model. predict ([-0.47 069, -0.1604
	0.19695) anayle
	- Jeninge

```
from google.colab import drive
       drive.eount('/content/drive')
   A+ Mounted at /content/drive
[2] import seaborn as ans
       import numpy as no
       import pendes as po
       import matplotlib.pyplot as plt
       import plotly, express as px
[3] df = pd.read_csv('/content/drive/MyDrive/breast-cancer.csv')
       df.head()
   \pm
                id diagnosis radius_mean texture_mean perimeter_mean ares_mean smoothness_mean compactness_mean concavity_mean concavity_mean points_mean
        0
           842302
                           M
                                    17.99
                                                  10.38
                                                               122.80
                                                                          1001.0
                                                                                         0.11840
                                                                                                         0.27760
                                                                                                                         0.3001
                                                                                                                                     0.14710
           842517
                                                  17.77
                                                               132.90
                                                                                         0.08474
                                                                                                         0.07864
                                                                                                                         0.0889
                                    20.57
                                                                          1326.0
                                                                                                                                     0.07017
       2 84300903
                           M
                                                 21.25
                                                                                                         0.15998
                                                                                                                         0.1974
                                    19.69
                                                               130.00
                                                                          1203 0
                                                                                        0.10050
                                                                                                                                     0.12790
        3 84348301
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                                    11.42
                                                 20.38
                                                                77.58
                                                                          386.1
                                                                                         0.14250
                                                                                                          0.28390
                                                                                                                         0.2414
                                                                                                                                     0.10520
        4 84358402
                           M
                                    20.29
                                                  14:34
                                                               135.10
                                                                          1297.0
                                                                                         0.10030
                                                                                                          0.13280
                                                                                                                         0.1980
                                                                                                                                     0.10430
       5 rows × 32 columns
       .
[5] df.drop('id', axis=1, implace=True) #drop redundant columns
[6] df.describe(),T
  Ŧ
                                                 3.524049
                              569 0 14 127292
                                                           6 961000 11 700000 13 370000
                                                                                              15.780000
                                                                                                          28 11000
            radius mean
            texture_mean
                              569.0
                                     19.289649
                                                  4.301036
                                                             9.710000
                                                                       16.170000
                                                                                  18.840000
                                                                                              21 800000
                                                                                                          39 28000
           perimeter_mean
                               569.0 91.969033 24.296981 43.790000 75.170000 86.240000
                                                                                            104 100000 188 50000
                              589.0 654.889104 351.914129 143.500000 420.300000 551.100000
                                                                                             782.700000 2501.00000
             area mean
          smoothness_mean
                              569.0
                                      0.096360 0.014064
                                                             0.052630 0.086370
                                                                                  0.095870
                                                                                               0.105300
                                                                                                           0.16340
                              569.0
                                      0.104341
                                                  0.052813
                                                             0.019386
                                                                        0.064920
                                                                                   0.092630
                                                                                               0.130400
                                                                                                           0.34540
         compactness_mean
                                                                       0.029560
                              569.0
                                      0.088799
                                                 0.079720
                                                            0.000000
                                                                                   0.061540
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                                                                                                           0.42680
           concavity_mean
         concave points_mean
                              569.0
                                      0.048919
                                                  0.038803
                                                             0.000000
                                                                        0.020310
                                                                                   0.033500
                                                                                               0.074000
                                                                                                           0.20120
                              569.0
                                      0.181162
                                                 0.027414 0.106000
                                                                        0.161900
                                                                                   0.179200
                                                                                               0.195700
                                                                                                           0.30400
           symmetry_mean
                              569.0
                                      0.062798
                                                  0.007060
                                                             0.049960
                                                                        0.057700
                                                                                   0.061540
                                                                                               0.066120
                                                                                                           0.09744
        fractal_dimension_mean
                                                                                                           7.87300
              radius se
                              569.0
                                      0.405172
                                                  0.277313
                                                             0.111500
                                                                        0.232400
                                                                                  0.324200
                                                                                               0.478900
              texture_se
                               569.0
                                       1.216853
                                                  0.551648
                                                             0.360200
                                                                        0.833900
                                                                                   1.108000
                                                                                               1.474000
                                                                                                           4.88500
            perimeter_se
                              569.0
                                      2.866059
                                                  2.021855
                                                             0.757000
                                                                        1.606000
                                                                                   2.287000
                                                                                               3.357000
                                                                                                          21.98000
                              569.0 40.337079 45.491006
                                                             6.862000 17.850000 24.530000
                                                                                              45 190000 542 20000
              area se
           smoothness_se
                              569.0 0.007041 0.003003 0.001713 0.005169
                                                                                  0.006380
                                                                                               0.008146
                                                                                                          0.03113
                              0.000060
                                                                      0.043000
                                                                                   0.000460
                                                                                               0.033460
                                                                                                           0.495.00
[7] df['diagnosis'] - (df['diagnosis'] -- 'M').astype(int) #encode the label into 1/6
[8] corr = df.corr()
[10] # Get the absolute value of the correlation
       cor_target = abs(corr["diagnosis"])
      # Select highly correlated features (thresold = 0.2)
      relevant features = cor target[cor target)0.2]
      # Collect the names of the features
      names = [index for index, value in relevant_features.items()]
      # Orop the target variable from the results
      names, remove('dlagnosis')
       # Display the results
  To ['radius mean', 'texture mean', 'perimeter mean', 'area mean', 'expethness mean', 'compactness mean', 'concavity mean', 'concave points mean', 'symmetry
[11] X = df[names].values
 y * df['diagusia']
```

[13] X = scale(X)

" [15] X_train, X_test, y_train, y_test - train_test_split(X, y, test_size - 0.2, random_state=42) #split the data into traing and validating

```
[18] class SVM:
           A Support Vector Machine (SVM) implementation using gradient descent.
           Parameters:
           iterations : int, default=1000
              The number of iterations for gradient descent.
           lr : float, default-0.01
              The learning rate for gradient descent.
           lambdas : flost, default=0.01
              The regularization parameter.
           Attributes:
           lambdas : float
              The regularization parameter.
           iterations : int
              The number of iterations for gradient descent.
           lr : float
              The learning rate for gradient descent.
           w : numpy array
The weights.
           b = float
              The blas.
           Methods
           initialize parameters(X)
             Initializes the weights and bias.
           gradient_descent(X, y)
              Updates the weights and bias using gradient descent.
        update_parameters(dw, db)
 [18]
              Updates the weights and bias.
           fit(X, y)
               Fits the SVM to the data.
           predict(X)
               Predicts the labels for the given data.
           def __init__(self, iterations=1000, lr=0.01, lambdaa=0.01):
               Initializes the SVM model.
               Parameters:
              iterations : int, default=1888
The number of iterations for gradient descent.
               lr : float, default=0.01
                   The learning rate for gradient descent.
               lambdaa : float, default=0.01
               The regularization parameter.
               self.lambdaa = lambdaa
               self.iterations = iterations
               self.lr = lr
               self.w = None
               self.b = None
           def initialize_parameters(self, X):
               Initializes the weights and bias.
               Parameters:
```

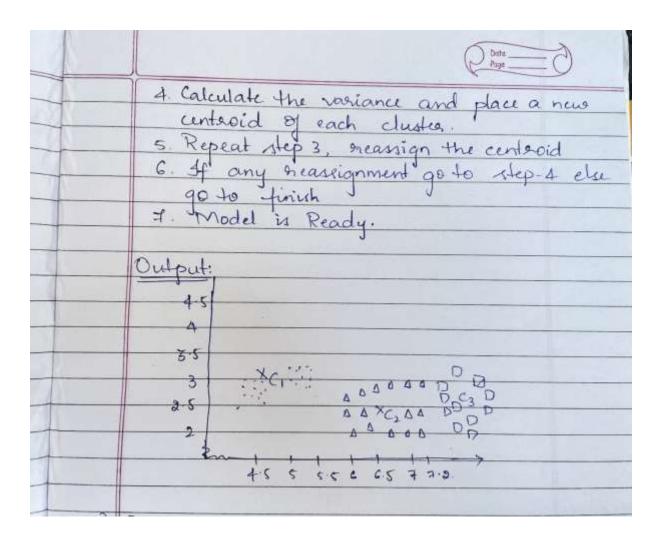
```
[18]
            X : numpy array
              The input data.
              m, n = X.shape
              self.w = np.zeros(n)
self.b = 0
           def gradient_descent(self, X, y):
              Updates the weights and bias using gradient descent.
               Parameters:
               X : numpy array
                  The input data.
               y : numpy array
                  The target values.
               y_{-} = np.where(y \leftarrow 0, -1, 1)
               for i, x is enumerate(X):
                  if y_[i] * (np.dot(x, self.w) - self.b) >= 1:
                      dw = 2 * self.lambdaa * self.w
                      db = 8
                  else:
                     dw = 2 * self.lambdaa * self.w - np.dot(x, y_(i))
                      db = y_{1}
                  self.update_parameters(dw, db)
           def update_parameters(self, dw, db):
              Updates the weights and bias.
              Parameters:
[18]
                dw : numpy array
                    The change in weights.
                db : float
                The change in bias.
                self.w = self.w - self.lr * dw
                self.b = self.b - self.lr * db
            def fit(self, X, y):
                Fits the SVM to the data.
                Parameters:
                X : numpy armay
                    The input data.
                y i numpy array
                    The target values.
                self.initialize\_parameters(X)
                for i in range(self.iterations):
                    self.gradient_descent(X, y)
            def predict(self, X):
                Predicts the class labels for the test data.
                Parameters
                X : array-like, shape (n_samples, n_features)
                     The input data.
                Returns
```

```
[18]
             y_pred : array-like, shape (n_samples,)
                  The predicted class labels.
             # get the outputs
             output = np.dot(X, self.w) - self.b
              # get the signs of the labels depending on if it's greater/less than zero
              label_signs = np.sign(output)
              #set predictions to 0 if they are less than or equal to -1 else set them to 1
             predictions = np.where(label_signs <= -1, 0, 1)
             return predictions
 [19] def accuracy(y_true, y_pred):
          Computes the accuracy of a classification model.
             y_true (numpy array): A numpy array of true labels for each data point.
             y_pred (mumpy array); A numpy array of predicted labels for each data point.
          float: The accuracy of the model
          total_samples = len(y_true)
          correct_predictions = np.vum(y_true == y_pred)
          return (correct_predictions / total_samples)
 [20] model = SVM()
       model.fit(X_train,y_train)
       predictions = model.predict(X_test)
       accuracy(y_test, predictions)
  → 0.9823008849557522
 [28] model.predict([-0.47069438, -0.16048584, -0.44810956, -0.49199876, 0.23411429,
                0.02765051, -0.10984741, -0.27623152, 0.41394897, -0.03274296,
               -0.18269561, -0.22105292, -0.35591235, -0.16192949, -0.23133322,
               -0.26903951, -0.16890536, -0.33393537, -0.35629925, 0.4485028,
               -0.10474068, -0.02441212, -0.19956318, 0.18320441, 0.19695794])
  \exists \neg array(\theta)
```

8.Build k-Means algorithm to cluster a set of data stored in a .CSV file.

Observation Screenshot:

	K-means Chustering Algorithm
	1. Select the number K to decide the no of
	clusters
2	2. Select nandom k points or churken
	Centroids
	3. Assign each point to the closest
	Centroid, which will form the predefined
	K clusta



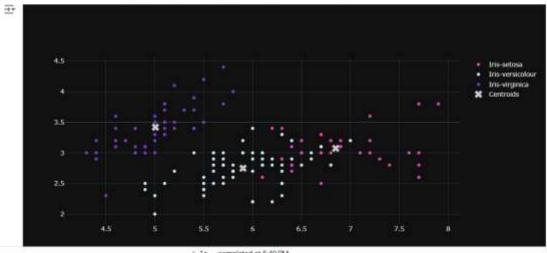
```
[1] from google.colab import drive
            drive.mount('/content/drive')
    A Mounted at /content/drive
[2] import numpy as np
            import pandas as pd
            import matplotlib.pyplot as plt
            import plotly.express as px
            import seaborn as sns
            import plotly.graph_objects as go
[3] iris = pd.read_csv("/content/drive/MyDrive/Iris.csv") #Load Data
            iris.drop('Id',inplace=True,axis=1) #Drop Id column
[4] X = iris.iloc[:,:-1] #Set our training data
            y = iris.iloc[:,-1] #We'll use this just for visualization as clustering doesn't require labels
[5] class Kmeans:
                    K-Means clustering algorithm implementation.
                   Parameters:
                          K (int): Number of clusters
                   Attributes:
                          K (int): Number of clusters
                          centroids (numpy.ndarray): Array containing the centroids of each cluster
£ 151
              (Mirhbods)
               __init__(self, K): Initializes the Kessms instance with the specified master of clusters.

initialize_tentroids[self, K): Initializes the centroids for each cluster by selecting E random points from the detaset,
assign, points_centroids(self, X): Assigns each point in the dataset to the nearest centroid.

compute_mear(self, X, points): Computes the mean of the points assigned to each centroid.

fit(self, X, iterations=10): Clusters the detaset using the K-Means algorithm.
               def __init__(self, K):
    suser K > 0, "K should be a positive integer."
    self.K = K
                \frac{def\ initiallie\_controlds(self,\ X):}{ascert\ X.shape[0] >= self.K_s\ "Masther of data points should be greater than or equal to K."  
                    randomized_X - np.random.permutation(X.shape[0])
                    centroid_idx = randomized_X[\self.K] # get the lodices for the controlds self.centroid = X[\centroid_idx] # assign the centroids to the selected points
                def scalge_points_controlds(self, X):
                    Assign each point in the dataset to the nearest centroid.
                    % (numpy.nderray): dataset to cluster
                    numpy, mlarray: erray containing the index of the centroid for each point
                    X = np.expand_dims(X, axism1) * expand dimensions to match shape of controlds
distance * np.limalg.corm((X = self.controlds), exis=1) * calculate Euclidean distance between each point and each controld
points = np.argmin(distance, axism1) * axign each point to the closest controld
exact lan(points) == X.shape(0), "Mamber of exaggned points abould equal the number of data points."
```

```
£ 151
               assert len(points) == X.shape[0], "Mumber of assigned points should equal the number of data points."
               return points
           def compute_mean(self, X, points):
               Compute the mean of the points assigned to each centroid.
               Parameters
               X (numpyindarray): dataset to cluster
               points (numpy.ndarray): array containing the index of the centroid for each point
               numpy.ndarray; array containing the new centroids for each cluster
               centroids - np.zeros((self.K, X.shape(1))) # initialize array to store centroids
               for i in range(self.K):
                  centroid_mean - X[points -- 1].mean(axis-0) # calculate mean of the points assigned to the current centroid
                   centroids[1] - centroid_mean # assign the new centroid to the mean of its points
               return centrolds
           def fit(self, X, iterations=10):
               Cluster the dataset using the K-Heans algorithm.
               Parameters:
               X (numpy.ndarray): dataset to cluster
               iterations (int): number of iterations to perform (default-18)
               numpy.ndarray: array containing the final centroids for each cluster
               numpy.ndarray: array containing the index of the controld for each point
               self.initialize_centroids(X) # initialize the centroids
[5]
                self.initialize_centroids(X) # initialize the centroids
                for i in range(iterations):
                    points = self.assigm_points_centroids(X) # assign each point to the mearest centroid
                     self.centroids = self.compute_mean(X, points) # compute the new centroids based on the mean of their points
                    # Assertions for debugging and validation
                    assert len(self.centroids) == self.K, "Number of centroids should equal K."
                     ossert X.shape[1] == self.centroids.shape[1], "Dimensionality of centroids should match input data."
                     easert max(points) < self.K, "Cluster index should be less than K."
                     assert min(points) >= 0, "Cluster index should be non-negative."
                return self.centroids, points
[6] X = X.values
171 kneans = Wmeans(3)
        centroids, points = kmeans.fit(X, 1800)
[8] fig = go.Figure()
        fig.add_trace(go.Scatter(
            x=X[points == 0, 0], y=X[points == 0, 1],
            mode="markers",marker_color="#DB4CB2",mame="Iris-setosa"
        33
        fig.add_trace(go.Scatter(
           m=X[points == 1, 0], y=X[points == 1, 1],
mode='markers',marker_color='#c8e9f6',name='Iris-versicolour'
```



9.Implement Dimensionality reduction using Principle Component Analysis (PCA) Observation Screenshot:

	1	
	3	Paincipal Component Analysis
	,	Algorithm
		I. Calculate mean
iay(0)		2. Calculation of covariance matrix 3. Eigen values of covariance matrix
		A. Computation of the Eigen vector-unit eigen
		vector
- 75		S. Computation of first principal comments
-41		5. Computation of first principal components 6. Geometric meaning of first principal components
		Output
		pca explained-variance-tratio
4		array ([0.9837428, 0.01620498])
1		
A		
100		

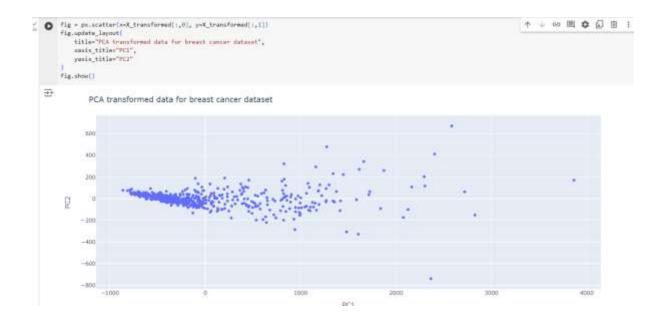


```
---
[4] df.drop('id', axis=1, inplace=True) #drop redundant columns
[5] df['diagnosis'] = (df['diagnosis'] == 'M'),astype(int) #encode the label into 1/8
[6] corr = df.corr()
[8] # Get the absolute value of the correlation
       cor_target = abs(corr["diagnosis"])
       * Select highly correlated features (thresold = 0.2)
       relevant_features = cor_target[cor_target>0.2]
       * Collect the names of the features
       names = [index for index, value in relevant_features.items()]
      # Drop the target variable from the results
       names.remove('diagnosis')
       * Display the results
   🛨 ['radius_mean', 'texture_mean', 'perimeter_mean', 'area_mean', 'smoothness_mean', 'compactness_mean', 'concavity_mean', 'concave p
/ [9] X = df[names].values
[9] X = df[names].values
[11] class PCA:
           Principal Component Analysis (PCA) class for dimensionality reduction.
           def __init__(self, n_components):
               Constructor method that initializes the PCA object with the number of components to retain.
               Args:
               - n_components (int): Number of principal components to retain.
               self.n_components = n_components
           def fit(self, X):
               Fits the PCA model to the input data and computes the principal components.
               - X (numpy.ndarray): Input data matrix with shape (n_samples, n_features).
               # Compute the mean of the input data along each feature dimension.
               mean = np.mean(X, axis=0)
               # Subtract the mean from the input data to center it around zero.
               X = X - mean
               # Compute the covariance matrix of the centered input data.
               cov = np.cov(X,T)
```

```
[11]
               # Compute the covariance matrix of the centered input data.
               cov = np.cov(X,T)
               # Compute the eigenvectors and eigenvalues of the covariance matrix.
               eigenvalues, eigenvectors = np.linalg.eigh(cov)
                # Reverse the order of the eigenvalues and eigenvectors.
               eigenvalues = eigenvalues[::-1]
               eigenvectors = eigenvectors[:,::-1]
               # Keep only the first n_components eigenvectors as the principal components.
               self.components = eigenvectors[:,:self.n_components]
               # Compute the explained variance ratio for each principal component.
               # Compute the total variance of the input data
               total_variance = np.sum(np.var(X, axis=0))
               # Compute the variance explained by each principal component
               self.explained_variances = eigenvalues[:self.n_components]
                # Compute the explained variance ratio for each principal component
               self.explained_variance_ratio_ = self.explained_variances / total_variance
            def transform(self, X):
               Transforms the input data by projecting it onto the principal components.

    X (numpy.ndarray): Input data matrix with shape (n_samples, n_features).

               - transformed_data (numpy.ndarray): Transformed data matrix with shape (n_samples, n_components).
               # Center the input data around zero using the mean computed during the fit step.
               X = X - np.mean(X, axis=0)
[11]
                # Project the centered input data onto the principal components.
               transformed_data = np.dot(X, self.components)
                return transformed_data
            def fit_transform(self, X):
                Fits the PCA model to the input data and computes the principal components then
                transforms the input data by projecting it onto the principal components.
                - X (numpy.ndarray): Input data matrix with shape (n_samples, n_features).
                self.fit(X)
                transformed_data = self.transform(X)
                return transformed_data
[12] pca = PCA(2)
[13] pca.fit(X)
[14] pca.explained_variance_ratio_
   → array([0.98377428, 0.01620498])
[15] X_transformed = pca.transform(X)
[16] X_transformed[:,1].shape
   F+ (569,)
```



10. Build Artificial Neural Network model with back propagation on a given dataset Observation Screenshot:

1	18
31-05-24	
251374	MEEK- 52-
	AND THE PARTY OF PARTY PARTY.
	ANN with backpropagation for a given dataset
	Backpropagation Algorithm (training example, of Min Moule) For each (2 T) in training examples, Do Mindan)
	For each (= t) in teaining examples, the holder
	I gaput the instance I, to the network and
	compute the output on of every write in
	and retwork
	3. Backpropagation (training example, J. Jin, Mout,
	Create a feed-forward network with n inputs
	Midden hidden units and Mout butper units
	Initialize all network weights to small
	random numbers.
	Until the termination Condition is met. Ho
	- For each (T. t) in training examples, So
	I Input the instance of to the network &
	compute the output On of every unit u in
	the network
	- Pagagate the essors backward through
	the network. I make my
10 To 10 V	2 For each instance network output unit k
T-MINE	calculate its error team by
War my	8x < 0x (1-0x) (+x-0x)
neg mil	parties of the Parties of a property of the
	3. For each hidden unit h, calculate its error
	term 8h
	6n € On (1-On) 5 20h x Su
10	She On (1-On) & white Sk
	4 Update each network weight wiji
	Wji + Wji + DWji
	where DNI = ySjarij

```
import numpy as np
         from sklearn.model_selection import train_test_split
         db = np.loadtxt("/content/duke-breast-cancer.txt")
        print("Database raw shape (%s,%s)" % np.shape(db))
    → Database raw shape (86,7130)
np.random.shuffle(db)
        y - db[:, 8]
         x = np.delete(db, [0], axis=1)
         x_train, x_test, y_train, y_test = train_test_split(x, y, test_size=0.1)
        print(np.shape(x_train),np.shape(x_test))
    Fr (77, 7129) (9, 7129)
[4] hidden_layer - np.zeros(72)
         weights - np.random.random((len(x[\theta]), 72))
         output_layer = np.zeros(2)
         hidden_weights = np.random.random((72, 2))
[5] def sum_function(weights, index_locked_col, x):
             result - 0
             for i in range(0, len(x)):
                 result += x[i] * weights[i][index_locked_col]
             return result
[6] def activate_layer(layer, weights, x):
             for i in range(0, len(layer)):
                 layer[i] = 1.7159 * np.tanh(2.0 * sum_function(weights, i, x) / 3.0)
def soft max(layer):
           soft_max_output_layer = np.zeros(len(layer))
           for i in range(0, len(layer)):
               denominator - 0
               for j in range(0, len(layer)):
                   denominator += np.exp(layer[j] - np.max(layer))
               soft_max_output_layer[i] = np.exp(layer[i] - np.max(layer)) / denominator
           return soft_max_output_layer
[8] def recalculate_weights(learning_rate, weights, gradient, activation):
           for 1 in range(0, len(weights)):
               for j in range(0, len(weights[i])):
                   weights[i][j] = (learning_rate * gradient[j] * activation[i]) * weights[i][j]
[9] def back propagation(hidden_layer, output_layer, one hot encoding, learning_rate, x):
           putput derivative = np.zeros(2)
           output_gradient = np.zeros(2)
for i in runge(0, lan(output_layer)):
               output_derivative[i] = (1.0 - output_layer[i]) * output_layer[i]
           for 1 in range(0, len(output_layer)):
               output_gradient[i] = output_derivative[i] * (one_hot_encoding[i] - output_layer[i])
           hidden_derivative - np.zeros(72)
           hidden_gradient = np.zeros(72)
           for 1 in range(0, len(hidden_layer)):
               \label{eq:hidden_derivative[i] = (1.0 - hidden_layer[i]) * (1.0 + hidden_layer[i])} \\
           for i in range(8, len(hidden_layer)):
               sum_ = 0
               for j in range(0, len(output_gradient)):
                   sum_ += output_gradient[j] * hidden_weights[i][j]
               hidden_gradient[i] - sum_ * hidden_derivative[i]
           recalculate_weights(learning_rate, hidden_weights, output_gradient, hidden_layer)
           recalculate_weights(learning_rate, weights, hidden_gradient, x)
```

11a. Implement Random forest ensemble method on a given dataset Observation Screenshot:

2.	Random Forest Fail 1
	Random Forest Ensemble for a given dataset. Random Forest Algorithm.
	Step-1: Select handom K data points from the
4	training set
	step-2: Build the decision trees associated
	with the selected data points
	Step -3: Choose the number N for dicition teces
	That you want to build.
	Step-4: Repeat step-182
	Step-5: For new data points, find the predictions
+	of each decision tree and arrigh the
	new data points to the category that
	wine the may being voter.
	J Fel (a)

```
√ [17] from google.colab import drive
         drive.mount('/content/drive')

→ Mounted at /content/drive

v [18] import math
         import numpy as np
         import pandas as pd
         import matplotlib.pyplot as plt
         import seaborn as sns
         import plotly.express as px
os [19] iris = pd.read_csv("/content/drive/MyDrive/Iris.csv") #Load Data
         iris.drop('Id',inplace=True,axis=1) #Drop Id column
(20] iris.head().style.background_gradient(cmap =sns.light_palette("seagreen", as_cmap=True)
    ₹
            SepalLengthCm SepalWidthCm PetalLengthCm PetalWidthCm Species
         0
                  5.100000
                                                  1.400000
                                                                0.200000 Iris-setosa
          1
                                 3.000000
                                                  1.400000
                                                                0.200000 Iris-setosa
         2
                  4.700000
                                  3.200000
                                                  1.300000
                                                                0.200000 Iris-setosa
         3
                  4.600000
                                 3.100000
                                                  1.500000
                                                                0.200000 Iris-setosa
          4
                                                  1.400000
                                                                 0.200000 Iris-setosa
_{0s}^{\checkmark} [21] X_df = iris.iloc[:,:-1] #Set our training dataframe
         y_df = iris.iloc[:,-1] # Set our training labels dataframe
          Deta Distribution
[ [H] frig tenter] - bring tenter (.ettype tempon)
rates - bring tenter (.ett.com
```

```
[ [23] Iris['Species'] = Iris['Species'].astype('category')
        codes - iris['Species'].cat.codes
[ [43] def train_test_split(X, y, random_state=42, test_size=8.2):
             Splits the data into training and testing sets.
                 X (numpy,ndarray): Features array of shape (n_samples, n_features), y (numpy,ndarray): Target array of shape (n_samples,), random_state (Int): Seed for the random number generator. Default is 42.
                 test_size (float): Proportion of samples to include in the test set. Default is 0.2.
             Tuple[numpy.ndarray]: A tuple containing X_train, X_test, y_train, y_test.
             # Get number of samples
             n_samples = X.shape[0]
             # Set the seed for the random number generator
             np, random, seed (random_state)
             # Shuffle the Indices
             shuffled_indices = np.random.permutation(np.arange(n_samples))
             # Determine the size of the test set
test_size = Int(n_samples * test_size)
             # Split the Indices into test and train
             test_indices = shuffled_indices[:test_size]
train_indices = shuffled_indices[test_size:]
             # Split the features and target arrays into test and train
            X_train, X_test = X[train_indices], X[test_indices]
y_train, y_test = y[train_indices], y[test_indices]
             return X_train, X_test, y_train, y_test
[25] X = 1ris.lloc[:, :-1].values
        y = iris.iloc[:, -1].values.reshape(-1,1)
        X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=.2, random_state=41)
[26] from sklearn.tree import DecisionTreeClassifier
        = - DecisionTreeClassifier()
[27] class RandomForest:
            A random forest classifier,
            Parameters
             n_trees : int, default+7
                 The number of trees in the random forest.
            max_depth : int, default=7
The maximum depth of each decision tree in the random forest.
             min_samples : Int, default=2
                 The minimum number of samples required to split an internal node
                 of each decision tree in the random forest,
            Attributes
             n_trees : Int
                 The number of trees in the random forest.
             max depth : int
                 The maximum depth of each decision tree in the random forest.
             min_samples : int
                 The minimum number of samples required to split an internal node
                of each decision tree in the random forest.
             trees : list of DecisionTreeClassifier
            The decision trees in the random forest.
             def __init__(self, n_trees=7, max_depth=7, min_samples=2);
                Initialize the random forest classifler.
```

```
The decision trees in the random forest.
[27]
           def __init__(self, n_trees=7, max_depth=7, min_samples=2):
                Initialize the random forest classifier.
                Parameters
                n_trees : int, default-7
                    The number of trees in the random forest.
                max_depth : int, default-7
                    The maximum depth of each decision tree in the random forest.
                min_samples : int, default-1
                     The minimum number of samples required to split an internal node
                    of each decision tree in the random forest.
                self.n_trees = n_trees
                self.max_depth = max_depth
                self.min_samples = min_samples
                self.trees - []
           def fit(self, X, y):
                Build a random forest classifier from the training set (X, y).
                Parameters
                X : array-like of shape (n_samples, n_features)
                    The training input samples.
                y : array-like of shape (n_samples,)
                    The target values.
                Returns
                self : object
                Returns self,
                # Create an empty list to store the trees.
               self.trees = []
                # Concatenate X and y into a single dataset.
                dataset = np.concatenate((X, y.reshape(-1, 1)), axis=1)
               # Loop over the number of trees.
[27]
              # Ereate an empty list to store the trees.
              self.trees - []
               # Concatenate X and y Into a single dataset.
              dataset = mp.concatenate((X, y.reshape(-1, 1)), axis-1)
               # Loop over the number of trees.
              for _ in range(self.n_trees):
    # Create = decision tree instance.
                  tree = DecisionTreeClassifier(max_depth-self.max_depth, min_samples_split-self.min_samples)
                   # Sample from the dataset with replacement (bootstrapping).
                  dataset_sample = self.bootstrap_samples(dataset)
                  # Got the X and y samples from the dataset sample.

X_sample, y_sample = dataset_sample[:, :-1], dataset_sample[:, :1]

# Fit the tree to the X and y samples.
                  tree.fit(X_sample, y_sample)
# Store the tree in the list of trees.
                  self.trees.append(tree)
              return self
          def hootstrap_samples(self, dataset):
              Bootstrap the dataset by sampling from it with replacement.
              dataset : array-like of shape (n_samples, n_features + 1)
                  The dataset to bootstrap.
              dataset_sample : array-like of shape (n_samples, n_features + 1)
              The bootstrapped dataset sample.
              # Get the mumber of samples in the dataset.
              n samples - dataset.shape(8)
              # Generate random indices to index into the dataset with replacement.
              np,random,seed(1)
              indices = np.random.choice(n_samples, n_samples, replace=True)
              * Return the bootstrapped dataset sample using the generated indices.
              dataset_sample = dataset[indices]
              return dataset_sample
```

```
def most_common_label(self, y):
 [27]
                Return the most common label in an array of labels.
                y : array-like of shape (n_samples,)
                     The array of labels.
                most_occuring_value : int or float
                The most common label in the array.
                y = Iist(y)
                # get the highest present class in the array
                most_occuring_value = max(y, key-y.count)
                return most_occuring_value
           def predict(self, X):
                Predict class for X.
                X : array-like of shape (n_samples, n_features)
                     The input samples.
                Returns
                majority predictions : array-like of shape (n_samples,)
                    The predicted classes.
                #get prediction from each tree in the tree list on the test data
                predictions = np.array([tree.predict(X) for tree in self.trees])
                # get prediction for the same sample from all trees for each sample in the test data
                preds - np.swapaxes(predictions, 0, 1)
                #get the most voted value by the trees and store it in the final predictions array.
                majority_predictions = np.array([self.most_common_label(pred) for pred in preds])
                return majority_predictions
[28] sef accoracy(y_true, y_pred):
           Computes the accuracy of a classification model.
           Parameters:
           y_true (numpy array): A numpy array of true labels for each data point.
y_pred (numpy array): A numpy array of predicted labels for each data point.
           float: The accuracy of the model, expressed as a percentage.
           v true - v true. flatten()
           total_samples = len(y_true)
correct_predictions = np.sum(y_true -- y_pred)
           return (correct_predictions / total_samples)
[35] from sklearn.preprocessing import LabelEncoder
       label_encoder = LabelEncoder()
       y_train_encoded = label_encoder.fit_transform(y_train)
y_test_encoded = label_encoder.transform(y_test)
   /usr/local/lib/python3.18/dist-packages/sklearn/preprocessing/_label.py:116: DataConversionWarming:
       A column-vector y was passed when a 1d array was expected. Please change the shape of y to (n_samples, ), for example using ravel().
       /usr/local/lib/python3.18/dist-packages/sklearn/preprocessing/_label.py:134: DataConversionMarning:
       A column-vector y was passed when a id array was expected. Please change the shape of y to (n_samples, ), for example using rawel().
```

```
[39] from sklearn.preprocessing import LabelEncoder

label_encoder = LabelEncoder()
  y_train_encoded = label_encoder.fit_transform(y_train.ravel())
  y_test_encoded = label_encoder.transform(y_test.ravel())
  model = RandomForest(10, 10, 2)
  model.fit(X_train, y_train_encoded)

predictions = model.predict(X_test)
  accuracy(y_test_encoded, predictions)
```

```
from sklearn.tree import DecisionTreeClassifier

# Create and train the decision tree model
dt = DecisionTreeClassifier()
dt.fit(X_train, y_train_encoded)

# Make predictions on the test data
predictions = dt.predict(X_test)

# Calculate accuracy
accuracy(y_test_encoded, predictions)
```

11b.Implement Boosting ensemble method on a given dataset. Observation Screenshot:

100	
	Amplement Boosting Ensemble on a given dataset.
3.	Implement Boosting Ensuring
	dataset.
	Boosting Algorithm: 3. Initialize the dataset and assign equal
	J. Invialize the actual and the data point
	weight to each of the data point 2. Provide this as input to the model and
_	identify the woongly classified data point
	s. Increase the weight of the wrongly
	classified data points and decrease
	the weights of weredly classified data
a torrest	points. And hen noemaline the
	buight of all data points
201-	4. If (got required results)
	Goto step-5
bolo	Goto step-5 has and starting of
	Sin goto step-2
1335/10	50 1 End. 11 midwer with world 18 mil
	of first of many property to the

```
[15] # Compute error rate, alpha and w
       def compute_error(y, y_pred, w_i):
           Calculate the error rate of a weak classifier m. Arguments:
           yr actual target value
           y_pred: predicted value by weak classifier
           w_i: individual weights for each observation
           Note that all arrays should be the same length
           return (sum(w_i * (np.not_equal(y, y_pred)).astype(int)))/sum(w_i)
       def compute_alpha(error):
           Calculate the weight of a weak classifier m in the majority vote of the final classifier. This is called
           alpha in chapter 10.1 of The Elements of Statistical Learning. Arguments:
           error: error rate from weak classifier m
           return np.log((1 - error) / error)
       def update_weights(w_i, alpha, y, y_pred):
           Update individual weights w\_i after a boosting iteration. Arguments: w\_i: individual weights for each observation
           y: actual target value
           y_pred: predicted value by weak classifier
           alpha: weight of weak classifier used to estimate y_pred
           return w_1 * np.exp(alpha * (np.not_equal(y, y_pred)).astype(int))
```

```
[16] # Define AdaBoost class
       class AdaBoost:
          def __init__(self):
               self.alphas - []
               self.G_M = []
               self.M - None
               self.training_errors = []
               self.prediction_errors = []
          def fit(self, X, y, M = 100):
               Fit model. Arguments:
               X: independent variables - array-like matrix
               y: target variable - array-like vector
               M: number of boosting rounds. Default is 100 - integer
              # Clear before calling
              self_alphas - []
              self.training_errors = []
              self.M - M
              # Iterate over M weak classiflers
               for m in range(0, M):
                  # Set weights for current boosting Iteration
                  if m == 0:
                      w_1 = np.ones(len(y)) * 1 / len(y) # At m = 0, weights are all the same and equal to 1 / N
                  else:
                      # (d) Update w_1
                      w_i - update_weights(w_i, alpha_m, y, y_pred)
                   # (a) Fit weak classifier and predict labels
                   6_m - DecisionTreeClassifier(max_depth - 1)
                                                                  # 5tump: Two terminal-node classification tree
                  G_m.fit(X, y, sample_weight = w_i)
                  y_pred = G_m.predict(X)
                  self.G_M.append(G_m) # Save to list of weak classiflers
                  # (b) Compute error
                  error_m = compute_error(y, y_pred, w_1)
                     w_1 = update_weights(w_1, alpha_m, y, y_pred)
 [63]
                  # (a) Fit weak classifier and predict labels
                  G_m = DecisionTreeClassifier(max_depth = 1)
                                                                # Stump: Two terminal-node classification tree
                  G_m.fit(X, y, sample_weight - w_i)
                 y_pred = G_m.predict(X)
                  self.G_M.append(G_m) # Save to list of weak classifiers
                  # (b) Compute error
                  error_m - compute_error(y, y_pred, w_1)
                  self.training_errors.append(error_m)
                 # (c) Compute alpha
                  alpha_m = compute_alpha(error_m)
                  self.alphas.append(alpha_m)
              assert len(self.G_M) -- len(self.alphas)
          def predict(self, X):
              Predict using fitted model. Arguments:
              X: independent variables - array-like
              # Initialise dataframe with weak predictions for each observation
              weak_preds = pd.DataFrame(index = range(len(X)), columns = range(self.M))
              # Predict class label for each weak classifier, weighted by alpha_m
              for m in range(self.M):
                  y_pred_m = self.G_M[m].predict(X) * self.alphas[m]
                  weak_preds.iloc[:,m] = y_pred_m
              # Calculate final predictions
              y_pred = (1 * np.sign(weak_preds.T.sum())).astype(int)
              return y_pred
```

```
[D] import pandas as pd
     import numpy as np
     from sklearn.model_selection import train_test_split
     from sklearn.tree import DecisionTreeClassifier
     df = pd.read_csv('/content/spambase.data', header = None)
     names = pd.read_csv('/content/spambase.names', sep = ':', skiprows=range(0, 33), header = None)
     col_names = list(names[0])
     col_names.append('Spam')
     # Rename df columns
     df.columns = col_names
     # Convert classes in target variable to {-1, 1}
     df['Spam'] = df['Spam'] * 2 - 1
     # Train - test split
     X_train, X_test, y_train, y_test = train_test_split(df.drop(columns = 'Spam').values,
                                                         df['Spam'].values,
                                                         train_size = 3065,
                                                         random_state = 2)
     # Fit model
     ab = AdaBoost()
     ab.fit(X_{train}, y_{train}, M = 400)
     # Predict on test set
     y_pred = ab.predict(X_test)
     from sklearn.metrics import accuracy_score
     # Calculate accuracy
     accuracy = accuracy_score(y_test, y_pred)
     print("Accuracy:", accuracy)

→ Accuracy: 0.9440104166666666
```