



Kaplan-Meier estimate

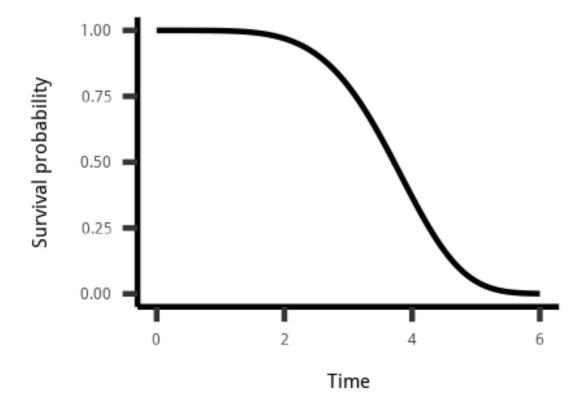
Heidi Seibold Statistician at LMU Munich



Survival function

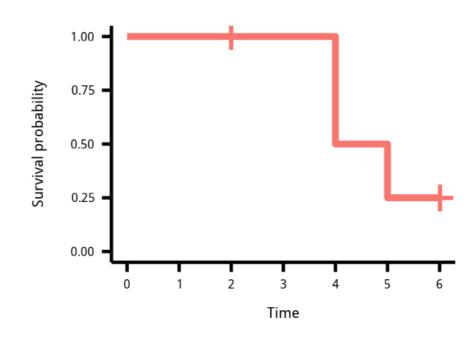
THEORY

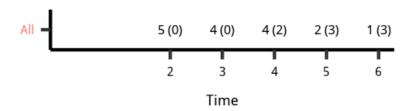
$$S(t) = 1 - F(t) = P(T > t)$$



ESTIMATION

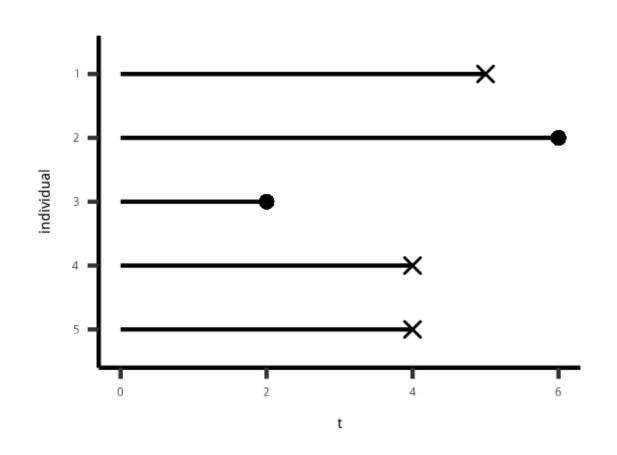
$$\hat{S}(t) = \prod_{i:\, t_i \leq t} rac{n_i - d_i}{n_i}$$





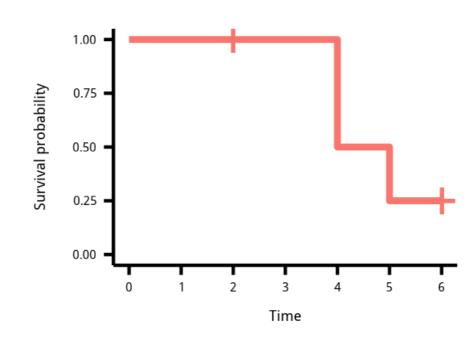
Survival function estimation

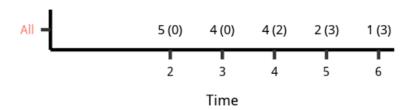
DATA



ESTIMATION

$$\hat{S}(t) = \prod_{i:\, t_i \leq t} rac{n_i - d_i}{n_i}$$







Survival function estimation: Kaplan-Meier estimate

$$\hat{S}(t) = \prod_{i:\, t_i \leq t} rac{n_i - d_i}{n_i}$$

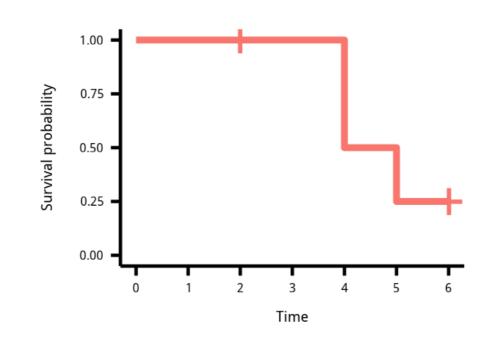
$$\hat{S}(2) = \frac{5-0}{5} = \frac{5}{5} = 1$$

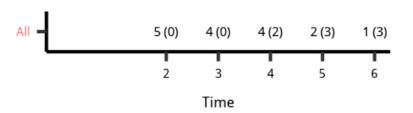
$$\hat{S}(3) = \frac{4-0}{4} = \frac{4}{4} = 1$$

$$\hat{S}(4) = \frac{4-2}{4} = \frac{2}{4} = \frac{1}{2} = 0.5$$

$$\hat{S}(5) = \frac{1}{2} \cdot \frac{2-1}{2} = \frac{1}{4} = 0.25$$

$$\hat{S}(6) = \frac{1}{4} \cdot \frac{1-0}{1} = \frac{1}{4} = 0.25$$



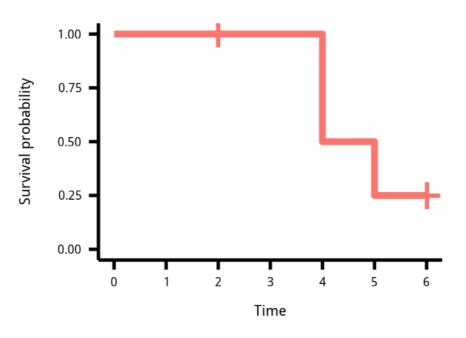


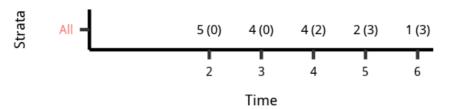


Survival function estimation: Kaplan-Meier estimate

```
km <- survfit(Surv(time, event) ~ 1)

ggsurvplot(km, conf.int = FALSE,
    risk.table = "nrisk_cumevents",
    legend = "none")</pre>
```









Let's practice!





Understanding and visualizing Kaplan-Meier curves

Heidi Seibold Statistician at LMU Munich



The ggsurvplot function

```
library(survminer)

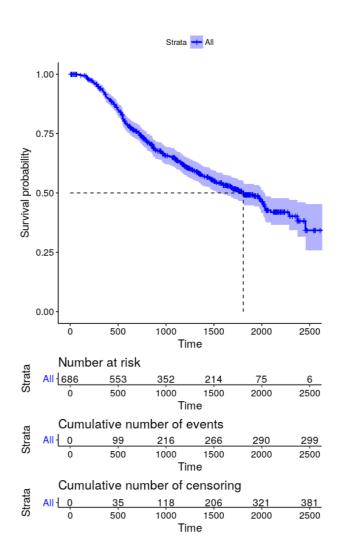
ggsurvplot(fit)

ggsurvplot(
  fit,
  palette = NULL,
  linetype = 1,
  surv.median.line = "none",
  risk.table = FALSE,
  cumevents = FALSE,
  cumcensor = FALSE,
  tables.height = 0.25,
  ...
)
```



The ggsurvplot function

```
ggsurvplot(
  fit = km,
  palette = "blue",
  linetype = 1,
  surv.median.line = "hv",
  risk.table = TRUE,
  cumevents = TRUE,
  cumcensor = TRUE,
  tables.height = 0.1
)
```





The survfit function

survfit(object)

- If object is a formula: Kaplan-Meier estimation
- Other options for object (see upcoming chapters):
 - coxph
 - survreg





Let's practice!



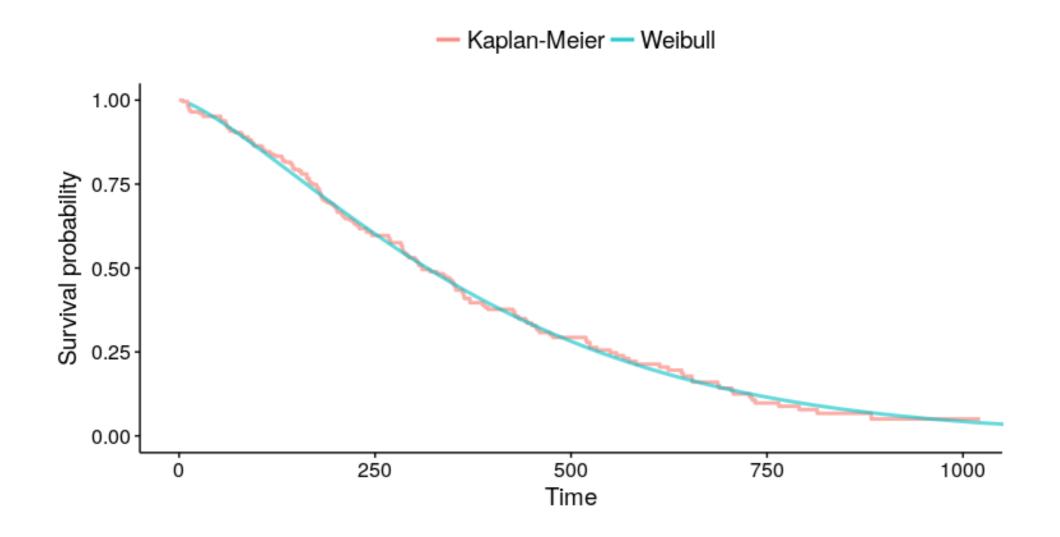


The Weibull model for estimating smooth survival curves

Heidi Seibold Statistician at LMU Munich



Why use a Weibull model?





Computing a Weibull model in R

Weibull model:

```
wb <- survreg(Surv(time, event) ~ 1, data)</pre>
```



Computing a Weibull model in R

Weibull model:

```
wb <- survreg(Surv(time, event) ~ 1, data)</pre>
```

Kaplan-Meier estimate:

```
km <- survfit(Surv(time, event) ~ 1, data)</pre>
```

Computing measures from a Weibull model

```
wb <- survreg(Surv(time, cens) ~ 1, data = GBSG2)
```

90 Percent of patients survive beyond time point:

p = 1 - 0.9 because the distribution function is 1 - the survival function.



Computing the survival curve from a Weibull model

```
wb <- survreg(Surv(time, cens) ~ 1, data = GBSG2)
```

Survival curve:





Let's practice!





Visualizing the results of a Weibull model

Heidi Seibold Statistician at LMU Munich



Visualizing a Weibull model

Visualization tools often focus on step functions.

So the following code does NOT work:

```
wb <- survreg(Surv(time, cens) ~ 1)
ggsurvplot(wb)</pre>
```





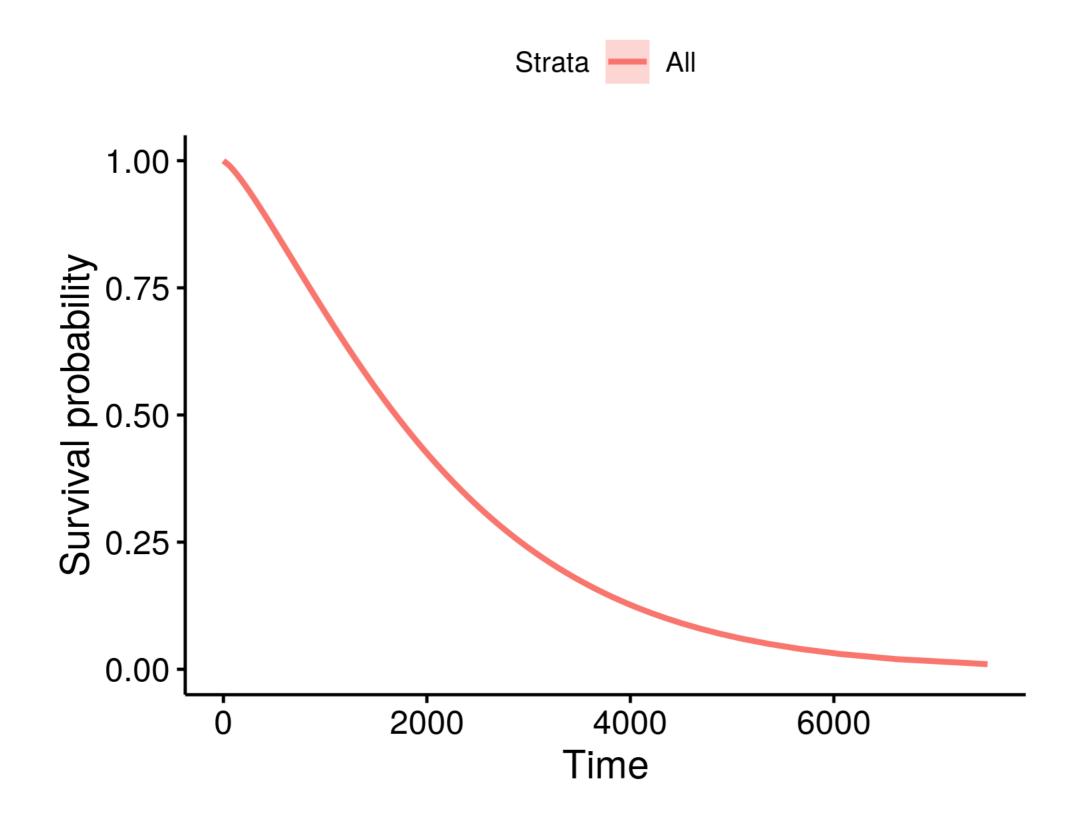
Visualizing a Weibull model

```
wb <- survreg(Surv(time, cens) ~ 1)
```

Survival curve:

Plot:

```
ggsurvplot_df(fit = surv_wb, surv.geom = geom_line)
```







Let's practice!