

PEIJIA LUO; 20653423; Section 003

```
A = [ 1 0 0 0 0;  
      1 6 2 0 0;  
      0 2 6 1 0;  
      0 0 3 10 2;  
      0 0 0 0 1];  
B = [1; -9/2; 6; 16; 1];  
  
X = linsolve(A,B)
```

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```
load data.mat  
x = x{1};  
y = y{1};
```

```
figure(1);  
plot(x,y,'o');  
grid on  
axis([0 1 0 1])  
title('Raw Data Points')
```

```
figure(2);  
plot(x,y,'-');  
grid on  
axis([0 1 0 1])  
title('Piecewise Linear Points')
```

```
figure(3);  
%length of array  
N = length(x);  
  
%index the points for t  
t = 1:N;  
  
%construct a cubic spline "object", y_cs  
%via matlab's "csape" routine.  
x_cs = csape(t,x, 'variational');  
  
y_cs = csape(t,y, 'variational');  
  
%subdivide the intervals by 3  
%similar to course notes 3.1/3.2  
N = length(t);  
  
tref = zeros(1,6*(N-1)+1);  
  
for k = 1:N-1  
    i = 6*(k-1)+1;  
    dt = t(k+1) - t(k);
```

```

    tref(i) = t(k);
    tref(i+1) = t(k)+dt/6 ;
    tref(i+2) = t(k)+2*dt/6;
    tref(i+3) = t(k)+3*dt/6;
    tref(i+4) = t(k)+4*dt/6;
    tref(i+5) = t(k)+5*dt/6;
end
tref(6*(N-1)+1) = t(N);

xx = ppval(tref, x_cs);
yy = ppval(tref, y_cs);

%plot the results
plot(xx,yy); %plot piecewise cubic
title('Cubic Splines - Natural End Conditions')

figure(4);
%length of array
N = length(x);

%index the points for t
t = 1:N;

%construct a cubic spline "object", y_cs
%via matlab's "csape" routine.
x_cs = csape(t,x, 'not-a-knot');

y_cs = csape(t,y, 'not-a-knot');

%subdivide the intervals by 3
%similar to course notes 3.1/3.2
N = length(t);

tref = zeros(1,6*(N-1)+1);

for k = 1:N-1
    i = 6*(k-1)+1;
    dt = t(k+1) - t(k);
    tref(i) = t(k);
    tref(i+1) = t(k)+dt/6 ;
    tref(i+2) = t(k)+2*dt/6;
    tref(i+3) = t(k)+3*dt/6;
    tref(i+4) = t(k)+4*dt/6;
    tref(i+5) = t(k)+5*dt/6;
end
tref(6*(N-1)+1) = t(N);

xx = ppval(tref, x_cs);
yy = ppval(tref, y_cs);

%plot the results
plot(xx,yy); %plot piecewise cubic
title('Cubic Splines - Not-A-Knot End Conditions')

```