Event Selection using FSRoot

Malte Albrecht Indiana University







GlueX Analysis Workshop 2022

02 / 24 / 2022

What is FSRoot and Why use it?

- Alternative approach to DSelector for event selection
- Based on analysis of "flat" root trees
 - Format is lighter than analysis trees
 - Facilitates interaction with data in shorter time
- Each combo that survives is a new entry to the tree
- Get FSRoot here: <u>https://github.com/remitche66/</u> <u>FSRoot.git</u>
- Documentation available in repository

Notes on the FSRoot Package

Ryan Mitchell

May 11, 2022 (v4.0)

Abstract

FSRoot is a set of utilities, built around the CERN ROOT framework, that can be used to analyze a variety of final states (FS) produced in particle physics experiments. This document provides a short introduction to FSRoot.

Contents

1	Installation and Initial Setup	2
2	Using this Document: the Examples/Tutorial directory	3
3	Basic Conventions: the TTree format	3
4	Basic Operations: the FSBasic directory 4.1 Basic Histogram Utilities: the FSHistogram class	Ę
5	Final State Operations: the FSMode directory 5.1 Mode Numbering and Conventions	10 12 13
6	Fitting Utilities: the FSFit directory	14
7	Organizing Data and Data Sets: the FSData directory	14

Example: $\gamma p \rightarrow \eta \pi^0 p$

- Focus on $\gamma p \to \eta \pi^0 p$ for this tutorial
- Using analysis trees produced by ReactionFilter:
 - pi0eta__B4_M7_M17_Tree
 - 4 beam bunches
 - Pi0 and eta masses not constrained in kinematic fit
 - Mass windows for two-photon combinations applied
 - Can contain multiple combos per event (different beam photons, swapping of final state photons between eta / pi0 with both in mass windows)

Step 1: FlattenForFSRoot

- Helper program to create flat trees: <u>FlattenForFSRoot</u> in hd_utilities repository
- Reduces size of trees, possibility to apply some pre-selection cuts:

```
Usage:
  flatten -in
                 <input file name>
                                                       (required)
                                                       (default: none)
          -out [output file name or none]
                 (if none, just print info and quit)
                 [is this mc? -1, 0, or 1]
                                                       (default: -1)
          -mc
                  (-1: determine automatically; 0: no; 1: yes)
          -mctag [MCExtras_MCDecayCode2_MCDecayCode1] (default: none)
                  (pick out a single final state from MC)
          -chi2 [optional Chi2/DOF cut value]
                                                       (default: 1000)
          -shQuality [optional shower quality cut value] (default: -1 (no cut))
          -massWindows [pi0, eta, (A)Lambda, Ks windows (GeV)] (default: -1 (no cut))
                       (uses the most constrained four-momenta)
          -numUnusedTracks
                           [optional cut (<= cut)] (default: -1 (no cut))
          -numUnusedNeutrals [optional cut (<= cut)] (default: -1 (no cut))
          -numNeutralHypos [optional cut (<= cut)] (default: -1 (no cut))
          -usePolarization [get polarization angle from RCDB? 0 or 1] (default: 0)
                     [include PID info in the output tree? 0 or 1] (default: 0)
          -mcChecks [check for baryon number violation, etc.,
                      when parsing truth information? 0 or 1] (default: 1)
          -safe [check array sizes? 0 or 1]
                                                      (default: 1)
          -print [print to screen:
                  -1 (less); 0 (regular); 1 (more)] (default: 0)
```

Example for eta pi0 run (note: wildcards allowed):

```
$HD_UTILITIES_HOME/FlattenForFSRoot/flatten -in <path_to_trees>/tree_pi0eta__B4_M17_M7_031057.root
-out tree_pi0eta__B4_M17_M7_FLAT_031057.root
-chi2 15 -massWindows 0.3 -numNeutralHypos 6 -numUnusedTracks 1 -usePolarization 1
```

• Size of analysis trees: ~1010Gb Size of flattened trees with given cuts: ~20Gb

Step 2: Basic Cuts and Skimming Trees

- Detailed description how to use cuts in documentation, focus on example for etapi0 in a2 mass region here
- Cuts are chosen to be same as for DSelector analysis:

```
// DEFINITION OF CUTS:
  // STATIC CUTS
  FSCut::defineCut("unusedE", "EnUnusedSh<0.1");
                                                                               // UnusedEnergy < 0.1GeV
  FSCut::defineCut("unusedTracks", "NumUnusedTracks<1");
                                                                               // No unsused tracks
  FSCut::defineCut("zProton", "ProdVz>=52&&ProdVz<=78");
                                                                               // Production vertex z-position
  FSCut::defineCut("protMom", "MOMENTUM([p+])>=0.3");
                                                                               // Proton momentum > 0.3GeV/c
  FSCut::defineCut("cet0103", "OR(abs(-1*MASS2(GLUEXTARGET, -[p+])-0.2)<0.1)"); // 0.1 < t < 0.3
  FSCut::defineCut("e8288","(EnPB>8.2&&EnPB<8.8)");
                                                                               // 8.2 < E_beam < 8.8
  FSCut::defineCut("chi2", "Chi2DOF<3.3");
                                                                               // Chi2/ndf < 3.3
  FSCut::defineCut("photFiducialA","(acos(COSINE([eta]a))*180/3.141>2.5 &&
                                     acos(COSINE([eta]a))*180/3.141<10.3) || (acos(COSINE([eta]a))*180/3.141>11.9)");
  // (same fuducial cut for remaining photons)
  FSCut::defineCut("rejectOmega","!((MASS([pi0]a,[eta]a)<0.15 && MASS([pi0]b,[eta]b)<0.15) ||
                                    (MASS([pi0]a,[eta]b)<0.15 && MASS([pi0]b,[eta]a)<0.15) ||
                                    (MASS([pi0]a,[eta]a)<0.12 && MASS([pi0]b,[eta]a)<0.12) ||
                                    (MASS([pi0]a,[eta]b)<0.12 && MASS([pi0]b,[eta]b)<0.12))");
  FSCut::defineCut("a2", "MASS([eta],[pi0])>=1.04 && MASS([eta],[pi0])<=1.56");
```

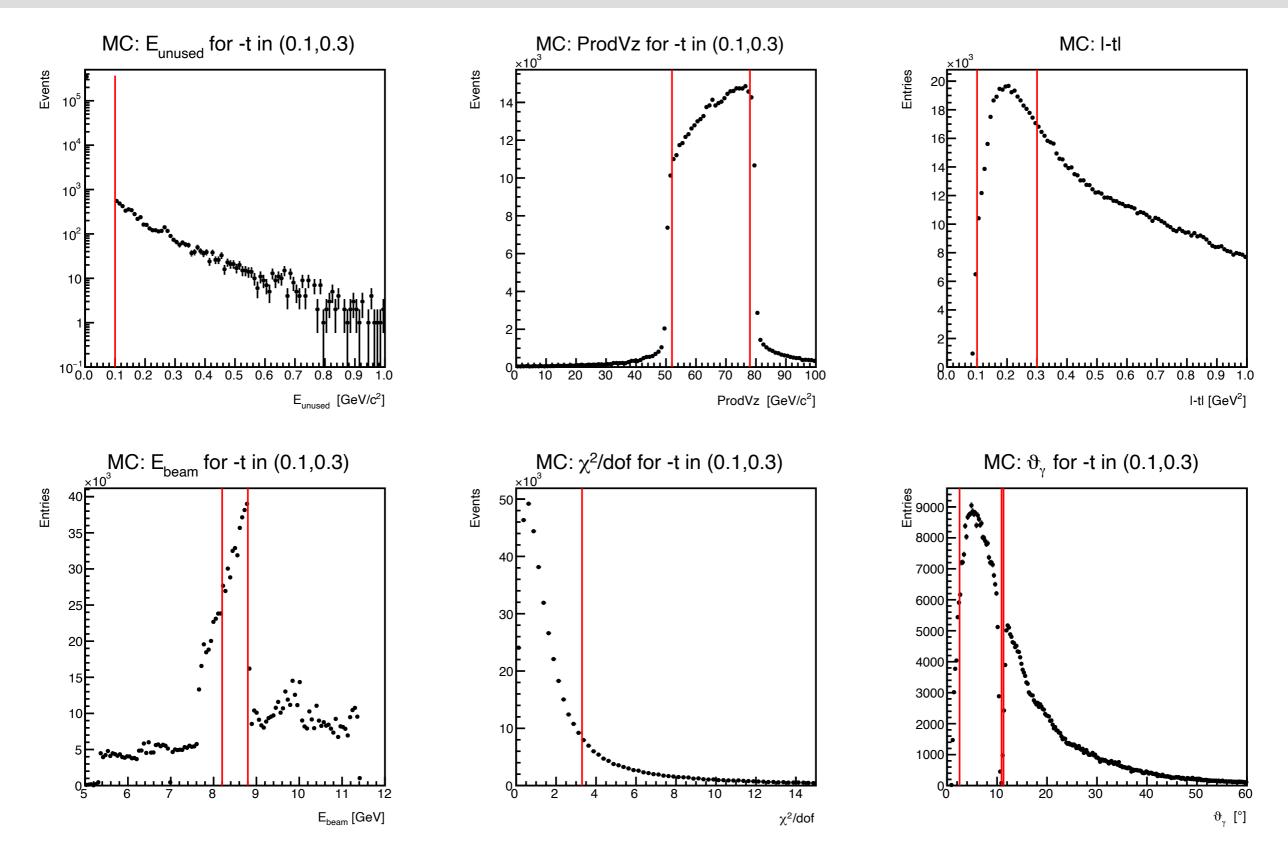
- Use these cuts to skim the trees and further reduce size
- **Before doing that**: Make basic plots for signal channel, flat MC, then look at data, refine/optimize cuts

Step 3: Making basic Plots

- Look at MC for your signal channel, in this case $\gamma p o \eta \pi^0 p$ first
- One example how to plot an invariant mass:

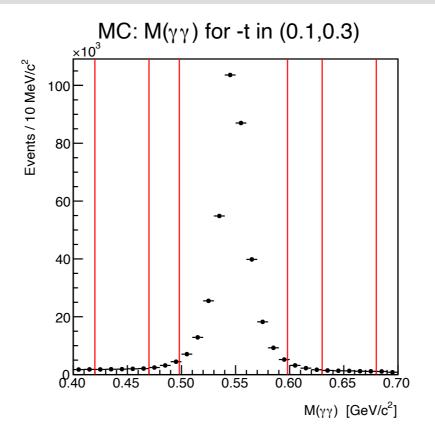
- Lots of useful macros defined in FSRoot, that let you plot various variables of interest
- Many examples are in plots.C script

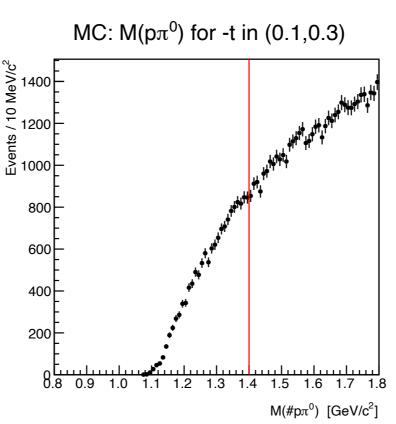
Step 3: Basic Plots using MC

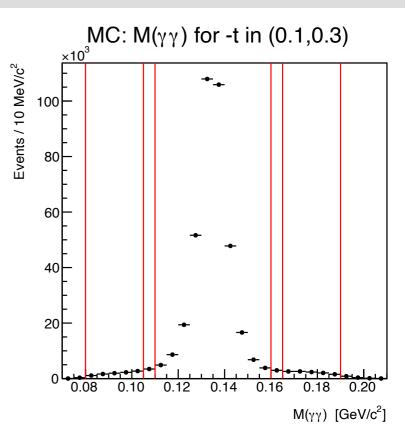


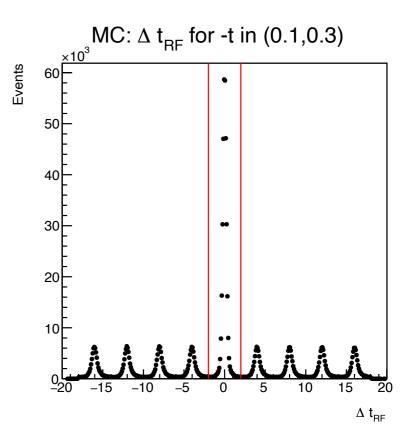
Step 3: Basic Plots using MC

- Verify all cuts are appropriate for pure signal MC first
- No model needed, flat MC is a good place to start



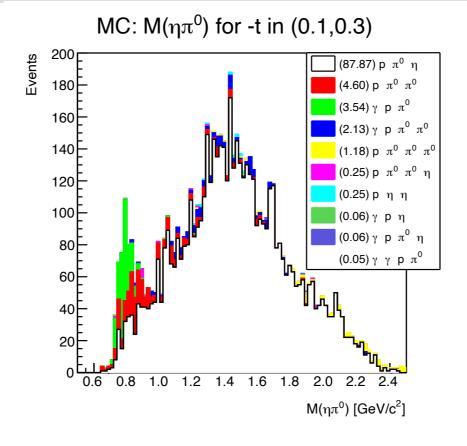


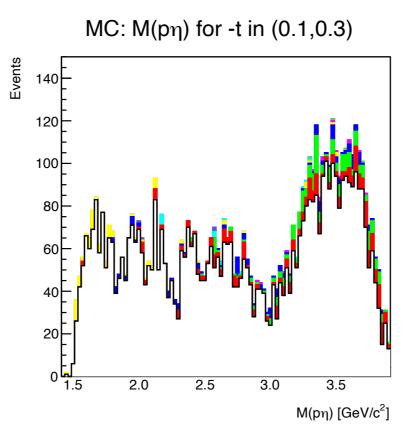


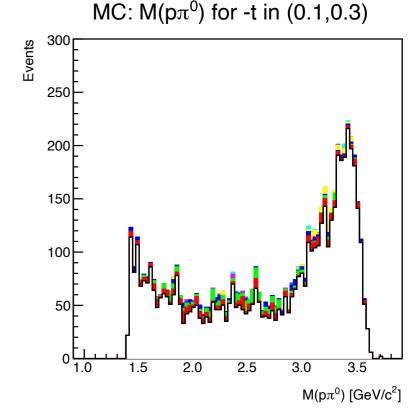


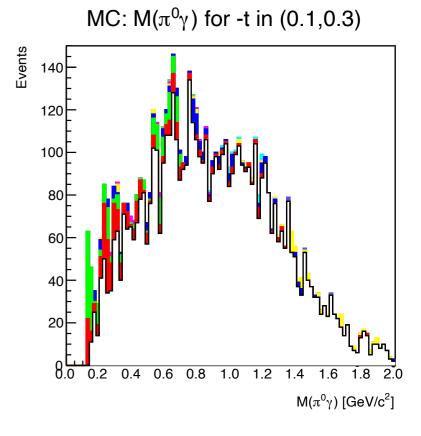
Step 3: Analysing bggen Monte Carlo Data

- Easy interface to analyse bggen MC
- Useful to identify background channels and modify cuts accordingly
- Plot all components with single line of code in FSRoot
- Example:
 Components without rejection of pi0







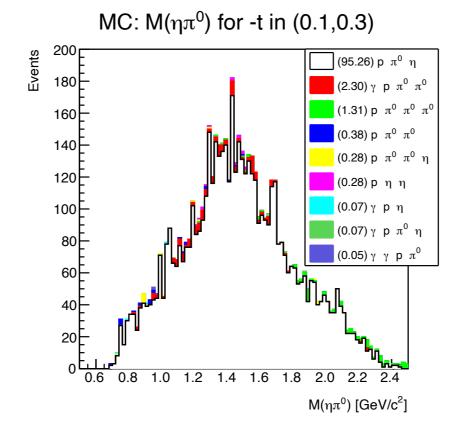


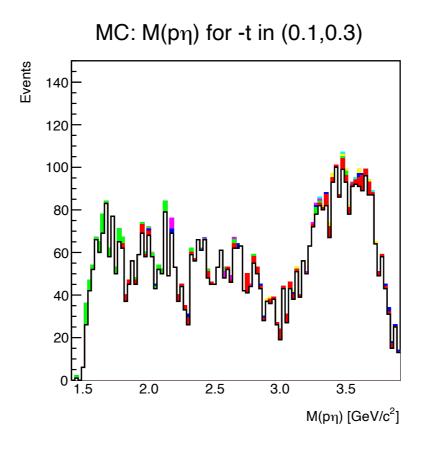
GlueX Analysis Workshop 2022

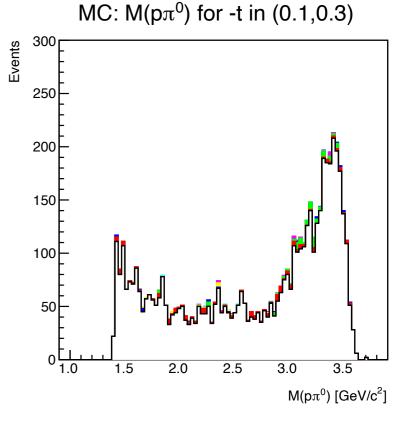
Step 3: Analysing bggen Monte Carlo Data

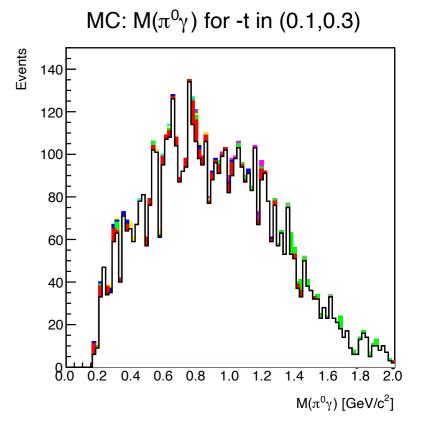
- Pi0 rejection cut effectively removes background, without removing much signal
- Side note:

 Bggen does not model the data very well...
 useful to identify some background sources and optimize cuts





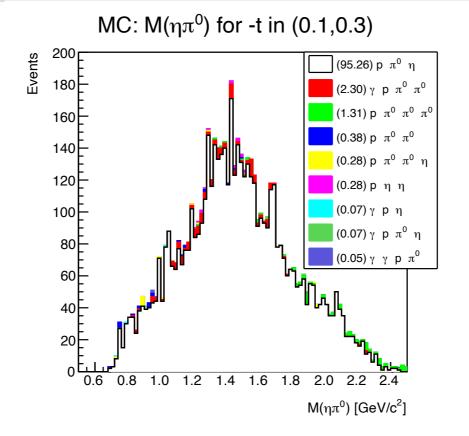


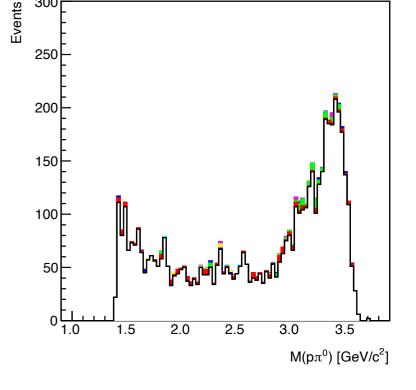


GlueX Analysis Workshop 2022

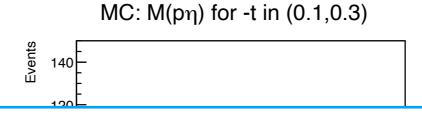
Step 3: Analysing bggen Monte Carlo Data

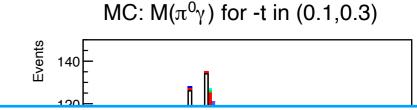
- Pi0 rejection cut effectively removes background, without removing much signal
- Side note:
 Bggen does not model the data very well... useful to identify some background sources and optimize cuts



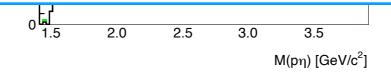


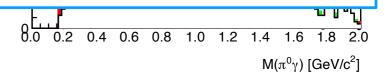
MC: $M(p\pi^0)$ for -t in (0.1,0.3)



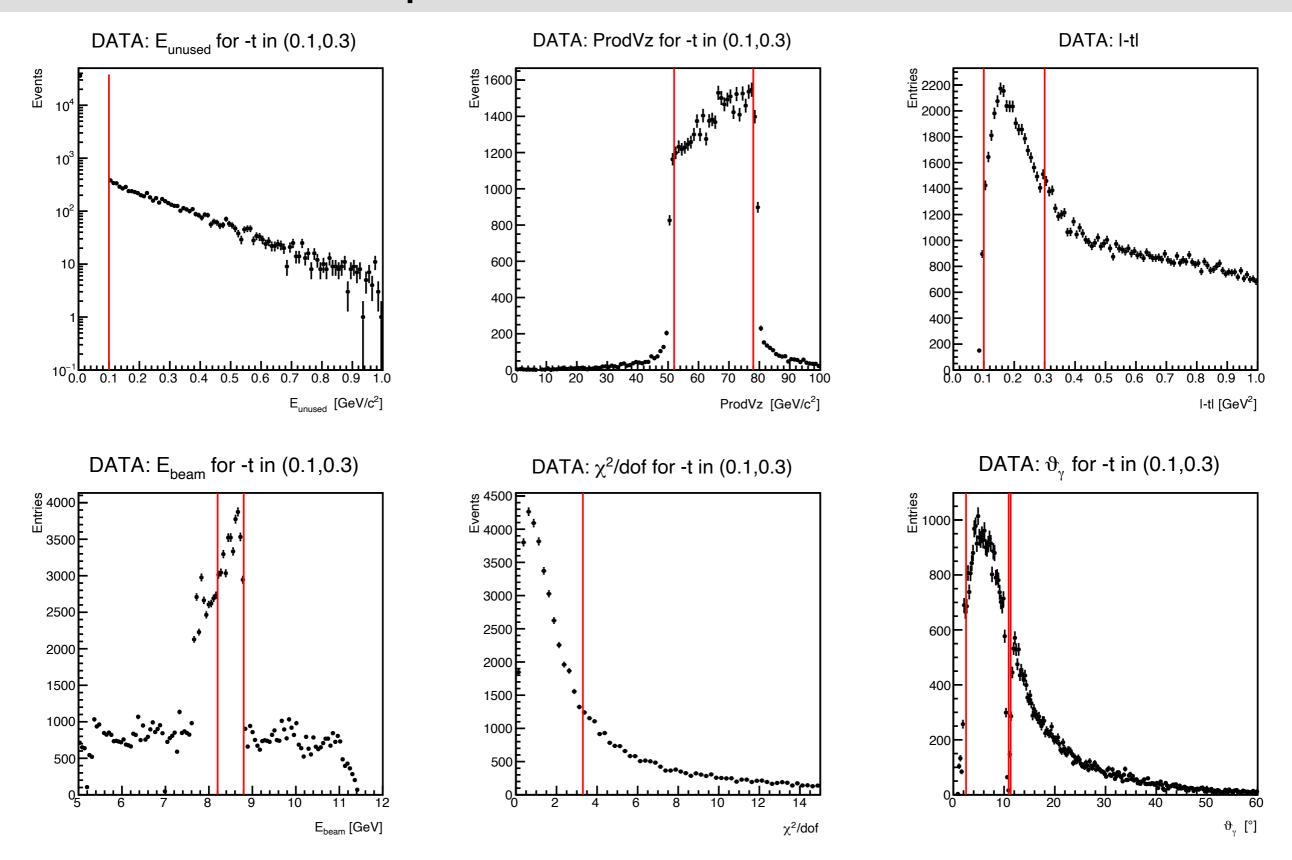


Draw stacked histograms for different contributions in one line:



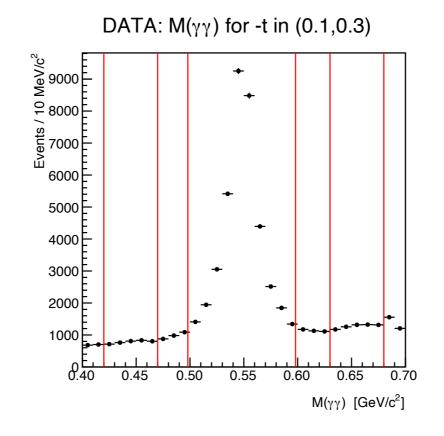


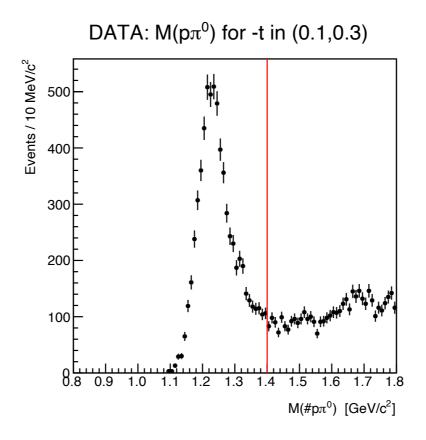
Step 4: Basic Plots for DATA

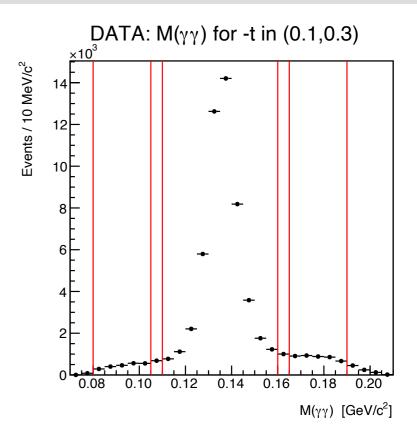


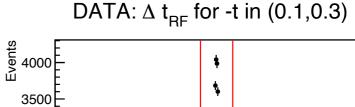
Step 4: Basic Plots for DATA

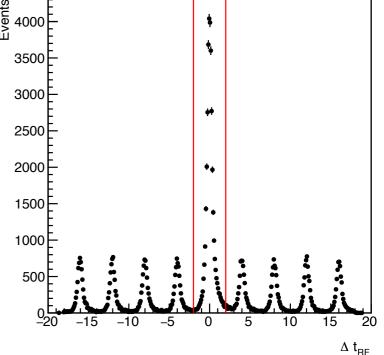
- Check performance of cuts in data, refine as necessary
- Optimize cuts
- Once you're happy with all selection criteria, produce skimmed trees for **PWA**



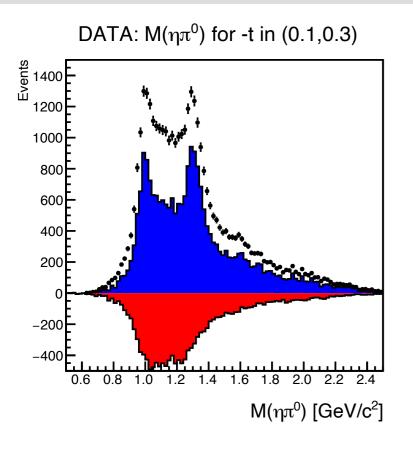


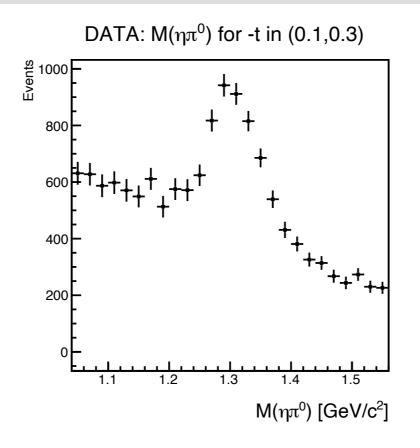


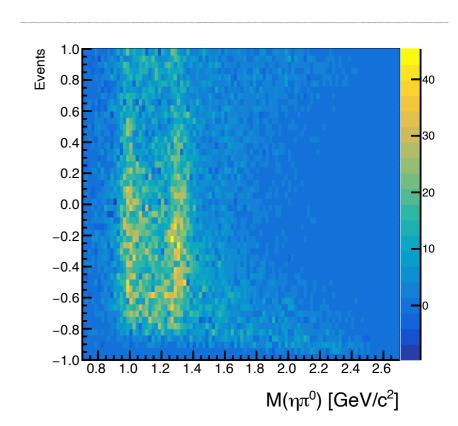




Step 4: Basic Plots for Data







- Accidental and sideband subtractions: Check what will be subtracted
- FSRoot handles multi-dimensional subtractions internally (e.g. accidental + pi0 sideband + eta sideband) by calculating corresponding weights from sidebands defined in CUT definitions:

Step 5: Skimming Trees

- Which trees do we want to produce?
 - To make plots / inspect data / refine cuts:
 All cuts applied that are not used for sideband / background subtraction
 - For PWA / AmpTools:
 - DATA: All Cuts applied, select signal region only, all weights=1
 - BKGND: All Cuts applied, select appropriate sideband regions with corresponding weights
 - ACCMC: Flat signal channel MC, reconstructed and subjected to the same cuts as data, signal region only
 - GENMC: Thrown MC with no cuts applied
- Example for one polarization, DATA and BKGND trees:

Step 5: Skimming Trees - Technicalities

- Cross section to be calculated for specific interval in...
 - Momentum transfer t
 - Beam energy
- Remember that Thrown tree has to be skimmed as well!
- Flattened trees available in workshop directory
 /work/gluex_workshop_data/tutorial_2022/session2d/flatten
- Script skim_a2.C will produce all trees (data, bkgnd, accmc, genmc) and friend trees for accidental and sideband subtraction necessary to run an AmpTools fit
- Script plots.C can produce a variety of plots for various input trees (flattened, flattened+skimmed, MC, Data, ...)

Summary

- Complementary approach to DSelector analysis
 - "Lightweight" user code (see scripts for this workshop)
 - Facilitates quick interaction with data interactively usable
 - Access to kinematically fitted and unfitted four-vectors of final state particles, thrown ("truth") information for MC, ...
 - Allows for sideband and/or accidental subtraction via friend trees that contain appropriate weights
- If information in flattened trees is missing for your analysis,
 FlattenForFSRoot can be extended!
- Any questions/comments about the examples in this presentation: malte@jlab.org
- Questions about FSRoot: <u>remitche@iu.edu</u>

(Some) Defined Macros in FSRoot

```
DEFINED MACROS
COSINE ([I])
           ((PzP[I])/(sqrt(pow((PxP[I]),2)+pow((PyP[I]),2)+pow((PzP[I]),2))))
COSINE ([I]; [J])
           (((PxP[I])*(PxP[J])+(PyP[I])*(PyP[J])+(PzP[I])*(PzP[J]))/(sqrt(pow((PxP[I]),2))
         +pow((PyP[I]), 2) + pow((PzP[I]), 2)))/(sqrt(pow((PxP[J]), 2) + pow((PyP[J]), 2) + pow((PzP[J]), 2))))
DOTPRODUCT([I];[J])
           ((PxP[I])*(PxP[J])+(PyP[I])*(PyP[J])+(PzP[I])*(PzP[J]))
ENERGY ([I])
           (EnP[I])
ENERGY([I];[J])
          FSMath::boostEnergy(PxP[I],PyP[I],PzP[I],EnP[I],PxP[J],PyP[J],PzP[J],EnP[J])
GJCOSTHETA([I];[J];[M])
FSMath::gjcostheta(PxP[I],PyP[I],PzP[I],EnP[I],PxP[J],PyP[J],PzP[J],EnP[J],PxP[M],PyP[M],PzP[M],EnP[M
1)
GJCOSTHETA ([I]; [J]; [M]; [N])
FSMath::gjcostheta(PxP[I], PyP[I], PzP[I], EnP[I], PxP[J], PyP[J], PzP[J], EnP[J], PxP[N], PyP[N], PzP[N], EnP[N
]) + EnP[M] * 0.0
GJPHI([I];[J];[M];[N])
FSMath::gjphi(PxP[I], PyP[I], PzP[I], EnP[I], PxP[J], PyP[J], PzP[J], EnP[J], PxP[M], PyP[M], PzP[M], EnP[M], PxP
[N], PyP[N], PzP[N], EnP[N])
```

(Some) Defined Macros in FSRoot

```
HELCOSTHETA([I];[J];[M])
FSMath::helcostheta(PxP[I],PyP[I],PzP[I],EnP[I],PxP[J],PyP[J],PzP[J],EnP[J],PxP[M],PyP[M],PzP[M],EnP[M])
HELCOSTHETA([I];[J];[M];[N])
FSMath::helcostheta(PxP[I],PyP[I],PzP[I],EnP[I],PxP[J],PyP[J],PzP[J],EnP[J],PxP[M],PyP[M],PzP[M],EnP[M])
+EnP[N]*0.0
HELPHI([I];[J];[M];[N])
FSMath::helphi(PxP[I], PyP[I], PzP[I], EnP[I], PxP[J], PyP[J], PzP[J], EnP[J], PxP[M], PyP[M], PzP[M], EnP[M], PxP[N], P
yP[N], PzP[N], EnP[N])
MASS([I])
                                 (sqrt(pow((EnP[I]), 2) - pow((PxP[I]), 2) - pow((PyP[I]), 2) - pow((PzP[I]), 2)))
MASS([I];[J])
                                 (sqrt(pow((EnP[I]-EnP[J]), 2)-pow((PxP[I]-PxP[J]), 2)-pow((PyP[I]-PyP[J]), 2)-pow((PzP[I]-PyP[J]), 2)-pow((PzP[I]-PyP[J]-PyP[J]), 2)-pow((PzP[I]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[J]-PyP[
 PzP[J]),2)))
MASS2([I])
                              (pow((EnP[I]), 2) - pow((PxP[I]), 2) - pow((PyP[I]), 2) - pow((PzP[I]), 2))
MASS2([I];[J])
                                 (pow((EnP[I]-EnP[J]),2)-pow((PxP[I]-PxP[J]),2)-pow((PyP[I]-PyP[J]),2)-pow((PzP[I]-PzP[J]),2))
MOMENTUM ([I])
                                 (sqrt(pow((PxP[I]), 2) + pow((PyP[I]), 2) + pow((PzP[I]), 2)))
MOMENTUMR ([I])
                                 (sqrt(pow((PxP[I]), 2) + pow((PyP[I]), 2)))
```

(Some) Defined Macros in FSRoot

```
MOMENTUMX ([I])
                                                                                     (PxP[I])
MOMENTUMY ([I])
                                                                                     (PyP[I])
MOMENTUMZ ([I])
                                                                                     (PzP[I])
 PLANEPHI([I];[J];[M])
FSMath::planephi(PxP[I],PyP[I],PzP[I],EnP[I],PxP[J],PyP[J],PzP[J],EnP[J],PxP[M],PyP[M]
  ,PzP[M],EnP[M])
  PRODCOSTHETA([I];[J];[M])
FSMath::prodcostheta(PxP[I], PyP[I], PzP[I], EnP[I], PxP[J], PyP[J], PzP[J], EnP[J], PxP[M], Py
 P[M], PzP[M], EnP[M])
RECOILMASS([I];[J])
                                                                                     (sqrt(pow((EnP[I]-EnP[J]), 2)-pow((PxP[I]-PxP[J]), 2)-pow((PyP[I]-PyP[J]), 2)-pow((PyP[I]-PyP[J]), 2)-pow((PxP[I]-PxP[J]), 2)-pow((PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I
pow((PzP[I]-PzP[J]),2)))
RECOILMASS2([I];[J])
                                                                                      (pow((EnP[I]-EnP[J]), 2)-pow((PxP[I]-PxP[J]), 2)-pow((PyP[I]-PyP[J]), 2)-pow((PyP[I]-PyP[J]), 2)-pow((PxP[I]-PxP[J]), 2)-pow((PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP[I]-PxP
pow((PzP[I]-PzP[J]),2))
```