Notes on the GlueX FSRoot Format

Ryan Mitchell

July 16, 2020

Abstract

This document describes the GlueX FSRoot format.

Contents

1	Overview	1
2	Final States	2
3	Event Information	2
4	Particle Four-Momenta	3
5	Track Information	3
6	Shower Information	3
7	MC Truth Information	4
8	Final State Numbering	4

1 Overview

The GlueX FSRoot format is a flat TTree format. All variables are double. Multiple combinations within an event are listed as separate TTree entries, just like entries from distinct events. The format is designed to be compatible with the FSRoot package¹.

¹The FSRoot package, along with documentation, can be found here: https://github.com/remitche66/FSRoot

2 Final States

The FSRoot format can hold information from any final state composed of a combination of Λ (decaying to $p\pi^-$), $\overline{\Lambda}$ (decaying to $\overline{p}\pi^+$), e^+ , e^- , μ^+ , μ^- , p, \overline{p} , η (decaying to $\gamma\gamma$), γ , K^+ , K^- , K_S^0 (decaying to $\pi^+\pi^-$), π^+ , π^- , and π^0 (decaying to $\gamma\gamma$).

Final state particles are listed in trees in the following order:

```
Lambda ALambda e+ e- mu+ mu- p+ p- eta gamma K+ K- Ks pi+ pi- pi0
```

For example, in the process $\gamma p \to \pi^+\pi^- J/\psi p; J/\psi \to \mu^+\mu^-$, the μ^+ is particle 1, the μ^- is particle 2, the p is particle 3, the π^+ is particle 4, and the π^- is particle 5. Or as another example, in the process $\gamma p \to \gamma \chi_{c1} p; \chi_{c1} \to \eta \pi^0 \pi^0$, the p is particle 1, the η is particle 2, the γ is particle 3, one π^0 is particle 4, and the other π^0 is particle 5. In cases like this where there are identical particles, no ordering is assumed.

3 Event Information

The "Event Information" variables contain information about the event as a whole:

Run: run number Event: event number

Chi2: chi2 of the kinematic fit chi2DOF: chi2/dof of the kinematic fit

RFTime: RF time determined from the kinematic fit RFDeltaT: difference between RF time and beam photon time

EnUnusedSh: total energy of unused showers

 $\begin{tabular}{ll} NumUnusedTracks: & number of unused tracks \\ NumNeutralHypos: & number of neutral hypotheses \\ \end{tabular}$

NumBeam: number of beam hypotheses from tagger

NumCombos: number of combos

ProdVx: production vertex parameters

ProdVy: "ProdVz: "ProdVt: "

PxPB: kinematically fit beam parameters

PyPB: "PzPB: "EnPB: "

RPxPB: measured beam parameters

RPyPB: "RPzPB: "

```
REnPB: "
MCPxPB: thrown beam parameters (MC only)
MCPyPB: "
MCPzPB: "
MCEnPB: "
```

4 Particle Four-Momenta

The "Particle Four-Momenta" variables contain the four-momentum for each particle in the final state:

```
(prefix)PxP(n): x momentum of particle (n)
(prefix)PyP(n): y momentum of particle (n)
(prefix)PzP(n): z momentum of particle (n)
(prefix)EnP(n): energy of particle (n)
```

Different types of four-momenta are distinguished using prefixes. Raw four-momenta have a prefix R; the final four-momenta (the fully-constrained four-momenta resulting from the kinematic fit) have no prefix; MC truth information have a prefix MC.

Different particles are differentiated using the postfix P(n), where (n) is the number of the particle in the ordered list. Four-momenta for secondaries originating from particle (n), such as the two γ 's from a π^0 , are recorded using P(n)a and P(n)b, where the ordering follows the same conventions as above, or, in the case of identical daughter particles, no ordering is assumed. As two examples: in the process $\gamma p \to \pi^+ \pi^- J/\psi p; J/\psi \to \mu^+ \mu^-$, the raw energy of the π^+ is given by REnP4; and in the process $\gamma p \to \pi^+ \pi^- J/\psi p; J/\psi \to \pi^+ \pi^- \pi^0$, the y-momentum of a photon from the π^0 decay, after the kinematic fit, is given by PyP6b.

5 Track Information

Track information is written out for every reconstructed track that is part of a final state. The postfix P(n) follows the same convention as for the four-momenta (section 4).

```
TkChi2P(n): chi2 of the track fit
TkNDFP(n): number of degrees of freedom for the track fit
```

6 Shower Information

Shower information is written out for every reconstructed shower that is part of a final state. The postfix P(n) follows the same convention as for the four-momenta (section 4).

7 MC Truth Information

The following variables can be used to help keep track of truth information.

```
MCDecayCode1: the true code1, described in the

"final state numbering" section

MCDecayCode2: the true code2, described in the

"final state numbering" section

MCExtras: 1000 * number of neutrinos +

100 * number of K_L +

10 * number of neutrons +

1 * number of antineutrons

MCSignal: 1 if the reconstructed final state

matches the generated final state;

0 otherwise
```

The MCDecayParticle variables are an ordered list of the PDG ID numbers of the particles coming from the initial reaction. For example, for $\gamma p \to \pi^+\pi^- p$, MCDecayParticle1 is -211 (for the π^-); MCDecayParticle2 is 211 (for the π^+); MCDecayParticle3 is 2212 (for the p); and all the others are zero. These variables are meant to help distinguish between reactions with different resonances but the same final state (for example $\gamma p \to \rho p$ vs. $\gamma p \to \pi^+\pi^- p$), but many resonances are not currently included in the analysis trees.

```
MCDecayParticle1: the PDG ID of the 1st particle MCDecayParticle2: the PDG ID of the 2nd particle MCDecayParticle3: the PDG ID of the 3rd particle MCDecayParticle4: the PDG ID of the 4th particle MCDecayParticle5: the PDG ID of the 5th particle MCDecayParticle6: the PDG ID of the 6th particle
```

8 Final State Numbering

Final states are designated using two integers, "code1" and "code2". The digits of each integer are used to specify the number of different particle types in the final state:

```
code1 = abcdefg
    a = number of gamma
    b = number of K+
    c = number of K-
    d = number of Ks ( --> pi+ pi- )
```

```
e = number of pi+
f = number of pi-
g = number of pi0 ( --> gamma gamma )

code2 = hijklmnop
h = number of Lambda (--> p+ pi-)
i = number of ALambda (--> p- pi+)
j = number of e+
k = number of e-
l = number of mu+
m = number of mu-
n = number of p+
o = number of p-
p = number of eta ( --> gamma gamma )
```

These integers are sometimes combined into a single string of the form:

```
"code2_code1"
```

Here are a few examples:

```
"0_111": pi+ pi- pi0
"0_1000002": gamma pi0 pi0
"1_220000": eta K+ K+ K- K-
"11000_110": mu+ mu- pi+ pi-
```