Sintax direct translation: Boolean Calculator

Abstract

Design of a grammar and his implementation using a top-down/ bottom-top analyzer/translator that represent a boolean calculator using python.

Introduction

The boolean calculator allow this operations represented by the examples of this table:

Input	Output
x := true; print x:	The result is 1
y := false and x;	
print not y; print x and not y;	The result is 1 The result is 1
print not $(x \text{ and not } y);$ x := not x;	The result is 0
z := true or not (x and not y);	

- There are Id's
- There are or binary and left associative.
- There are and and is binary and left associative and more priority than the or operator.
- There are a sign operator :=
- There are print sentence print *values*
- There are True and False constants.
- There are ()

Methodology

Stage: 1

Design the grammar for a bottom-top translator with his translation scheme.

Sintactic and semantic rules

Sintactic rules	Semantic rules
entry -> print exprOR ;	write('The result is {exprOR.s} ;')
entry -> asign;	
$asign \rightarrow ID = exprOR$	table[ID.lexval] = exprOR.s
$exprOR \rightarrow exprOR $ or $exprAND$	$exprOR.s = exprOR_1.s$ or $exprAND.s$
$exprOR \rightarrow exprAND$	exprOR.s = exprAND.s
exprAND -> exprAND and boolean	$exprAND.s = exprAND_1.s$ and boolean.s

Sintactic rules	Semantic rules
exprAND -> boolean	exprAND.s = boolean.s
boolean -> not boolean	boolean.s = !boolean.s
boolean -> CBOOLEAN	boolean.s = $CBOOLEAN.lexval$
boolean -> ID	boolean.s = $table[ID.leval]$
boolean -> (exprOR)	boolean.s = $\exp OR.s$

Translation scheme

```
Translation scheme
entry -> print exprOR; { write('The result is {exprOR.s};') }
entry -> asign;
asign -> ID = exprOR { table[ID.lexval] = exprOR.s }
exprOR -> exprOR or exprAND { exprOR.s = exprOR_1.s or exprAND.s }
exprOR -> exprAND { exprOR.s = exprAND.s }
exprAND -> exprAND and boolean { exprAND.s = exprAND_1.s and boolean.s }
exprAND -> boolean { exprAND.s = boolean.s }
boolean -> not boolean { boolean.s = !boolean.s }
boolean -> CBOOLEAN { boolean.s = CBOOLEAN.lexval }
boolean -> ID { boolean.s = table[ID.leval] }
boolean -> ( exprOR ) { boolean.s = exprOR.s }
```

Stage: 2

Adapt the grammar for a top-bottom translator. For do that we have to transform the left recursion to right recursion and refactorize the resulting grammar.

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Sintactic rules

entry -> print exprOR;
def -> asign;
asign -> ID = exprOR
exprOR -> exprAND exprOR'
exprOR' -> or exprAND exprOR'
exprOR' -> e
exprAND -> boolean exprAND'
exprAND' -> and boolean exprAND'
exprAND' -> e
boolean -> not boolean
boolean -> ID
boolean -> ( exprOR )
```

Stage: 3

Add the translation scheme to stage 2 adapting the semantic rules of stage 1.

Stage: 4

Implement the top-bottom recursive translator resuling from stage 3 using $\ensuremath{\textit{Python}}.$