

c ; Pic reC<S Yp CY zSfSZ%fp CfXC.g

se- <CzS\ C(t;x) ! CfC^z
 Hbqfcj cgQs\ se- <CzS\ C
 GLc Q..bq@Y^C
 , ^ b4sCqfCq=..SP - <Y<W ^@- q^Yq
 ; b^szS~zCs - ^@S^CqS YHq \ C

cic | C.zb^S ^ zPCbq%o

á z.b b4sCqfCq= (t;x;y;z) - ^@(t^0;x^0;y^0;z^0)

á qCY zSfCseCC@v S^ xQsC<zS^

cicic K- YSC ^ zq ^sHbq\ - zSb^

$$\begin{aligned} \begin{matrix} \infty \\ \approx \end{matrix} x &= x^0 + vt \\ \begin{matrix} \approx \\ \infty \end{matrix} y &= y^0 \\ \begin{matrix} \approx \\ \cdot \end{matrix} z &= z^0 \\ t &= t^0 \end{aligned}$$

fcg

cici| d qS<SeYC bHd ~Sf- Y^<C S^ | C.zb^ s zPCbq%o

ci GbqzPC CfC^z S^ S - ^@S^0>zS\ C S - 4sbY-zC

$$\begin{aligned} S &: (t;x;y;z) \\ S^0 &: (t^0;x^0;y^0;z^0) \end{aligned}$$

RH..C...^z zb \ G s~qC zPC Y^LzP bH \ bfS^L b4U<z

„ C^CC@zb \ G s~qCzPC<bbq@s^- zCs bHC^@sS\ ~z- ^Cb~sY%oGL| Q\ G s~qC C^@s

ci seCC@

$$\begin{aligned} \begin{matrix} \infty \\ \geq \end{matrix} x &= x^0 + v \\ \begin{matrix} \geq \\ \cdot \end{matrix} y &= y^0 \\ z &= z^0 \end{aligned}$$

ci - <<CqCq zSb^

$$x = x^0; \quad y = y^0; \quad z = z^0$$

ci| reC<S Yp CY zSfSZ%o

BS^szCS=y..bebszS~YzCs bH ipi dci , YS^CqS Yb4sCqfCq - qCd Sf- Y^zi d|i
 yPCseCC@bHMLPz bHMLPz c S zPCS\ - CHbq- Yb4sCqfCq fc = 299792458 \ /sg

RH..CsCz c = 1 fqCY zSfSszS~^Sg
GL { Q†z @S Lq \

ci|ic $\mathbf{X} \mathbf{b} \mathbf{q} \mathbf{C}^{\wedge} \mathbf{z} \mathbf{z} \mathbf{q}^{\wedge} \mathbf{s} \mathbf{H} \mathbf{b} \mathbf{q} \backslash - \mathbf{z} \mathbf{S}^{\wedge} \mathbf{f} \mathbf{B} \mathbf{o} \mathbf{n} \mathbf{d} \mathbf{i} \mathbf{k} \mathbf{Q} \mathbf{H} < \mathbf{z} \mathbf{b} \mathbf{q} \mathbf{g}$

$k \mathbf{H} < \mathbf{z} \mathbf{b} \mathbf{q} < \mathbf{P} \mathbf{-} \mathbf{q} \mathbf{f} < \mathbf{G} \mathbf{f} \mathbf{C} \mathbf{z} \mathbf{P} \mathbf{C} @ \mathbf{S} \mathbf{G} \mathbf{f}^{\wedge} < \mathbf{C} \mathbf{4} \mathbf{C} \mathbf{z} \mathbf{.} \mathbf{C} \mathbf{C}^{\wedge} \mathbf{] C} \mathbf{.} \mathbf{z} \mathbf{b}^{\wedge} \mathbf{s} \mathbf{z} \mathbf{P} \mathbf{C} \mathbf{b} \mathbf{q} \% \mathbf{o}^{\wedge} @ \mathbf{r} \mathbf{i} \mathbf{p} \mathbf{i}$

$\frac{\mathbf{G} \mathbf{S} \mathbf{J} \mathbf{Q} \mathbf{f} \mathbf{z} @ \mathbf{S} \mathbf{L} \mathbf{q} \backslash \mathbf{..} \mathbf{S} \mathbf{P} \mathbf{,} \mathbf{3}}{\mathbf{s} \mathbf{b} \mathbf{z} \mathbf{P} \mathbf{-} \mathbf{z} \mathbf{k} = \mathbf{k}(\mathbf{v}) > -^{\wedge} @ \mathbf{S} \mathbf{z} \backslash \sim \mathbf{s} \mathbf{z} \mathbf{4} \mathbf{C} - \mathbf{Y} \mathbf{S} \mathbf{G} \mathbf{q} \mathbf{q} \mathbf{C} \mathbf{Y} \mathbf{z} \mathbf{S}^{\wedge} \mathbf{4} \mathbf{C} \mathbf{z} \mathbf{.} \mathbf{C} \mathbf{C}^{\wedge} (\mathbf{t}; \mathbf{x}) -^{\wedge} @ (\mathbf{t}^0; \mathbf{x}^0) \mathbf{s} \mathbf{S}^{\wedge} < \mathbf{C} \mathbf{z} \mathbf{P} \mathbf{C}$
 $\mathbf{H} \mathbf{f} \mathbf{C} \mathbf{C} \backslash \mathbf{b} \mathbf{z} \mathbf{S}^{\wedge} \backslash \sim \mathbf{s} \mathbf{z} \mathbf{4} \mathbf{C} \mathbf{z} \mathbf{P} \mathbf{C} \mathbf{s} \backslash \mathbf{C} > \mathbf{S} \mathbf{G}$

$$\mathbf{H} \mathbf{f} \mathbf{C} \mathbf{C} \backslash \mathbf{b} \mathbf{z} \mathbf{S}^{\wedge} = \left(\begin{array}{l} \mathbf{x} = \mathbf{x}_0 + \mathbf{u} \mathbf{t} \\ \mathbf{x}^0 = \mathbf{x}_0^0 + \mathbf{u}^0 \mathbf{t}^0 \end{array} \right. \quad \mathbf{f} | \mathbf{g}$$

$\frac{\mathbf{G} \mathbf{S} \mathbf{I} \mathbf{Q} \mathbf{z} \mathbf{f}^{\wedge} \mathbf{L} \mathbf{Y} \mathbf{C}}{\mathbf{z} \mathbf{P} \mathbf{C}^{\wedge} \mathbf{S} \mathbf{H} \mathbf{t}_1 = \mathbf{T} -^{\wedge} @ \mathbf{t}_2 = \mathbf{k}^2 \mathbf{T} \mathbf{f} \mathbf{s} \mathbf{C} \mathbf{C} \mathbf{G} \mathbf{S} \mathbf{I} \mathbf{Q} \mathbf{z} \mathbf{c} \mathbf{z} | \mathbf{g} > \mathbf{..} \mathbf{C} \mathbf{P} \mathbf{-} \mathbf{f} \mathbf{C}$

$$\left(\begin{array}{l} \mathbf{t} = (\mathbf{k}^2 + 1) \mathbf{T} / 2 \\ \mathbf{x} = (\mathbf{k}^2 - 1) \mathbf{T} / 2 \end{array} \right. \quad \mathbf{f} \{ \mathbf{g}$$

$\mathbf{s} \mathbf{S}^{\wedge} < \mathbf{C} \mathbf{v} = \mathbf{x} / \mathbf{t} = (\mathbf{k}^2 - 1) / (\mathbf{k}^2 + 1) < 1 \mathbf{..} \mathbf{C} \mathbf{P} \mathbf{-} \mathbf{f} \mathbf{C} \mathbf{z} \mathbf{P} \mathbf{C} \mathbf{H} < \mathbf{z} \mathbf{b} \mathbf{q}$

$$\mathbf{k} = \frac{\mathbf{r} \overline{1 + \mathbf{v}}}{1 - \mathbf{v}} \quad \mathbf{f} \mathbf{J} \mathbf{g}$$

$\mathbf{p} \backslash \mathbf{W} \mathbf{p} \mathbf{C} \mathbf{Y} \mathbf{z} \mathbf{f} \mathbf{S} \mathbf{z} \mathbf{S} < ? \mathbf{b} \mathbf{e} \mathbf{e} \mathbf{Y} \mathbf{q} \mathbf{C} \mathbf{C} \mathbf{z} \mathbf{g} = \mathbf{y} \mathbf{P} \mathbf{C} \mathbf{H} \mathbf{f} \mathbf{f} \sim \mathbf{C}^{\wedge} < \mathbf{C} ! = 2 / \mathbf{T} > \mathbf{..} \mathbf{C} \mathbf{P} \mathbf{-} \mathbf{f} \mathbf{C}$

$$\begin{array}{l} \mathbf{T} ! \mathbf{T}^0 = \mathbf{k} \mathbf{T} \\ ! ! !^0 = ! / \mathbf{k} \end{array} \quad \mathbf{f} | \mathbf{g}$$

$\mathbf{R} \mathbf{H} \mathbf{v} > 0 \mathbf{) } \mathbf{k} > 1 = !^0 < ! \mathbf{f} \mathbf{q} \mathbf{C} @ \mathbf{s} \mathbf{P} \mathbf{S} \mathbf{H} \mathbf{g} \mathbf{R} \mathbf{H} \mathbf{v} < 0 \mathbf{) } \mathbf{k} < 1 = !^0 < ! \mathbf{f} \mathbf{4} \mathbf{Y} \mathbf{C} \mathbf{s} \mathbf{P} \mathbf{S} \mathbf{H} \mathbf{g}$

$\mathbf{R}^{\wedge} \mathbf{] C} \mathbf{.} \mathbf{z} \mathbf{b}^{\wedge} \mathbf{s} \mathbf{z} \mathbf{P} \mathbf{C} \mathbf{b} \mathbf{q} \% \mathbf{o}$

$$\left(\begin{array}{l} \mathbf{x} = \mathbf{x}^0 + \mathbf{v} \mathbf{t} \\ \mathbf{x} = \mathbf{x}^0 + \mathbf{v} \mathbf{f}, @ @ \mathbf{S} \mathbf{b} \mathbf{S}^{\wedge} \mathbf{H} \mathbf{b} \mathbf{q} \backslash \sim \mathbf{Y} \mathbf{g} \end{array} \right. \quad \mathbf{f} \mathbf{v} \mathbf{g}$$

$\frac{\mathbf{G} \mathbf{S} \mathbf{v} \mathbf{Q} \mathbf{,} \mathbf{3}; \mathbf{..} \mathbf{b} \mathbf{q} @ \mathbf{Y} \mathbf{S}^{\wedge} \mathbf{C}}{\mathbf{G} \mathbf{S} \mathbf{v} \mathbf{Q} \mathbf{,} \mathbf{3}; \mathbf{..} \mathbf{b} \mathbf{q} @ \mathbf{Y} \mathbf{S}^{\wedge} \mathbf{C}}$

$$\begin{array}{l} \mathbf{k}_{AB} = \frac{\mathbf{r} \overline{1 + \mathbf{v}_{AB}}}{1 - \mathbf{v}_{AB}} \\ \mathbf{k}_{BC} = \frac{\mathbf{r} \overline{1 + \mathbf{v}_{BC}}}{1 - \mathbf{v}_{BC}} \\ \mathbf{k}_{AC} = \frac{\mathbf{r} \overline{1 + \mathbf{v}_{AC}}}{1 - \mathbf{v}_{AC}} = \mathbf{S} \frac{\overline{(1 + \mathbf{v}_{AB})(1 + \mathbf{v}_{BC})}}{(1 - \mathbf{v}_{AB})(1 - \mathbf{v}_{BC})} \end{array} \quad \mathbf{f} \mathbf{u} \mathbf{g}$$

$\mathbf{s} \mathbf{b} \mathbf{Y} \mathbf{S}^{\wedge} \mathbf{L} \mathbf{z} \mathbf{P} \mathbf{-} \mathbf{z}$

$$\mathbf{v}_{AC} = \frac{\mathbf{v}_{AB} + \mathbf{v}_{BC}}{1 + \mathbf{v}_{AB} \mathbf{v}_{BC}} = \frac{\mathbf{v}_{AB} + \mathbf{v}_{BC}}{1 + \mathbf{v}_{AB} \mathbf{v}_{BC} / \mathbf{c}^2} \quad \mathbf{f} \mathbf{D} \mathbf{g}$$

$\mathbf{C} \mathbf{f} \mathbf{-} \backslash \mathbf{e} \mathbf{Y} \mathbf{C} = \mathbf{S} \mathbf{H} \mathbf{v}_{BC} = \mathbf{c} \mathbf{x} \mathbf{..} \mathbf{C} \mathbf{P} \mathbf{-} \mathbf{f} \mathbf{C} \mathbf{v}_{AC} = \frac{\mathbf{c} + \mathbf{v}_{BC}}{1 + \mathbf{v}_{BC} \mathbf{c} / \mathbf{c}^2} = \mathbf{c} \mathbf{S} \mathbf{H} \mathbf{v}_{AC} = \mathbf{c} > \mathbf{..} \mathbf{C} \mathbf{P} \mathbf{-} \mathbf{f} \mathbf{C}$

$$\mathbf{v}_{AC} = \frac{\mathbf{v}_{AC} + \mathbf{c}}{1 + \mathbf{c} \mathbf{v}_{BC} / \mathbf{c}^2} = \mathbf{c}$$

$$R^{\ast}H\langle \vartriangle \rangle$$

$$v_{AV}-1=\frac{(v_{AC}-1)(1-v_{BC})}{1+v_{AB}v_{BC}}<0\qquad f_g$$

$$..PC^{\wedge} \; v_{AB};v_{BC}<1=ripi \; ! \;] \; C.zb^{\wedge}$$

$$p\backslash W$$

$$ci\;\backslash\;-ss\mathcal{S}fCe-\mathfrak{q}\mathcal{S}\mathcal{Y}\mathcal{S}\;m\notin 0=v<1\;\text{bq}\;v<c$$

$$|i\;[\;-ss\mathcal{Y}\mathcal{S}se-\mathfrak{q}\mathcal{S}\mathcal{Y}C\;m=1=v=1\;\text{bq}\;v=c$$

$$GLi\; photon> graviton>\; neutrino$$

$$,,\;P\text{-}z\text{-}4b\text{-}z\;zPCpCYz\mathfrak{B}^{\wedge}\;4Cz.\mathcal{C}\mathcal{C}^{\wedge}\;z.b\;se\text{-}\langle C\mathcal{Z}\mathcal{S}\;C\langle b\mathfrak{q}\mathcal{S}^{\wedge}\text{-}zC\;bHPCs\text{-}\backslash\;CCfC^{\wedge}z\;P=\frac{G\mathfrak{L}u\;\mathcal{Y}\mathfrak{q}C^{\wedge}z\;\mathcal{Q}z\mathfrak{q}\;\wedge^sH\mathfrak{b}\mathfrak{q}\backslash\text{-}z\mathfrak{B}^{\wedge}}{4\%k\mathfrak{Q}H\text{-}zb\mathfrak{q}}$$

$$ci\;t^{\theta}\;\;\;x^{\theta}=k(t\;\;\;x)$$

$$|i\;t+x=k(t^{\theta}+x^{\theta})$$

$$sb\mathfrak{Y}S^{\setminus}L\;zP\text{-}z$$

$$\begin{array}{l} t^{\theta}=\mathfrak{P}\frac{t}{1-\frac{vx}{v^2}}\\ x^{\theta}=\mathfrak{P}\frac{x}{1-\frac{vt}{v^2}}\end{array};\;\;\;\;..PC\mathfrak{q}\mathfrak{C}\;(c=1): \qquad\qquad\qquad fc\mathfrak{Q}$$

$$p\backslash W$$

$$ci\;t^2\;\;\;x^2=(t^{\theta})^2\;\;\;(x^{\theta})^2\;f]\;b\backslash\;\mathfrak{Q}\sim\text{-}\mathcal{Y}\mathcal{C}\mathcal{C}\;\wedge^gRzs\text{-}\mathcal{Y}\mathcal{C}\text{@}\;Minkkowski\;spacei$$

$$|i\;\langle b\backslash\;e\text{-}\mathfrak{q}\mathfrak{S}\mathfrak{B}^{\wedge}$$

$$\begin{array}{|c|c|} \hline K-\mathcal{Y}\mathcal{C}\;\wedge & X\mathfrak{b}\mathfrak{q}C^{\wedge}z\mathfrak{S} \\ \hline t^{\theta}=t & t^{\theta}=\mathfrak{P}\frac{t}{1-\frac{vx}{v^2}} \\ x^{\theta}=x\;\;\;vt & x^{\theta}=\mathfrak{P}\frac{x}{1-\frac{vt}{v^2}} \\ y^{\theta}=y & y^{\theta}=y \\ z^{\theta}=z & z^{\theta}=z \\ \hline \end{array}$$

$$\overline{GSD\mathfrak{Q}\;b\mathfrak{f}S^{\setminus}L\;H\mathfrak{f}\backslash\;C}$$

$$\{i\;?\;C^{\ast}\;\wedge^s\mathfrak{S}\mathfrak{B}^{\wedge}=S^{\setminus}zC\mathfrak{q}\mathfrak{f}\text{-}\mathcal{Y}4Cz.\mathcal{C}\mathcal{C}^{\wedge}\;z.b\;C\mathfrak{f}C^{\wedge}z\;P_1\text{-}\wedge@P_2=$$

$$\acute{a}\;\;"S^{\setminus}\mathcal{S}\mathcal{C}R^{\setminus}zC\mathfrak{q}\mathfrak{f}\text{-}\mathcal{Y}$$

$$s^2=(t_2-t_1)^2\;\;\;(x_2-x_1)^2\;\;\;(y_2-y_1)^2\;\;\;(z_2-z_1)^2\qquad\qquad\qquad fccg$$

$$\acute{a}\;\;S^{\setminus}H^{\wedge}\mathcal{S}\mathcal{C}sz\backslash\text{-}\mathcal{Y}S^{\setminus}zC\mathfrak{q}\mathfrak{f}\text{-}\mathcal{Y}$$

$$(ds)^2=(dt)^2\;\;\;(dx)^2\;\;\;(dy)^2\;\;\;(dz)^2\qquad\qquad\qquad fc|g$$

$$ci\;\mathfrak{q}\mathfrak{C}\mathfrak{f}\mathcal{S}\mathcal{C}zPC\mathfrak{b}\mathfrak{q}\text{@}C\mathfrak{q}$$

$$\begin{array}{l} t^{\theta}=\mathfrak{P}\frac{t}{1-\frac{vx/c^2}{v^2/c^2}}\\ x^{\theta}=\mathfrak{P}\frac{x}{1-\frac{vt/c^2}{v^2/c^2}}\end{array}\qquad\qquad\qquad fc\{g$$

$$\{$$

ci|i| X**bq**C^z< zq_ ^s**Hbq**\ - z**Sb**^

BS`szCS`=y..b ebszS~YzGs bHrip i dR , YS`CqS Yb4sCqfCq - qC d Sf- YC^zidR
yPCseCC@bH**SLPz** bH**SLPz**

