

Curve Fitting

Fit the straight line: $y = a + bx$

Pseudo-code:

1. Input no. of observations
2. For $i = 1$ to n
 Input X_i
 Input Y_i
Next i
3. Initialize $\text{sum}x = \text{sum}x^2 = \text{sum}y = \text{sum}xy = 0$
4. Calculate all required sum as:
5. For $i = 1$ to n
 $\text{sum}x = \text{sum}x + X_i$
 $\text{sum}y = \text{sum}y + Y_i$
 $\text{sum}x^2 = \text{sum}x^2 + (X_i * X_i)$
 $\text{sum}xy = \text{sum}xy + (X_i * Y_i)$
Next i
6. Calculate the required constants as:
 $b = (n * \text{sum}xy - \text{sum}x * \text{sum}y) / (n * \text{sum}x^2 - \text{sum}x * \text{sum}x)$
 $a = (\text{sum}y - b * \text{sum}x) / n$
7. Print a and b as output & display best fit equation
8. Stop

Fit the exponential model: $y = ab^x$

Pseudo-code:

1. Input no. of observations
2. For $i = 1$ to n
 Input X_i
 Input Y_i
Next i
3. Initialize $\text{sum}x = \text{sum}x^2 = \text{sum}Y = \text{sum}xY = 0$
4. Calculate all required sum as:
5. For $i = 1$ to n
 $\text{sum}x = \text{sum}x + X_i$
 $\text{sum}Y = \text{sum}Y + \log(Y_i)$
 $\text{sum}x^2 = \text{sum}x^2 + (X_i * X_i)$
 $\text{sum}xY = \text{sum}xY + (X_i * \log(Y_i))$
Next i
6. Calculate the required constants as:
 $B = (n * \text{sum}xY - \text{sum}x * \text{sum}Y) / (n * \text{sum}x^2 - \text{sum}x * \text{sum}x)$
 $A = (\text{sum}Y - B * \text{sum}x) / n$
 $b = \text{antilog}(B)$
 $a = \text{antilog}(A)$
7. Print a and b as output & display best fit equation
8. Stop