# **Final Project**

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```
!pip3 install ucimlrepo
```

Requirement already satisfied: ucimlrepo in /Users/NoahRipstein/miniconda3/envs/3d\_39/lib/pythouse

```
import pandas as pd
import numpy as np
from sklearn.preprocessing import StandardScaler
import matplotlib.pyplot as plt
import matplotlib as mpl
import matplotlib.cm as cm
from sklearn.impute import SimpleImputer
import seaborn as sns
from patsy import dmatrices, dmatrix
from sklearn.preprocessing import StandardScaler
from scipy.stats import zscore
from sklearn.model_selection import train_test_split
from sklearn.cluster import KMeans
from sklearn import metrics
from sklearn.linear_model import LogisticRegression, LinearRegression
from sklearn.decomposition import PCA, TruncatedSVD
from sklearn.ensemble import RandomForestClassifier
from sklearn.metrics import confusion_matrix, classification_report, silhouette_samples, silhouette_sample
from sklearn.metrics.cluster import rand_score
import statsmodels.api as sm
```

```
from mlxtend.feature_selection import ExhaustiveFeatureSelector as EFS
from mlxtend.feature_selection import SequentialFeatureSelector as SFS
from mlxtend.plotting import plot_sequential_feature_selection as plot_sfs
```

```
from ucimlrepo import fetch_ucirepo

chronic_kidney_disease = fetch_ucirepo(id=336)

df = pd.concat([chronic_kidney_disease.data.features, chronic_kidney_disease.data.targets], ax

df.head()
```

	age	bp	sg	al	su	rbc	pc	pcc	ba	bgr	•••	pcv	wbcc	rbo
0	48.0	80.0	1.020	1.0	0.0	NaN	normal	notpresent	notpresent	121.0		44.0	7800.0	5.2
1	7.0	50.0	1.020	4.0	0.0	NaN	normal	notpresent	notpresent	NaN		38.0	6000.0	Na
2	62.0	80.0	1.010	2.0	3.0	normal	normal	notpresent	notpresent	423.0		31.0	7500.0	Na
3	48.0	70.0	1.005	4.0	0.0	normal	abnormal	present	notpresent	117.0		32.0	6700.0	3.9
4	51.0	80.0	1.010	2.0	0.0	normal	normal	notpresent	notpresent	106.0		35.0	7300.0	4.6

1. Classification Problem Identification: Define and describe a classification problem based on the dataset.

Using different health features we want to classify indivuals into one of two groups, has Chronic Kidney Disease or does not have Chronic Kidney Disease.

2. Variable Transformation: Implement any transformations chosen or justify the absence of such modifications.

#### df.describe()

	age	bp	sg	al	su	bgr	bu	sc
count	391.000000	388.000000	353.000000	354.000000	351.000000	356.000000	381.000000	383.000000
mean	51.483376	76.469072	1.017408	1.016949	0.450142	148.036517	57.425722	3.072454

	age	bp	sg	al	su	bgr	bu	sc
std	17.169714	13.683637	0.005717	1.352679	1.099191	79.281714	50.503006	5.741126
min	2.000000	50.000000	1.005000	0.000000	0.000000	22.000000	1.500000	0.400000
25%	42.000000	70.000000	1.010000	0.000000	0.000000	99.000000	27.000000	0.900000
50%	55.000000	80.000000	1.020000	0.000000	0.000000	121.000000	42.000000	1.300000
75%	64.500000	80.000000	1.020000	2.000000	0.000000	163.000000	66.000000	2.800000
max	90.000000	180.000000	1.025000	5.000000	5.000000	490.000000	391.000000	76.000000

## df.dtypes

age	float64
bp	float64
sg	float64
al	float64
su	float64
rbc	object
pc	object
pcc	object
ba	object
bgr	float64
bu	float64
sc	float64
sod	float64
pot	float64
hemo	float64
pcv	float64
wbcc	float64
rbcc	float64
htn	object
dm	object
cad	object

```
appet object
         object
ре
          object
ane
class
          object
dtype: object
float64_columns = df.select_dtypes(
    include=['float64']
    ).columns
float64_columns
scaler = StandardScaler()
df[float64_columns] = scaler.fit_transform(df[float64_columns])
cat_columns = df.select_dtypes(
    include=['object']
    ).columns
for col in cat_columns:
   print(df[col].value_counts(normalize=True))
rbc
           0.810484
normal
           0.189516
abnormal
Name: proportion, dtype: float64
рс
           0.773134
normal
abnormal
           0.226866
Name: proportion, dtype: float64
рсс
notpresent
             0.893939
             0.106061
present
Name: proportion, dtype: float64
```

ba

notpresent 0.944444

present 0.055556

Name: proportion, dtype: float64

htn

no 0.630653

yes 0.369347

Name: proportion, dtype: float64

dm

no 0.653266

yes 0.344221

\tno 0.002513

Name: proportion, dtype: float64

cad

no 0.914573

yes 0.085427

Name: proportion, dtype: float64

appet

good 0.794486

poor 0.205514

Name: proportion, dtype: float64

ре

no 0.809524

yes 0.190476

Name: proportion, dtype: float64

ane

no 0.849624

yes 0.150376

Name: proportion, dtype: float64

 ${\tt class}$ 

ckd 0.620

notckd 0.375

ckd\t 0.005

Name: proportion, dtype: float64

```
for col in cat_columns:
    df[col] = df[col].astype('category').cat.codes

df.head(5)
```

	age	bp	sg	al	su	rbc	pc	pcc	ba	bgr	 pcv
0	-0.203139	0.258373	0.454071	-0.012548	-0.410106	-1	1	0	0	-0.341498	 0.569881 -
1	-2.594124	-1.936857	0.454071	2.208413	-0.410106	-1	1	0	0	NaN	 -0.098536 -
2	0.613295	0.258373	-1.297699	0.727772	2.323069	1	1	0	0	3.473064	 -0.878356 -
3	-0.203139	-0.473370	-2.173584	2.208413	-0.410106	1	0	1	0	-0.392022	 -0.766953 -
4	-0.028189	0.258373	-1.297699	0.727772	-0.410106	1	1	0	0	-0.530963	 -0.432744 -

Here, we performed two data transformation steps: 1. Transformation 1: Standardizing Numerical Features.

This step Z-transformed the numerical features to make them come from a distribution closer to a standard normal distribution with mean 0 and variance 1. This can improve performance of some classification algorithms, including logistic regression. 2. Transformation 2: Encoding Categorical Features.

This step converted columns containing categorical features into categorical variables within pandas. This is needed so that when we use our pandas dataframe as input to our classification models later, the libraries recognize the variables as categorical, rather than continuous.

3. Dataset Overview: Provide a detailed description of the dataset, covering variables, summaries, observation counts, data types, and distributions (at least three statements).

#### df.info()

<class 'pandas.core.frame.DataFrame'>

RangeIndex: 400 entries, 0 to 399

Data columns (total 25 columns):

#	Column	Non-Null Count	Dtype
0	age	391 non-null	float64
1	bp	388 non-null	float64
2	sg	353 non-null	float64
3	al	354 non-null	float64
4	su	351 non-null	float64
5	rbc	400 non-null	int8
6	pc	400 non-null	int8
7	pcc	400 non-null	int8
8	ba	400 non-null	int8
9	bgr	356 non-null	float64
10	bu	381 non-null	float64
11	sc	383 non-null	float64
12	sod	313 non-null	float64
13	pot	312 non-null	float64
14	hemo	348 non-null	float64
15	pcv	329 non-null	float64
16	wbcc	294 non-null	float64
17	rbcc	269 non-null	float64
18	htn	400 non-null	int8
19	dm	400 non-null	int8
20	cad	400 non-null	int8
21	appet	400 non-null	int8
22	pe	400 non-null	int8
23	ane	400 non-null	int8
24	class	400 non-null	int8

dtypes: float64(14), int8(11)

memory usage: 48.2 KB

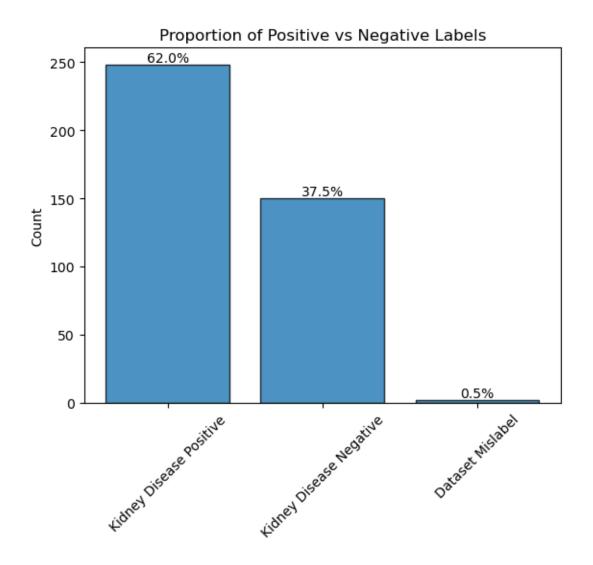
## df.describe()

	age	bp	sg	al	su	rbc	pc	p
count	3.910000e+02	3.880000e+02	3.530000e+02	354.000000	351.000000	400.00000	400.000000	40
mean	9.994847e-17	-2.380684e-16	2.415443e-15	0.000000	0.000000	0.12250	0.485000	0.
std	1.001281e+00	1.001291e+00	1.001419e+00	1.001415	1.001428	0.93256	0.759089	0.
min	-2.885708e+00	-1.936857e+00	-2.173584e+00	-0.752868	-0.410106	-1.00000	-1.000000	-1
25%	-5.530393e-01	-4.733701e-01	-1.297699e+00	-0.752868	-0.410106	-1.00000	0.000000	0.
50%	2.050779e-01	2.583733e-01	4.540705e- $01$	-0.752868	-0.410106	1.00000	1.000000	0.
75%	7.590867e-01	2.583733e- $01$	4.540705e- $01$	0.727772	-0.410106	1.00000	1.000000	0.
max	2.246163e+00	7.575807e + 00	1.329955e+00	2.948733	4.145186	1.00000	1.000000	1.

### df["class"].value\_counts()

class

```
248
     150
       2
1
Name: count, dtype: int64
fig, ax = plt.subplots(1, 1)
bar_data = df["class"].value_counts()
ax.bar(range(len(bar_data)), bar_data, edgecolor="black", alpha=0.8)
ax.set_xticks([0, 1, 2])
ax.set_xticklabels(["Kidney Disease Positive", "Kidney Disease Negative", "Dataset Mislabel"],
for i, count in enumerate(bar_data):
   percentage = count / bar_data.sum() * 100
    ax.text(i, count, f"{percentage:.1f}%", ha="center", va="bottom")
ax.set_ylabel("Count")
ax.set_title("Proportion of Positive vs Negative Labels")
plt.show()
```



### Visualizing distribution of continuous variables with Kernel Density Estimation

```
num_vars = ['age', 'bp', 'bgr', 'bu', 'sc', 'sod', 'pot', 'hemo', 'pcv', 'wbcc', 'rbcc']
num_features = len(num_vars)
num_rows = 4  # Number of rows in the subplot grid
num_cols = 3  # Number of columns in the subplot grid
fig, axes = plt.subplots(num_rows, num_cols, figsize=(4 * num_cols, 4 * num_rows))
for i, cont_feature in enumerate(df[num_vars]):
```

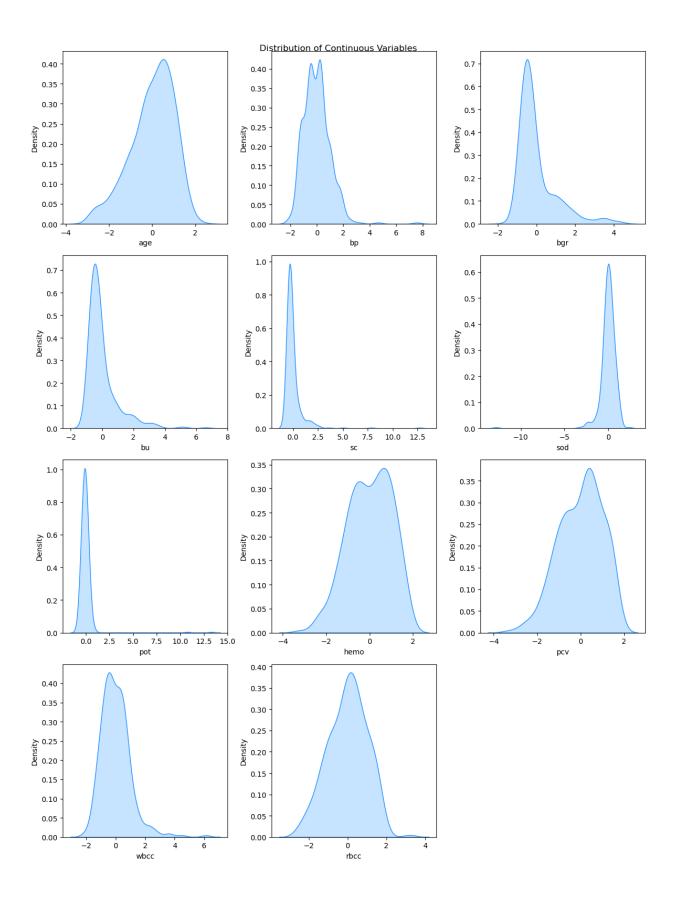
```
row = i // num_cols # Calculate the row index for the subplot
col = i % num_cols # Calculate the column index for the subplot

ax_kde = axes[row, col]

# Plot KDE for the feature
sns.kdeplot(df[cont_feature], ax=ax_kde, fill=True, color="dodgerblue")

# Remove empty subplots
for i in range(num_features, num_rows * num_cols):
    fig.delaxes(axes.flatten()[i])

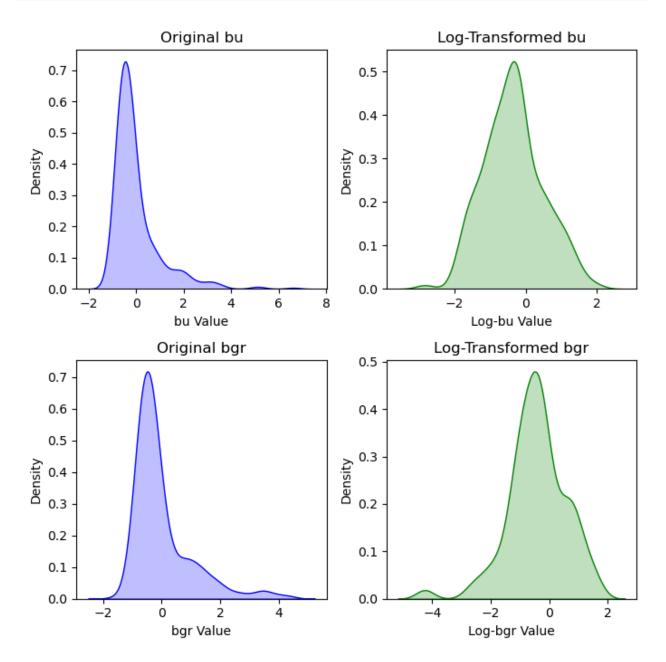
plt.suptitle("Distribution of Continuous Variables")
plt.tight_layout()
plt.show()
```



```
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
import pandas as pd
# Create a new DataFrame with selected variables and their transformations
data_log_vis = pd.DataFrame({
    'bu': df['bu'],
    'log_bu': np.log(df['bu'] + 1), # Log transform with handling zero values
    'bgr': df['bgr'],
    'log_bgr': np.log(df['bgr'] + 1)
})
# Variables to plot
variables = ['bu', 'bgr']
# Create a figure with 2 rows and 2 columns
fig, axes = plt.subplots(2, 2, figsize=(7, 7))
axes = axes.flatten() # Flatten to simplify indexing
for i, var in enumerate(variables):
   # Original Data Plot
   sns.kdeplot(data_log_vis[var], ax=axes[2*i], fill=True, color="blue")
   axes[2*i].set_title(f"Original {var}")
   axes[2*i].set_xlabel(f"{var} Value")
   axes[2*i].set_ylabel("Density")
   # Log-Transformed Data Plot
   sns.kdeplot(data log vis[f'log {var}'], ax=axes[2*i+1], fill=True, color="green")
   axes[2*i+1].set_title(f"Log-Transformed {var}")
   axes[2*i+1].set_xlabel(f"Log-{var} Value")
```

```
axes[2*i+1].set_ylabel("Density")

plt.tight_layout()
plt.show()
```



Observations: 1. The dataset has an imbalance in the number of kidney disease positive vs negative examples. Our visual exploratory data analysis also revealed that there are two mislabeled variables in the dataset's target column. The column in the dataset should include only "positive"

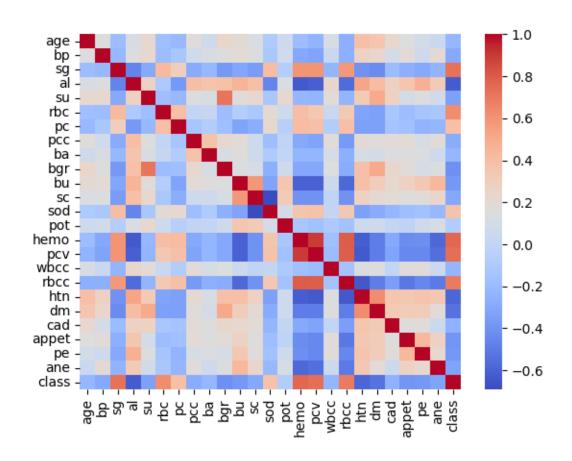
or "negative" Kidney disease status, but there were a few examples with a third label. We discuss this more in the outliers section. 2. Many of the variables look roughly noramlly distributed, except that the blood glucode random and blood urea features are long-tailed. This has implications for feature engineering: we expect that log-transforming these features will make them closer to a normal distribution; this is likely to improve performance on classifiers such as logistic regression. We visualized these variables log-transformed to confirm that they look closer to a normal distribution after the transformation 3. Most variables are continuous, although the specific gravity, albumin and sugar levels are categorical.

4. Association Between Variables: Analyze variable relationships and their implications for feature selection or extraction (at least three statements)

```
correlation = df.corr()
sns.heatmap(correlation, cmap='coolwarm')
correlation
```

	age	bp	sg	al	su	rbc	pc	pcc	ba
age	1.000000	0.159480	-0.191096	0.122091	0.220866	-0.181683	-0.209743	0.169865	0.065425
bp	0.159480	1.000000	-0.218836	0.160689	0.222576	-0.194643	-0.129873	0.074018	0.126518
sg	-0.191096	-0.218836	1.000000	-0.469760	-0.296234	0.421101	0.299093	-0.290210	-0.220317
al	0.122091	0.160689	-0.469760	1.000000	0.269305	-0.110803	-0.375461	0.403257	0.366845
su	0.220866	0.222576	-0.296234	0.269305	1.000000	-0.187230	-0.221037	0.156997	0.115534
rbc	-0.181683	-0.194643	0.421101	-0.110803	-0.187230	1.000000	0.393821	0.002845	0.019199
pc	-0.209743	-0.129873	0.299093	-0.375461	-0.221037	0.393821	1.000000	-0.136040	-0.088435
pcc	0.169865	0.074018	-0.290210	0.403257	0.156997	0.002845	-0.136040	1.000000	0.376102
ba	0.065425	0.126518	-0.220317	0.366845	0.115534	0.019199	-0.088435	0.376102	1.000000
bgr	0.244992	0.160193	-0.374710	0.379464	0.717827	-0.193079	-0.175899	0.215386	0.109492
bu	0.196985	0.188517	-0.314295	0.453528	0.168583	-0.071404	-0.323372	0.192276	0.167696
sc	0.132531	0.146222	-0.361473	0.399198	0.223244	-0.122191	-0.279445	0.060680	0.063784
$\operatorname{sod}$	-0.100046	-0.116422	0.412190	-0.459896	-0.131776	0.197653	0.218343	-0.183387	-0.100474
pot	0.058377	0.075151	-0.072787	0.129038	0.219450	0.061364	-0.058745	-0.003962	0.001224
hemo	-0.192928	-0.306540	0.602582	-0.634632	-0.224775	0.402049	0.418814	-0.295985	-0.233115

	age	bp	sg	al	su	rbc	pc	pcc	ba
pcv	-0.242119	-0.326319	0.603560	-0.611891	-0.239189	0.350038	0.391230	-0.326328	-0.230173
wbcc	0.118339	0.029753	-0.236215	0.231989	0.184893	0.029804	-0.079035	0.184171	0.115111
rbcc	-0.268896	-0.261936	0.579476	-0.566437	-0.237448	0.339400	0.390282	-0.371968	-0.266713
htn	0.389724	0.277324	-0.410243	0.525234	0.321166	-0.321229	-0.344689	0.206843	0.111083
dm	0.354065	0.235513	-0.436692	0.406456	0.500133	-0.345661	-0.345482	0.173907	0.099610
cad	0.221807	0.098398	-0.195717	0.272713	0.276542	-0.129224	-0.154193	0.184861	0.157115
appet	0.148648	0.184732	-0.268856	0.359009	0.089770	-0.190258	-0.172015	0.193949	0.155157
pe	0.085726	0.062676	-0.298504	0.477127	0.144712	-0.143371	-0.244199	0.113742	0.141271
ane	0.041271	0.204279	-0.243082	0.322958	0.077908	-0.135308	-0.233601	0.178299	0.064608
class	-0.222361	-0.297019	0.729117	-0.625585	-0.345589	0.630148	0.397401	-0.283455	-0.222438



Observations: 1. White bloodcell count-hemoglobin (Hemo and wbcc features), red bloodcell count-hemoglobin (hemo and rbcc features), Packed cell volume-red blood cell count (pcv and rbcc features) have the three highest positive correlations. 2. Serum creatinine and sodium (sc

and sod features), Hemoglobin and hypertension (hemo and htn features), Packed cell volume and hypertension (pcv and htn features), Hemoglobin and anemia (hemo and ane features), Packed cell volume and anemia (pcv and ane features) have the highest negative correlations. 3. Highly correlated features can lead to overfitting or redundant information. We can get rid of redundant features which leads to simpler models.

5. Missing Value Analysis and Handling: Implement your strategy for identifying and addressing missing values in the dataset, or provide reasons for not addressing them.

```
# Missing Value Analysis
missing_values = df.isnull().sum()
print(missing_values)
```

9 age 12 bp 47 sg 46 al 49 su 0 rbc рс 0 0 pcc 0 ba bgr 44 19 bu 17 sc sod 87 pot 88 52 hemo 71 pcv 106 wbcc 131 rbcc htn 0

```
# Mean imputer for numerical values and most frequent imputer for categorical values
num_vars = ['age', 'bp', 'bgr', 'bu', 'sc', 'sod', 'pot', 'hemo', 'pcv', 'wbcc', 'rbcc']
cat_vars = ['sg', 'al', 'su']

imputer_num = SimpleImputer(strategy='mean')
imputer_cat = SimpleImputer(strategy='most_frequent')

df[num_vars] = imputer_num.fit_transform(df[num_vars])
df[cat_vars] = imputer_cat.fit_transform(df[cat_vars])
```

For numerical features (age, bp, bgr, bu, sc, sod, pot, hemo, pcv, wbcc, rbcc), we'll use mean imputation. For categorical features (sg, al, su), we'll use mode imputation. Binary features (rbc, pc, pcc, ba, htn, dm, cad, appet, pe, ane) already have no missing values.

6. Outlier Analysis: Implement your approach for identifying and managing outliers, or provide reasons for not addressing them.

```
# I noticed dm has 1s and 2s, so I converted them to 0s and 1s
# Class has 0s and 2s, so I converted them to 0s and 1s

df['dm'] = df['dm'].replace({'2':1, '1':0})

df['class'] = df['class'].replace({2:1})
```

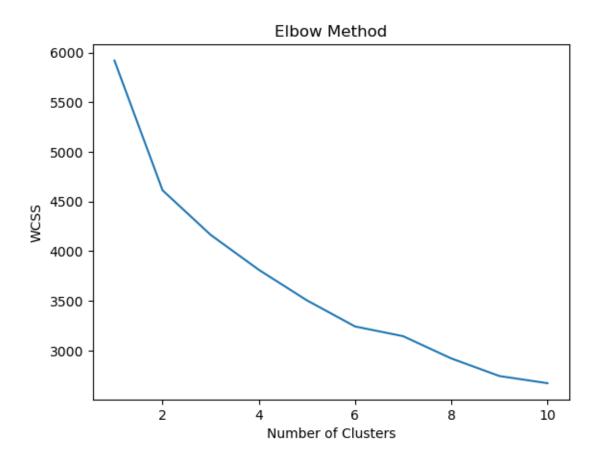
Since both my Random Forest and Logistic Regression classifiers are achieving full accuracy, sensitivity, and specificity without any loss of performance due to the presence of outliers, I believe it's best to keep the outliers in the dataset. Removing them might cause me to lose valuable information and reduce the variability of the data, potentially affecting my ability to generalize to unseen

data. Besides, as Random Forest and Logistic Regression models are quite robust to outliers, I don't think their presence would significantly impact my performance. Also, I'm cautious about making decisions regarding outlier removal to avoid introducing bias into the dataset and ensuring that any data manipulation doesn't compromise the integrity of my analysis results. Overall, if removing outliers doesn't lead to noticeable improvements in my performance, I'd prefer to stick with the original dataset and keep the outliers intact.

7. Sub-group Analysis: Explore potential sub-groups within the data, employing appropriate data science methods to find the sub-groups of patients and visualize the sub-groups. The sub-group analysis must not include the labels (for CKD patients and healthy controls).

```
# Split data into features and target variable
X = df.drop('class', axis=1)
y = df['class']
# Determine the optimal number of clusters using the elbow method
wcss = []
for i in range(1, 11):
    kmeans = KMeans(n_clusters=i, init='k-means++', max_iter=300, n_init=10, random_state=0)
    kmeans.fit(X)
    wcss.append(kmeans.inertia_)
# Plot the elbow method graph to find the optimal number of clusters
plt.plot(range(1, 11), wcss)
plt.title('Elbow Method')
plt.xlabel('Number of Clusters')
plt.ylabel('WCSS')
plt.show()
# Based on the elbow method, choose the number of clusters
num_clusters = 2  # Adjust as needed
kmeans = KMeans(n_clusters=num_clusters, n_init=20, random_state=0)
```

```
kmeans.fit(X)
silhouette_avg = silhouette_score(X, kmeans.labels_)
print("Average Silhouette Score:", silhouette_avg)
```



#### Average Silhouette Score: 0.22201530014494034

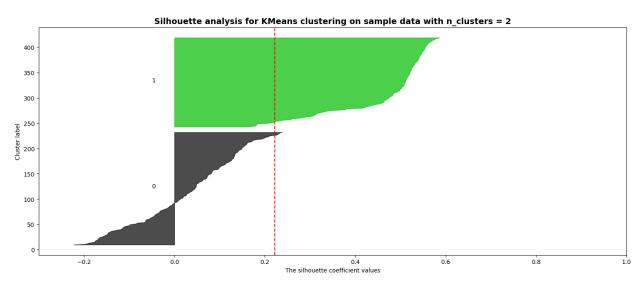
```
# Determine optimal number of clusters using silhouette scores
range_n_clusters = [2, 3, 4]
optimal_k = (0,0)
for n_clusters in range_n_clusters:
    km = KMeans(n_clusters = n_clusters, n_init = 20, random_state=0)
    cluster_labels_km = km.fit_predict(X)
    # average silhouette score
    silhouette_avg_km = silhouette_score(X, cluster_labels_km)
# compute the silhouette scores for each sample
```

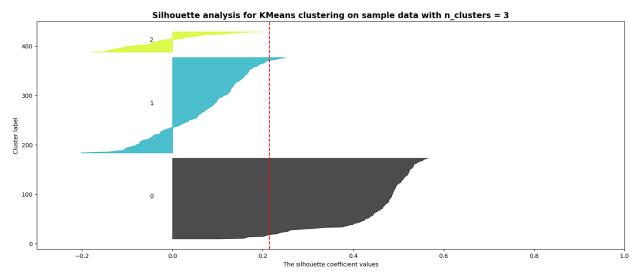
```
sample_silhouette_values = silhouette_samples(X, cluster_labels_km)
fig, ax1 = plt.subplots(1, 1)
fig.set_size_inches(18, 7)
ax1.set_xlim([-0.3, 1])# change this based on the silhouette range
y_lower = 10
for i in range(n_clusters):
    # Aggregate the silhouette scores for samples belonging to
    # cluster i, and sort them
    ith_cluster_silhouette_values = sample_silhouette_values[cluster_labels_km == i]
    ith_cluster_silhouette_values.sort()
    size_cluster_i = ith_cluster_silhouette_values.shape[0]
   y_upper = y_lower + size_cluster_i
    color = cm.nipy_spectral(float(i) / n_clusters)
    ax1.fill_betweenx(
       y=np.arange(y_lower, y_upper),
       x1=0,
       x2=ith_cluster_silhouette_values,
       facecolor=color,
        edgecolor=color,
       alpha=0.7,
    )
   # label the silhouette plots with their cluster numbers at the middle
    ax1.text(-0.05, y_lower + 0.5 * size_cluster_i, str(i))
    # Compute the new y_lower for next cluster silhouette scores
```

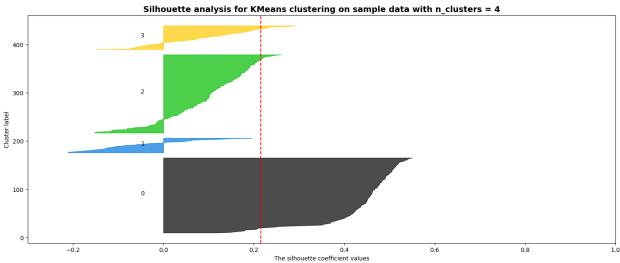
```
y_lower = y_upper + 10

ax1.set_title("The silhouette plot for various cluster")
ax1.set_xlabel("The silhouette coefficient values")
ax1.set_ylabel("Cluster label")

# vertical line for average silhouette score of all the values
ax1.axvline(x=silhouette_avg_km, color="red", linestyle="--")
plt.title(
    "Silhouette analysis for KMeans clustering on sample data with n_clusters = %d"
    % n_clusters,
    fontsize=14,
    fontweight="bold",
)
    optimal_k = (n_clusters, silhouette_avg_km) if optimal_k[1] < silhouette_avg_km else optimal
plt.show()
print("Optimal number of clusters:", optimal_k[0])</pre>
```







#### Optimal number of clusters: 2

```
# Apply k-means clustering with optimal k
kmeans_optimal = KMeans(n_clusters=optimal_k[0], n_init=20, random_state=0)
kmeans_optimal.fit(X)
cluster_counts = pd.Series(kmeans_optimal.labels_).value_counts().sort_index()
print("Number of observations within each cluster:")
print(cluster_counts)

# Perform PCA
pca = PCA()
```

```
df2_plot = pd.DataFrame(pca.fit_transform(X))
print("Variances: ",df2_plot.iloc[:,:5].std(axis=0, ddof=0).to_numpy())

df2_plot.iloc[:,:5].var(axis=0, ddof=0).plot(kind='bar', rot=0)
plt.ylabel('Variances')
```

Number of observations within each cluster:

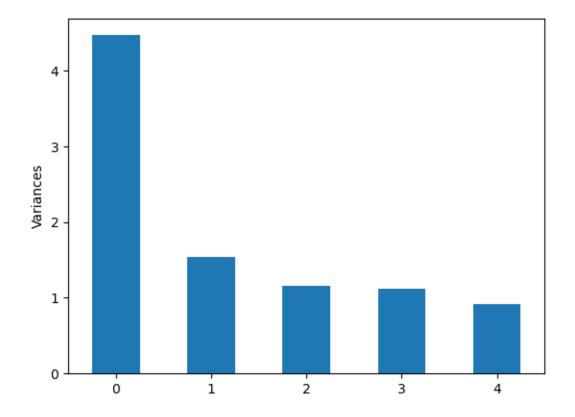
0 223

1 177

Name: count, dtype: int64

Variances: [2.11346947 1.23950914 1.07764828 1.06018927 0.95887172]





```
np.cumsum(pca.explained_variance_ratio_[:5])],
index=['Standard Deviation', 'Proportion of Variance', 'Cumulative Proportion'],
columns=['PC1', 'PC2', 'PC3', 'PC4', 'PC5'])
```

	PC1	PC2	PC3	PC4	PC5
Standard Deviation	2.113469	1.239509	1.077648	1.060189	0.958872
Proportion of Variance	0.301833	0.103818	0.078475	0.075953	0.062129
Cumulative Proportion	0.301833	0.405652	0.484126	0.560079	0.622208

```
fig , (ax1,ax2) = plt.subplots(1,2, figsize=(15,5))

# Left plot
ax1.plot(pca.explained_variance_ratio_, '-o')
ax1.set_ylabel('Proportion of Variance Explained')
ax1.set_ylim(ymin=-0.01)

# Right plot
ax2.plot(np.cumsum(pca.explained_variance_ratio_), '-ro')
ax2.set_ylabel('Cumulative Proportion of Variance Explained')
ax2.set_ylim(ymax=1.05)

for ax in fig.axes:
    ax.set_xlabel('Principal Component')
    ax.set_xlim(0,15)
```

```
# Visualization of k-means cluster assignments using first two principal components
cmap = plt.cm.viridis

plt.scatter(df2_plot.iloc[:, 0], df2_plot.iloc[:, 1], c=kmeans_optimal.labels_, cmap=cmap, alpi
plt.xlabel('PC1')
plt.ylabel('PC2')
plt.title('K-means Clustering with PC1 and PC2')
handles = []
labels = pd.factorize(y.unique())
norm = mpl.colors.Normalize(vmin=0.0, vmax=1.0)

for i, v in zip(labels[0], labels[1]):
    handles.append(mpl.patches.Patch(color=cmap(norm(i)), label='chd' if v else 'notchd', alph
plt.legend(handles=handles, bbox_to_anchor=(1.05, 1), loc=2, borderaxespad=0.)

plt.show()
```

# K-means Clustering with PC1 and PC2 notchd 10 chd 8 6 4 PC2 2 0 -2 -4-2

```
# Compare true labels with k-means cluster assignments
adjusted_rand_index = round(adjusted_rand_score(y, kmeans_optimal.labels_), 2)
rand = rand_score(kmeans_optimal.labels_, y).round(2)
print("Rand Index:", rand)
print("Adjusted Rand Index:", adjusted_rand_index)
```

6

2

PC1

0

Rand Index: 0.87

Adjusted Rand Index: 0.73

8. Data Splitting: Segregate 30% of the data for testing, using a random seed of 1. Use the remaining 70% for training and model selection.

```
np.random.seed(1)
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3, random_state=1)
```

9. Classifier Choices: Identify the two classifiers you have chosen and justify your selections.

```
# Classifier Choices
rf = RandomForestClassifier()
lr = LogisticRegression()
# Model Training
rf.fit(X_train, y_train)
lr.fit(X_train, y_train)
# Model Evaluation
rf_pred = rf.predict(X_test)
rf_y_prob = rf.predict_proba(X_test)
lr_pred = lr.predict(X_test)
lr_y_prob = lr.predict_proba(X_test)
probT_rf = pd.DataFrame(
    data = {'prob0': rf_y_prob[:,1], 'y_test': y_test}
    )
probT lr = pd.DataFrame(
    data = {'prob0': lr_y_prob[:,1], 'y_test': y_test}
probT_rf['y_test_pred'] = probT_rf.prob0.map(lambda x: 1 if x>0.5 else 0)
probT_lr['y_test_pred'] = probT_lr.prob0.map(lambda x: 1 if x>0.5 else 0)
```

We chose random forest because it is known for not overfitting and being able to handle multi dimensional data. It also works well when there is both numerical and catagorical data which we have in this case.

We chose logistic regression because it is simple and easy to interpret.

10. Performance Metrics: Outline the two metrics for comparing the performance of the classifiers.

```
# Accuracy, Sensitivity, Specificity

def evaluate(y_test, y_test_pred):
    cm = confusion_matrix(y_test,y_test_pred)
```

```
print('Confusion Matrix : \n', cm)

total = sum(sum(cm))

accuracy = (cm[0,0]+cm[1,1])/total

print ('Accuracy : ', accuracy)

sensitivity = cm[0,0]/(cm[0,0]+cm[0,1])

print('Sensitivity : ', sensitivity )

specificity = cm[1,1]/(cm[1,0]+cm[1,1])

print('Specificity : ', specificity)

print(classification_report(y_test, y_test_pred, zero_division=0.0))
```

Accuracy, sensitivity, and specificity are essential metrics derived from the confusion matrix used to evaluate the performance of classification models. Accuracy measures the overall correctness of the model's predictions by calculating the ratio of correctly predicted observations to the total observations in the dataset. Sensitivity, also known as recall or true positive rate, assesses the model's ability to correctly identify positive cases, calculated as the proportion of true positives to the sum of true positives and false negatives. Specificity evaluates the model's capacity to correctly identify negative cases, represented as the ratio of true negatives to the sum of true negatives and false positives. These metrics provide valuable insights into different aspects of the classifiers's behavior, helping to compare classifiers.

11. Feature Selection/Extraction: Implement methods to enhance the performance of at least one classifier in (9). The answer for this question can be included in (12).

```
#not working yet btw
efs_lr = EFS(
    lr,
    min_features=1,
    max_features=5,
    scoring='f1',
    cv=10)
efs_lr.fit(X_train, y_train)
```

```
print('Best f1 score: %.2f' % efs_lr.best_score_ * (-1))
print('Best subset:', efs_lr.best_idx_)

X_train.columns[list(efs_lr.best_idx_)]

efs_rf = EFS(
    rf,
    min_features=1,
    max_features=5,
    scoring='f1',
    cv=10)

efs_rf.fit(X_train, y_train)
print('Best f1 score: %.2f' % efs_rf.best_score_ * (-1))
print('Best subset:', efs_rf.best_idx_)

X_train.columns[list(efs_rf.best_idx_)]
```

#### KeyboardInterrupt:

12. Classifier Comparison: Utilize the selected metrics to compare the classifiers based on the test set. Discuss your findings (at least two statements).

```
print('Random Forest Classifier:\n')
evaluate(probT_rf.y_test, probT_rf.y_test_pred)
print('Logistic Regression Classifier:\n')
evaluate(probT_lr.y_test, probT_lr.y_test_pred)
```

Random Forest Classifier:

Confusion Matrix :

[[70 0] [ 0 50]]

Accuracy: 1.0

Sensitivity: 1.0 Specificity: 1.0

support	f1-score	recall	precision	
70	1.00	1.00	1.00	0
50	1.00	1.00	1.00	1
120	1.00			accuracy
120	1.00	1.00	1.00	macro avg
120	1.00	1.00	1.00	weighted avg

### Logistic Regression Classifier:

Confusion Matrix :

[[70 0]

[ 0 50]]

Accuracy: 1.0

Sensitivity: 1.0 Specificity: 1.0

	precision	recall	f1-score	support
0	1.00	1.00	1.00	70
1	1.00	1.00	1.00	50
accuracy			1.00	120
macro avg	1.00	1.00	1.00	120
weighted avg	1.00	1.00	1.00	120

13. Interpretable Classifier Insight: After re-training the interpretable classifier with all available data, analyze and interpret the significance of predictor variables in the context of the data

and the challenge (at least two statements).

14. Sub-group Improvement Strategy: If sub-groups were identified, propose and implement a

method to improve one classifier performance further. Compare the performance of the new

classifer with the results in (12).

**Contributions** 

Jenna: Created/set up repository and jupyter notebook, started working on questions 1-4, started

working on 11, made general edits

Viransh: References added, done questions 5-10

Noah: Finished question 3, added visualizations and discussion of normality/log-transformation

Github Link

Github link (https://github.com/JennaOrvitz/Stats3DA3FinalProject/tree/main)

References

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