

Project One Algorithms

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Telegraph Style String Algorithm

telegraph_string(s):

- String outgoing = s
- outgoing.ToUpperCase
- Replace all punctuation with “.”
- Remove all symbols from outgoing
- Replace all multiple spaces with single spaces from outgoing
- Remove all “\n\t\r” from outgoing
- If (length < 5):
 - append “STOP.”
- Else:
 - Substring length -5 to length “STOP.”
- Return outgoing

Mathematical analyses

Dip Search:

```
dip_search(V):
    last_dip = None
    for i from 0 through n-3:
        if V[i] == V[i+2] and V[i+1] < V[i]:
            last_dip = i
    return last_dip
```

$O(1) + O(n) + O(1) + O(1) + O(1) = O(n)$

The time complexity is $O(n)$

Longest Balanced Span:

```
longest_balanced_span(V):
    best = None
    for s from 0 through n:
        for e from s+1 through n:
            if the sum of elements in V[s] up to but not including V[e] is zero:
                if best is None or [s,e) contains more elements than best:
                    best = [s, e)
    return best
```

$O(1) + O(n) * O(n) + O(1) + O(1) + O(1) + O(1) = O(n^2)$

The time complexity is $O(n^2)$

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If (length < 5):

append “STOP.”

Else:

Substring length -5 to length “STOP.”

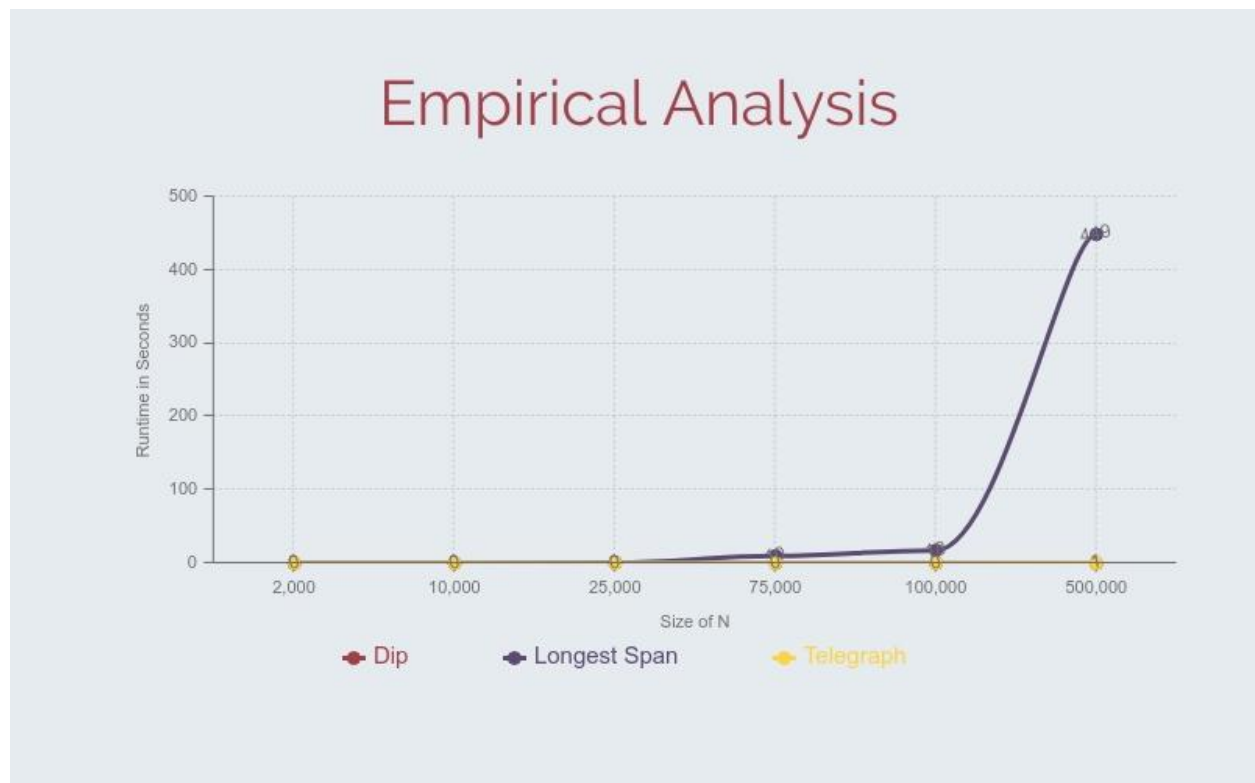
Return outgoing

$$O(1) + O(n) + O(n) + O(n) + O(n) + O(n) + O(1) = O(n)$$

The time complexity is $O(n)$

Scatter Plot

A comparison of the running time of the three algorithms



Questions:

- 1) According to my analysis, the efficiency classes of the algorithms are as follows:
 - Dip Search: $O(n)$ by the trivial theorem
 - Longest Balanced Span: $O(n^2)$ by the trivial theorem
 - Telegram Style: $O(n)$ by the trivial theorem
- 2) Between the dip search and the longest balanced span algorithms, the longest balance span has the longest run times. I was trying to test an n of 1,000,000 and it was taking over five minutes. I wasn't sure if my VM was running out of space, or if it was just taking an extremely long time. The longest balance is exponentially slower than the dip search.
- 3) The fit lines on my scatter plot are consistent with what I predicted by my math analysis. If you look at the lines, the longest balance span algorithm grows exponentially. The other two have a linear growth pattern.
- 4) All of the evidence is consistent with the hypothesis on the front page. The runtimes all correlate to the scatterplots and the mathematical efficiency of the algorithms.