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9.3. Mathematical Functions and Operators

Chapter 9. Functions and Operators

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Mathematical operators are provided for many PostgreSQL types. For types without standard

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mathematical conventions (e.g., date/time types) we describe the actual behavior in subsequent sections.

Table 9.4 shows the mathematical operators that are available for the standard numeric types. Unless otherwise noted, operators shown as accepting *numeric_type* are available for all the types smallint, integer, bigint, numeric, real, and double precision. Operators shown as accepting integral_type are available for the types smallint, integer, and bigint. Except

where noted, each form of an operator returns the same data type as its argument(s). Calls

involving multiple argument data types, such as integer + numeric, are resolved by using the type appearing later in these lists. **Table 9.4. Mathematical Operators** Operator Description Example(s) $numeric_type + numeric_type \rightarrow numeric_type$ Addition $2 + 3 \rightarrow 5$

Subtraction $2\ -\ 3 \rightarrow -1$ - numeric_type → numeric_type

+ numeric_type → numeric_type

+ $3.5 \rightarrow 3.5$

Unary plus (no operation)

numeric_type - numeric_type → numeric_type

```
Negation
        - (-4) \rightarrow 4
 numeric_type * numeric_type → numeric_type
        Multiplication
        2 * 3 \rightarrow 6
 numeric_type / numeric_type → numeric_type
        Division (for integral types, division truncates the result towards zero)
        5.0 / 2 \rightarrow 2.50000000000000000
        5 / 2 \rightarrow 2
        (-5) / 2 \rightarrow -2
  numeric_type % numeric_type → numeric_type
        Modulo (remainder); available for smallint, integer, bigint, and numeric
        5\%4\rightarrow1
 numeric ^ numeric → numeric
  double precision ^{\wedge} double precision \rightarrow double precision
        Exponentiation
        2 ^3 \rightarrow 8
        Unlike typical mathematical practice, multiple uses of ^ will associate left to right by default:
        2 ^3 ^3 ^3 \rightarrow 512
        2 ^(3 ^(3 ^3) \rightarrow 134217728
  | / double precision \rightarrow double precision
        Square root
        |/ 25.0 \rightarrow 5
  ||/ double precision → double precision
        Cube root
        @ numeric_type → numeric_type
        Absolute value
        @ -5.0 \rightarrow 5.0
  integral\_type \& integral\_type \rightarrow integral\_type
        Bitwise AND
        91 & 15 \rightarrow 11
  integral_type | integral_type → integral_type
        Bitwise OR
        32 | 3 → 35
  integral\_type # integral\_type \rightarrow integral\_type
        Bitwise exclusive OR
        17 # 5 → 20
 \sim integral_type \rightarrow integral_type
        Bitwise NOT
        ~1 → -2
  integral_type << integer → integral_type</pre>
        Bitwise shift left
        1 << 4 \rightarrow 16
  integral_type >> integer → integral_type
        Bitwise shift right
        8 \gg 2 \rightarrow 2
Table 9.5 shows the available mathematical functions. Many of these functions are provided in
multiple forms with different argument types. Except where noted, any given form of a function
returns the same data type as its argument(s); cross-type cases are resolved in the same way as
explained above for operators. The functions working with double precision data are mostly
implemented on top of the host system's C library; accuracy and behavior in boundary cases can
therefore vary depending on the host system.
Table 9.5. Mathematical Functions
  Function
        Description
        Example(s)
  abs(numeric_type) → numeric_type
```

factorial(bigint) → numeric

Absolute value

Cube root

 $cbrt(64.0) \rightarrow 4$

ceil(numeric) \rightarrow numeric

abs $(-17.4) \rightarrow 17.4$

cbrt (double precision) \rightarrow double precision

```
ceil(double precision) \rightarrow double precision
         Nearest integer greater than or equal to argument
         ceil(42.2) \rightarrow 43
         ceil(-42.8) \rightarrow -42
  ceiling(numeric) → numeric
  ceiling(double precision) → double precision
         Nearest integer greater than or equal to argument (same as ceil)
         ceiling(95.3) \rightarrow 96
  degrees (double precision) → double precision
         Converts radians to degrees
         degrees(0.5) \rightarrow 28.64788975654116
  \operatorname{div}(y \text{ numeric}, x \text{ numeric}) \rightarrow \operatorname{numeric}
         Integer quotient of y/x (truncates towards zero)
         \text{div}(9,\ 4) \rightarrow 2
  exp(numeric) \rightarrow numeric
  exp(double precision) \rightarrow double precision
         Exponential (e raised to the given power)
         exp(1.0) \rightarrow 2.7182818284590452
         factorial(5) \rightarrow 120
  floor (numeric) \rightarrow numeric
  floor (double precision) \rightarrow double precision
         Nearest integer less than or equal to argument
         \texttt{floor(42.8)} \rightarrow \texttt{42}
         floor(-42.8) \rightarrow -43
  gcd(numeric_type, numeric_type) → numeric_type
         Greatest common divisor (the largest positive number that divides both inputs with no remainder); returns 0 if both inputs are zero; available for integer, bigint, and numeric
         gcd(1071, 462) \rightarrow 21
  \texttt{lcm} \; (\; \textit{numeric\_type}, \, \textit{numeric\_type} \;) \rightarrow \textit{numeric\_type}
         Least common multiple (the smallest strictly positive number that is an integral multiple of both inputs); returns 0 if either input is zero; available for integer, bigint, and numeric
         lcm(1071, 462) \rightarrow 23562
  ln(numeric) \rightarrow numeric
  ln(double precision) \rightarrow double precision
         Natural logarithm
         ln(2.0) \rightarrow 0.6931471805599453
  log(numeric) \rightarrow numeric
  log(double precision) \rightarrow double precision
          Base 10 logarithm
         log(100) \rightarrow 2
  log10 (numeric) \rightarrow numeric
  log10 (double precision) \rightarrow double precision
         Base 10 logarithm (same as log)
         log10(1000) \rightarrow 3
  log(b numeric, x numeric) \rightarrow numeric
         Logarithm of x to base b
         log(2.0, 64.0) \rightarrow 6.0000000000000000
  min_scale(numeric) → integer
         Minimum scale (number of fractional decimal digits) needed to represent the supplied value precisely
         min_scale(8.4100) \rightarrow 2
  mod (y numeric_type, x numeric_type) → numeric_type
         Remainder of y/x; available for smallint, integer, bigint, and numeric
         mod(9, 4) \rightarrow 1
  pi() \rightarrow double precision
         Approximate value of \pi
         pi() \rightarrow 3.141592653589793
  power ( a numeric, b numeric ) \rightarrow numeric
  power (a double precision, b double precision) \rightarrow double precision
         a raised to the power of b
         power(9, 3) \rightarrow 729
  radians (double precision) \rightarrow double precision
         Converts degrees to radians
         radians(45.0) \rightarrow 0.7853981633974483
  round (numeric) \rightarrow numeric
  round (double precision) \rightarrow double precision
         Rounds to nearest integer. For numeric, ties are broken by rounding away from zero. For double precision, the tie-breaking behavior is platform dependent, but "round to nearest
         even" is the most common rule.
         round(42.4) \rightarrow 42
  round (v numeric, s integer) \rightarrow numeric
         Rounds v to s decimal places. Ties are broken by rounding away from zero.
         round(42.4382, 2) \rightarrow 42.44
  scale (numeric) \rightarrow integer
         Scale of the argument (the number of decimal digits in the fractional part)
         scale(8.4100) \rightarrow 4
  sign (numeric) \rightarrow numeric
  sign(double precision) \rightarrow double precision
         Sign of the argument (-1, 0, or +1)
         sign(-8.4) \rightarrow -1
  sqrt(numeric) → numeric
  sqrt(double precision) \rightarrow double precision
         Square root
         sqrt(2) \rightarrow 1.4142135623730951
  trim scale(numeric) → numeric
         Reduces the value's scale (number of fractional decimal digits) by removing trailing zeroes
         trim_scale(8.4100) \rightarrow 8.41
  trunc ( numeric ) \rightarrow numeric
  \texttt{trunc}\;(\;\texttt{double}\;\;\texttt{precision}\;) \to \texttt{double}\;\;\texttt{precision}
         Truncates to integer (towards zero)
         \mathsf{trunc}(42.8) \to 42
         trunc(-42.8) \rightarrow -42
  trunc (v numeric, s integer) \rightarrow numeric
         Truncates v to s decimal places
         trunc(42.4382, 2) \rightarrow 42.43
  width_bucket (operand numeric, low numeric, high numeric, count integer) \rightarrow integer
  width_bucket(operand double precision, low double precision, high double precision, count integer) → integer
         Returns the number of the bucket in which operand falls in a histogram having count equal-width buckets spanning the range Low to high. Returns 0 or count+1 for an input outside
         width_bucket(5.35, 0.024, 10.06, 5) \rightarrow 3
  width_bucket(operand anycompatible, thresholds anycompatiblearray) → integer
         Returns the number of the bucket in which operand falls given an array listing the lower bounds of the buckets. Returns 0 for an input less than the first lower bound. operand and the
         array elements can be of any type having standard comparison operators. The thresholds array must be sorted, smallest first, or unexpected results will be obtained.
         width\_bucket(now(), \ array['yesterday', \ 'today', \ 'tomorrow']{::}timestamptz[]) \rightarrow 2
Table 9.6 shows functions for generating random numbers.
Table 9.6. Random Functions
  Function
         Description
         Example(s)
  random()\rightarrow double precision
         Returns a random value in the range 0.0 \le x \le 1.0
         random() \rightarrow 0.897124072839091
  setseed (double precision) \rightarrow void
         Sets the seed for subsequent random() calls; argument must be between -1.0 and 1.0, inclusive
         setseed(0.12345)
The random() function uses a simple linear congruential algorithm. It is fast but not suitable for
cryptographic applications; see the pgcrypto module for a more secure alternative. If setseed()
is called, the series of results of subsequent random() calls in the current session can be repeated
by re-issuing setseed() with the same argument. Without any prior setseed() call in the same
session, the first random() call obtains a seed from a platform-dependent source of random bits.
Table 9.7 shows the available trigonometric functions. Each of these functions comes in two
```

 $atan(double precision) \rightarrow double precision$ Inverse tangent, result in radians $atan(1) \rightarrow 0.7853981633974483$ at and (double precision) \rightarrow double precision

Table 9.7. Trigonometric Functions

Function

Description Example(s)

 $acos(1) \rightarrow 0$

 $acosd(0.5) \rightarrow 60$

 $asind(0.5) \rightarrow 30$

 $atand(1) \rightarrow 45$

acos (double precision) \rightarrow double precision Inverse cosine, result in radians

 $acosd(double precision) \rightarrow double precision$ Inverse cosine, result in degrees

asin(double precision) \rightarrow double precision Inverse sine, result in radians $asin(1) \rightarrow 1.5707963267948966$

asind (double precision) \rightarrow double precision Inverse sine, result in degrees

Inverse tangent, result in degrees

variants, one that measures angles in radians and one that measures angles in degrees.

```
atan2(y double precision,x double precision)\rightarrow double precision
         Inverse tangent of y/x, result in radians
         atan2(1, 0) \rightarrow 1.5707963267948966
  atan2d(y double precision, x double precision) \rightarrow double precision
         Inverse tangent of y/x, result in degrees
         \mathsf{atan2d}(\mathbf{1,\ 0}) \to 90
 \cos (double precision) \rightarrow double precision
         Cosine, argument in radians
         cos(0) \rightarrow 1
  cosd(double precision) \rightarrow double precision
         Cosine, argument in degrees
         cosd(60) \rightarrow 0.5
  cot(double precision) \rightarrow double precision
         Cotangent, argument in radians
         cot(0.5) \rightarrow 1.830487721712452
  cotd (double precision) \rightarrow double precision
         Cotangent, argument in degrees
         cotd(45) \rightarrow 1
  sin(double precision) \rightarrow double precision
         Sine, argument in radians
         sin(1) \rightarrow 0.8414709848078965
  \texttt{sind}\,(\,\texttt{double}\,\,\texttt{precision}\,) \to \texttt{double}\,\,\texttt{precision}
         Sine, argument in degrees
         sind(30) \rightarrow 0.5
  tan(double precision) \rightarrow double precision
         Tangent, argument in radians
         tan(1) \rightarrow 1.5574077246549023
  tand(double precision) → double precision
         Tangent, argument in degrees
         tand(45) \rightarrow 1
      Another way to work with angles measured in degrees is to use the unit transformation
      functions radians() and degrees() shown earlier. However, using the degree-based
      trigonometric functions is preferred, as that way avoids round-off error for special cases
      such as sind(30).
Table 9.8 shows the available hyperbolic functions.
Table 9.8. Hyperbolic Functions
  Function
         Description
         Example(s)
  sinh (double precision) \rightarrow double precision
         Hyperbolic sine
         sinh(1) \rightarrow 1.1752011936438014
 cosh(double precision) \rightarrow double precision
         Hyperbolic cosine
         cosh(0) \rightarrow 1
  tanh(double precision) → double precision
         Hyperbolic tangent
         tanh(1) \rightarrow 0.7615941559557649
```

asinh (double precision) \rightarrow double precision Inverse hyperbolic sine $asinh(1) \rightarrow 0.881373587019543$ acosh(double precision) → double precision

Inverse hyperbolic cosine

 $acosh(1) \rightarrow 0$

Operators

 $atanh(double precision) \rightarrow double precision$ Inverse hyperbolic tangent $atanh(0.5) \rightarrow 0.5493061443340548$ Prev 9.2. Comparison Functions and

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