# Stat 341, Homework 1

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1. (1 mark) The following simulation function simulates n replicates of an explanatory variable X and a response variable Y =  $\beta$ X + E, where  $\beta$  is a regression coefficient between -1 and 1 and E ~ N(0, 1) is random noise. Run the code chunk and then use the function to simulate one dataset of size n = 1000 and save the result in an object called dd.

```
simdat <- function(n) {
  beta <- runif(1,min=-1,max=1)
  x <- rnorm(n)
  y <- beta * x + rnorm(n)
  data.frame(x=x,y=y)
}</pre>
```

```
dd <- simdat(1000)
```

2. (2 marks) Create a larger dataset by calling <code>simdat()</code> N=500 times over and stacking the results. The larger dataset should have 500\*1000 rows and 2 columns. Call your stacked dataset <code>bigd1</code>. To create the stacked dataset, initialize with <code>bigd1 <- NULL</code> and use a for loop to build up <code>bigd1</code> one layer at a time. Time this code using the <code>system.time()</code> function. An example use of <code>system.time()</code> to time an R command, e.g., <code>x <- rnorm(100000)</code> is:

```
system.time({
  x <- rnorm(100000) # Could put multiple lines of R code here
})</pre>
```

```
## user system elapsed
## 0 0 0
```

Use the first element of the output ( user time) as your measure of execution time.

#### Answer

```
system.time({
N <- 500
bigd1 <- NULL
for (i in 1:N) {
  bigd1 <- rbind(bigd1, simdat(1000))
}})</pre>
```

```
## user system elapsed
## 6.05 2.29 8.36
```

3. (2 marks)

Repeat 2, but this time, instead of stacking the output of <code>simdat()</code>, coerce the output of <code>simdat()</code> to a matrix, and stack the matrices. Use <code>system.time()</code> to time your code and compare the timing from question (2).

### Answer

```
system.time({
bigd1.1 <- NULL
for (i in 1:N) {
  bigd1.1 <- rbind(bigd1.1, data.matrix(simdat(1000)))
}})</pre>
```

```
## user system elapsed
## 1.18 0.81 2.00
```

Output as a matrix takes less system time to run.

4. (3 marks) Now build <code>bigd2</code> by (i) initializing an empty matrix of appropriate dimension, and (ii) looping 500 times and inserting simulated datasets of size n = 1000, coerced to matrices, into successive layers of <code>bigd2</code>. Time this code and compare the timing to that of part (3). You may find the following R function useful:

```
layerInds <- function(layerNum,nrow) {
    ((layerNum-1)*nrow + 1):(layerNum*nrow)
}
# Example use:
inds <- layerInds(layer=1,nrow=1000)
range(inds)</pre>
```

```
## [1] 1 1000
```

## Answer

```
system.time({
bigd2 <- matrix(nrow = 500000, ncol = 2)
for ( i in 1:N) {
  inds <- layerInds(layer = i, nrow = 1000)
  bigd2[inds,] <- data.matrix(simdat(1000))
}
}</pre>
```

```
## user system elapsed
## 0.44 0.01 0.45
```

Processing math: 100% ss time than part 3.