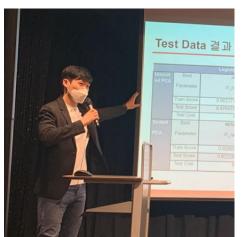
KUBIG Data Science and Machine Learning

Week 1. Data Science Lifecycle



Introduction and Study Overview





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통계학과 18학번 KUBIG 10기



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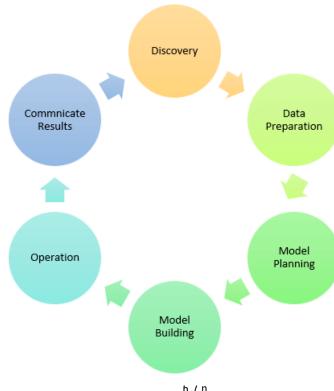
- 통계학과 18학번
- KUBIG 10기
- KUBIG 2020-2학기, 2021-2학기 학회장
- 고려대학교 CVLAB 학부연구생 근무중
- 21-1학기 컴퓨터 비전 분반 진행
- 주요 관심사: 자율주행자동차, Image-to-Image Translation, 3D Depth Estimation



What is this study about?

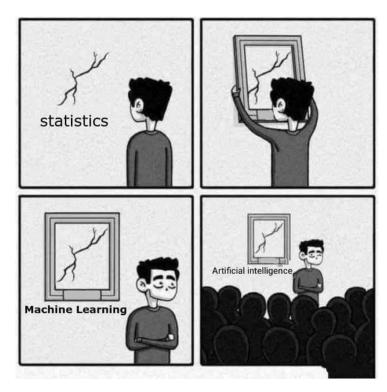


Fundamentals of Data Science





Statistical Machine Learning





Get the most out of this sessions

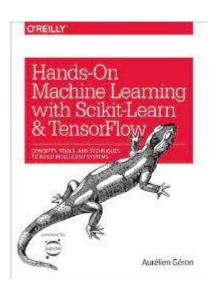
- 1. Practical Use as well as Understanding the Fundamentals
- 2. Understanding the Primary Link
- 3. Ability to Self-Study
- 4. Teamwork

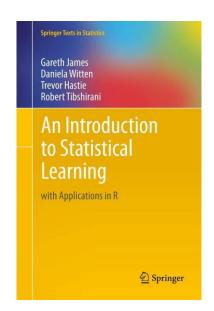


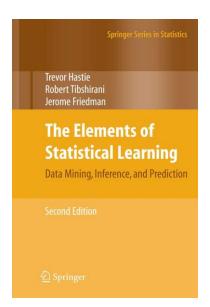
What will we do?



Books









Classes (Each Week)

(Preview)
Read Books and
Resources

In-Depth Analysis and
Explanation
Code Review

Code Review

Thursday

Group Projects and
Homework

Group Projects and
Homework



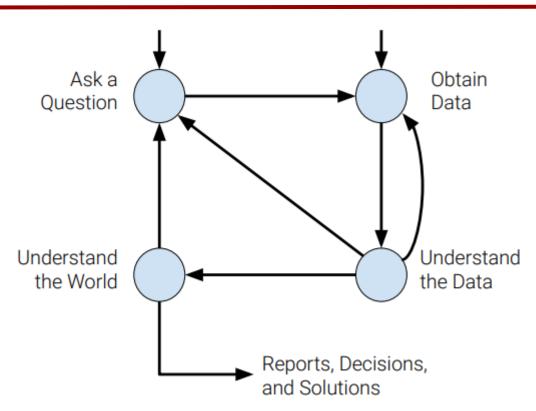
Syllabus

Week 1	Data Science Lifecycle
Week 2	Regression and Classification
Week 3	Model Fitting and Validation
Week 4	Regularization
Week 5	Decision Trees and SVM
Week 6	Ensemble Methods
Week 7	Neural Networks



Idea 1. Data Science Lifecycle





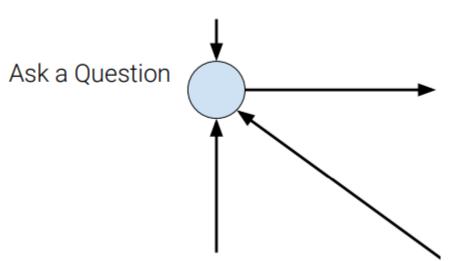
The data science lifecycle is a **high-level description** of the data science workflow.

Note the two distinct entry points!



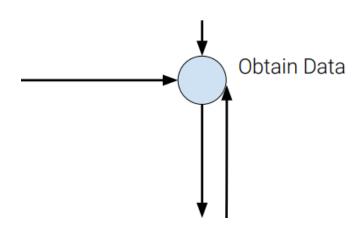
1. Question/Problem Formulation

- What do we want to know?
- What problems are we trying to solve?
- What are the hypotheses we want to test?
- What are our metrics for success?





2. Data Acquisition and Cleaning



- What data do we have and what data do we need?
- How will we sample more data?
- Is our data representative of the population we want to study?





Big Data Borat



Following

@BigDataBorat

In Data Science, 80% of time spent prepare data, 20% of time spent complain about need for prepare data.



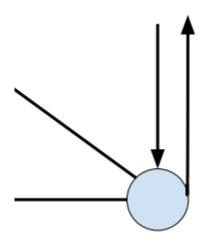








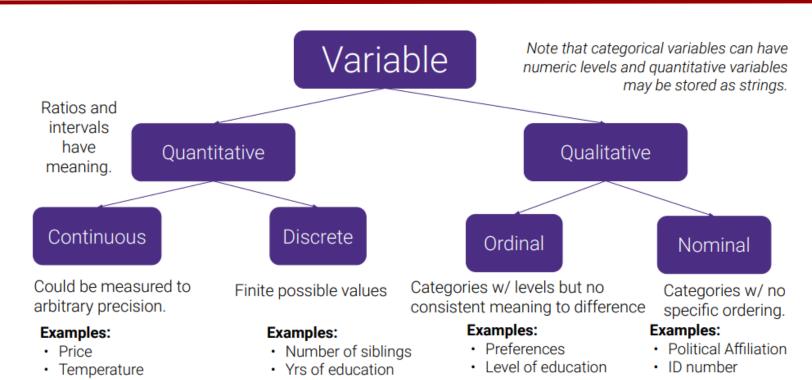
3. Exploratory Data Analysis & Visualization



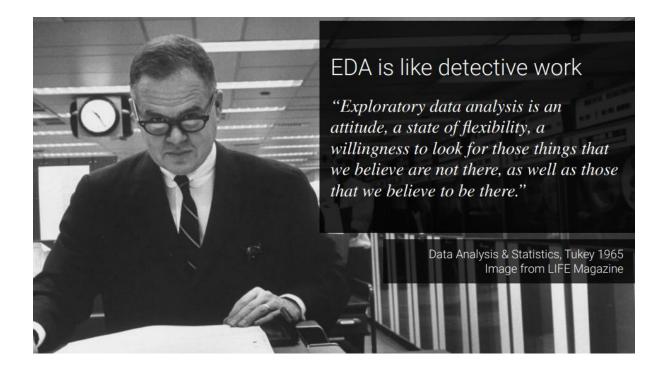
Understand the Data

- How is our data organized and what does it contain?
- Do we already have relevant data?
- What are the biases, anomalies, or other issues with the data?
- How do we transform the data to enable effective analysis?







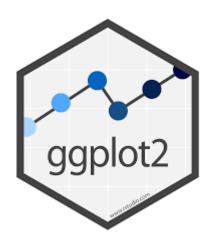




Key Data Properties to Consider in EDA

- Structure -- the "shape" of a data file
- Granularity -- how fine/coarse is each datum
- Scope -- how (in)complete is the data
- Temporality -- how is the data situated in time
- Faithfulness -- how well does the data capture "reality"





Data Visualization









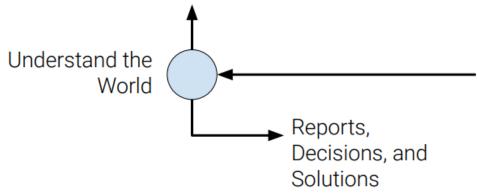
Preprocessing Methods

- 1. 데이터 정제
- 2. 데이터 축소
- 3. 데이터 변환

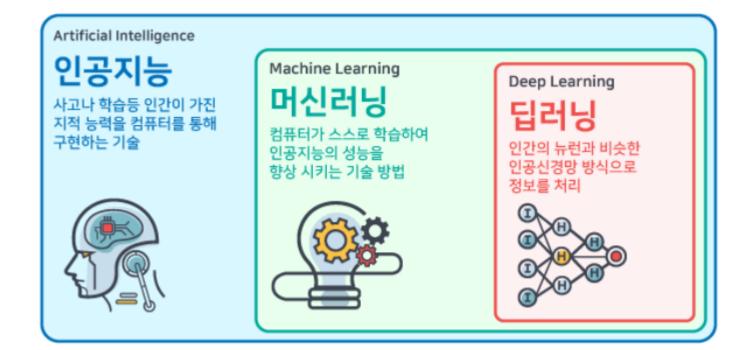


4. Prediction and Inference

- What does the data say about the world?
- Does it answer our questions or accurately solve the problem?
- How robust are our conclusions and can we trust the predictions?







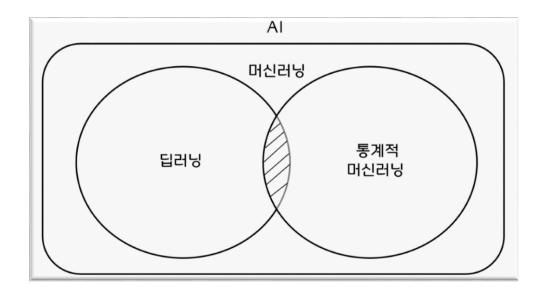


Machine Learning



- Semi-Supervised Learning
- Self-Supervised Learning





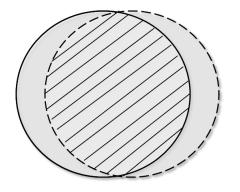


전통적인 통계학

- 규칙의 통계적 추론에 중점
 (전문적인 통계적, 수학적 지식)
- 자료의 특성(다변량, 시계열, 범주형 등)에 따라 분석.

통계적 머신러닝

- 규칙의 일반화에 중점
- 목적변수의 관측여부에 따라
 지도학습, 비지도학습으로 분석



통계학

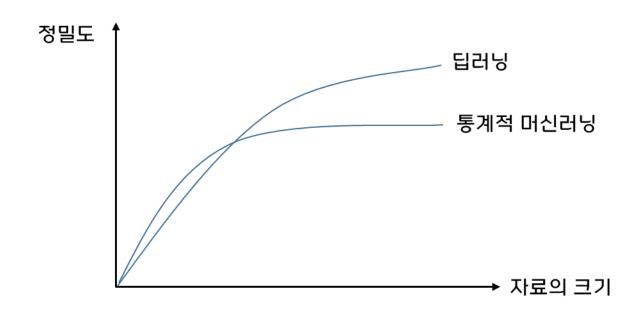
ㅡㅡㅡ 통계적 머신러닝



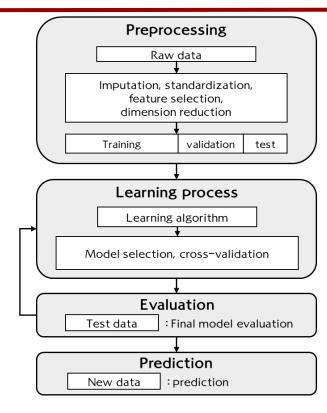
Data S

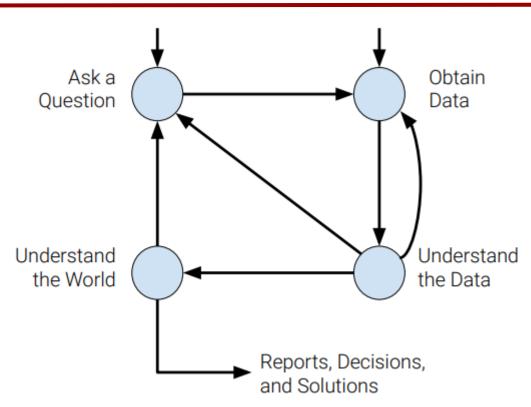
S	구분	통계적 머신러닝	딥러닝
	데이터 크기	중/소 크기	빅데이터
	분석자료 형태	2차원 텐서	2차원 텐서이상
	강점을 갖는 자료	정형화된 자료	비정형자료
	특성변수	특성변수를 만들어야 함	특성변수가 만들어짐
	특성변수의 정규화 및	17 50	필요
	표준화	선택	
	모형	매우 많음	기본적으로 3 개의 모형
	최적화	일반적으로 전체 데이터 사용	배치데이터
		해석이 쉬움	어렵거나 불가능
	해석여부	(단, SVM과 boosting 제외)	
	하드웨어	중급	고성능(GPU 요구)
실행요구시간		최대 시간 단위	최대 주단위 시간











The data science lifecycle is a **high-level description** of the data science workflow.

Note the two distinct entry points!

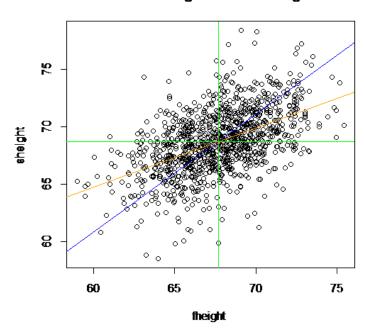


Idea 2. Linear Regression



What is Regression?

Father's height VS Son's height





Linear Regression

Linearity?

$$Y_i = \beta_0 + \beta_1 X_{1i} + \beta_2 X_{2i} + \dots + \beta_p X_{pi} + \epsilon_i$$

$$Y_i = \beta_0 + \beta_1 X_{1i} + \beta_2 X_{2i} + \beta_3 X_{1i} X_{2i} + \epsilon_i$$

$$Y_i = \beta_0 + \beta_1 X_i + \beta_2 X_i^2 + \dots + \beta_p X_i^p + \epsilon_i$$



Linear Model

Linearity? — Linear Model

$$Y_i \stackrel{iid}{\sim} (\mu(\mathbf{X}), \sigma)$$
 where $E[Y] = \mu(\mathbf{X})$
$$\mu(\mathbf{X}) = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_p X_p$$

$$= \mathbf{X} \boldsymbol{\beta}$$



Least Square Estimator

$$\sum \epsilon_{i}^{2} = \sum (Y_{i} - \beta_{0} + \beta_{1}X_{1i} + \beta_{2}X_{2i} + \dots + \beta_{p}X_{pi})^{2}$$

$$\frac{\partial}{\partial \beta_{0}} \sum (Y_{i} - \beta_{0} + \beta_{1}X_{1i} + \beta_{2}X_{2i} + \dots + \beta_{p}X_{pi})^{2} \stackrel{set}{=} 0$$

$$\frac{\partial}{\partial \beta_{1}} \sum (Y_{i} - \beta_{0} + \beta_{1}X_{1i} + \beta_{2}X_{2i} + \dots + \beta_{p}X_{pi})^{2} \stackrel{set}{=} 0$$

$$\vdots$$

$$\vdots$$

$$\frac{\partial}{\partial \beta_{p}} \sum (Y_{i} - \beta_{0} + \beta_{1}X_{1i} + \beta_{2}X_{2i} + \dots + \beta_{p}X_{pi})^{2} \stackrel{set}{=} 0$$



Least Square Estimator

```
> summary(model.a<-lm(exp~income+ factor(Region)))
Call:
lm(formula = exp ~ income + factor(Region))
Residuals:
   Min
            1Q Median
                                 Max
-77.624 -26.431 -8.821 19.391 174.548
Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)
              21.94531 60.05982 0.365 0.7165
               0.05337
                       0.01169 4.566 3.84e-05 ***
income
factor(Region)2 1.21498 20.02606 0.061 0.9519
factor(Region)3 -0.44452 20.91222 -0.021 0.9831
factor(Region)4 49.92487 19.78310 2.524 0.0152 *
Signif. codes: 0 *** 0.001 ** 0.01 * 0.05 . 0.1 1
```



- Error term?
 - Mean 0

• Identical, Independent

• Normal?



Likelihood function

Definition (Likelihood)

For $X_1, \dots, X_n \stackrel{iid}{\sim} f_X(x; \theta)$, where θ denotes a parameter of interest. The likelihood function is

$$L(\theta; \mathbf{X}) = L(\theta; X_1, \cdots, X_n) = \prod_{i=1}^n f_X(X_i; \theta)$$



Maximum Likelihood Estimator

Definition (Maximum likelihood estimator, MLE)

For $X_1, \dots, X_n \stackrel{iid}{\sim} f_X(x; \theta)$, the MLE of θ is

$$\hat{\theta}_{MLE} = \operatorname*{argmax}_{\theta} L(\theta; \mathbf{x}).$$

which is equivalent to maximize the logarithm of $L(\theta; \mathbf{x})$ which we call the log-likelihood

$$\ell(\theta; \mathbf{x}) = \log L(\theta; \mathbf{x}).$$



Maximum Likelihood Estimator



방금 뭐가 지나간거죠….ㅠㅠㅠ

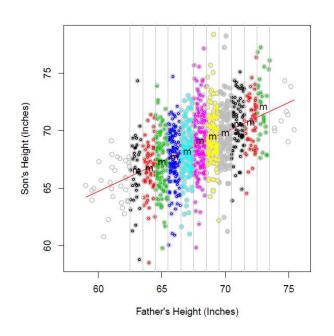
Loss Function

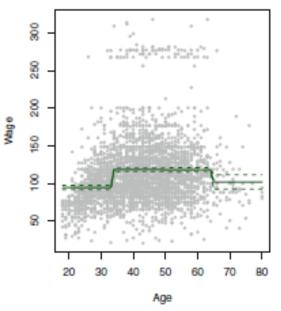
Information Theory

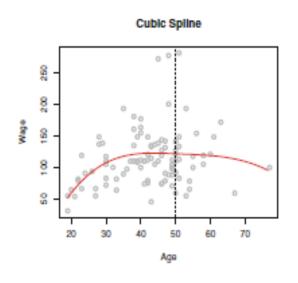
Maximum Likelihood Estimator



Other Regression









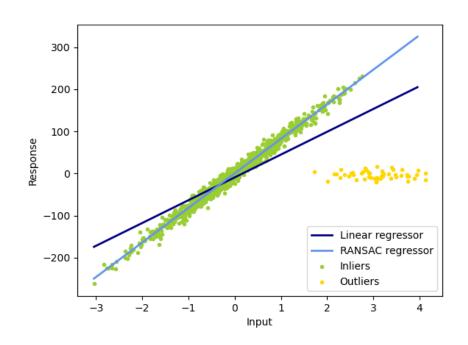
Regression Models vs Outliers

- M-Estimation
- LTS
- DPM

RANSAC



Regression Models vs Outliers



- 1. 학습데이터에서 작은 크기의 임의효본을 뽑는다.
- 2. OLS 추정치를 구하고 추정된 모형에 전체 학습데이터를 적용하여 잔차를 구한다.
- 3. 잔차의 중위수를 구한 후, 각 잔차의 MAD를 구하여 MAD가 작은 관측치만 모은다. (consensus set)
- 4. 반복



Why Statistics?



Statistics is important



(a) LSGANs.



(c) LSGANs.



(b) Regular GANs.



(d) Regular GANs.



Reference

자료

21-1 COSE471 데이터과학 - 김진규 교수님

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교재

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