

Task2.3

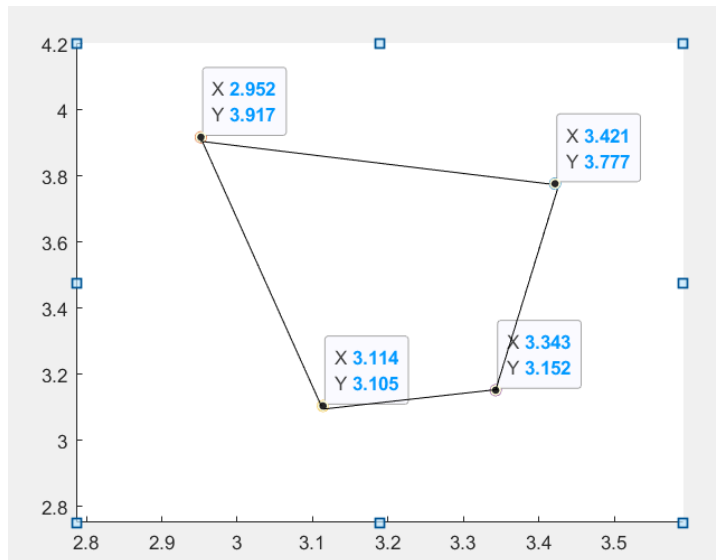
There are four points in Polygon A

Point1:(3.42138,3.7766)

Point2:(2.95182,3.91687)

Point3:(3.1137,3.10461)

Point4:(3.34277,3.15222)



Due to the equation $Y=k*x + b$

Line between point 1 to 2: $y = -0.29873x + 4.79866$

Line between point 2 to 3: $y = -5.01767x + 18.72812$

Line between point 3 to 4: $y = 0.20784x + 2.45746$

Line between point 4 to 1: $y = 7.94276x - 23.39858$

Line12: $y+0.29873x-4.79866 \leq 0$

Convert line12 by multiply by -1: $-y-0.29873x + 4.79866 \geq 0$

Normalize line12 to get the weight vector: $1-0.0623x-0.2084y \geq 0$

Then we use the normalize equation to get the weight.

$W(1,1,0)$: 1

$W(1,1,1)$: -0.0623

$W(1,1,2)$: -0.2084

Line23: $y+5.01767x-18.72812 \geq 0$

Normalize line23 to get the weight vector: $-1+0.2679x+0.0534y \geq 0$

Then we use the normalize equation to get the weight

$W(1,2,0)$: -1

$W(1,2,1)$: 0.2679

$W(1,2,2)$: 0.0534

Line34: $y - 0.20784x - 2.45746 \geq 0$

Normalize line34 to get the weight vector: $-1 - 0.0846x + 0.4069y \geq 0$

Then we use the normalize equation to get the weight

$W(1,3,0)$: -1

$W(1,3,1)$: -0.0846

$W(1,3,2)$: 0.4069

Line41: $y - 7.94276x + 23.39858 \geq 0$

Normalize line41 to get the weight vector : $1 - 0.3395x + 0.0427y \geq 0$

Then we use the normalize equation to get the weight

$W(1,4,0)$: 1

$W(1,4,1)$: -0.3395

$W(1,4,2)$: 0.0427

We can get the vector (3-by-1) of each weight now

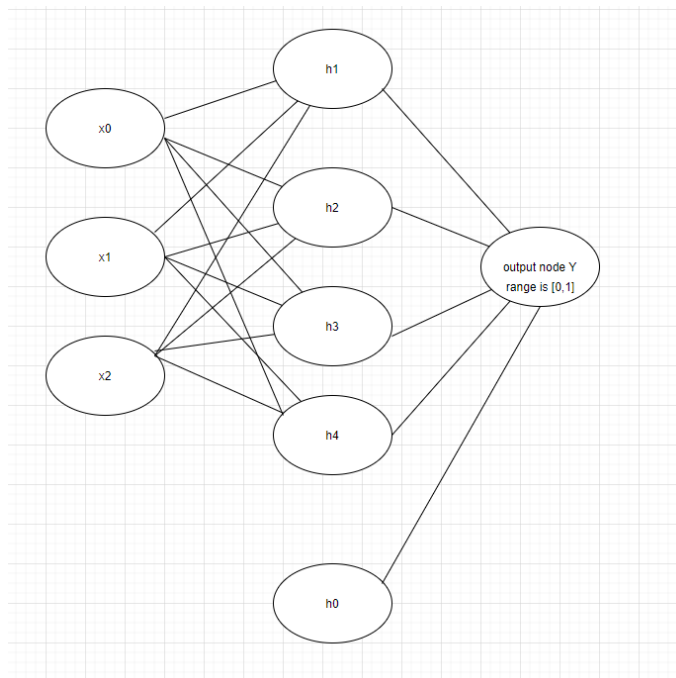
$W1 = [1; -0.0623; -0.2084]$

$W2 = [-1; 0.2679; 0.0534]$

$W3 = [-1; -0.0846; 0.4069]$

$W4 = [1; -0.3395; 0.0427]$

Structure of network



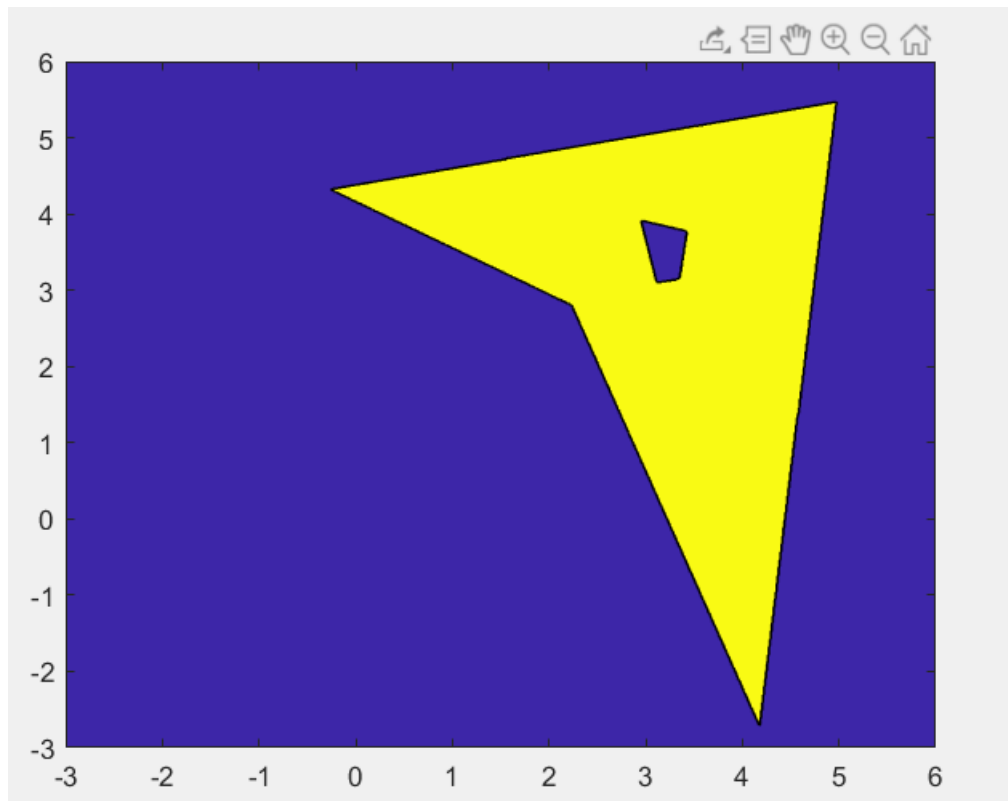
x_0 , x_1 , x_2 are nodes in input layer, x_0 is the bias for input data which x_0 inputs 1.

h_0 , h_1 , h_2 , h_3 , h_4 are nodes in hidden layer, h_0 is the bias in hidden layer.

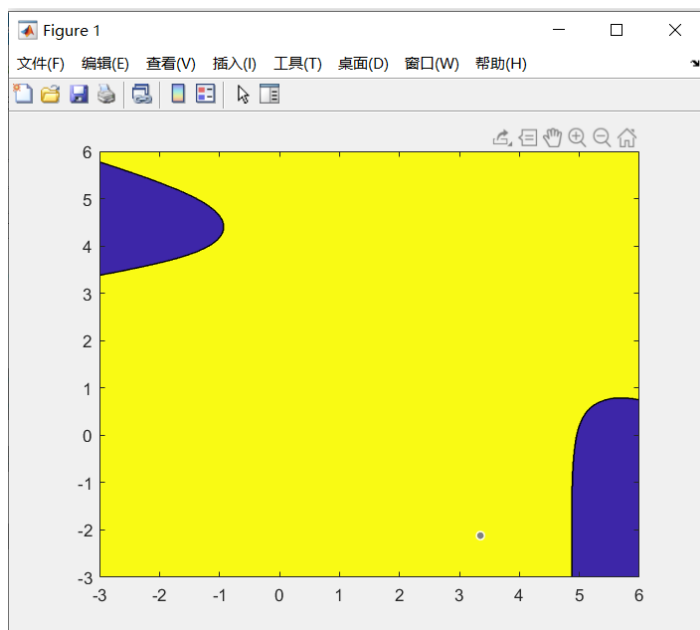
y is the output node, which range is $[0, 1]$

Task1_10

When we multiply the weight by a big number like 1000, the diagram looks like the same as the task2_hNN_AB().



This is the diagram that the weight multiply by 1000.



This is the diagram that weight multiplied by 10