

## Count What?

As a teacher, I can tell you that

- Not being able to count ruins arithmetic students.
- Not being able to do arithmetic ruins Algebra students.
- Not being able to do Algebra ruins Calculus students.
- But Calculus students have finally mastered counting.

Computer Scientists use 0-index counting, whereas the world and R (screw you R) and EXCEL (hurray for EXCEL) uses 1-indexing.

In 0-index counting, your first number is zero.

Your second number is one.

In 1-index counting your first number is one.

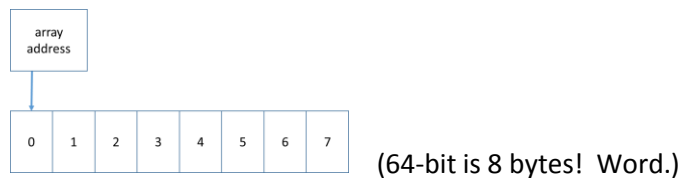
Your second number is two.

If you aren't confused enough, 0-index counting typically uses range of the form [a,b); the list starts and includes a, but the list ends and does not include b.

Whereas you normal counters (in the real world) count 1 to 10 and include 10 or [a,b]. Weirdos!

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Why do CS people torture themselves by counting wrong? They are bigger weirdos.

- History: Convention that starts with memory manipulation



Q1 What is address of first byte? Q2 The last byte? Q3 What is the size?

- It can make the size of the counting clearer.
- Reduces calculation waste. (i.e. just good coding practice.)

Meet the C++/Java for loop:

```
for (int foo = 0; foo + you != 42; foo++){ array[foo] = them(i); }
```

there is a start condition (`foo = 0`), a condition to continue (`foo + you != 42`), and counter (`foo++`). The logical inverse of continue is your stop. So this loop stops when (`foo + you == 42`).

## ACTIVITY!

### Count to 10!

#### O-index [a,b]

```
start = 0;  
end = 10;  
for (int i = ____; ____; i++) {}
```

#### 1-index [a,b]

```
start = 1;  
stop = 10;  
for (int i = ____; ____; i++) {}
```

Why is “<” (less than) the hallmark sign of zero indexing?

### Formulas

#### *Length of Range*

##### O-index [a,b]

length = \_\_\_\_\_

##### 1-index [a,b]

length = \_\_\_\_\_

*You want to read the first ten letters out of a string.*

##### O-index [a,b]

```
start = 0  
end = 10  
for (int i = ____; ____; i++) {}
```

##### 1-index [a,b]

```
start = 1  
stop = 10  
for (int i = ____; ____; i++) {}
```

## Python String slicing (uses 0-indexing)

Slicing in python is a powerful way to take a substring out of a string

or array of smaller size out of a bigger one.

- Slicing uses 0-indexing [a,b)
- format: array[from:to]
- from field or to field may be blank, meaning beginning or end, respectively
- you can use negative numbers; -1 is last, so that -1\*length is first member

*mystring is 30 letters*

mystring[0:2] is two letters long

mystring[14:30] 15<sup>th</sup> letter thru end

mystring[10:20] is how many letters long?

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why does the following give an error?

mystring[14:31]

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*What if we used 1-indexing? (NOT PYTHON)*

mystring[\_\_\_\_:\_\_\_\_] first two letters

mystring[\_\_\_\_:\_\_\_\_] 15<sup>th</sup> letter thru end

mystring[10:20] is how many letters long?

---

why does the following give an error?

mystring[14:31]

---

## Algorithms by tricky CS people

Computer science is all about cheating. We don't steal code, we borrow it. (We copy it and never give it back.)

"Mr Dean, everything in a computer is copy. Therefore, your policy for me not to plagiarize, i.e. copy a paper, cannot be enforced when we type our papers on computer. Therefore, ethically, you cannot enforce a plagiarism rule without charging everyone with plagiarism."

## Case Study

My database was too slow writing records out of order

- (1) Need to write to the database in-order
- (2) So I need to sort too many records to fit in memory.

So I have to write the data in chunks. But still really big chunks.

Needs:

- (1) efficient memory usage
- (2)  $n$  is large, so a fast sort .. or else we wait forever
- (3) read all equal numbers as a group

Definition: In-place – when a sort uses only the original list's memory (without copying) -- "in place of the original memory"

Sorting needs:

- |               |   |
|---------------|---|
| (1) In-place  | (hard)  |
| (2) Sort Once | (we consider this in context of difficulty; I don't sort multiple times. Once per program.) |
| (3) Unstable  | (easy)  |
| -----         |   |
| Heap Sort     |   |

### Heap Sort

- (1) Store data on un-sorted heap. Write:  $O(1)$
- (2) In-place sort  $O(n \log n)$ .
- (3) My read is  $O(1)$ .

To use memory efficiently, I had to read memory in chunks. Thus, there are multiple databases, one per chunk. Note that here, I am using  $x$  pieces.  $x * O(n/x * \log(n/x)) < O(n \log n)$ , i.e. *faster*, despite the same upper bound.

Combining the sorted databases to one sorted database is done in  $O(\sum n_i) = O(n)$  time.