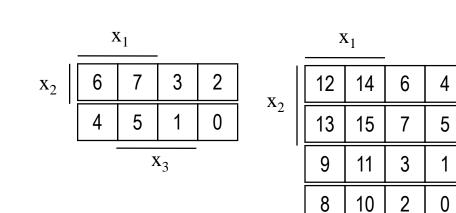
# Digitalna vezja UL, FRI

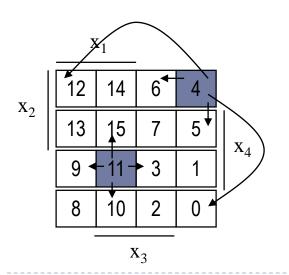
Vaja 3

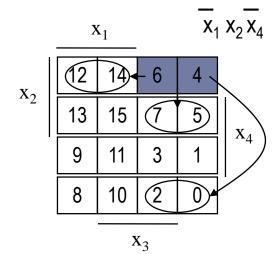
#### Veitchev diagram (n=3,4,5)



		X	5						
	X	1			<b>X</b> <sub>1</sub>	1			
	25	29	13	9	24	28	12	8	
<b>X</b> <sub>2</sub>	27	31	15	11	26	30	14	10	$\left\  \right\ _{X_4}$
	19	23	7	3	18	22	6	2	
	17	21	5	1	16	20	4	0	
	$\overline{\mathbf{x}_3}$				$\overline{\mathbf{x}_3}$				

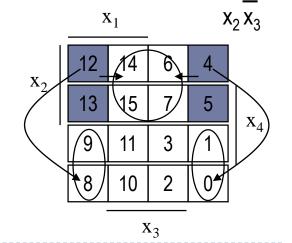
#### Sosednost





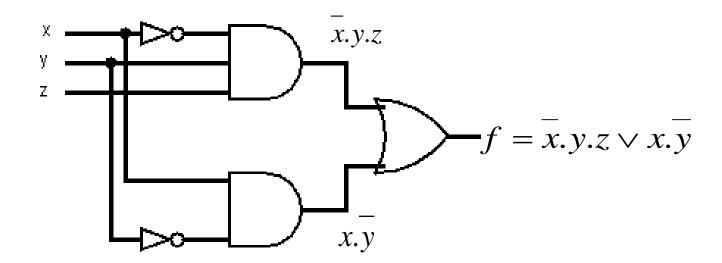
 $\mathbf{X}_3$ 

 $X_4$ 



### Logična shema

- Funkcija f je realizirana z logičnimi vrati:
  - NE
  - ▶ IN
  - ALI





### Naloga 1

- Podani sta logični funkciji
  - f<sub>A</sub>
  - $ightharpoonup f_B$ .
- Zapišite oznake za i in j v tabeli
- Zapišite:
  - a) MDNO
  - b) MKNO
  - c) MNO

i	j	X	у	Z	f <sub>A</sub>	f <sub>B</sub>
		0	0	0	I	I
		0	0	_	0	0
		0	1	0	I	I
		0	I	I	I	0
			0	0	I	I
			0	I	I	I
				0	I	I
				I	0	0



## Naloga 2: Dvojiški komplement (n=4)

V tabeli zapišite pretvorbo dvojiške kode v predznačena števila v dvojiškem komplementu (2'K) tako, da je bit k<sub>3</sub> predznak:

o Vhodi:  $b_3, b_2, b_1, b_0$ 

o Izhodi:  $k_3$ ,  $k_2$ ,  $k_1$ ,  $k_0$ 

#### Določite:

- Zapis funkcij v Veitchev diagram
- b) Minimizacija
- c) Zapis MDNO in MKNO
- d) MNO (št. logičnih vrat in št. povezav).

i	j	b <sub>3</sub>	b <sub>2</sub>	b <sub>I</sub>	b <sub>0</sub>	k <sub>3</sub>	k <sub>2</sub>	k <sub>I</sub>	k <sub>0</sub>
0	15	0	0	0	0	0	0	0	0
1	14	0	0	0	_	_	ı	_	1
2	13	0	0	I	0	I	I	I	0
3	12	0	0	_	_	_	ı	0	1
4	$\equiv$	0		0	0	_	ı	0	0
5	10	0		0	_	_	0	_	1
6	9	0	I	I	0	I	0	I	0
7	8	0	I	I	I	I	0	0	1
8	7	I	0	0	0	I	0	0	0
9	6	I	0	0	I	0	I	I	1
10	5	I	0	I	0	0	I	I	0
П	4	I	0	I	I	0	I	0	1
12	3	I	I	0	0	0	I	0	0
13	2	I	I	0	I	0	0	ı	I
14		I	I	ı	0	0	0	ı	0
15	0	I	ı	ı	I	0	0	0	I



#### Naloga 3: Primerjalnik

V pravilnostno tabelo zapišite funkciji za izhoda  $p_1$ ,  $p_0$  za dvo-bitni primerjalnik števil  $X=(x_1,x_0)$  in  $Y=(y_1,y_0)$ :

- P<sub>1</sub>= P<sub>0</sub>= 0, če je X==Y
- $p_1 = 0, p_0 = 1, če je X < Y$
- $p_1 = 1, p_0 = 0, \text{ če je } X > Y$

Za izhoda  $p_1$ in  $p_0$  določite:

- a) Zapis funkcij v Veitchev diagram
- b) Minimizacija v Veitchevem diagramu
- c) Zapis MDNO in MKNO
- d) Zapis MNO (št. logičnih vrat in št. povezav za  $p_1$ in  $p_0$ ).
- e) Realizacijo MDNO, MKNO (logisim)



i	j	x <sub>I</sub>	× <sub>0</sub>	yı	<b>y</b> <sub>0</sub>	Pı	P <sub>0</sub>
0	15	0	0	0	0	0	0
1	14	0	0	0	I	0	-
2	13	0	0	I	0	0	-
3	12	0	0	I	I	0	I
4	П	0	ı	0	0	I	0
5	10	0	-	0	I	0	0
6	9	0	_	—	0	0	_
7	8	0	ı	I	I	0	-
8	7	I	0	0	0	_	0
9	6	I	0	0	-	_	0
10	5	I	0	_	0	0	0
11	4	I	0	_	1	0	_
12	3	I		0	0	Ι	0
13	2	I		0	I	Ι	0
14		I		Ι	0	Ι	0
15	0		]	<u> </u>	<u> </u>	0	0

PDNO  $p_{1} = \overline{x}_{1}.x_{0}.\overline{y}_{1}.\overline{y}_{0} \lor x_{1}.\overline{x}_{0}.\overline{y}_{1}.\overline{y}_{0} \lor x_{1}.\overline{x}_{0}.\overline{y}_{1}.y_{0} \lor x_{1}.x_{0}.\overline{y}_{1}.y_{0} \lor x_{1}.x_{0}.\overline{y}_{1}.y_{0} \lor x_{1}.x_{0}.y_{1}.\overline{y}_{0}$   $p_{0} = \overline{x}_{1}.\overline{x}_{0}.\overline{y}_{1}.y_{0} \lor \overline{x}_{1}.\overline{x}_{0}.y_{1}.\overline{y}_{0} \lor \overline{x}_{1}.\overline{x}_{0}.y_{1}.y_{0} \lor \overline{x}_{1}.\overline{x}_{0}.y_{1}.y_{0} \lor \overline{x}_{1}.x_{0}.y_{1}.y_{0} \lor \overline{x}_{1}.x_{0}.y_{1}.y_{0} \lor \overline{x}_{1}.x_{0}.y_{1}.y_{0} \lor \overline{x}_{1}.x_{0}.y_{1}.y_{0}$   $p_{1} = (x_{1} \lor x_{0} \lor y_{1} \lor y_{0})(x_{1} \lor x_{0} \lor y_{1} \lor \overline{y}_{0})$ PKNO  $p_{1} = (x_{1} \lor x_{0} \lor y_{1} \lor y_{0})(x_{1} \lor x_{0} \lor y_{1} \lor \overline{y}_{0})$ 

 $(x_{1} \lor x_{0} \lor \overline{y}_{1} \lor y_{0})(x_{1} \lor x_{0} \lor \overline{y}_{1} \lor y_{0})$   $(x_{1} \lor x_{0} \lor \overline{y}_{1} \lor y_{0})(x_{1} \lor x_{0} \lor \overline{y}_{1} \lor \overline{y}_{0})$   $(x_{1} \lor \overline{x}_{0} \lor y_{1} \lor \overline{y}_{0})(x_{1} \lor \overline{x}_{0} \lor \overline{y}_{1} \lor y_{0})$   $(x_{1} \lor \overline{x}_{0} \lor \overline{y}_{1} \lor \overline{y}_{0})(\overline{x}_{1} \lor x_{0} \lor \overline{y}_{1} \lor y_{0})$   $(\overline{x}_{1} \lor x_{0} \lor \overline{y}_{1} \lor \overline{y}_{0})(\overline{x}_{1} \lor \overline{x}_{0} \lor \overline{y}_{1} \lor \overline{y}_{0})$   $(x_{1} \lor x_{0} \lor y_{1} \lor \overline{y}_{0})(x_{1} \lor \overline{x}_{0} \lor y_{1} \lor y_{0})$   $(x_{1} \lor \overline{x}_{0} \lor y_{1} \lor \overline{y}_{0})(\overline{x}_{1} \lor x_{0} \lor y_{1} \lor y_{0})$   $(\overline{x}_{1} \lor x_{0} \lor y_{1} \lor \overline{y}_{0})(\overline{x}_{1} \lor x_{0} \lor \overline{y}_{1} \lor y_{0})$   $(\overline{x}_{1} \lor \overline{x}_{0} \lor y_{1} \lor y_{0})(\overline{x}_{1} \lor \overline{x}_{0} \lor y_{1} \lor \overline{y}_{0})$   $(\overline{x}_{1} \lor \overline{x}_{0} \lor y_{1} \lor \overline{y}_{0})(\overline{x}_{1} \lor \overline{x}_{0} \lor \overline{y}_{1} \lor \overline{y}_{0})$   $(\overline{x}_{1} \lor \overline{x}_{0} \lor y_{1} \lor \overline{y}_{0})(\overline{x}_{1} \lor \overline{x}_{0} \lor \overline{y}_{1} \lor \overline{y}_{0})$