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ENSC180-Assignment2

Instructions:

- Put your name(s), student number(s), userid(s) in the above section.
- Edit the "Helpers" line.
- Your group name should be "A2_<userid1>_<userid2>" (eg. A2_stu1_stu2)
- Form a group as described at: https://courses.cs.sfu.ca/docs/students
- Replace "% your work here" below, or similar, with your own answers and work.
- You can copy your work from your other functions and (live) scripts and as needed.
- Nagvigate to the "PUBLISH" tab (located on top of the editor) * Choose pdf as "Output file format" under "Edit Publishing Options..." * Click "Publish" button. Ensure a report is automatically generated

 You will submit THIS file (assignment2.m), and the PDF report (assignment2.pdf). Craig Scratchley, Spring 2017

main

```
function main
% PLEASE use the latest excel data "RedBullStratosData180-draft" for
marking.
% data prep
filename = 'RedBullStratosData180-draft.xlsx';
dataArray = xlsread(filename); %reads the data numerically
B = any(dataArray,2);
                       %logic of rows, if all elements = NaN -> row
dataArray = dataArray(B,:);
% constants
A GRAV SEA = -9.8;
ABV_SEA = 38969; %in meters
% variables
elapsedTime = dataArray(2:end,11);
altitude = dataArray(2:end,4);
                                                            %2:end to
 remove rows where time is negative
velocity = (dataArray(2:end,5)) ./ 3.6;
                                                            %setting
 units to m/s
acclereation = abs(diff(velocity)) ./ diff(elapsedTime);
% <any() was used here to test along the rows of the data and generate
 a logical col vector.
This was used to remove all rows of ONLY NaN. Heartrate data ensured
 a row was always non-zero unless all entries were NaN>
```

Part 1

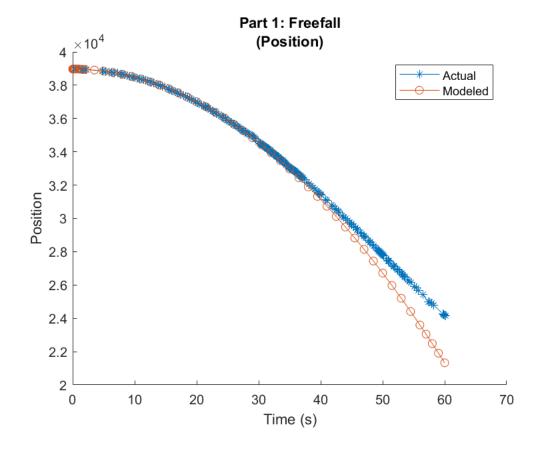
```
% How accurate is the model for the first portion of the minute?
% <The model is fairly accurate up till 40s, at about 40s, the model
starts to diverge from actual fall.>

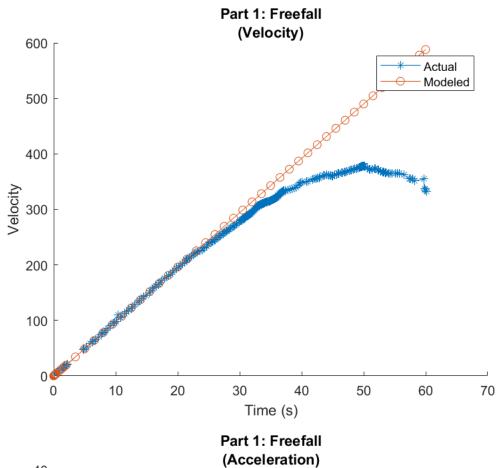
% How accurate is the model for the last portion of that first minute?
% <In the latter part of the first minute we start to see the mdoel
diverge from the actual fall.>

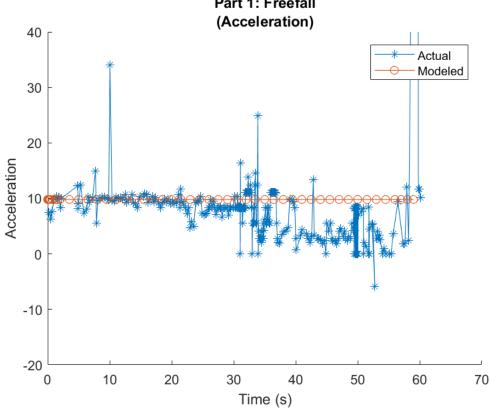
% Comment on the acceleration calculated from the measured data.
% Is there any way to smooth the acceleration calculated from the
data?
% <We can use different signal proccessing functions available in
matlab.</pre>
```

- % There is medfilt1 that used an nth order polynomial to smooth the function.
- % Another is interp1, which interprolates data points at a queried location to smooth the graph.>

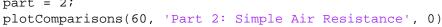
part = 1; plotComparisons(60, 'Part 1: Freefall', 0)

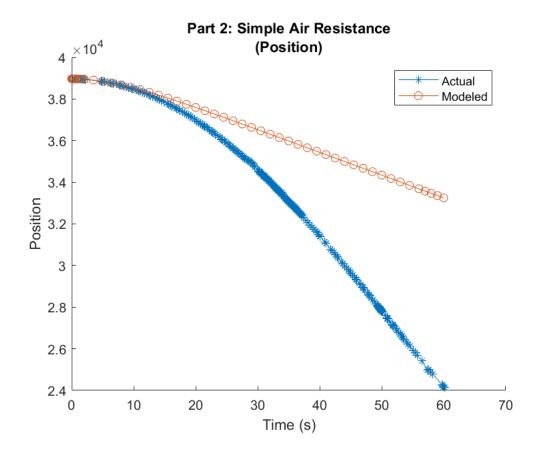


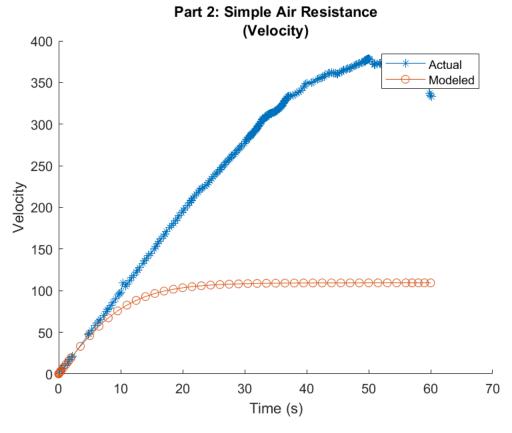


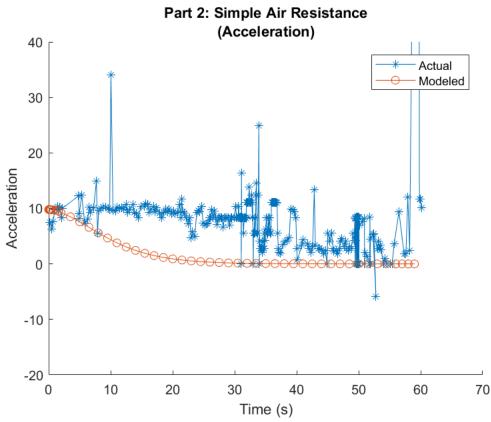


```
% Estimate your uncertainty in the mass that you have chosen (at the
      beginning of the jump).
% <(244 uncertainty of 5)kg, The error accounted for comes from
 converting some of the values I found online from pounds to kg,
% As well as the mass used for the suit and life support was from a
 similar suit&support from NASA, so Felix's might be different.>
% How sensitive is the velocity and altitude reached after 60 seconds
 to
     changes in the chosen mass?
% <When I account for the min&max value due to error I notice that
 terminal velocity increases and decreases proportionally
% to mass. The general trend of the plots remained the same, but there
 was a shift along the y axis depending on the mass used.>
part = 2;
```





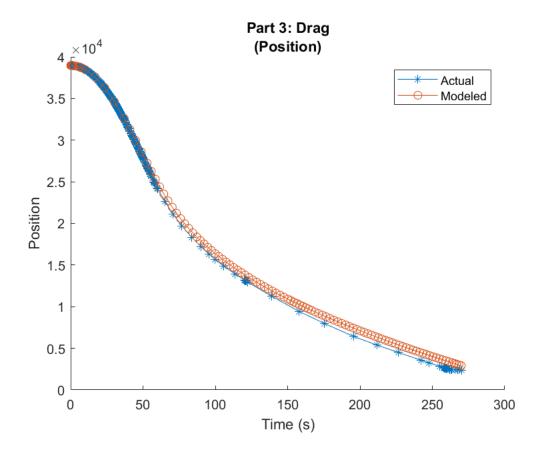


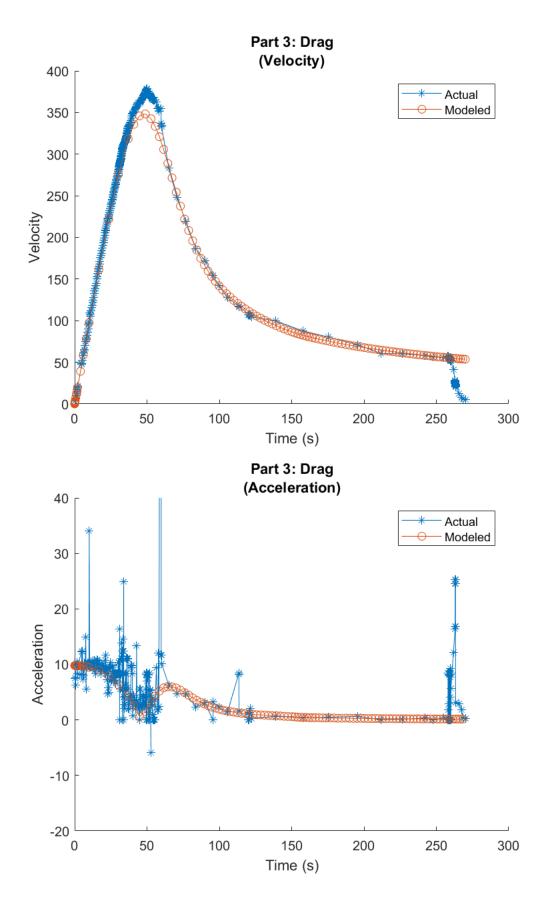


```
% Felix was wearing a pressure suit and carrying oxygen. Why?
     What can we say about the density of air in the stratosphere?
     How is the density of air different at around 39,000 meters than
it
     is on the ground?
% <Air density at 39000m is almost 0, compared to on the ground where
it was close to 1.1 (derived from plot rho=stdatmo(altitude)).
% The lack of atomosphere pressure and air is why Felix needs his own
oxygen and pressurized suit so he doesn't explode.
% This also means Felix had a far lower drag force at 39000m and was
able to reach a greater velocity in the upper stratosphere.
% But as he descended, the density of air increases, which increases
the force due to air resistance, slowing him down. >
% What are the factors involved in calculating the density of air?
     How do those factors change when we end up at the ground but
start
     at the stratosphere? Please explain how calculating air density
up
     to the stratosphere is more complicated than say just in the
% <Using the formula for air density from wikipedia, the factors
included:
    - altitude
    - std atmosphereic pressure
    - std temperature
    - accelereation due to gravity
    - temperture lapse rate
    - ideal gas constant
    - molar mass of dry air
% from wikipedia, we see that std atmosphereic pressure, temperature
and absolute pressure's ratio all converge to 1 as we get closer
% to ground level. But as we go to higher altitudes these values
diverge and makes the calculations harder.
% https://upload.wikimedia.org/wikipedia/commons/d/dc/
StandardAtmosphere.png>
% What method(s) can we employ to estimate [the ACd] product?
% < {Fnet = F=ma = 1/2*rho*v^2*A*Cd} where:
    - At terminal velocity, the drag force = force due to gravity. At
this interval, acceleration = 0 and we are able to isolate ACd.
    - Using an altitude we know Felix is moving at terminal velocity,
we can sub this in to find rho.
    - rho = air density calculated in function airDensity(terminal
Velocity Altitude) OR use stdatmo(terminal Velocity Altitude)
    - now, we have all the unknowns except for the product of ACd,
which we solve for using
    - 2*(a - a_grav).*m./(rho.*v.^2) where a=0, a_grav=9.8>
```

```
% What is your estimated [ACd] product?
% <ACd = 1.8448 using function ACdFind(altitude, masss)>
%
% [Given what we are told in the textbook about the simple drag constant, b,]
% does the estimate for ACd seem reasonable?
% <b = 1/2*rho*ACd where rho=0.0253 ACd=1.8448
% b = 0.02334, which is about a factor of 10 greater than the simple drag constant. Because of this factor of 10 error
% I think this estimate is not reasonable. This idea is re-enforced when we compare the graphs of part 2 and 3.>
```

part = 3; plotComparisons(270, 'Part 3: Drag', 0)

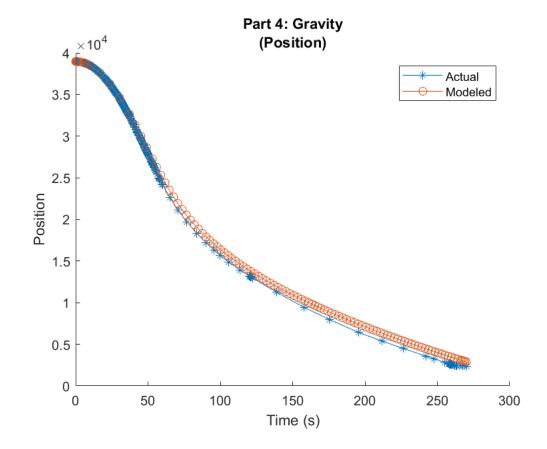


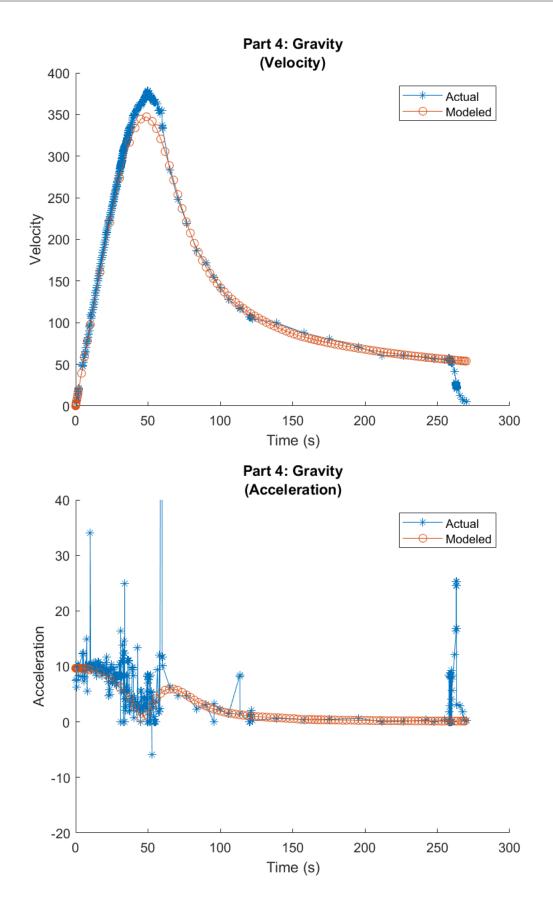


- % What is the actual gravitational field strength around 39,000
 meters?
- (See Tipler Volume 1 6e page 369.)
- %<The acceleration due to gravity at 39000m above the surface of Earth
 is about 9.688m/s^2>
- % How sensitive is the altitude reached after 4.5 minutes to simpler and
- % more complicated ways of modelling the gravitational field strength?
- % <Not very sensitive, from the formula Gh=g(Re/re+h)^2, we can see g=9.8 is being multiplied by a number that is very close
- % to 1. Since 39000 is insignificant to 6.371e3, the ratio is 0.98787, very close to 1.> $\,$
- % What other changes could we make to our model? Refer to, or at least
 % attempt to explain, the physics behind any changes that you
 propose.
- % <Though relavent to part 6, we could model the rate at which Felix's
 parachute opens as a much slower ramp up.</pre>
- % The reason for this is that when Felix deploys his parachute, there is a period of time where the parachute is flailing.
- % So we should apply a rate function that slowly ramps up the crosssectional area to account for this flailing.
- % In our model, the parachute opening is modeled by a symmetric bump. To model the opening better, the first half of the bump
- % should be linear, and the second half where accleration returns to 0
 should be a negative logarithm>
- % What is a change that we could make to our model that would result in
- % insignificant changes to the altitude reached after 4.5 minutes?
- % <Accounting for Felix's personal cross sectional area would be an insignificant change as by then the parachute's cross
- % sectional area would eclipse Felix's.>
- % How can we decide what change is significant and what change is
- % insignificant?
- % <We can determine if a change is insignificant, if the value for an estimate of a contributing factor
- % is small uncertainty from real value. We can see this in the case of calculating gravity at different altitudes.
- % [What changes did you try out to improve the model? (Show us your changes
- even if they didn't make the improvement you hoped for.)]
- % <My changes can be found in part 6, I was trying to model the rate
 of the parachute opening.</pre>

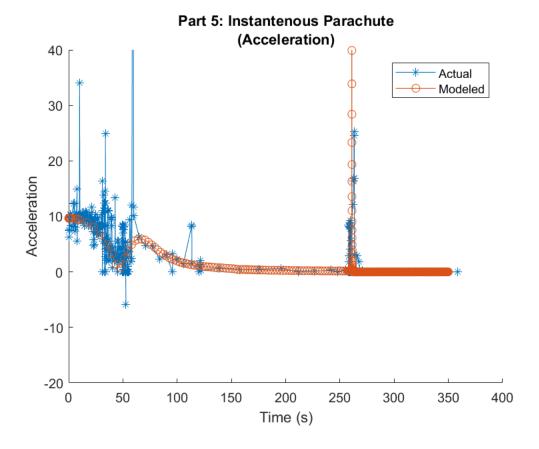
- % I initially used a linear function to model this rate, as if it was a growing rectangle.
- % I later changed it to a quadratic function, since his parachute is a circular and not rectangluar. Circles grow in area quadratically,
- % after this implementation allowed the the modeled acclereation to huge the actual data better.>

part = 4; plotComparisons(270, 'Part 4: Gravity', 0)





```
% At what altitude does Felix pull the ripcord to deploy his
 parachute?
% <At altitude 2573m>
% Recalculate the ACd product with the parachute open, and modify your
  code so that you use one ACd product before and one after this
 altitude.
   According to this version of the model, what is the maximum
 magnitude
  of acceleration that Felix experiences?
% <Since the parachute opens instantaneously, Felix will experience a
 sharp spike in acclereation.
% Here I found his acceleration to to about 2300m/s^2 via my part
 plot>
   How safe or unsafe would such an acceleration be for Felix?
% <It would most certainly be lethal as the force produced far exceeds
 the force necessary to rend flesh.
% http://ffden-2.phys.uaf.edu/212_spring2011.web.dir/Brendon_Fuhs/
force.html>
%Make a single acceleration-plot figure that includes, for each of the
%model and the acceleration calculated from measurements, the moment
%the parachute opens and the following 10 or so seconds. If you have
%trouble solving this version of the model, just plot the acceleration
%calculated from measurements.
part = 5;
plotComparisons(350, 'Part 5: Instantenous Parachute', 3)
```



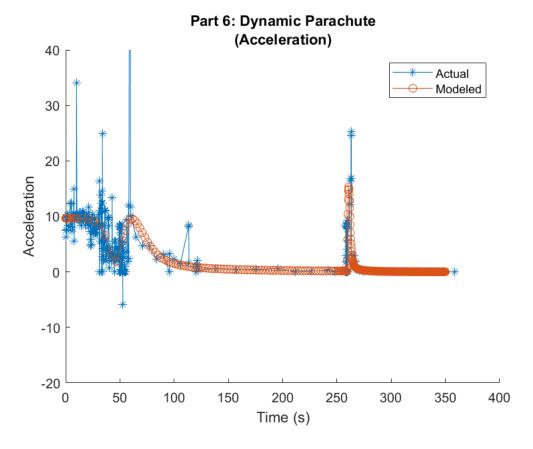
Answer some questions here in these comments...

- % How long does it take for Felix's parachute to open?
- % <roughly 15secounds, this was derived from part 6's plot of acceleration.
- % This value was determined by checking the duration of Felix's
 accleration
- % returning to 0. We know when acclereation = 0 Felix is at terminal velocity so it's safe to
- % assume the parachute is fully open when he stabilizes on his second terminal velocity.

%Redraw the acceleration figure from the previous Part but using the new

- % model. Also, using your plotting function from Part 1, plot the
- % measured/calculated data and the model for the entire jump from
- % stratosphere to ground.

```
part = 6;
plotComparisons(350, 'Part 6: Dynamic Parachute', 3)
```



nested functions

nested functions below are required for the assignment. see Downey Section 10.1 for discussion of nested functions

```
function res = freefall(t, X)
    %FALL <Summary of this function goes here>
        <Detailed explanation goes here>
    % do not modify this function unless required by you for some
reason!
   p = X(1); % the first element is position
   v = X(2); % the second element is velocity
   dpdt = v; % velocity: the derivative of position w.r.t. time
   dvdt = acceleration(t, p, v); % acceleration: the derivative of
velocity w.r.t. time
   res = [dpdt; dvdt]; % pack the results in a column vector
end
function res = acceleration(t, p, v)
    % P1acceleration = 9.8 P>1acclereation = -9.8 + drag acceleration
    % input...
    % t: time
```

```
% p: position
    % v: velocity
    % output...
    % res: acceleration
    % do not modify this function unless required by you for some
reason!
   a_grav = gravityFind(p);
   if part == 1 % variable part is from workspace of function main.
        res = a_grav;
    else
       m = mass(t, v);
       b = drag(t, p, v, m);
        f_drag = b * v^2;
        a_drag = f_drag / m;
       res = a_grav + a_drag;
    end
end
function a_grav = gravityFind(p)
    % estimate the acceleration due to gravity as a function of
altitude, p
   if part <= 3</pre>
        a_grav = A_GRAV_SEA;
    else
       r = 6371000; %meters
        a\_grav = A\_GRAV\_SEA*(r^2)./(r+p).^2;
    end
end
function res = mass(t, v)
    % mass in kg of Felix and all his equipment
   res = 3.63+49.9+90.72+27+73;
 %helmet,lifesupport,suit,parachute,felix
end
function res = drag(t, p, v, m)
% calculate the coefficient of drag
    if part == 2
        res = 0.2;
   else
        if part == 6
           rho = airDensity(p);
                                   %produces a better model compared
to stdatmo
        else
           rho = stdatmo(p);
        end
        ACd = ACdFind(p, m);
        res = 1/2*rho*ACd;
```

end

end

Additional nested functions

Nest any other functions below.

```
%Do not put functions in other files when you submit.
function plotComparisons(timeCap,plotName,plotCaller)
    [T, Y] = ode45(@freefall, [0 timeCap], [ABV_SEA 0]);
    timeDataCap = find(elapsedTime > timeCap);
   timeDataCap = timeDataCap(1);
   if plotCaller == 0 || plotCaller == 1
   figure
   hold on
   plot(elapsedTime(1:timeDataCap), altitude(1:timeDataCap), '-*')
   plot(T, Y(:,1),'-o')
   title({plotName; '(Position)'});
   ylabel('Position')
   xlabel('Time (s)')
   legend('Actual', 'Modeled')
   hold off
   end
   if plotCaller == 0 || plotCaller == 2
   figure
   hold on
   plot(elapsedTime(1:timeDataCap), velocity(1:timeDataCap), '-*')
   plot(T, abs(Y(:,2)),'-o')
   title({plotName; '(Velocity)'});
   ylabel('Velocity')
   xlabel('Time (s)')
   legend('Actual', 'Modeled')
   hold off
   end
   if plotCaller == 0 || plotCaller == 3
   figure
   hold on
   ModeledAcc = abs(diff(Y(:,2)) ./ diff(T));
   plot(elapsedTime(1:timeDataCap), acclereation(1:timeDataCap), '-
   plot(T(1:end-1), ModeledAcc, '-o')
   title({plotName; '(Acceleration)'});
   ylim([-20 40])
   ylabel('Acceleration')
   xlabel('Time (s)')
   legend('Actual', 'Modeled')
   hold off
```

```
end
end
function res = openPara(paraArea, bodyArea, h1, h2, p)
   openArea = paraArea*((h1 - p)/(h1 - h2))^2;
   if openArea > bodyArea
       res = openArea;
   else
       res = bodyArea;
   end
end
function res = getACd(a, h, v, m)
   rho = airDensity(h);
   a_grav = gravityFind(h);
   res = 2*(a - a_grav).*m./(rho.*v.^2);
end
function res = ACdFind(p, m)
   % free fall before the opening of parachute
   a = 0;
   % calculate body acd
   h = 27833;
                                % body terminal velocity height
   v = 1357.6*1e3/(3.6e3);
                               % body terminal velocity velocity
   bodyACd = getACd(a, h, v, m); % body ACd
   % calculate parachute acd when full open
   h = 1959;
                               % parachute terminal velocity height
   v = 11/3.6;
                               % parachute terminal velocity velocity
   paraACd = getACd(a, h, v, m); % parachute ACd
    % parachute opening and fully opened positions
            h10pen = 2573;
          h10pen = 3400;
     h10pen = 2673;
   h2Open = 2407;
   res = bodyACd;
    % logic
   if part <= 4</pre>
      res = bodyACd;
   elseif part == 5
        if p > h10pen
            % before he opens his parachue use his body acd
           res = bodyACd;
        else
            % after he opens his parachute use the para acd
            res = paraACd;
        end
   elseif part == 6
        if p > h10pen
```

```
res = bodyACd;
        elseif p > h20pen
            res = openPara(paraACd, bodyACd, h1Open, h2Open, p);
            res = paraACd;
        end
    end
end
function res = airDensity(h) %https://en.wikipedia.org/wiki/
Density_of_air
   p0 = 101.325;
    T0 = 288.15;
    g = 9.80665;
    L = 0.0065;
    R = 8.31447;
    M = 0.0289644;
    absT = T0 - L*h;
    p = p0*(1-L*h./T0).^(g*M/(R*L))*1e3;
    res = (p*M)./(R*absT);
end
% end of nested functions
end % closes function main.
```

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