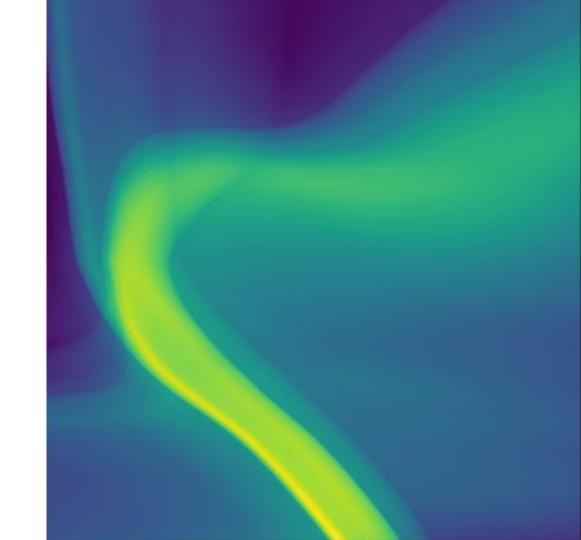
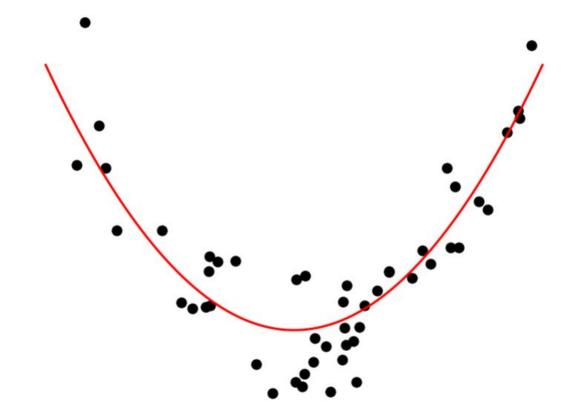
# Machine Learning in Astronomy

Kyle Boone University of Washington SOMACHINE, April 20, 2021



# 1. Regression

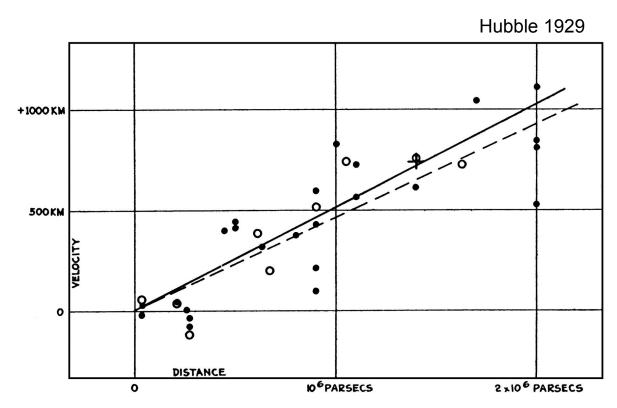
Learn a model that maps some inputs to a continuous output.



## **Linear Regression**

e.g. the Hubble Diagram

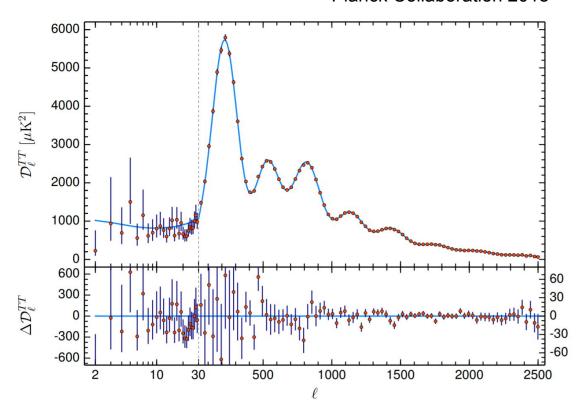
$$v = Hd$$



# Regression

e.g. fitting the cosmic microwave background.

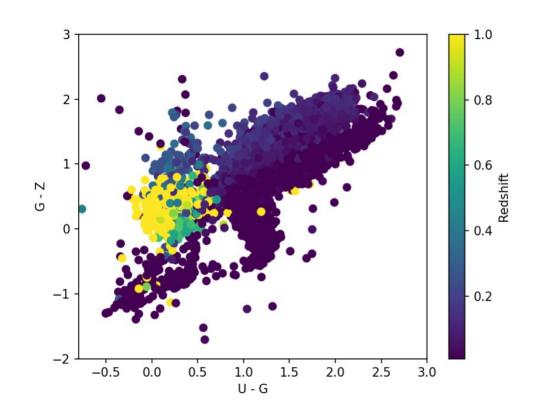
$$\mathcal{D}_l^{TT} = f(H_0, \Omega_m, \sigma_8, \dots)$$

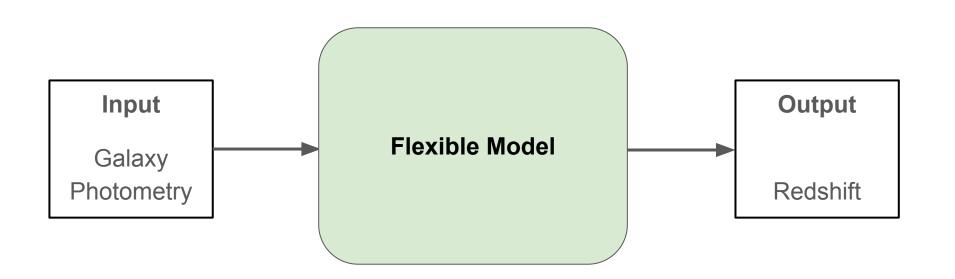


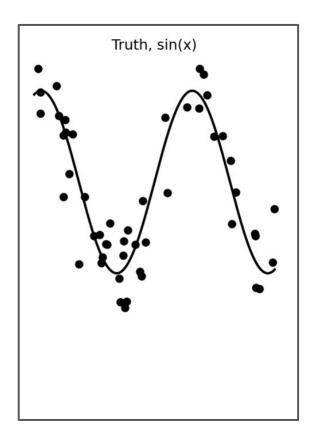
#### Photometric redshifts

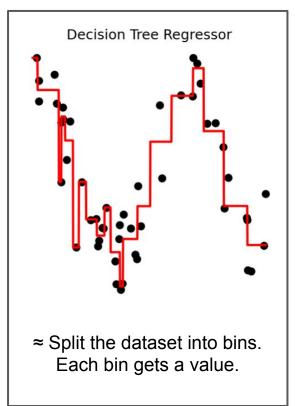
Can we predict the redshift of a galaxy from its photometry?

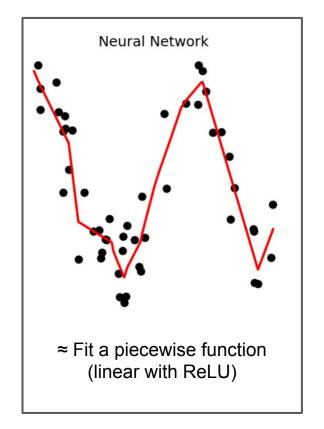
What functional form should we assume?





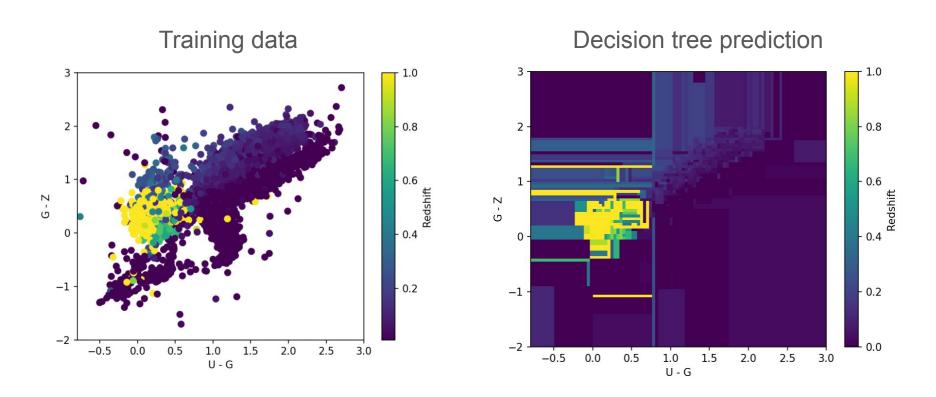


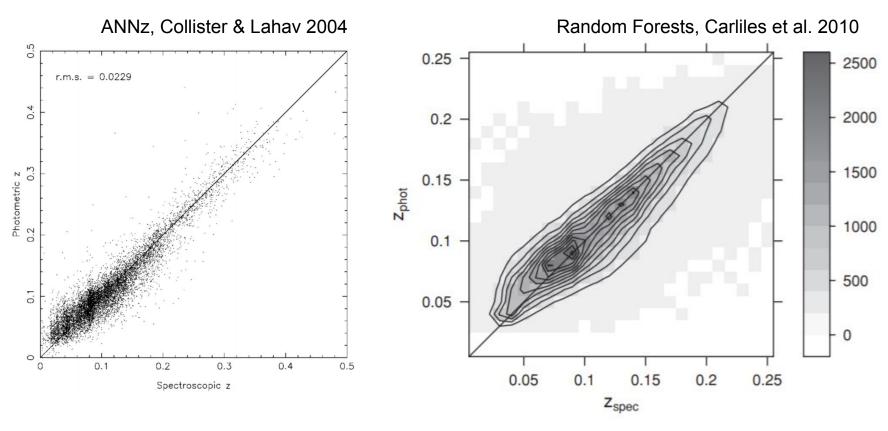




With enough parameters, we can approximate any function!

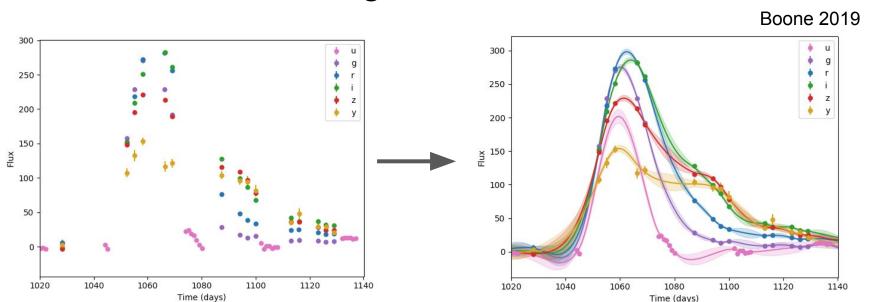
#### Photometric redshifts





For problems like this, typically get similar performance for different algorithms. Training set is very important.

#### Gaussian Process Regression



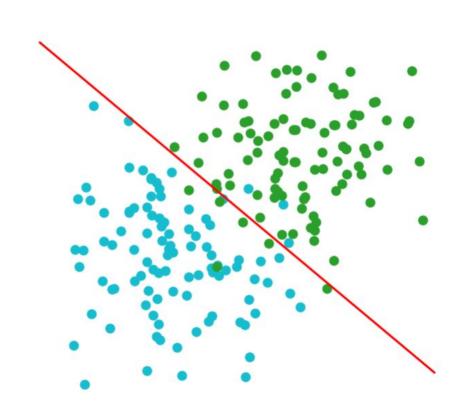
Produces smooth models with uncertainties from discrete data.

Very useful for timeseries analysis.

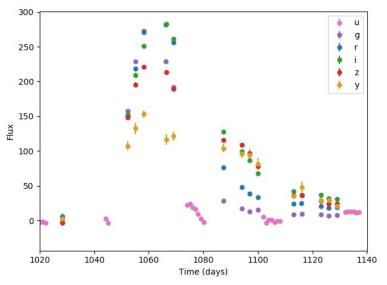
#### 2. Classification

Predict which class an observation belongs to.

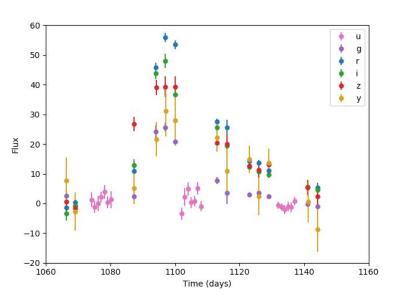
Equivalent to regression with discrete outputs.



## Light curve classification



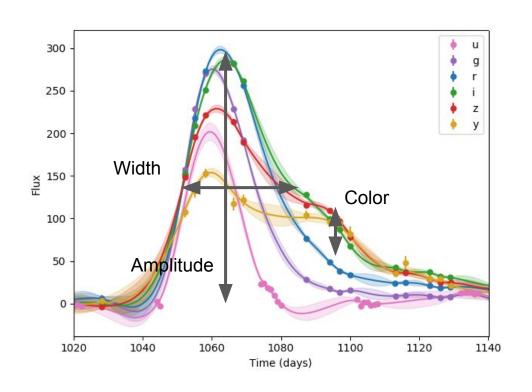
Type la supernova lightcurve



Type II supernova lightcurve

How do we train a model to tell these apart?

#### Feature extraction



Extract a number of expert-chosen features.

Use these as inputs to some ML algorithm.

# Lots of different approaches!

Performance mostly depends on the dataset.

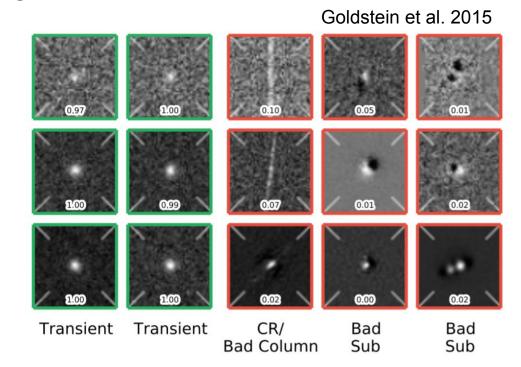
| Reference               | Light Curve fit                | Dimensionality<br>Reduction  | Classification algorithm  | Use redshift | Source Code |
|-------------------------|--------------------------------|------------------------------|---|--------------|-------------|
| Poznanski et al, 2006   |                                |                              | Template fit  | Yes          | pSNiD II    |
| Newling et al, 2010     | parametric                     | parameters from fit          | Kernel Density Estimation<br>Boosting   | Yes          | No          |
| Richards et al, 2011    | spline                         | diffusion maps               | Random Forest   | Yes          | No          |
| Karpenka et al, 2012    | parametric                     | parameters from fit          | Neural Network  | No           | No          |
| Ishida & de Souza, 2013 | spline                         | kernel PCA                   | Nearest Neighbor  | No           | github      |
| Mislis et al, 2015      |                                | descriptive statistics       | Random Forest   | No           | No          |
| Varughese et al, 2015   | spline                         | Wavelets                     | Nearest Neighbor<br>Support Vector Machine  | No           | No          |
| Hernitschek et al, 2016 | $\chi^2$                       |                              | Random Forest   | No           | No          |
| Lochner et al, 2016     | parametric<br>Gaussian Process | Wavelets<br>PCA<br>Model Fit | Naive Bayes<br>Nearest Neighbor<br>Support Vector Machine<br>Boosted Decision Trees | No           | No          |
| Moller et al, 2016      | parametric                     | parameters from fit          | Boosted Decision Trees<br>Random Forest   | Yes          | No          |
| Charnok and Moss, 2017  |                                |                              | Recurrent Neural Network  | No           | github      |
| Mahabal et al, 2017     | rate of change                 |                              | Neural Network  | No           | No          |
| Narayan et al, 2018     | parametric<br>Gaussian Process | Wavelets<br>PCA              | Random Forest   | No           | No          |
| Revsbech et al, 2018    | Gaussian Process               | Diffusion Maps               | Random Forest   | Yes          | github      |
| Dai et al, 2018         | parametric                     | parameters from fit          | Random Forest   | No           | No          |

https://www.kaggle.com/michaelapers/the-plasticc-astronomy-classification-demo

#### Difference Imaging - Image Classification

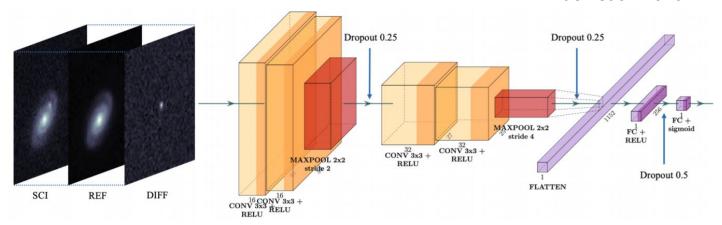
Use machine learning to identify transients/variables in difference images.

Previously work used feature extraction + decision trees.



#### Difference Imaging - Deep Learning

Duev et al. 2019



- Instead of manually selecting features, input the raw data.
- Requires a much more complex model (> millions of parameters).
- For images, convolutional neural networks work very well.

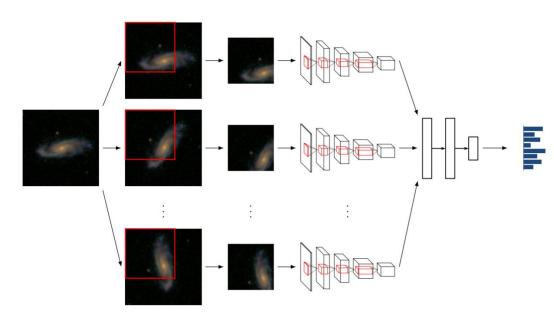
# Galaxy morphology - Deep Learning

Dieleman et al. 2014

Input: galaxy cutout

Output: galaxy properties

See next talk

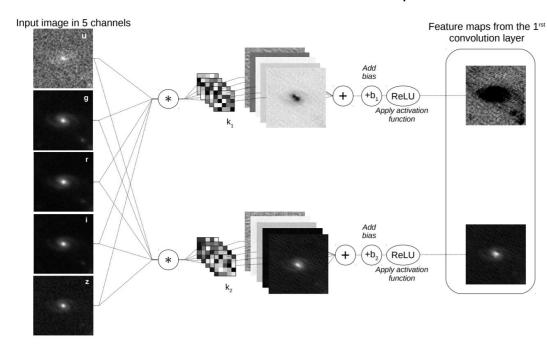


#### Photometric redshifts - Deep Learning

Pasquet et al. 2019

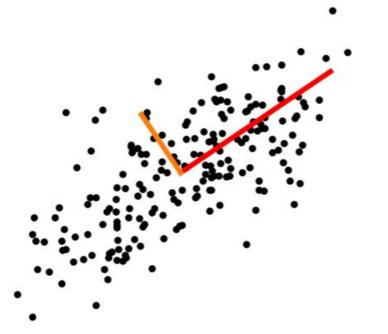
Previously only used photometry.

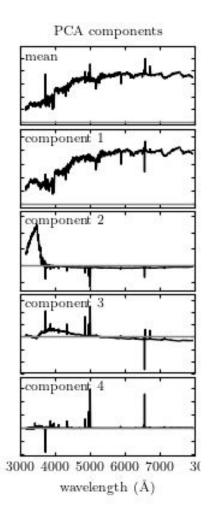
With deep learning, can use spatial information to improve photometric redshifts.



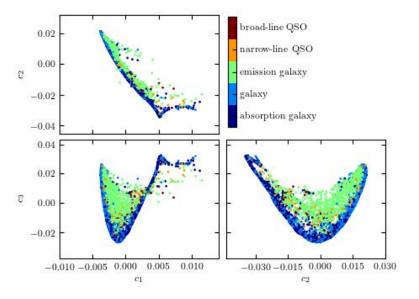
# 3. Unsupervised Learning

Finding patterns in unlabeled data.





# Galaxy Spectra - PCA

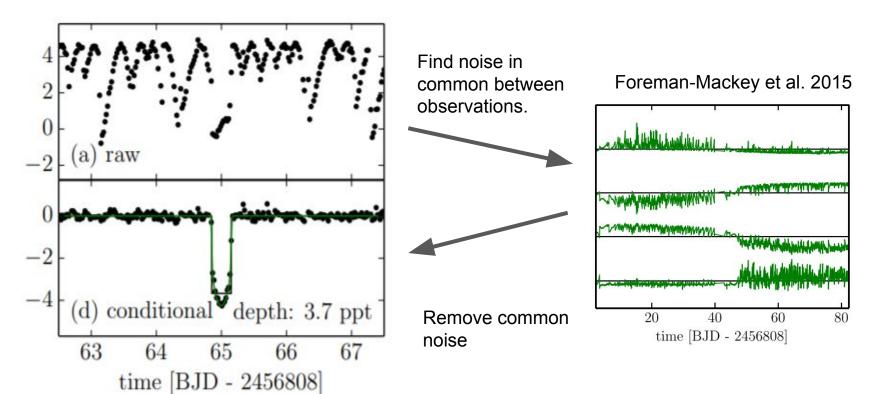


VanderPlas et al. 2014

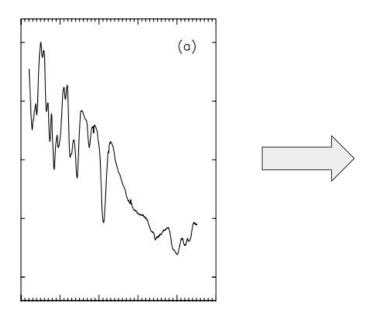
Model galaxy spectra as a sum of linear components.

Automatically separates different kinds of galaxies.

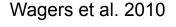
#### Detrending with Kepler - PCA

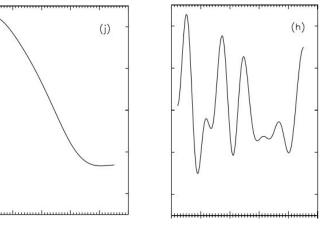


#### SN Spectra - Wavelets

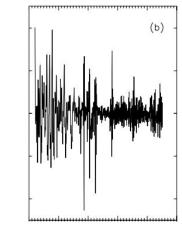


Split a signal into different scales. Often used for feature extraction.





(d)

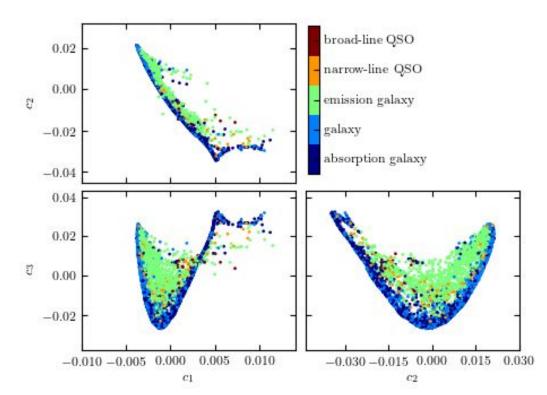


#### Galaxy Spectra - PCA

VanderPlas et al. 2014

Why is there such strange structure?

Linear models (like PCA) struggle to capture nonlinear behavior (e.g. line widths, velocities, etc.)

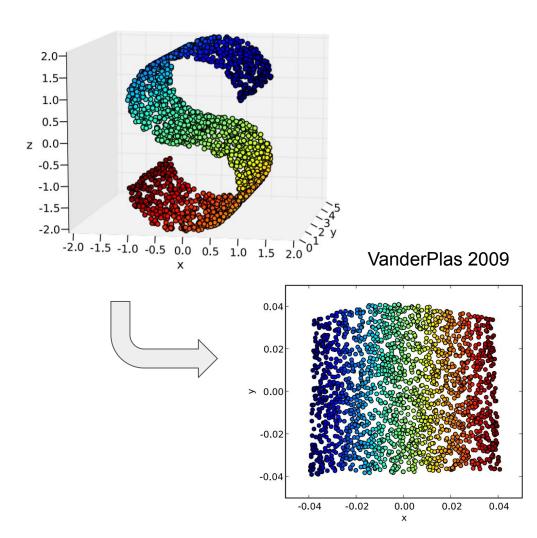


#### Manifold Learning

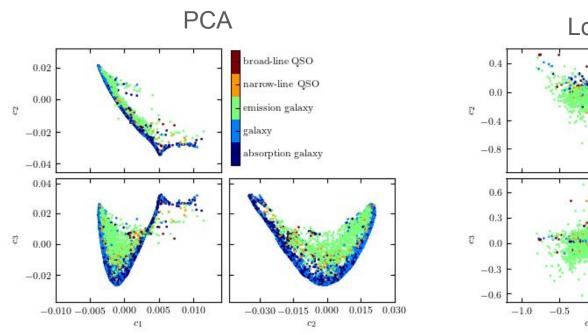
Often times our data has complex structure, and PCA won't work.

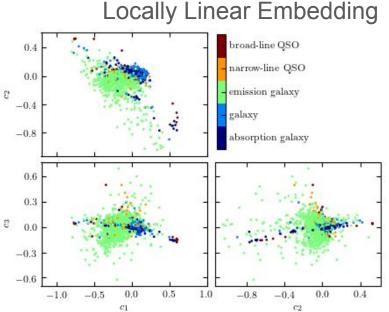
→ Use the local structure to recover a low-dimensional manifold.

e.g. UMAP, t-SNE, Isomap, LLE, ...



#### Galaxy Spectra - Locally Linear Embedding



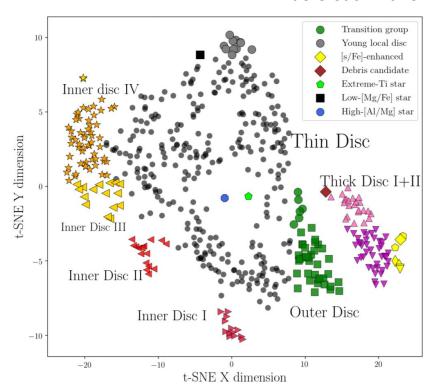


#### Stellar Chemical Abundance - t-SNE

Anders et al. 2018

Generate a two-dimensional embedding from 13 different element abundances.

Very useful for visualizing subgroups.

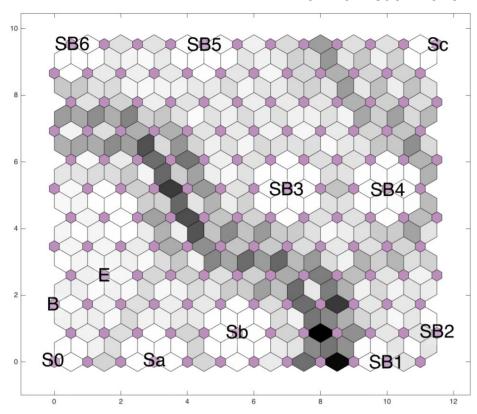


# Galaxy Spectra - Self Organizing Maps

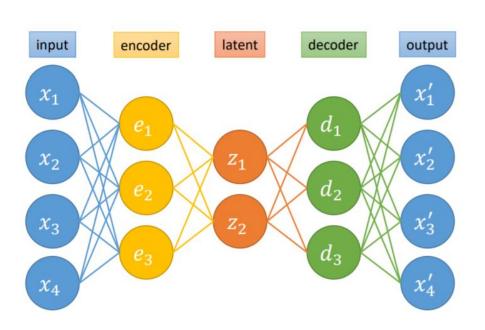
Rahmani et al. 2018

Fit a mesh of neurons to observations.

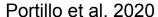
Used for photometric redshifts.

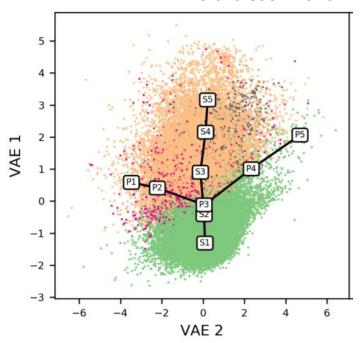


#### Galaxy Spectra - Autoencoders



Neural network with a bottleneck layer that encodes a low-dimensional representation.



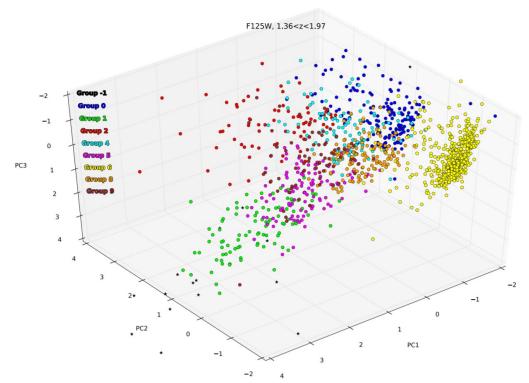


#### Galaxies - Clustering

Peth et al. 2016

Often times we want to identify subgroups in a dataset. Many ways to do this:

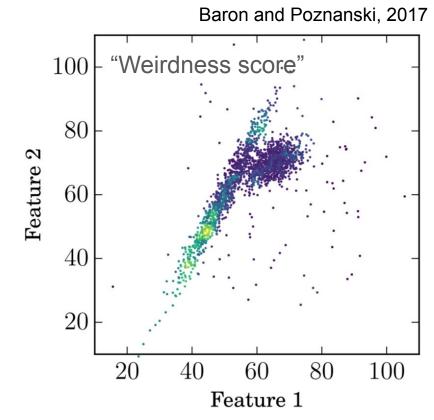
- K-means
- Hierarchical clustering
- Mixture models



#### Galaxy Spectra - Anomaly Detection

Identify spectra that are very different from the rest of the sample or from known objects.

e.g. density modeling, isolation forest

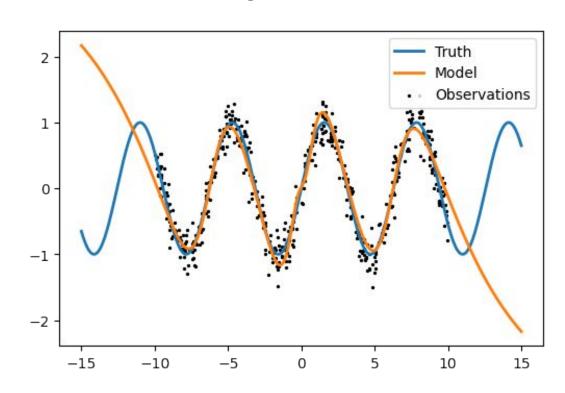


#### 4. Challenges of ML in Astronomy

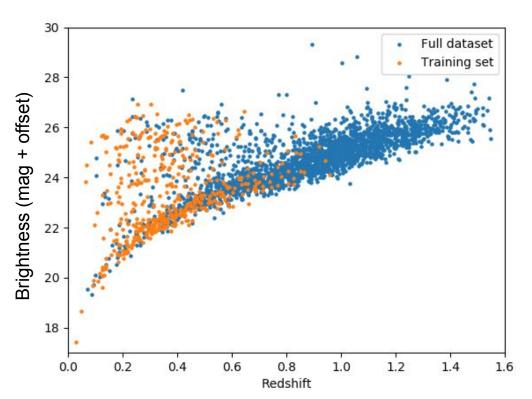
ML algorithms interpolate. They don't extrapolate.

The training set must be representative of the test set.

Garbage in, garbage out!



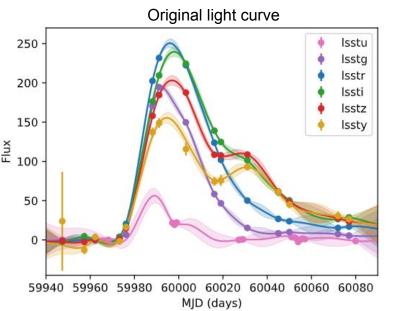
## Training sets



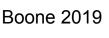
Training sets in astronomy tend to be very biased!

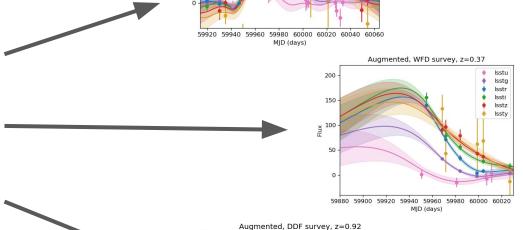
e.g. transient classification. It is easier to follow up brighter objects.

#### Augmentation



Modify our training set to look like the full dataset.
e.g. make things fainter and add noise.
Take advantages of symmetries!





Augmented, WFD survey, z=0.36

150

25

20

15

Isstq

Isstz

Issta

Issti

Isstz

Issty

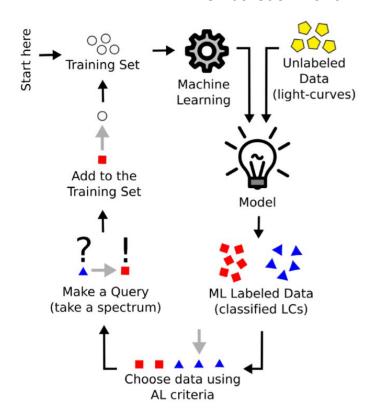
60000 60020 60040 60060 60080 60100 60120 60140

#### **Active Learning**

What is the optimal way to use our telescope resources?

→ Train a ML algorithm to tell us what it is missing in the training set.

#### Ishida et al. 2019

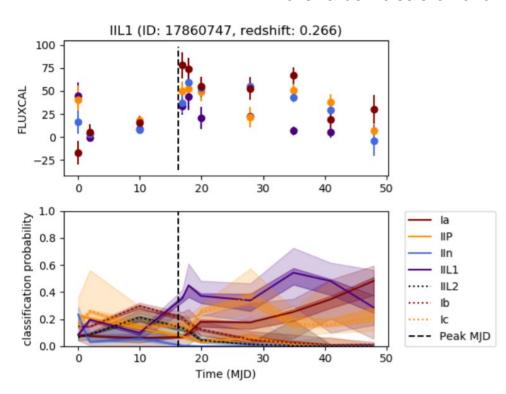


#### **Uncertainties and Biases**

Moller & de Boissiere 2019

Can modify ML algorithms to provide uncertainties on estimates, e.g. MC dropout.

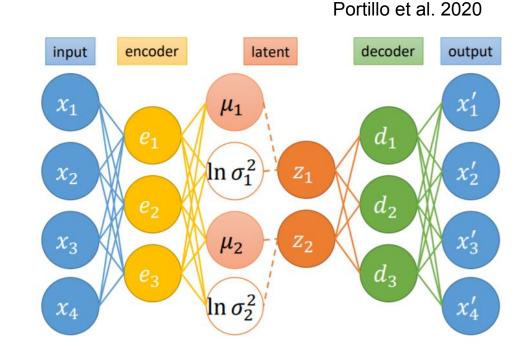
Warning: modeling errors don't capture training set differences!



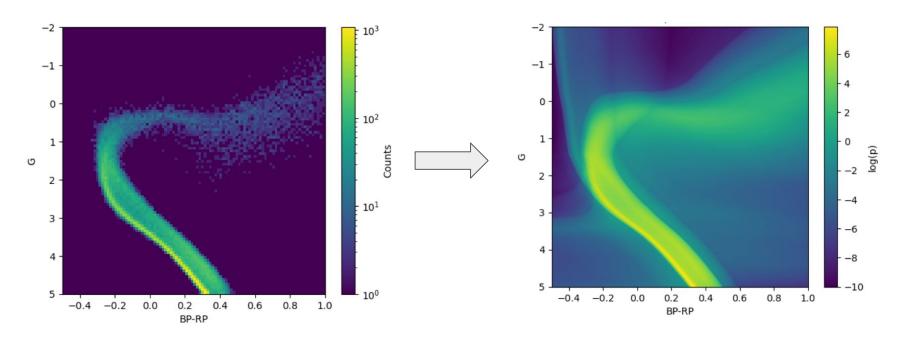
#### Variational Inference

Predict the parameters of a distribution instead of a point estimate.

e.g. Variational Autoencoders



## HR Diagram - Normalizing Flows



Model a probability distribution with a neural network using a continuous transformation of a known distribution.

Togootogtokh and Amartuvshin, 2018

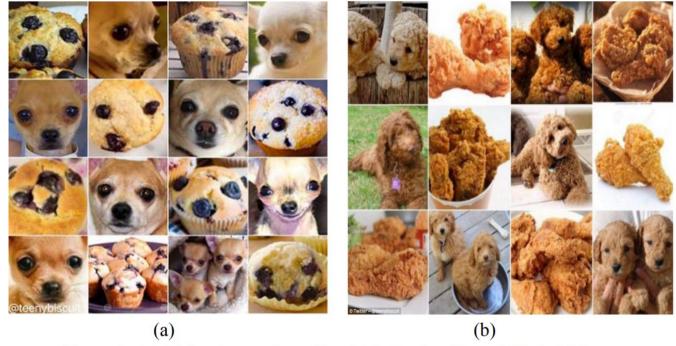
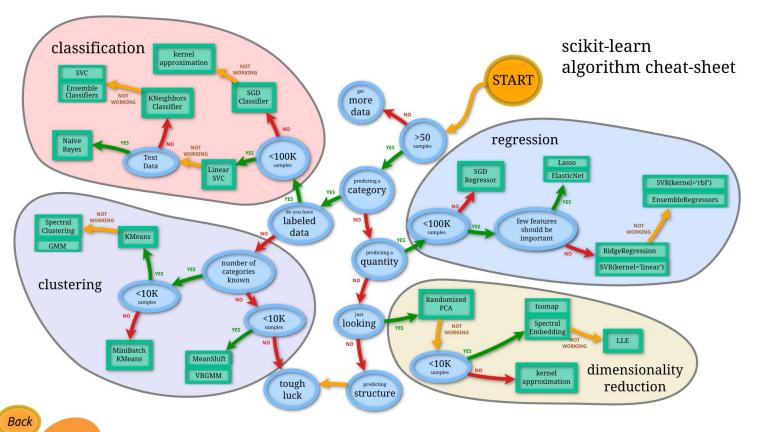


Figure 1. (a) Chihuahua and muffin, (b) Labradoodle and fried chicken

Machine learning is not a magic solution!

Need to think carefully about the problem, algorithm, and training data.



learn

