

Protocol

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An abstract...

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1 Introcutiion

2 Identifying events

Quantities for events:

Ctrk(Sump): Energy of charged traces

Ctrk(N): Number of charged traces

Ecal(SumE): Energy in electronic-kalorimeter

Hcal(SumE): Energy in hadronic-kalorimeter

Quantities					
Run	Event	Ctrk(Sump)	Ctrk(N)	Ecal(SumE)	Hcal(SumE)
00	ELECTRONS	AF	AFG	004	00
00	MUONS	AF	AFG	004	00
00	TAUS	AF	AFG	004	00
00	HADRONS	AF	AFG	004	00

3 Statistical analysis of Z^0 decay channels

3.1 Decay width and cross-section

Using equation (2.12) we calculate following decay width of the Z-boson into fermions and (2.14) for cross-section at peak.

Decay width for different channels	
Channel	Decay width
$\Gamma_l = \Gamma_e = \Gamma_\mu = \Gamma_\tau$	85.9 MeV
Γ_ν	165.9 MeV
$\Gamma_u = \Gamma_c$	301.5 MeV
$\Gamma_d = \Gamma_s = \Gamma_b$	381.4 MeV
Γ_Z	2502.7 MeV
Γ_{hadr}	1747.3 MeV
Γ_{lept}^1	257.8 MeV
Γ_{neutr}	497.6 MeV

Partial cross-section at peak	
σ_{lept}	5.35 KeV^{-2}
σ_{neutr}	10.32 KeV^{-2}
$\sigma_{u,c}$	18.76 KeV^{-2}
$\sigma_{d,s,c}$	23.73 KeV^{-2}

3.2 Estimating change of Z^0 decay width for additional channels

Decay width of Z^0 for additional channels		
Added channel	Z^0 width	relative increase
Lepton	2.589 GeV	3.5 %
Neutrino	2.669 GeV	6.6 %
u-Quark	2.804 GeV	12 %
d-Quark	2.884 GeV	15.2 %

3.3 Differential cross-section

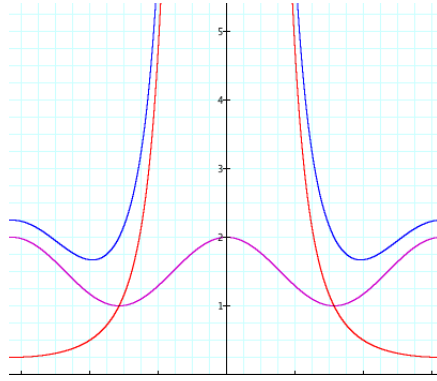


Abbildung 1: Differential cross-section on Θ qualitatively. Red: t-channel, violet: s-channel, blue: s-channel + t-channel

For s-channel: $\frac{d\sigma}{d\Omega} \propto 1 + \cos^2 \Theta$ (for big Θ)
 For t-channel: $\frac{d\sigma}{d\Omega} \propto (1 - \cos \Theta)^{-2}$ (for small Θ)

3.4 Forward-Backward Asymmetry

Forward-Bckward asymmetry			
$\sqrt{s} / \sin^2(\theta_W)$	0.21	0.23	0.25
89.225 GeV	0.547	0.321	0.285
91.225 GeV	0.530	0.407	0.284
93.225 GeV	0.515	0.480	0.284

Based on equation (2.18)

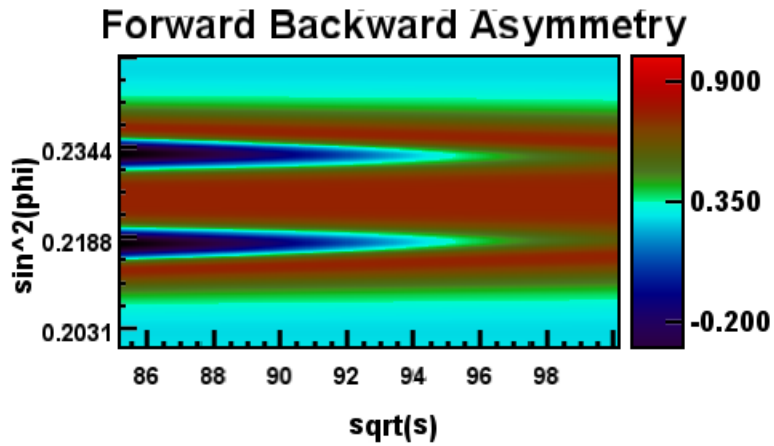


Abbildung 2: Forward-Bckward asymmetry

4 Analyzing Data

4.1 Pure Events

For the e^+, e^- detection we have to apply a cut for the $-0.71 \leq \cos(\theta) \leq 0.65$ and $-0.925 \leq \cos(\theta) \leq -0.85$ due to a problem in the detector.

4.1.1 $Z \rightarrow e^+, e^-$

- All energy in Ecal
- None in Hcal
- 2 charged traces
- Momentum of charged traces around Z_M

4.1.2 $Z \rightarrow \mu^+, \mu^-$

- None in Ecal
- Very little in Hcal
- 2 charged traces
- Momentum of charged traces around Z_M
- For $\cos(\theta)_{leq} - 0.7$ and $\cos(\theta)_{geq} 0.7$ the slope for differential cross-section is not as expected. Thus cut it.

4.1.3 $Z \rightarrow \tau^+, \tau^-$

asd

4.2 Separating t-channel for e^+e^-

We are looking for a cut to remove all t-channel events. Therefore we define

$$\frac{T}{T+S} \leq 0.05 \quad (1)$$

where $T = a(1 - \cos \theta)^{-2}$ and $S = b(1 + \cos^2 \theta)$. And write

$$\frac{dN}{d \cos \theta} = \frac{a}{(1 - \cos \theta)^2} + b(1 + \cos^2 \theta) \quad (2)$$

Integrate $\cos \theta$

$$\int dN = \frac{a}{1 - \cos \theta} + b \left(\cos \theta + \frac{1}{3} \cos^3 \theta \right) \quad (3)$$

We obtain detector errors outside $\cos \theta \in [-0.7, 0.7]$. To solve the equation for a and b we create 2 equations by split around $\cos \theta = 0$.

$$\begin{aligned} 11786 &= a \left(\frac{1}{1 - 0.7} - 1 \right) + b \left(0.7 + \frac{1}{3} 0.7^3 \right) \\ 9620 &= a \left(1 - \frac{1}{1 + 0.7} \right) + b \left(0.7 + \frac{1}{3} 0.7^3 \right) \end{aligned} \quad (4)$$

So we get

$$\begin{aligned} 11786 &= \left(2 + \frac{1}{3} \right) a + 0.813433b \\ 9620 &= 0.4117647a + 0.813433b \end{aligned} \quad (5)$$

So $a = 1127.2$ and $b = 9155.857$. We want $\frac{T}{T+S} \leq 0.05$ so we need to solve

$$\frac{a}{(1 - \cos \theta)^2} \frac{1}{\frac{a}{(1 - \cos \theta)^2} + b(1 + \cos^2 \theta)} \leq 0.05 \iff \cos \theta \leq -0.188342 \quad (6)$$

To get true number of s-channel events we now integrate over the whole interval

$$N_s = b \int_{-1}^1 d \cos \theta (1 + \cos^2 \theta) = \frac{8}{3} b = 24413 \quad (7)$$

4.3