Appendix D. Pseudo-code

Create results, an object that stores the expected number of cues sampled for all possible environments and all possible starting budgets; Initialize ENV, the set of all environments [section B.1.4] Initialize S^{start} , the set of all possible states an agent can start a cycle with

FOR all environments $env \in ENV$:

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Determine the expected utility v_u^*(s) [section C.3]
Set k to 0;
Set \delta to \infty;
Set \epsilon to 0.001;
Set v_{n}^{k}(s) to 0 for each s \in S^{start};
WHILE \delta > \epsilon:
   Increment k with 1
   FOR all somatic states s \in S^{start}:
       Do a forward pass:
       Create a root node for s_{start} that has a starting somatic state of
       Iteratively expand the root node and all of its successors to
          create a tree Tree;
       Do a backward pass:
       Determine all transition states \mathcal{S}^{transition}
       Set the expected utility U(s) of all transition states
          s_{transition} \in S^{transition} in Tree to v_u^{k-1}(s_{transition});
       Use backwards induction to find the expected utility U(s) for all
          non-transition states in Tree;
       Set v_u^k(s) to U(s_{start});
   END FOR
   Set \delta to \delta(v_u^{k-1}(s), v_u^k(s))
END WHILE
Set v_u^*(s) to v_u^k(s)
Finding the optimal policy during first cycle [section C.2]
Initialize v_f^*(s)
FOR all s \in S^{start}
   Set v_f^*(s) to \omega(v_u^*(s))
FOR all somatic states s \in S^{start}:
   Do a forward pass:
          Create s_{start}, the root node;
          Iteratively expand the root node and all of its successors
                 create a tree Tree;
   Do a backward pass:
          Set the expected fitness of all final states s_{final} in Tree to
                 v_f^*(s);
          Use backwards induction to find the set of best actions A^*(s)
                 for all non-terminal states in T;
   Do a forward pruning pass:
          Create S_{leaf}, the set containing all leaf nodes in Tree;
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Compute for each state in Tree the proportion $\mathit{prop}(s)$ of agents that visit that state;

For each leaf node, compute weightedCuesSampled(s) by multiplying the expected number of cues sampled in that state with that state's prop(s);

Compute number, the expected number of sampled cues, by summing the weightedCuesSampled(s) of all leaf nodes;

Store the expected number of cues sampled in $\it{results}$

END FOR

END FOR