Appendix D A Simplified Simulation

1. R script to run simulation

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Our intuition is that the results from our postponing model (specifically,
# the intended delay during the first encounter) can be simplified by considering
# just three factors: the immediate outcome of delaying, the opportunity costs
# of delaying, and the opportunity benefits of delaying. In the actual model, these
# three factors are highly non-linear; they depend on the exact environment, reserves
# and age of an agent, as well as any previous behavior during the same resource encounter.
# Moreover, an agent has to decide not just whether it delays, but also, how long
# it delays. Here we simplify all that, and just consider broad patterns in a
# decision where an agent can either delay, not delay, or be indifferent.
# Specifically, the immediate outcome of delaying depends on both the
# expected change in the resource quality as we delay and the change in outcomes
# if there is an interruption. The opportunity costs is the expected quality of
# all positive resources that an agent could find in the meantime if it does not delay.
# The opportunity benefits is the expected outcome of all negative resources it might
# encounter, if it does not delay. Here we estimate all three using very simple methods,
# and combine these expected outcomes in a linear manner (each expected value will
# be weighted and then added). If the resulting score is sufficiently negative, an
# agent does not delay. If the resulting score is sufficiently positive, it does delay.
# If the score is close to 0, it is indifferent.
# If our intuition is correct - and these three factors explain much of the variation
# in delay behavior - then there must be at least one linear combination of these
# three factors that results in qualitatively similar patterns as our model. Here
# we test that intuition. And spoilers: we don't even have to tweak the linear weights
# by much to get the same pattern.
# First, let's define some free parameters that we can use to scale
# the simulation of our intuition
parameters = list(
 # How important is the change in resource quality when an agent delays?
 scaleGrowth = 1.5.
 # How important is the expected change in outcome when there is an interruption?
 scaleInterruption = 1,
 # How important are the opportunity costs?
 scaleOpporunityCosts = 1,
 # How important are the opportunity benefits?
 scaleOpportunityBenefits = 1,
 # How strong do extrinsic events influence opportunity costs and benefits?
 scaleExtrinsicFuture = 1,
 # How far away should the resulting score maximally be away from 0 before
 # an agent is no longer indifferent?
 indifferenceThreshold = 2
# A function that generates an integer-only normal distribution. This function
# is the exact same as the one used in our main model.
normalDistributionIntegerOnly = function(domain, mean, sd){
isInteger = domain %% 1 == 0
 df = data.frame(domain = domain, isInteger = isInteger)
 df p = 0
 df$index = 1:nrow(df)
 dfIntegerOnly = subset(df, isInteger)
  dfIntegerOnly$p[which(abs(mean-dfIntegerOnly$domain))==min(abs(mean-dfIntegerOnly$domain)))]=1
  for (r in 1:nrow(dfIntegerOnly)){
   df$p[dfIntegerOnly$index[r]] = dfIntegerOnly$p[r]
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return (df$p/sum(df$p))
 options(scipen=999)
 unnormalizedProbabilities = exp((-(dfIntegerOnly$domain-mean)^2)/(2*sd^2))
 dfIntegerOnly \$p = unnormalized Probabilities/sum(unnormalized Probabilities)
 for (r in 1:nrow(dfIntegerOnly)){
  df$p[dfIntegerOnly$index[r]] = dfIntegerOnly$p[r]
 return (df$p)
# Simulate all possible trials in a single environment
# Note: the environment is a list containing 5 named elements:
# 1. rmean (mean resource quality)
# 2. rsd (resource quality variation)
# 3. emean (mean extrinsic value)
# 4. erange (variation in extrinsic events - not used in this simulation)
# 5. int (the interruption rate)
runEnv = function(environment, trialData, envData){
resValues = -15:15
pRes = normalDistributionIntegerOnly(-15:15, environment$rmean, environment$rsd)
 currentTrialData = data.frame(rmean = rep(environment$rmean, 31),
                   rsd= rep(environment$rsd, 31),
                   emean = rep(environment$emean, 31),
                   erange = rep(environment$erange, 31),
                   int = rep(environment\$int, 31),
                   resValue = vector(length = 31, mode = 'numeric'),
                   resourceGrowth = vector(length = 31, mode = 'numeric'),
                   interruptionChange = vector(length = 31, mode = 'numeric'),
                   immediateConsequences = vector(length = 31, mode = 'numeric'),
                   opportunityCost = vector(length = 31, mode = 'numeric'),
                   opportunityBenefits = vector(length = 31, mode = 'numeric'),
                   netOpportunityCost = vector(length = 31, mode = 'numeric'),
                   delayWeight = vector(length = 31, mode = 'numeric'),
                   delayYesNo = vector(length = 31, mode = 'numeric'))
 for (r in 1:length(resValues)){
  resValue = resValues[r]
  # Compute the delay weight: the tendency to delay or not
  # This tendency contains three dimensions:
  #1. The immediate consequence of delaying during this resource encounter
  # This depends on growth of the resource, and the interruption rate,
  resourceGrowth = resValue/5
  interruptionChange = resValue * environment$int
  immediateConsequences =
   (parameters$scaleGrowth * resourceGrowth) -
   (parameters$scaleInterruption * interruptionChange)
  # 2. The opportunity cost from future positive resources (i.e.,
  # by delaying I am missing out on other positive resources that I could have had)
  # This opportunity cost is the expected value of all future positive resources
  opportunityCost =
   normalDistributionIntegerOnly(-15:15, environment$rmean,environment$rsd) %*%
   c(rep(0,16), 1:15) *
   parameters$scaleOpporunityCosts
  # 2a. Positive opportunity costs are especially important when extrinsic events are negative
  # (as I have to get extra income from resources to offset the future losses), and are
  # less important when extrinsic events are positive (because I have to rely less on future
  # positive resource to survive)
  opportunityCost = opportunityCost * (1-environment$emean * parameters$scaleExtrinsicFuture)
  #3. The opportunity benefits from avoiding future negative resources (i.e., the
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# benefits I have from not encountering other negative resources when I delay)
  opportunityBenefits =
   normalDistributionIntegerOnly(-15:15, environment$rmean, environment$rsd) %*%
   c(-15:-1, rep(0,16)) * parameters$scaleOpportunityBenefits * -1
  # 3a. Opportunity benefits are especially important when the mean resource is
  # negative and the extrinsic events
  # are positive (I 'just' have to avoid harm - the extrinsic events will take care of me)
  opportunityBenefits =
   opportunityBenefits * (1+ ((environment$rmean<0 & environment$emean>0) *
                     abs(environment$rmean)/4 * parameters$scaleExtrinsicFuture))
  # 3b. Opportunity benefits are less important when the mean resource is
  # positive and the extrinsic events are positive (no harm ever comes to me)
  opportunityBenefits =
   opportunityBenefits * (1- ((environment$rmean>0 & environment$emean>0) *
                     abs(environment$rmean)/4 * parameters$scaleExtrinsicFuture))
  # Combine the three factors together to get a delay preference
  netOpportunityCosts = opportunityCost - opportunityBenefits
  delayWeight = immediateConsequences - netOpportunityCosts
  delayYesNo = 0 - (delayWeight < -1*parameters\$indifferenceThreshold) + (delayWeight > parameters\$indifferenceThreshold)
  currentTrialData$resValue[r] = resValue
  current Trial Data \$ resource Growth [r] = resource Growth
  current Trial Data \$ interruption Change [r] = interruption Change \\
  currentTrialData$immediateConsequences[r] = immediateConsequences
  currentTrialData$opportunityCost[r] = opportunityCost
  currentTrialData$opportunityBenefits[r] = opportunityBenefits
  currentTrialData\$netOpportunityCost[r] = netOpportunityCosts
  current Trial Data \$ delay Weight[r] = delay Weight
  currentTrialData$delayYesNo[r] = delayYesNo
 trialData = rbind(trialData, currentTrialData)
 # Now the we have the behavior for each possible resource in an environment,
 # we can compute the expected behavior in each environment, weighing the
 # outcome of each encounter by the likelihood of that resource quality
 envData[nrow(envData)+1,] = c(environment$rmean,
                   environment$rsd,
                   environment$emean,
                   environment$erange,
                   environment$int,
                   currentTrialData$immediateConsequences %*% normalDistributionIntegerOnly(-15:15, rmean, rsd),
                   currentTrialData$opportunityCost %*% normalDistributionIntegerOnly(-15:15, rmean, rsd),
                   currentTrialData$opportunityBenefits %*% normalDistributionIntegerOnly(-15:15, rmean, rsd),
                   currentTrialData$delayWeight %*% normalDistributionIntegerOnly(-15:15, rmean, rsd),
                   currentTrialData$delayYesNo %*% normalDistributionIntegerOnly(-15:15, rmean, rsd))
 return (list(trialData, envData))
# Create two empty data sets, containing the environment and trial level (=
# single encounter) data
trialData = data.frame(rmean = vector(),
             rsd = vector(),
             emean = vector(),
             erange = vector(),
             int = vector(),
             resValue = vector(),
             resourceGrowth = vector(),
             interruptionChange = vector(),
             immediateConsequences = vector(),
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opportunityCost = vector(),
              opportunityBenefits = vector(),
              netOpportunityCost = vector(),
              delayWeight = vector(),
              delayYesNo = vector())
envData = data.frame(rmean = vector(),
            rsd= vector(),
            emean = vector(),
            esd = vector(),
            int = vector(),
            immediateConsequences = vector(),
             opportunityCost = vector(),
             opportunityBenefits = vector(),
             delayWeight = vector(),
             delayYesNo = vector())
# Populate these data sets by calling the function above for all possible
# environments
for (rmean in seq(-4,4,1))
 for (rsd in seq(0,8,2))
  for (emean in -1:1)
   for (erange in 1)
     for (int in c(0, 0.2, 0.5))
      # Create the environment
      environment = list(
      rmean = rmean,
       rsd = rsd,
       emean = emean,
       erange = erange,
       int = int
      # Call the function
      results = runEnv(environment, trialData, envData)
      # store the results.
      trialData = results[[1]]
     envData = results[[2]]
# Interruption rates are between 0 and 1. This domain is also the home of
# floating point inaccuracy. To avoid some weird behavior (and a lot of
# headaches), multiply the interruption rates by 100 and round the result.
trialData$intPer = round(trialData$int * 100)
envData$intPer = round(envData$int * 100)
# Categorize the delay willingness to have the same aesthetics as the
# original data. We'll use 7 discrete levels.
discreteLevels = 7
envData\$noZeroDelayYesNo = envData\$delayYesNo + abs(min(envData\$delayYesNo))
unitSize = max(envData$noZeroDelayYesNo)/(discreteLevels-1)
envData\$categoricalDelayYesNo = round(envData\$noZeroDelayYesNo/unitSize)*unitSize
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2. Results From Simulation

