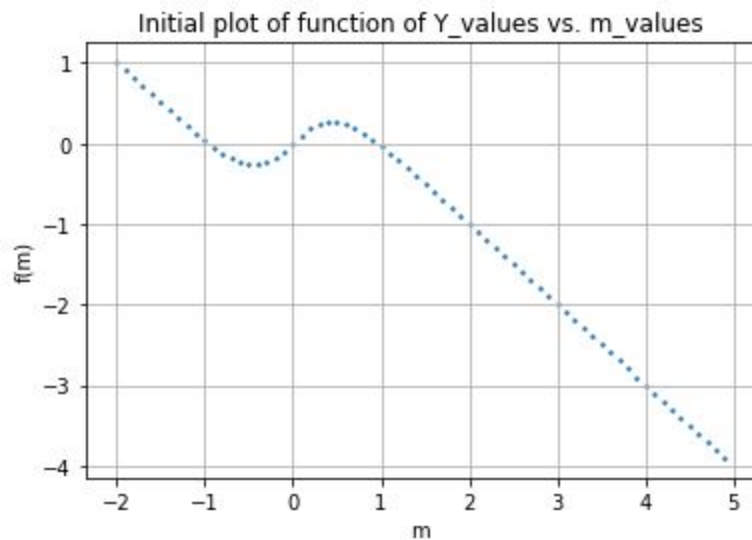
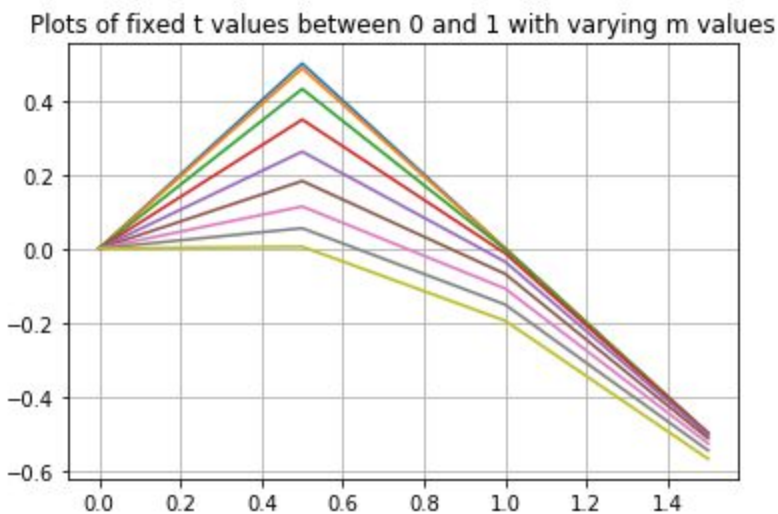


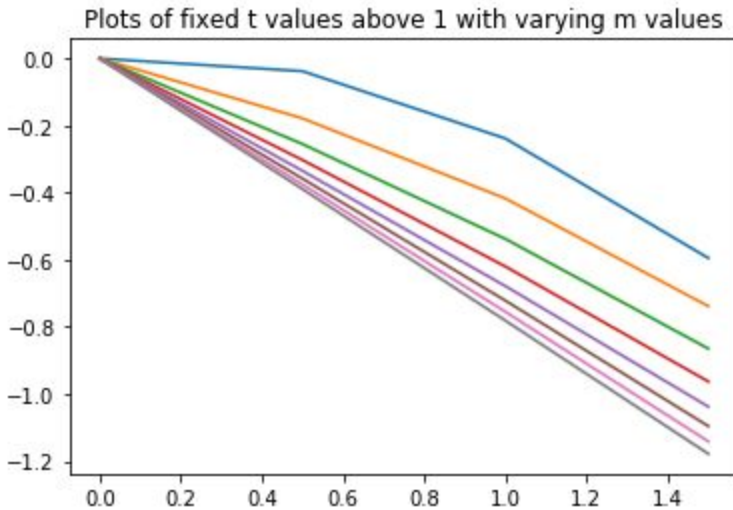
Jessica Hamilton  
Computational  
Exercise 16  
Temperature Dependence of Magnetization

Initially plotting the function in which to find the roots and determine  $m(t)$  in terms of  $t$  we have the graph below with the initial guess of  $t = 0.5$ .



Here we can see that the root should be in a range around 1. We can compare the plots of varying the time between 0 and 1 and then above the value of one.



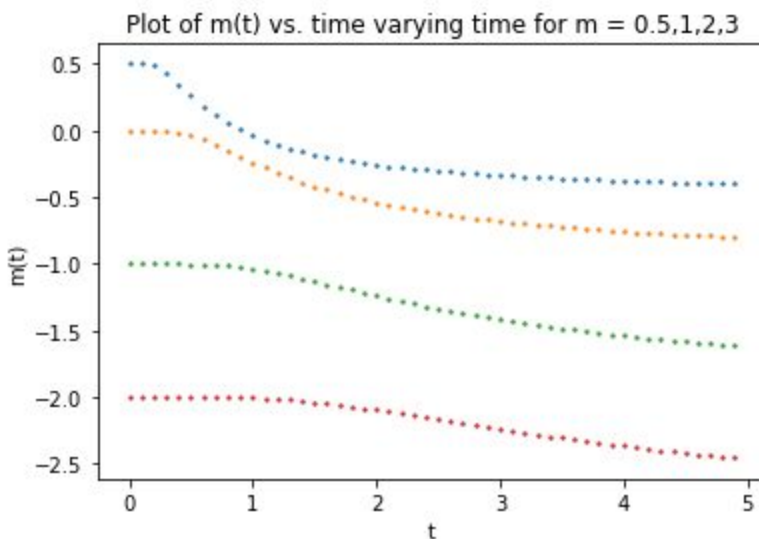


After computing the root with the bisection method and the Newton/Raphson method we have the results below. This does indicate as expected, the root is near 1.

Root from Bisection method: 0.9575040240761155

Root from Newton/Raphson method: 0.9575040240772764

Interesting results with fixed  $m$  and varying  $t$ , below. You can visually see with  $m$  greater than 1, there is not a root.



According to the timestamps, it seems the bisection method is faster. This is surprising to me since this is the method that is guaranteed to converge and could take extra time to do so. I expected the opposite result.

\*Insert result from running code at school... better internet\*

Below are a few plots of  $m(t)$  varying  $t$ , and you can see that  $m > 1$ , there is not a root value to the function, all values lie below zero. When constructing the plot, all of the lines lie on top of each other and the time value never goes above 1.4, even with the range set from 0 to 10.

