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Experiment No.5

Aim of the Experiment:

Study different analog circuits using op-amp

Tools used:

1. Voltage Source
2. Resistors
3. Capacitors
4. Op-amp(OP07)

Background Knowledge:

An Operational Amplifier is basically a three-terminal device which is made from transistors and resistors.

An op-amp is active component. Op-amp can be used for performing many mathematical operation like addition, subtraction, integration and differentiation.

One input is called the **Inverting Input**, marked with a negative sign, (–). The other input is called the **Non-inverting Input**, marked with a positive sign (+).The name given so because if input is given to inverting pin , output is opposite direction i.e., inverted. And if input is given to non-inverting pin, output is in same direction.

i. DC Gain

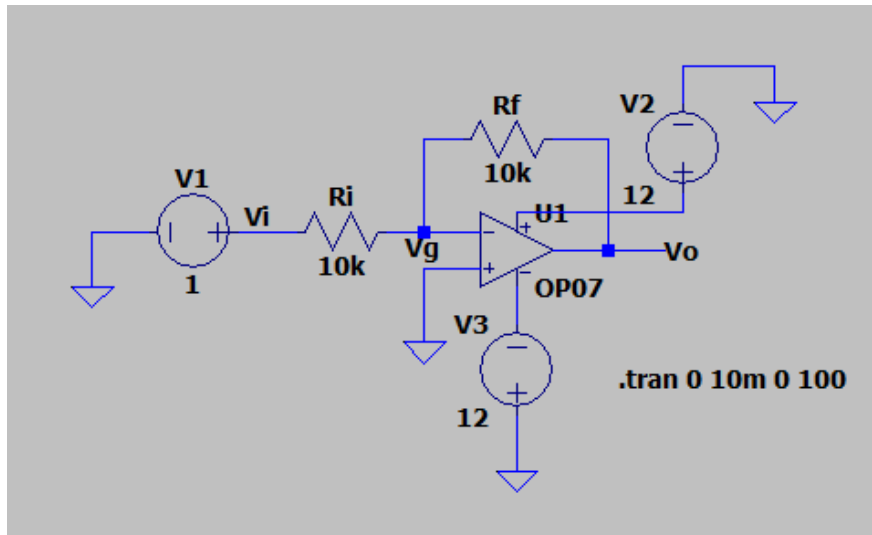
Brief knowledge:

In this ,op-amp in the inverting configuration is used.

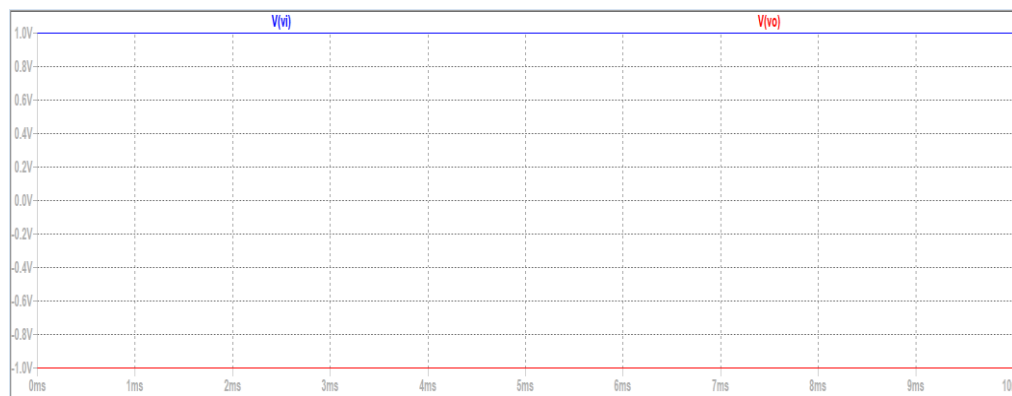
$$V_{out} = -(R_f/R_i) \cdot V_{in}$$

a.

Circuit



Graph:



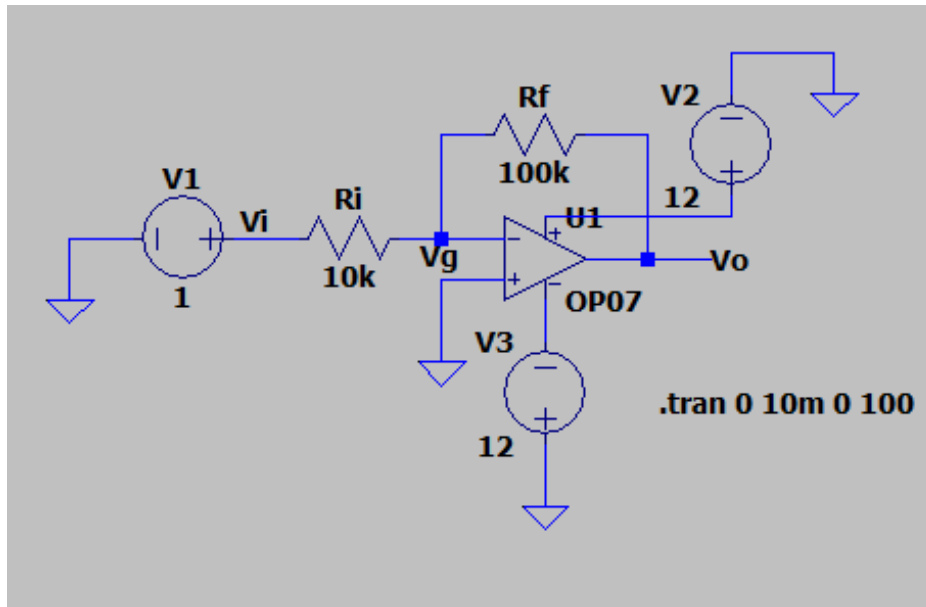
This graph shows that for equal value of R_i and R_f , we get output with equal magnitude and opposite sign. This is equal to the V_{out} that we can calculate from the formula i.e., $V_{out} = -(R_f/R_i)V_{in}$.

Measurement Table: Comparing V_{out} and $V_{out}(\text{Calculated})$

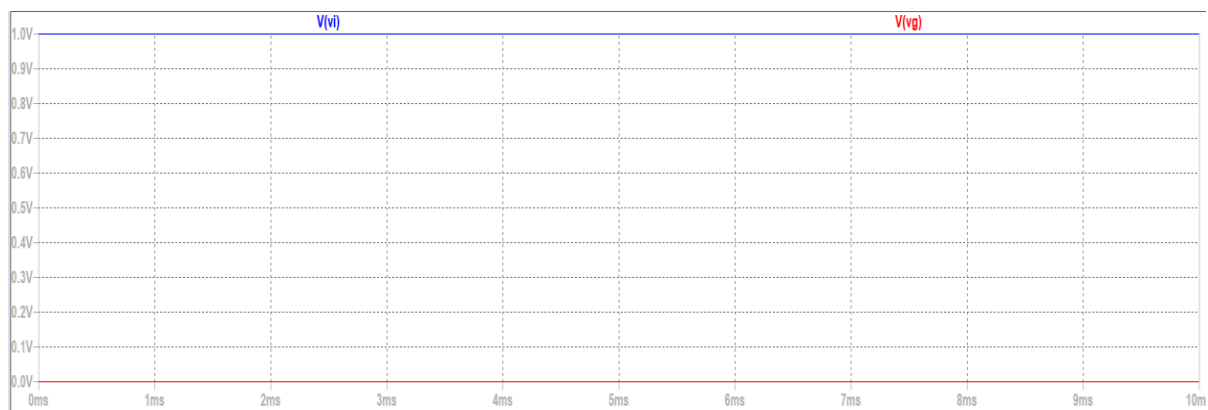
Serial No.	$R_i(k\Omega)$	$R_f(k\Omega)$	$V_{in}(V)$	$V_{out}(V)$	$V_{out}(\text{calculated})(V)$
1	10	27	1	-2.7	-2.7
2	10	47	1	-4.7	-4.7
3	10	100	1	-10	-10

b. Virtual Ground

Circuit:



Graph:



From graph we can say that, pin 2 is at virtual ground compared to V_{in} because V_g i.e. voltage at pin 2 is 0V (from graph).

c. Input Resistance

i) Voltage across $R_i = 1V$

$$I_i = V_i / R_i = 1 / 10k = 0.1mA$$

Now,

$$V_{in} = 1V$$

$$R_{in} = V_{in} / I_i = 10k$$

Ω

ii) $V_{in} = 1V$, $R_i = 1k\Omega$

Serial No.	$R_f(\Omega)$	$V_{out}(V)$
1	10k	-10
2	27k	-11.05
3	47k	-11.06

4	100k	-11.06
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If we gradually increase the value of R_f , we get that the amplifier ceases to be linear at $R_f=11\Omega$.

The output voltage at which op-amp saturates is -11.06V.

Now,

$V_{in}=2V, R_i=1k\Omega$

Serial No.	$R_f(\Omega)$	$V_{out}(V)$
1	10k	-11.01
2	27k	-11.05
3	47k	-11.05
4	100k	-11.05

If we gradually increase the value of R_f , we get that the amplifier ceases to be linear at $R_f=11\Omega$.

The output voltage at which op-amp saturates is -11.05V.

From this we can say that Saturation Voltage levels are always less than the power supply voltages.

ii. Non-inverting Amplifier

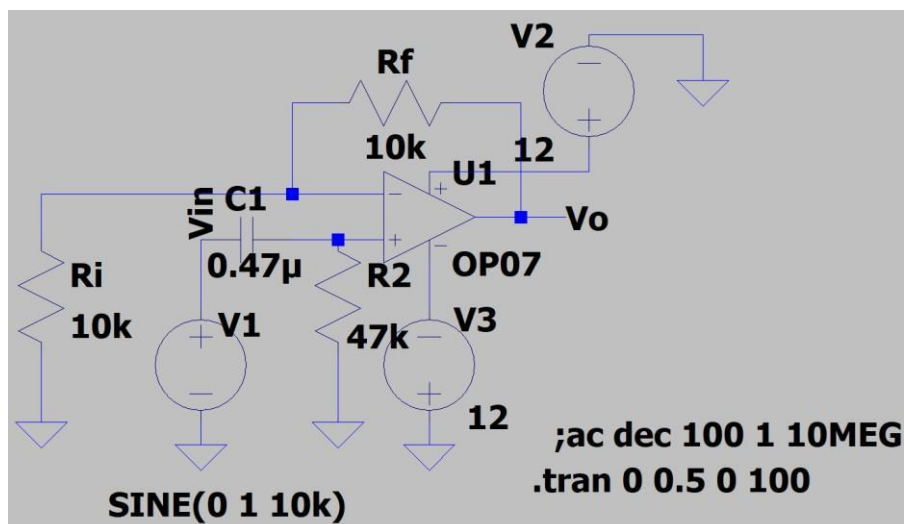
Brief knowledge:

Gain = $1 + R_f/R_i$

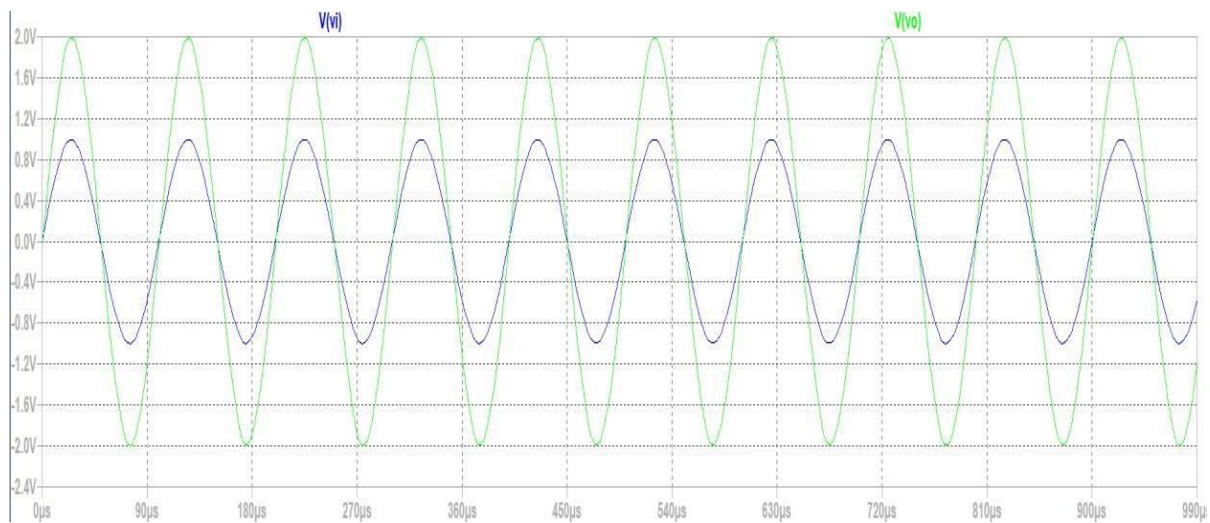
a.

$R_i=10k\Omega, R_f=10k\Omega$

Circuit:



Graph:



From graph gain(V_o/V_i) is 2.

Measurement Table:

$R_i = 10\text{k}\Omega$, $V_{ip-p} = 2\text{V}$

Serial No.	$R_f(\Omega)$	$V_{op-p}(V)$	Gain	Gain(calculated)
1	27k	3.671	3.671	3.7
2	47k	5.54	5.54	5.7
3	100k	5.97	5.97	11

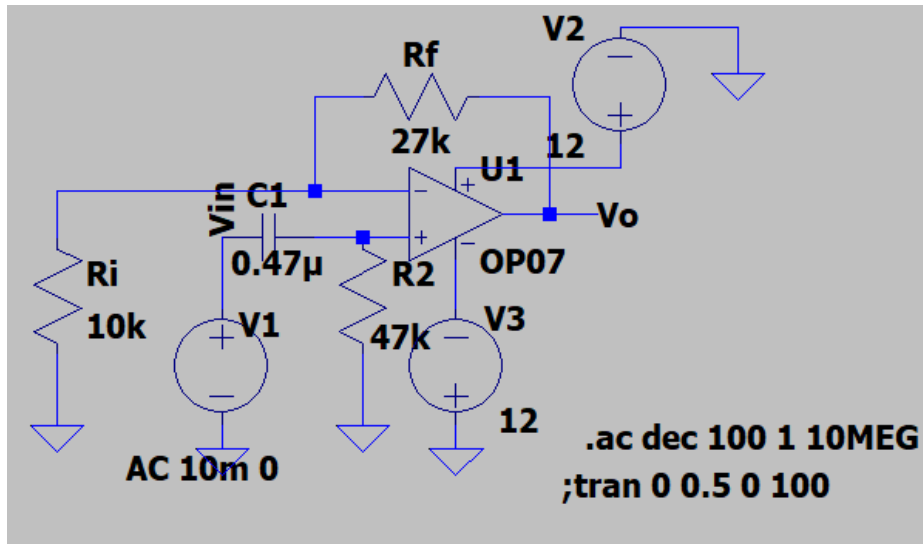
From oscilloscope we get do not get inverted output.

Reactance of capacitor $= 1/\omega C = 33.87\Omega$

As reactance of capacitor is negligible with respect to R_2 , hence can be neglected for gain calculations.

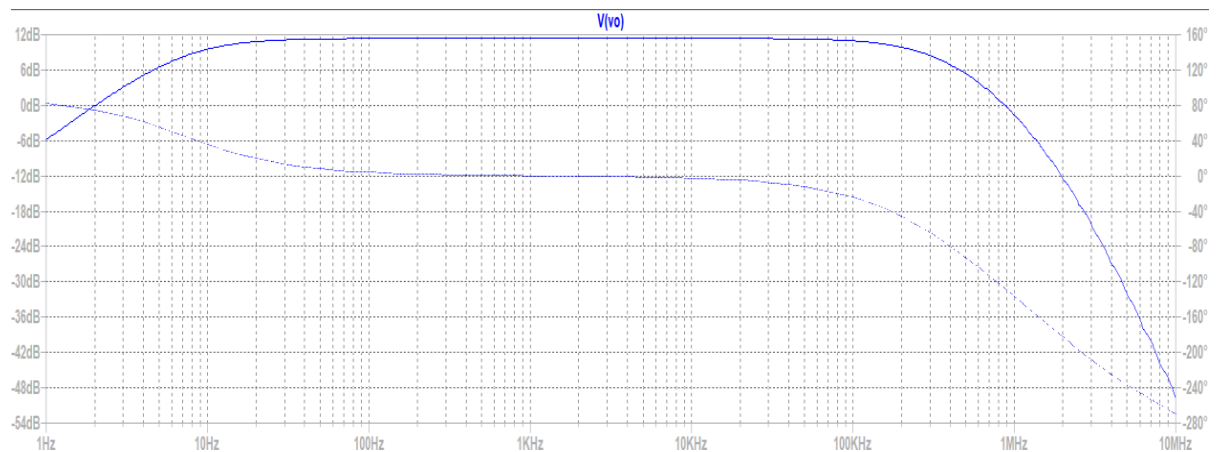
b. Frequency response

Circuit:

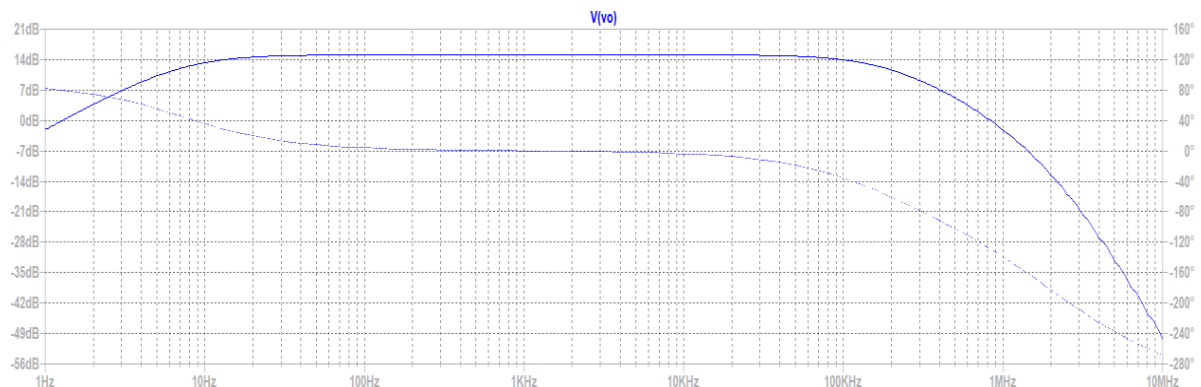


Graph:

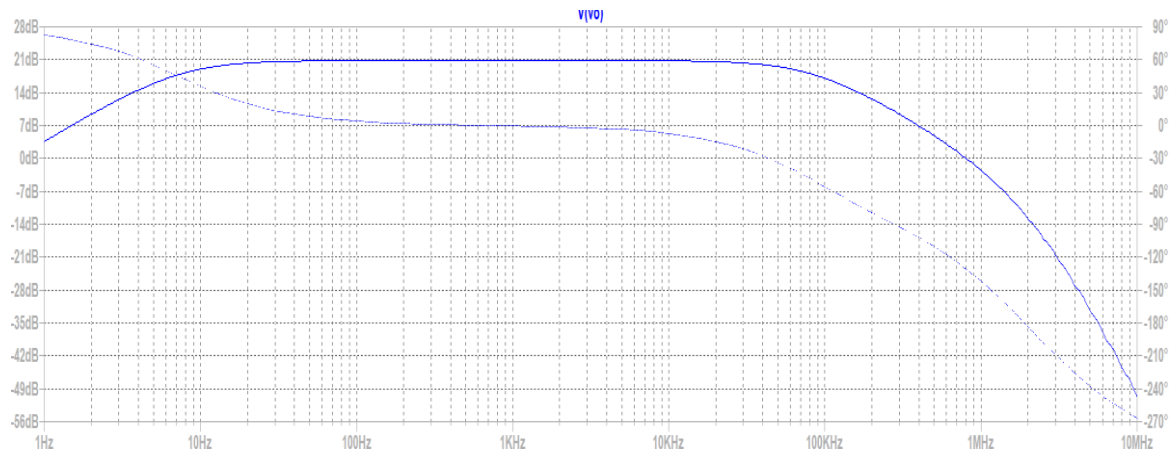
$R_f = 27k\Omega$



$R_f = 47k\Omega$



$R_f=100k\Omega$



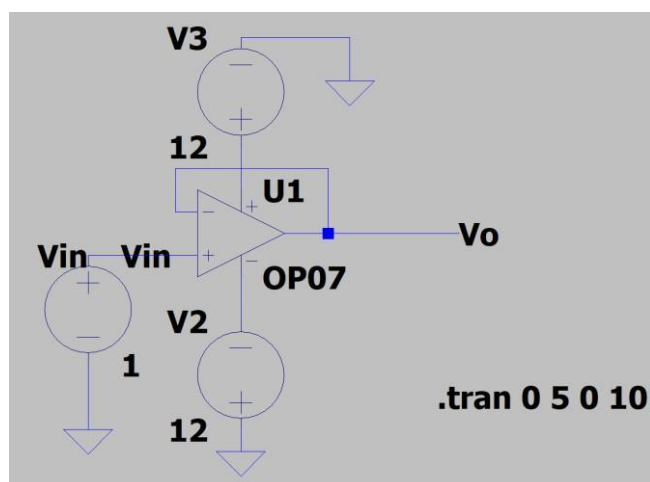
We can notice that the high gain circuit begins to roll off sooner than the lower gain circuit.

Measurement Table:

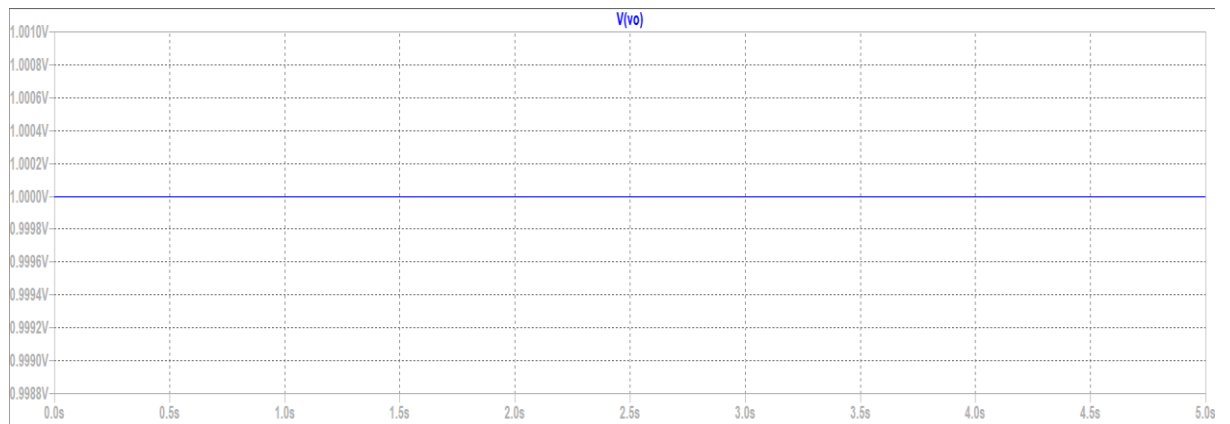
Serial No	$R_f(\Omega)$	Bandwidth(HZ)	Gain (dB)	A_f	Gain Bandwidth	$B=R_i/(R_f+R_i)$	$A_o=A_f/(1-BA_f)$
1	27k	298k	11.36	3.7	1109.47k	0.27	3700
2	47k	179k	15.112	5.7	1020k	0.1754	2280
3	100k	83.1k	20.835	11.0	914k	0.091	1100

iii. Voltage Follower

Circuit:

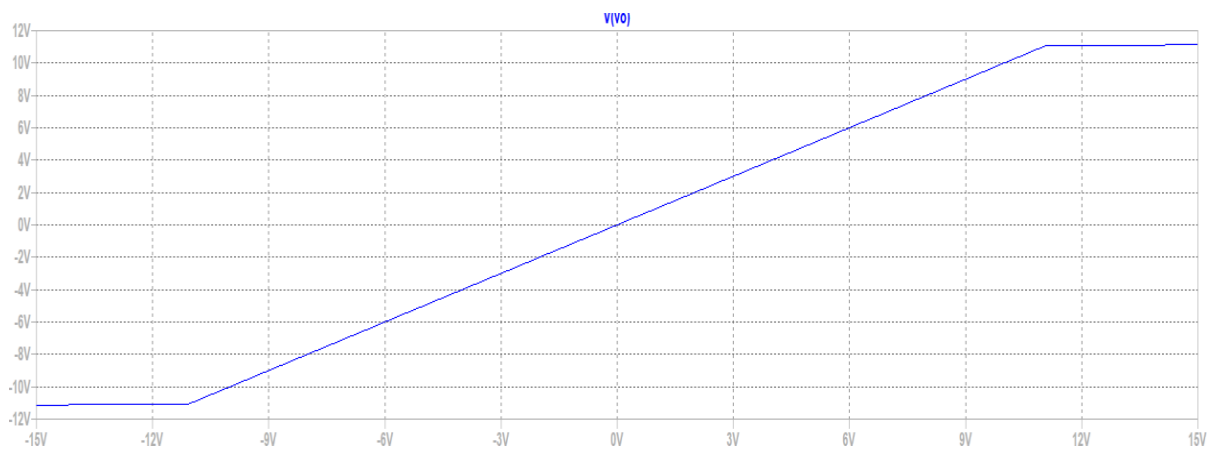


Inverting pin is at virtual ground w.r.t. V_{in} as voltage at inverting and non-inverting pin are equal.



$V_{out}=1V$

Therefore, $V_{out}=V_{in}$.

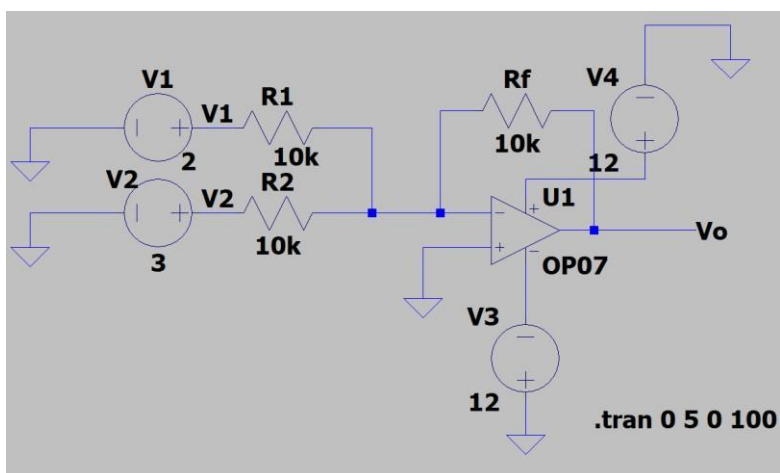


The maximum (+) and minimum(-) voltages where this stop being true are 11 V and -11V.

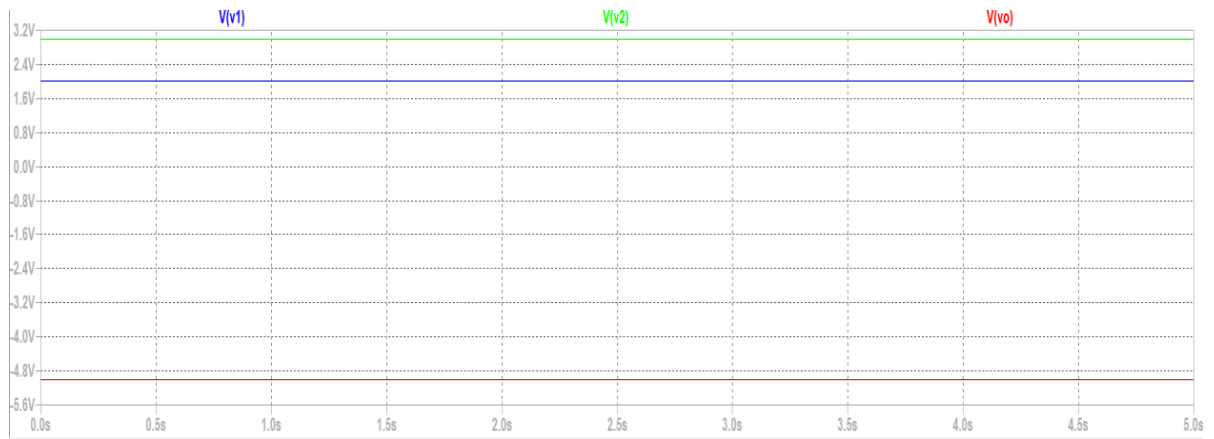
iv. **Adder**

a.

Circuit:



Output:



V1=2V

V2=3V

Vo=Vout(measured)=-5V

According to theory,

$V_{out} = -R_f(V_1/R_i + V_2/R_i)$

$= -10000(2/10000 + 3/100000)$

$= -5V$

Therefore,

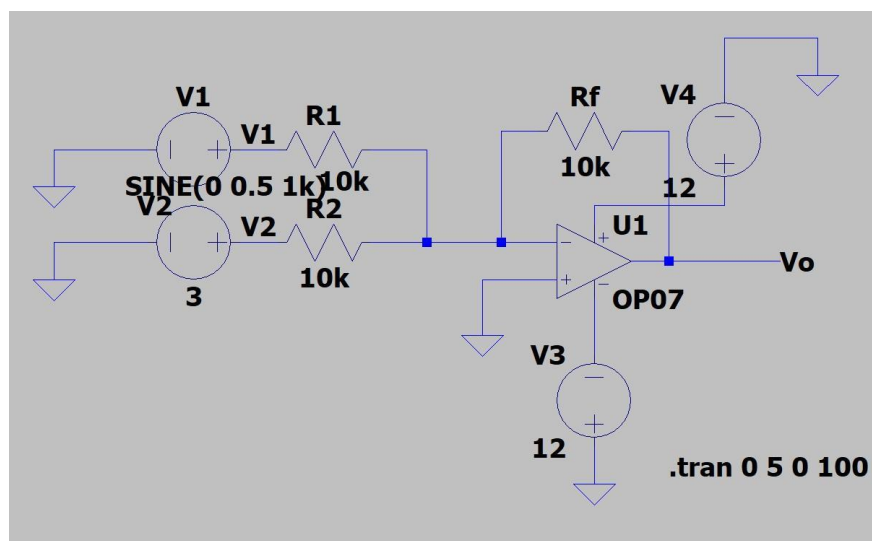
$V_{out}(\text{measured}) = V_{out}(\text{calculated})$

b. Summing

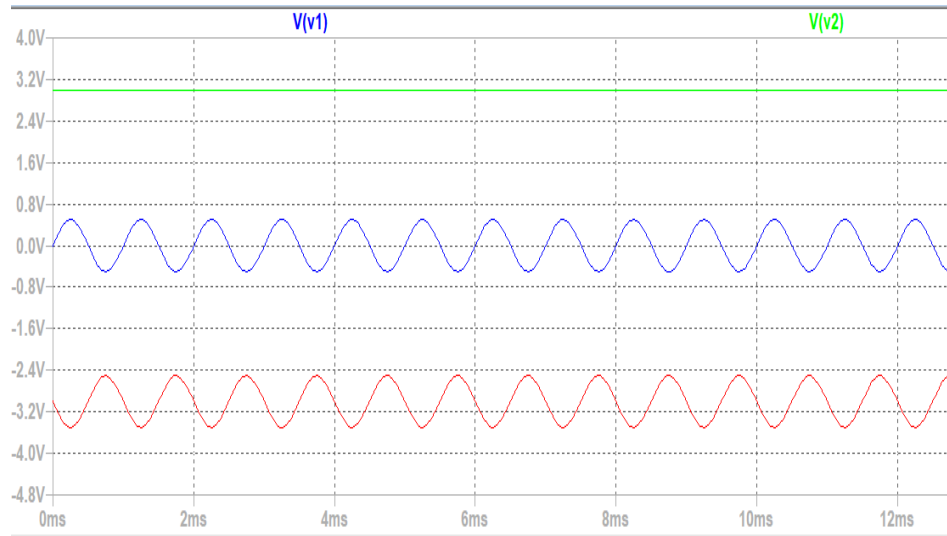
Amplifier V1=Vin

V2=Voffset=3V

Circuit:



Graph:

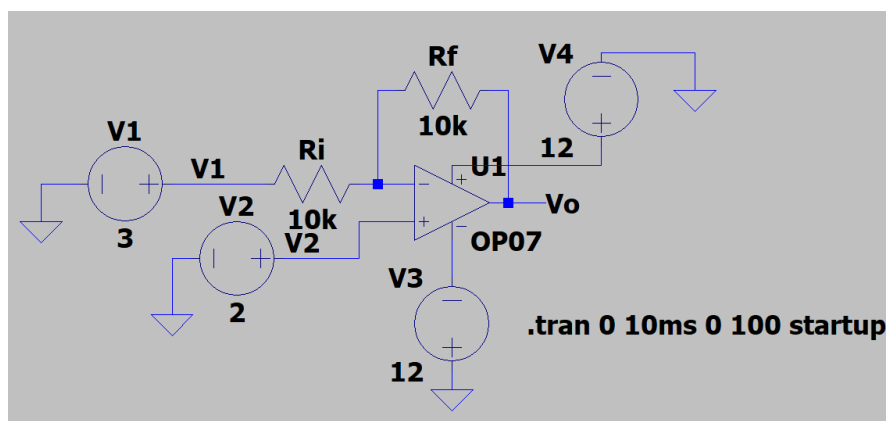


From graph we can see, $V_{out} = -V_{in} + (-V_{offset})$

v. Superposition:

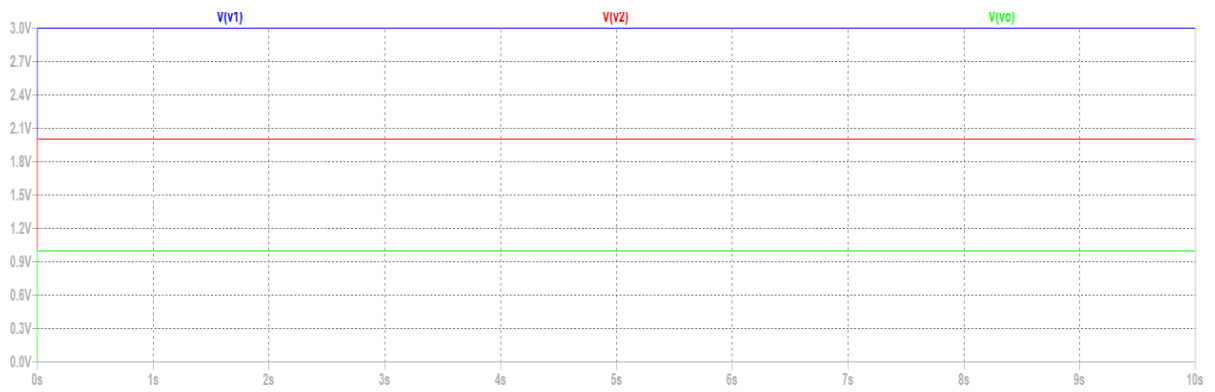
a. When input is provided simultaneously at both inverting and non-inverting terminals, the relation between V_{out} and the inputs can be obtained using Horowitz and Hill's golden rules. This can also be given by superposition theorem which implies that if V_{out1} (V_{out2}) is the response due to input V_1 (V_2) acting alone, i.e., with other input V_2 (V_1) being Zeroed. Then response due to both inputs V_1 and V_2 acting simultaneously is $V_{out} = V_{out1} + V_{out2}$.

Circuit:

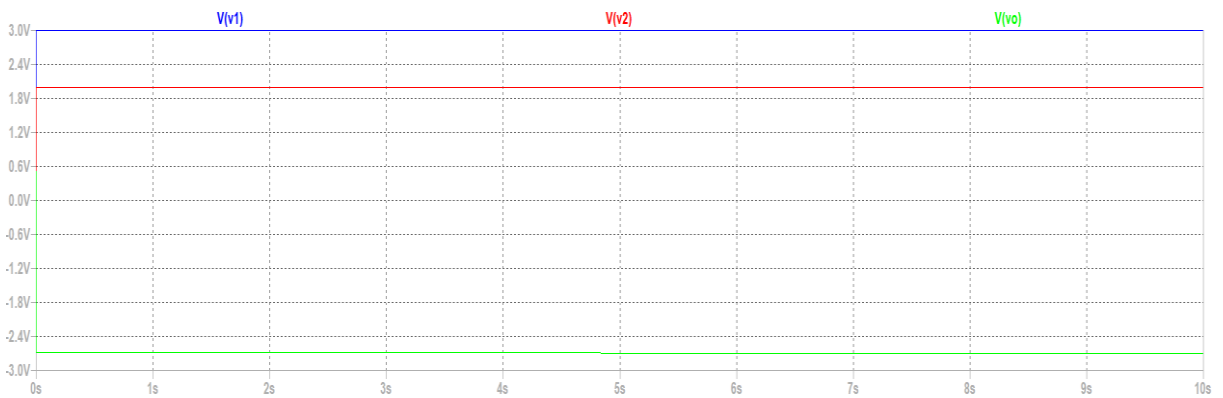


Graphs:

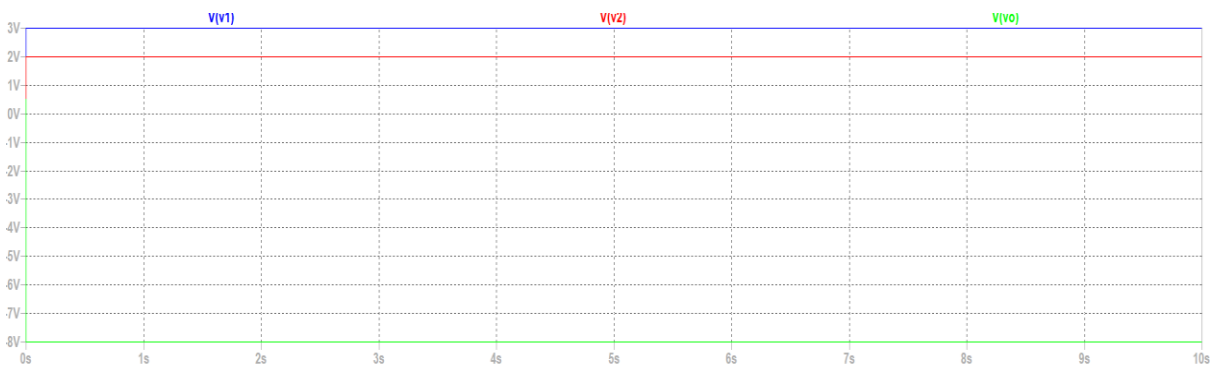
1)



2)



3)



Measurement Table:

$$V_{out1} = -(R_f/R_i) \cdot V_1$$

$$V_{out2} = (1 + R_f/R_i) \cdot V_2$$

$$V_{out}(\text{calculated}) = V_{out1} + V_{out2}$$

$$R_i = 10\text{k}\Omega$$

Serial No.	$R_f(\Omega)$	V1(V)	V2(v)	Vout(measure)(V)	Vout(calculated)(V)
1	10k	3	2	1	1

2	47k	3	2	-2.7	-2.7
3	100k	3	2	-8	-8

In each case , $V_{out}(\text{measured})=V_{out}(\text{Calculated})$

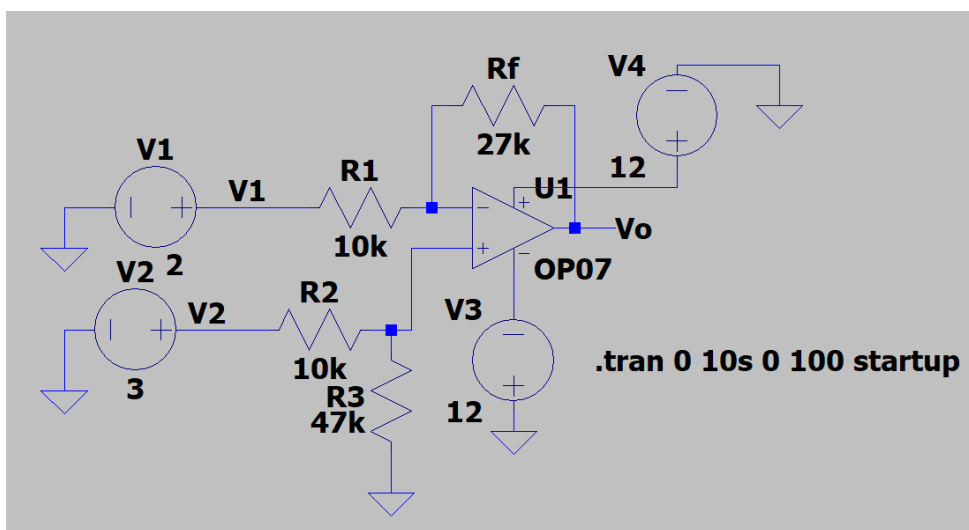
b. Differential Amplifier

$$V_{out}=V_2*[R_3/(R_2+R_3)](1+R_f/R_i)-V_1*(R_f/R_i)$$

If, $R_2=R_1$ and $R_3=R_f$

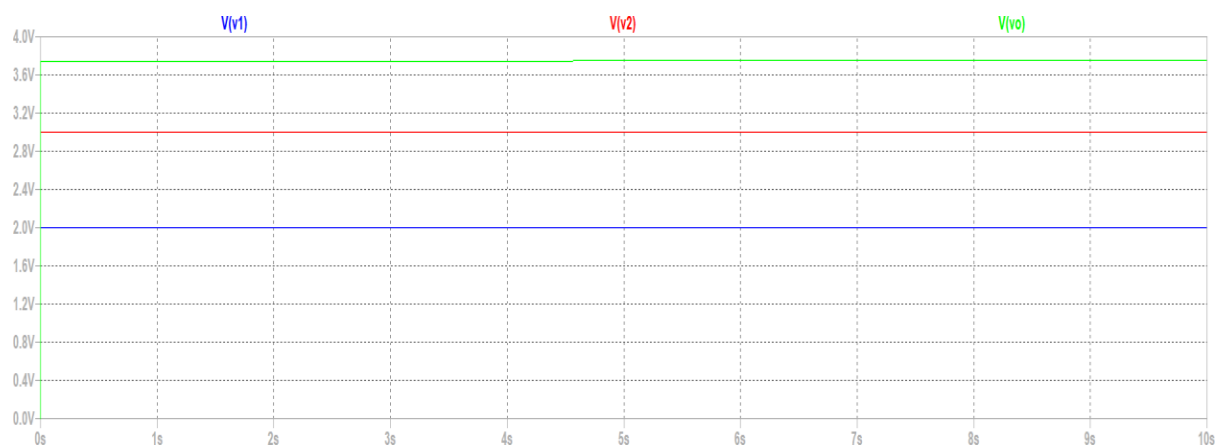
$$V_{out}=(R_f/R_1)*(V_2-V_1)$$

Circuit:

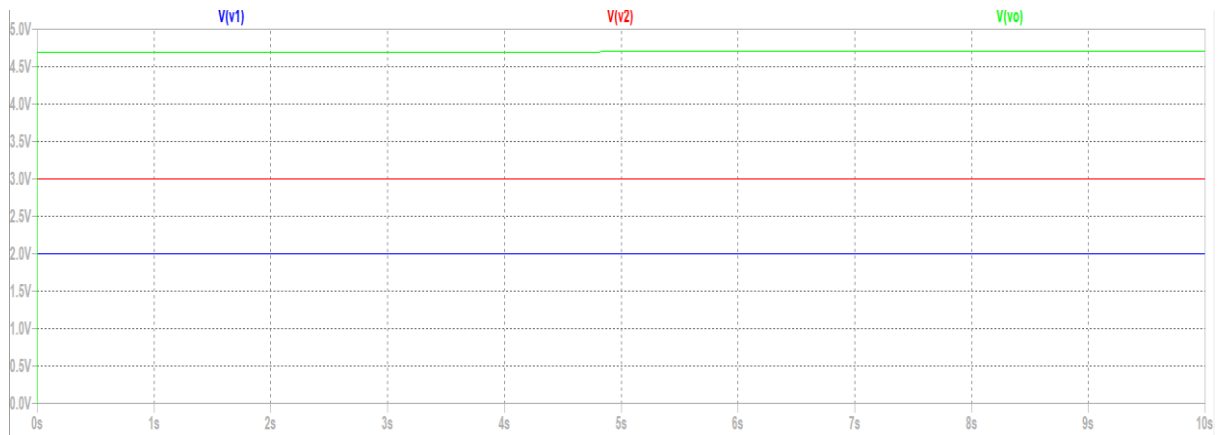


Graph:

1)



2)



Measurement Table:

R1(Ω)	R2(Ω)	R3(Ω)	Rf(Ω)	V1(V)	V2(V)	Vout(Measured)(V)	Vout(calculated)(V)
10k	10k	47k	27k	2	3	3.753	3.7526
10k	10k	47k	47k	2	3	4.706	4.7

There is negligible difference between Vout(Theoretical) and Vout(Measured)

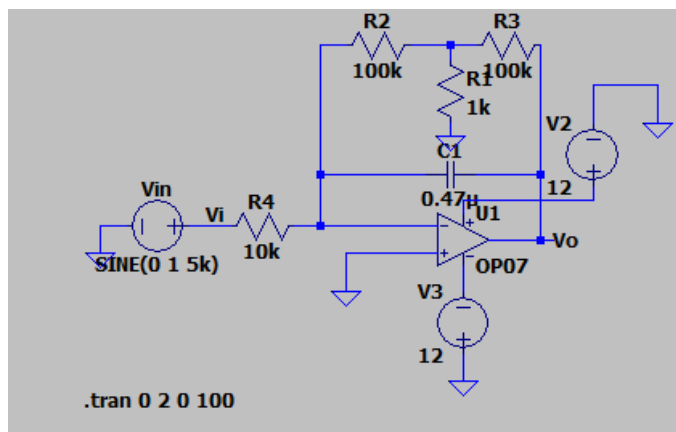
Vi. Integrator

$$V_{out} = -(1/RC)V_{in}dt + \text{const}$$

1. Sine

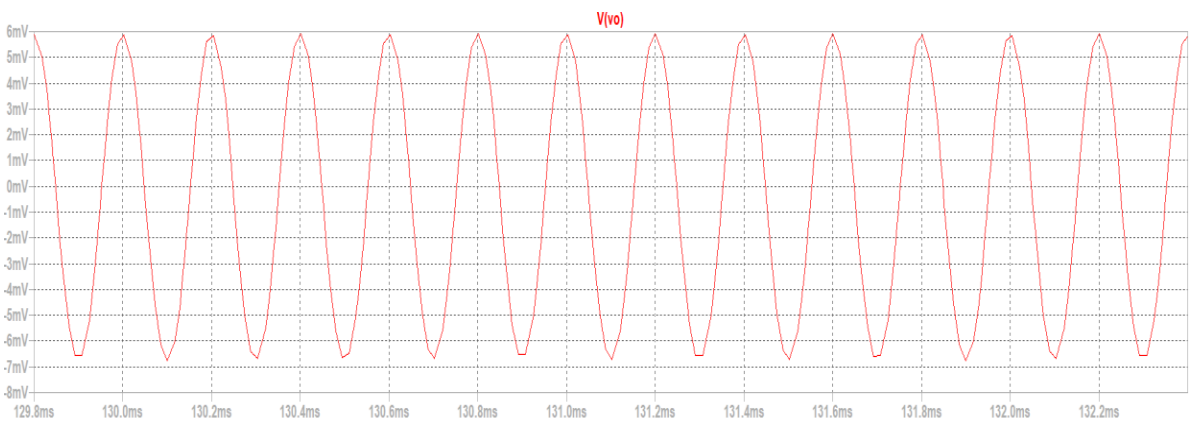
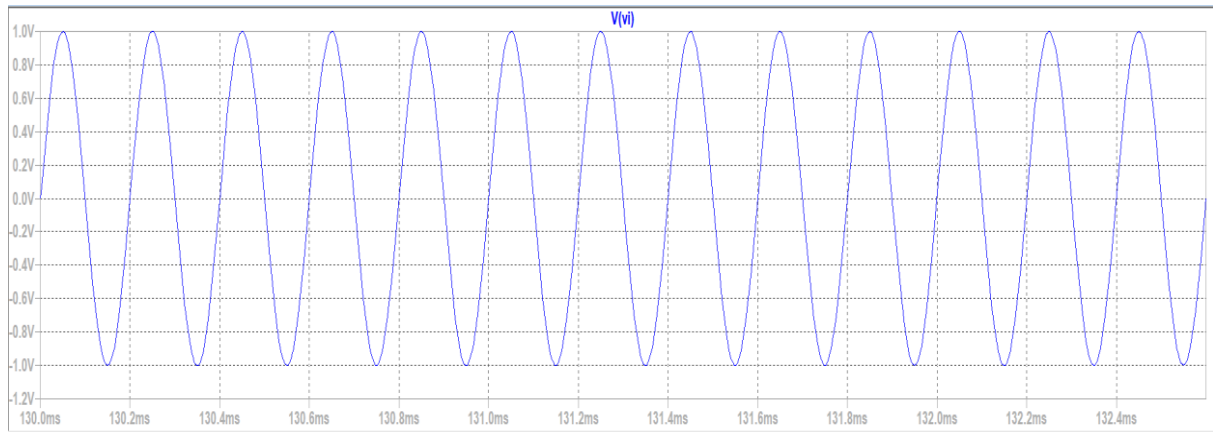
Wave

Circuit:

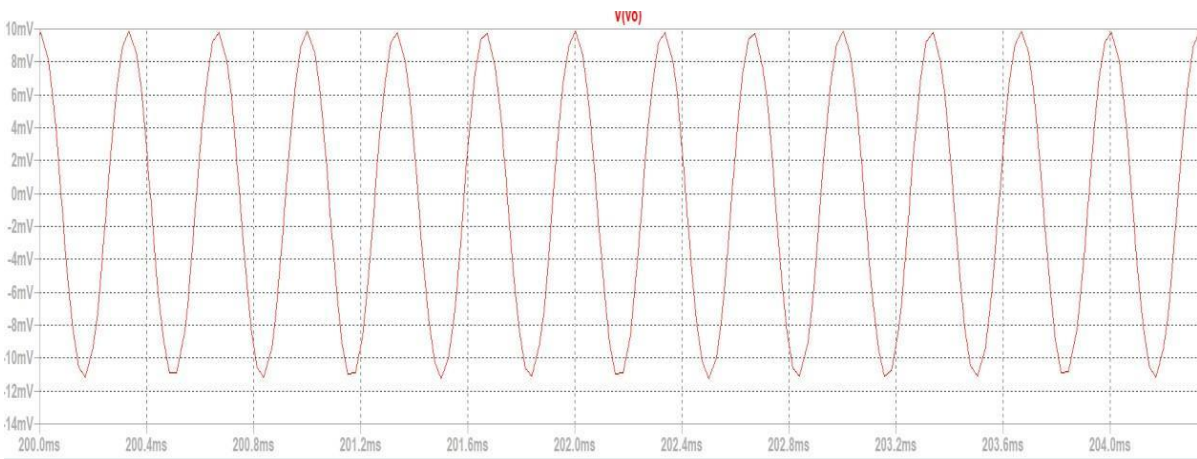
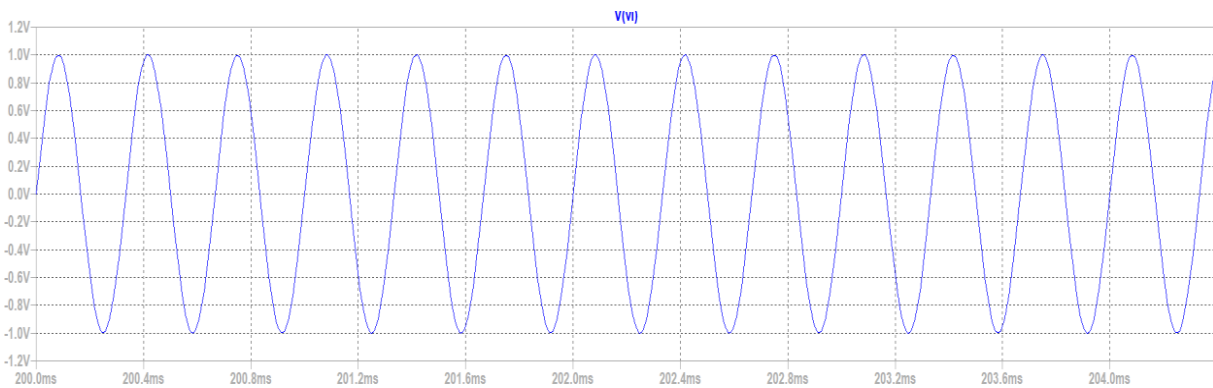


Graph:

Frequency:5kHz, Vin=1V

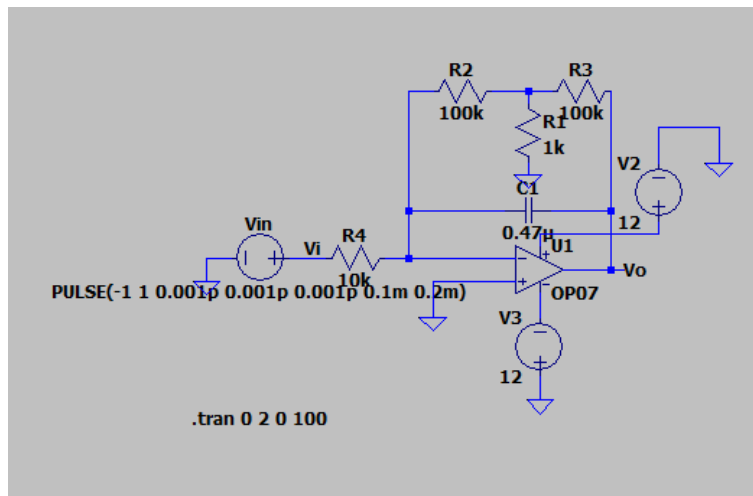


Frequency:3kHz, $V_{in}=1V$



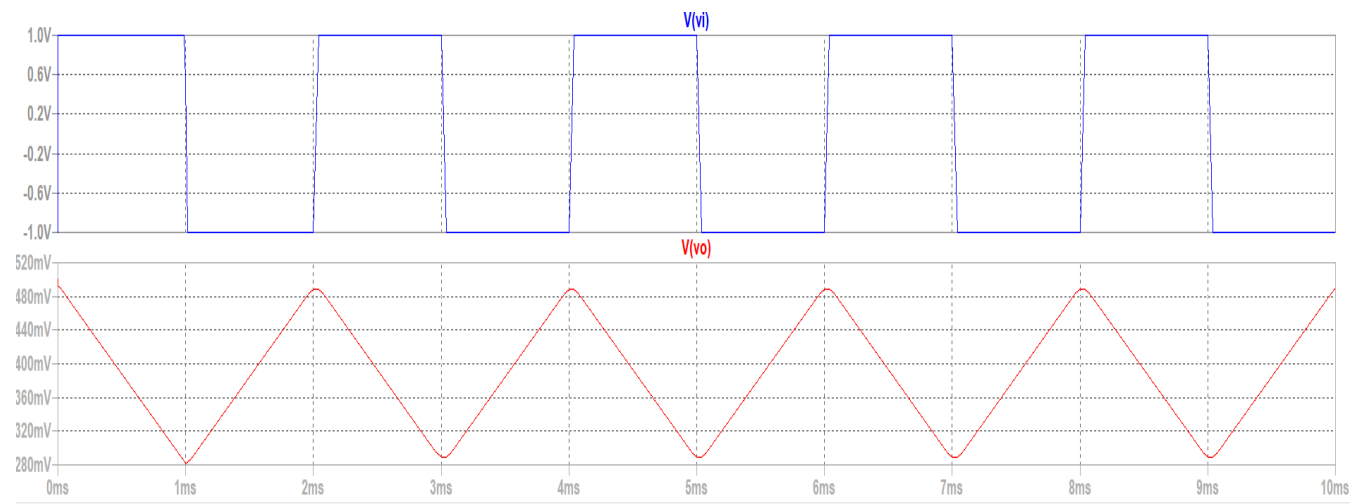
2. Square

wave Circuit:

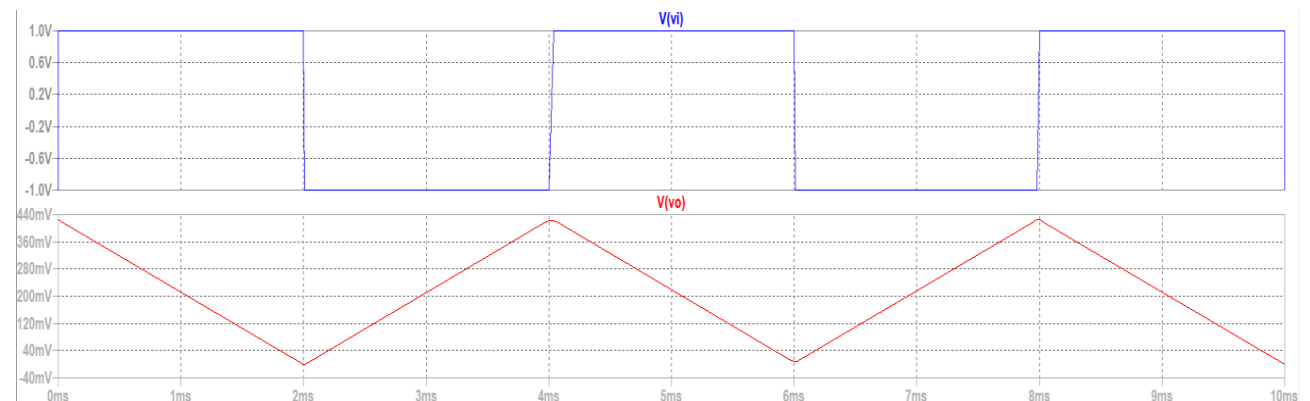


Graph:

Frequency:5kHz



Frequency:1kHz

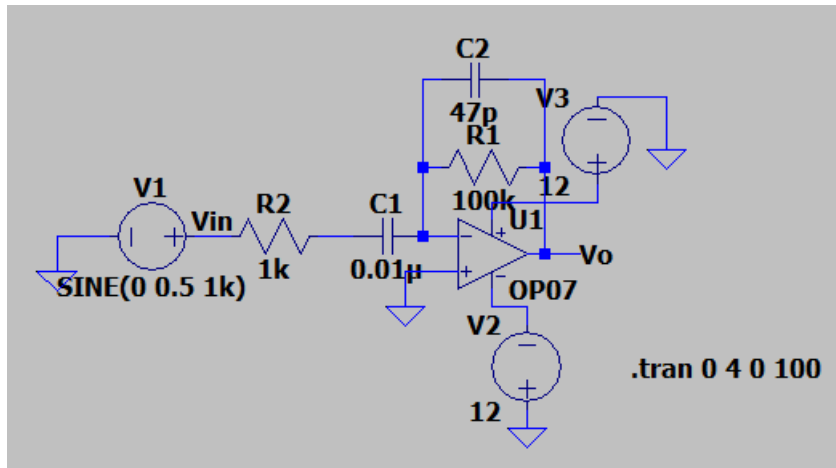


Vii. Differentiator

$$V_{out} = -(RC)(dV_{in}/dt)$$

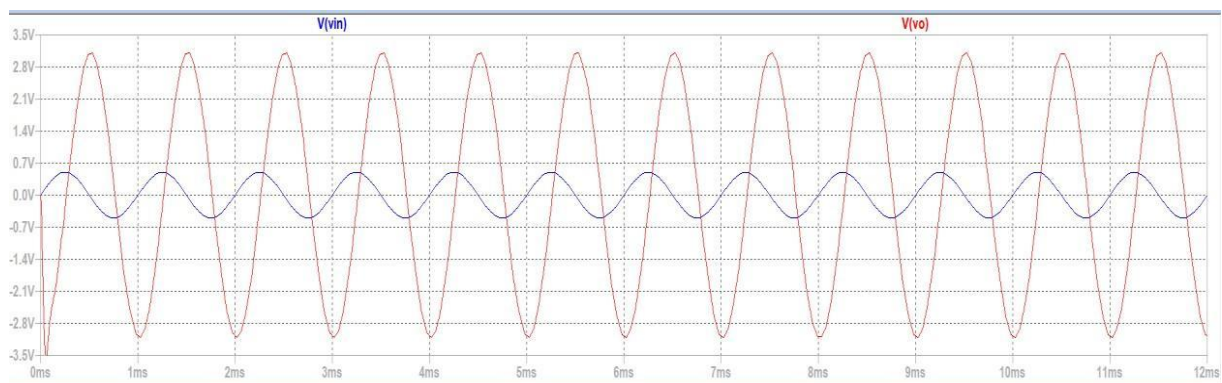
1. Sine

wave Circuit:

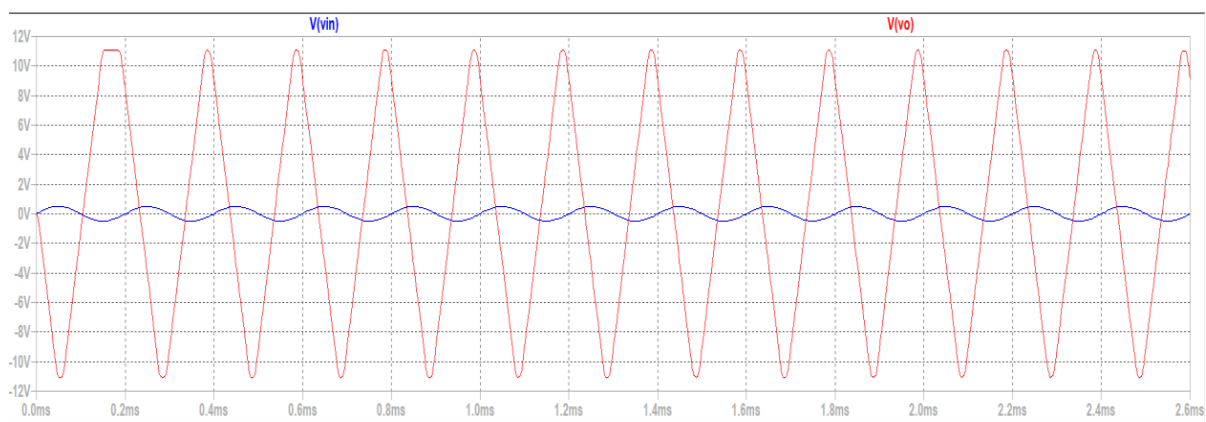


Graph:

Frequency: 1kHz



Frequency: 5kHz

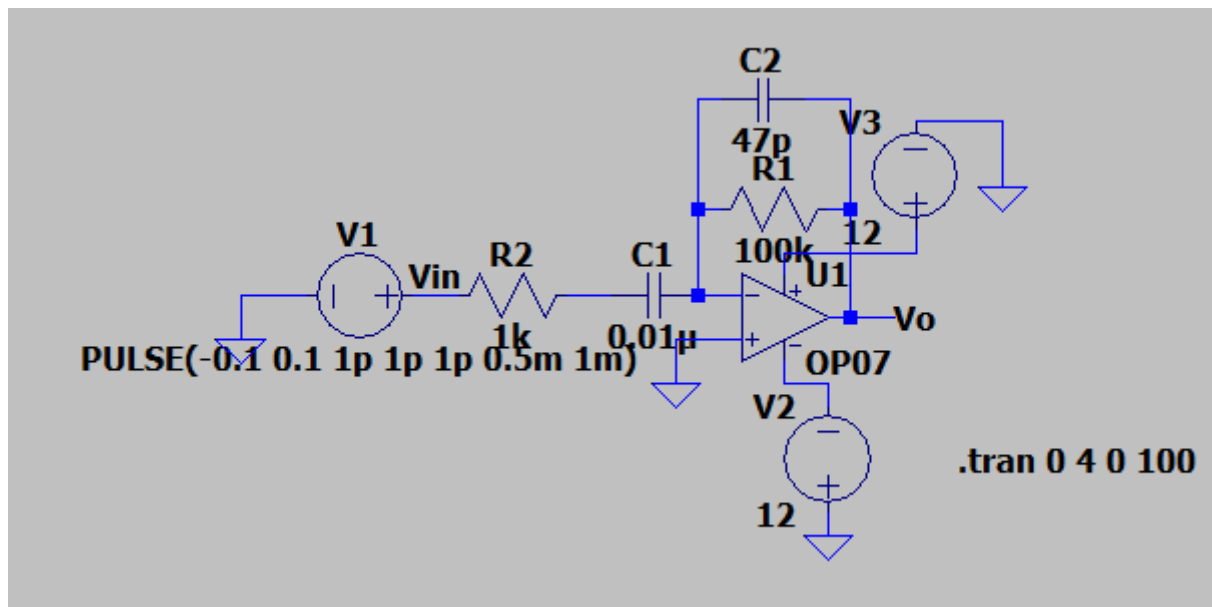


As, $V_{out} = -(RC)(dV_{in}/dt)$

V_{in} is the sine wave. Hence we should get cosine wave at output with increase in amplitude with the factor of $(RC\omega)$ according to formula. In output we get the same graph as expected from theory. (ω is $2\pi f$)

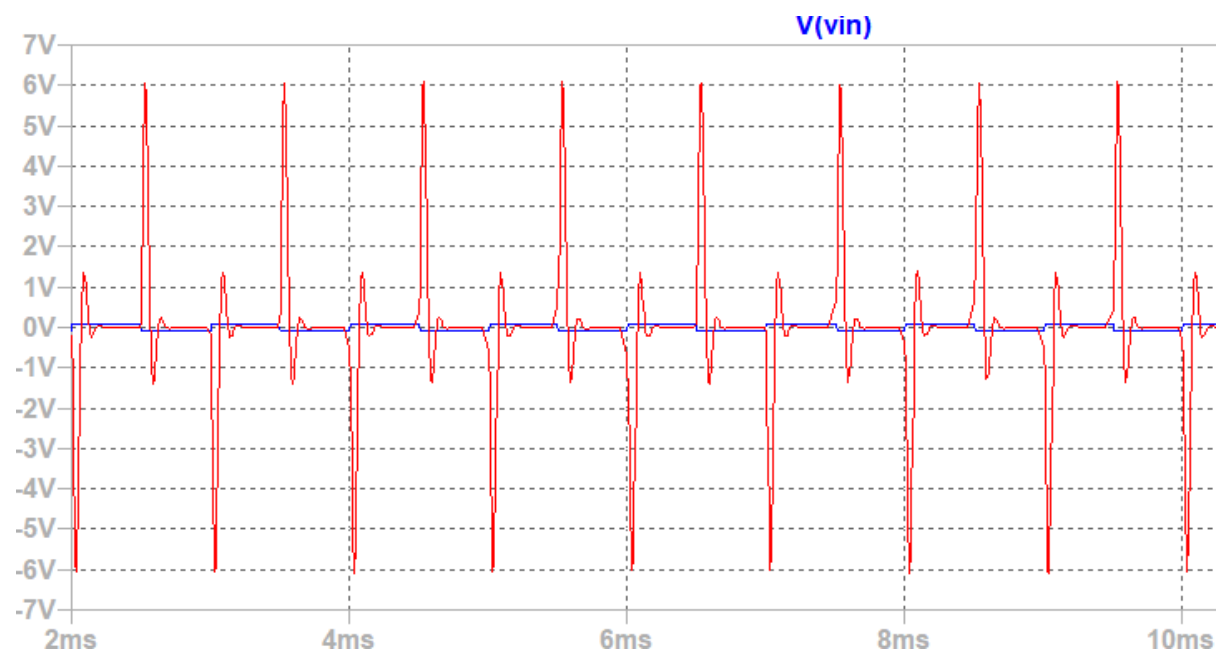
2. Square

Wave Circuit:



Graph:

Frequency: 1K



Note: From this we can say that if we increase the frequency i.e., decrease the time period then we will not get proper spikes.

As, $V_{out} = -(RC)(dV_{in}/dt)$

V_{in} is square wave, hence we should get spikes at time when direction of input voltage change. Other time we get zero output voltage. Graph with frequency 1kHz gives expected graph .

Conclusion:

Operational Amplifiers or Op-Amps, are like the one of the basic building blocks of Analogue Electronic Circuits. A variety of analogue circuits, amplifiers, can be designed using an Op-Amp. They can also be used to perform mathematical operations such as add, subtract, integration and differentiation.

Discussion:

In ideal op-amp input impedance is infinite and output impedance is zero. Practically input impedance is very large and output impedance is very small.

Virtual ground- the output voltage of the op-amp is $A*(v_1-v_2)$. Where A is the open loop differential gain and v_1, v_2 are non-inverting and inverting terminal voltage.

Since value of A is around 10^5 to 10^6 if we want a output of 10V then v_1-v_2 is in micro volts so we assume it to be nearly zero because of which $v_1=v_2$.

So if we apply different input voltage on the two terminals then also $v_1=v_2$ which is called virtual ground.

Differential Amplifier –When we connect signals to both of inputs, inverting and non-inverting at the same time it produces another common type of operational amplifier circuit called a **Differential Amplifier**.

Then differential amplifier amplify the difference between two voltages making this type of operational amplifier circuit a **Subtractor**.

Integrator- The **Op-amp Integrator** is an operational amplifier circuit that performs the mathematical operation of **Integration**.

It acts as a integrator because of the capacitor in the feedback which forms a RC circuit. When we apply KCL on the circuit we get output voltage as the integration of the input voltage.

At low frequencies the reactance of the capacitor is “High” resulting in a high gain (Rf/X_c) and higher output voltage from the op-amp. At higher frequencies the reactance of the

capacitor is much lower resulting in a lower gain and low output voltage from the Integrator amplifier.

The capacitor acts as a low pass filter.

Differentiator- This operational amplifier circuit performs the mathematical operation of **differentiation**.

As with the integrator circuit, we have a resistor and capacitor forming an RC Network across the operational amplifier and the reactance (X_c) of the capacitor plays a major role in the performance of a **Op-amp Differentiator**.

It acts as a differentiator because of the capacitor which forms a CR circuit. When we apply KCL on the circuit we get output voltage as the differentiation of the input voltage.

At low frequencies the reactance of the capacitor is “High” resulting in a low gain (R_f/X_c) and low output voltage from the op-amp. At higher frequencies the reactance of the capacitor is much lower resulting in a higher gain and higher output voltage from the differentiator amplifier.

The capacitor acts as a high pass filter.

Some of the advantages of using an op – amp :

- It has a smaller size.
- Its reliability is higher than conventional amplifier
- Reduced cost as compared to its discrete circuit parts.
- Less power consumption
- Easy to replace Same OP-AMP can be used for different applications.

Other applications :

- In analog and digital data transmission system differential amplifiers are used for noise cancellation.
- Differential Amplifiers are used for audio and video processing.
- They are also used as an automatic gain control circuit.

Source:LT spice