

4.2

Given R_1 and R_2 . Given $N_2 > N_1 > 0$.

- 1) $R_1 \cup R_2$. Assume that R_1 and R_2 are union-compatible.
 Minimum size = N_2 (i.e. $R_1 \subseteq R_2$)
 Maximum size = $N_1 + N_2$ (i.e. for all tuples $R_1 \neq R_2$)
- 2) $R_1 \cap R_2$. Assume that R_1 and R_2 are union-compatible.
 Minimum size = 0 (i.e. for all tuples $R_1 \neq R_2$)
 Maximum size = N_2 (i.e. $R_1 \subseteq R_2$)
- 3) $R_1 - R_2$. Assume R_1 and R_2 are union-compatible.
 Minimum size = 0 (i.e. $R_1 \subseteq R_2$)
 Maximum size = N_1 (i.e. for all tuples $R_1 \neq R_2$)
- 4) $R_1 \times R_2$.
 Minimum size = Maximum size = $N_1 * N_2$
- 5) $\sigma_{a=5}(R_1)$. Assume that R_1 has an attribute called 'a'.
 Minimum size = 0 (i.e. for all tuples in R_1 , $a \neq 5$)
 Maximum size = N_1 (i.e. for all tuples in R_1 , $a = 5$)
- 6) $\Pi_a(R_1)$. Assume that R_1 has an attribute called 'a'; $N_1 > 0$.
 Given $N_1 > 0$, so there must be at least one tuple.
 Minimum size = 1
 Maximum size = N_1
- 7) R_1 / R_2 . Assume that the set of attributes of R_2 is a subset of the set of attributes of R_1 .
 Minimum size = 0
 Maximum size = 0 } \because given $N_2 > N_1$

4.3 1) $\pi_{sname, sid} (\pi_{sid} ((\pi_{pid} (\sigma_{color='red'} Parts) \bowtie Catalog) \bowtie Suppliers))$

2) $\pi_{sid} (\pi_{pid} (\sigma_{color='red' \vee color='green'} Parts) \bowtie Catalog)$

3) $\rho(R1, \pi_{sid} (\pi_{pid} (\sigma_{color='red'} Parts) \bowtie Catalog))$

$\rho(R2, \pi_{sid} (\pi_{pid} (\sigma_{address='221 Packer Street'} Parts) \bowtie Catalog))$

$R1 \cup R2$

4) $\rho(R1, \pi_{sid} (\pi_{pid} (\sigma_{color='red'} Parts) \bowtie Catalog))$

$\rho(R2, \pi_{sid} (\pi_{pid} (\sigma_{color='green'} Parts) \bowtie Catalog))$

$R1 \cap R2$

5) $(\pi_{sid, pid} Catalog) / (\pi_{pid} Parts)$

6) $(\pi_{sid, pid} Catalog) / (\pi_{pid} \sigma_{color='red'} Parts)$

7) $(\pi_{sid, pid} Catalog) / (\pi_{pid} \sigma_{color='red' \vee color='green'} Parts)$

8) $\rho(R1, ((\pi_{sid, pid} Catalog) / (\pi_{pid} \sigma_{color='red'} Parts)))$

$\rho(R2, ((\pi_{sid, pid} Catalog) / (\pi_{pid} \sigma_{color='green'} Parts)))$

$R1 \cup R2$

9) $\pi_{sid, sid_1} (\sigma_{cost > cost_1} (Catalog \bowtie (\rho_{pid=pid_1, sid_1 \rightarrow sid, pid_1 \rightarrow pid, cost_1 \rightarrow cost} (Catalog))))$

10) $\pi_{pid} (\sigma_{sid \neq sid_1} (Catalog \bowtie (\rho_{pid=pid_1, sid_1 \rightarrow sid, pid_1 \rightarrow pid} (Catalog))))$

11) $\rho(T, (\sigma_{sname='Yosemite Sham'}(Catalog \bowtie Suppliers)))$

11) $\rho(T, \pi_{pid, cost}(\sigma_{sname='Yosemite Sham'}(Catalog \bowtie Suppliers)))$

$(\pi_{pid}(T)) \setminus (\pi_{pid}(\sigma_{cost < cost_1}(T \times \rho_{pid \rightarrow pid, cost \rightarrow cost}(T))))$

12) $\rho(R1, \pi_{pid}(\sigma_{cost > 200} Catalog))$

$\rho(R2, ((\pi_{pid, sid} Catalog) / (\pi_{sid} Suppliers)))$

$R2 \setminus R1$

4.4 1) Names of suppliers who supply a red part which costs less than \$100.

2) Returns NULL. (You're trying to project an sname when you only have sid)

3) Names of suppliers who supply a red part that costs less than \$100 and a green part that costs less than \$100.

4) Suppliers IDs of suppliers who supply a red part that costs less than \$100 and a green part that costs less than \$100.

5) Names of suppliers who supply a red part that costs less than \$100 and a green part that costs less than \$100.