

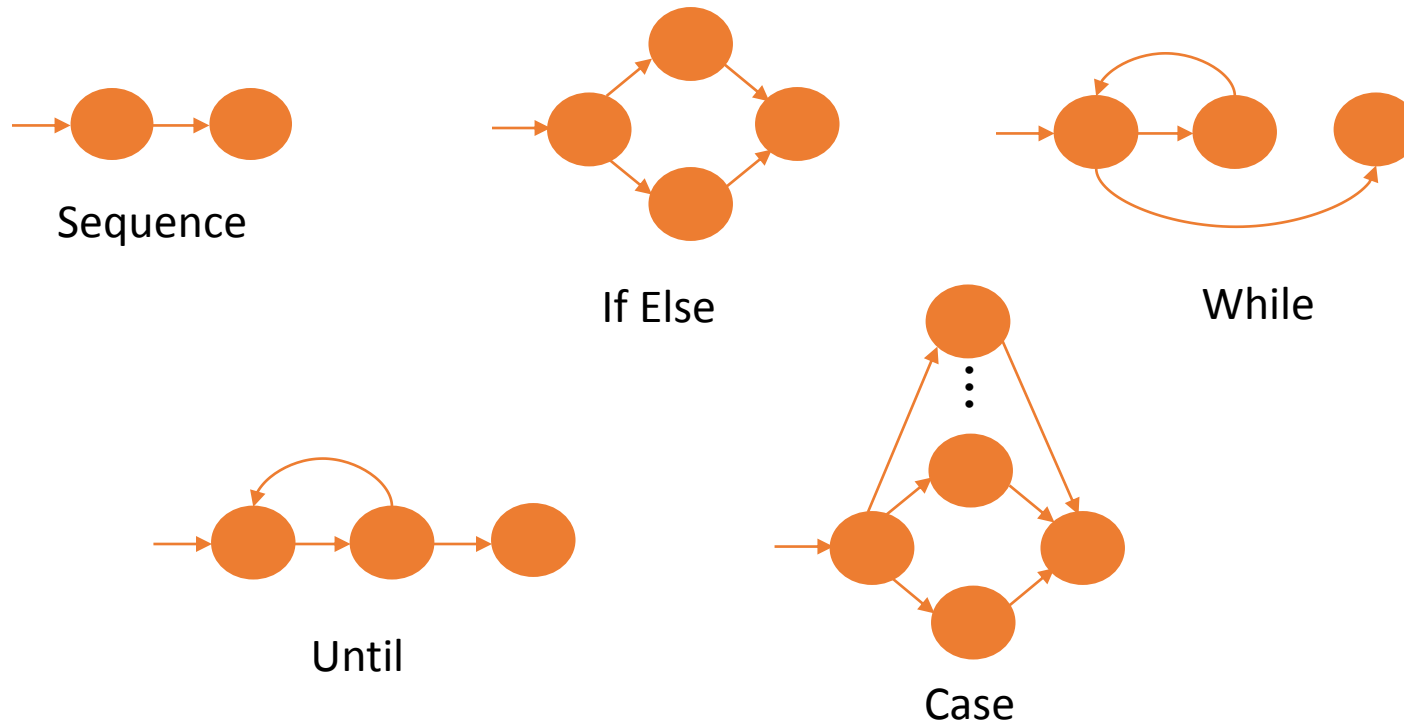
Basis Path Testing

Basis Path Testing

- Basic path testing (a white-box testing technique):
 - First proposed by Tom McCabe.
 - Can be used to derive a logical complexity measure for a procedure design.
 - Used as a guide for defining a basis set of execution path.
 - Guarantee to execute every statement in the program at least one time.

Basis Path Testing (cont'd)

- The basic structured-constructs in a flow graph :

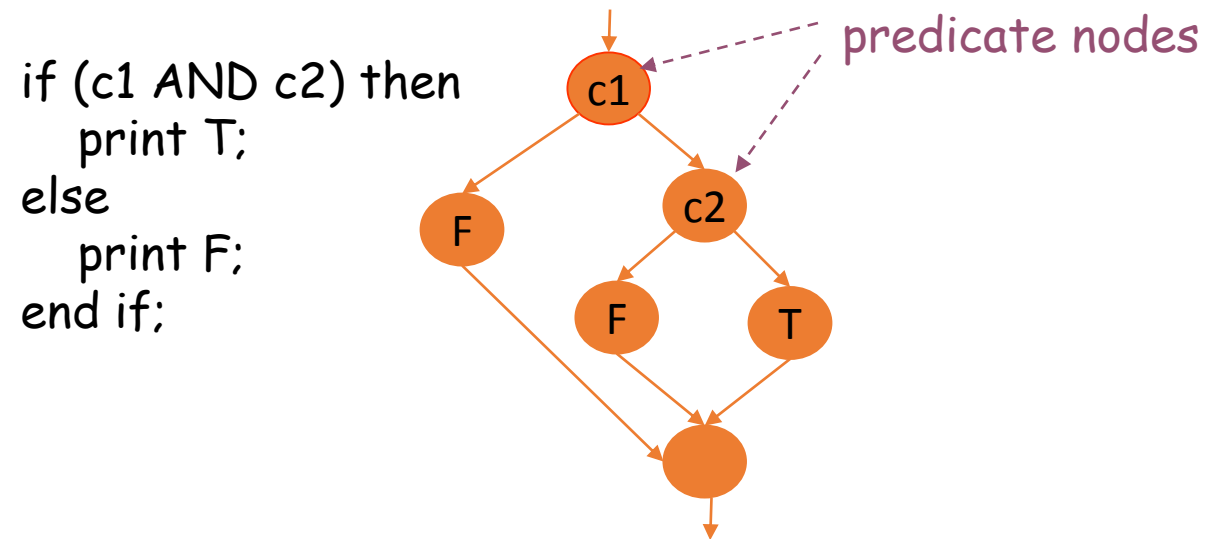


Basis Path Testing (cont'd)

- Flow graph notation (control flow graph)
 - Node represents one or more procedural statements.
 - A sequence of process boxes and a decision diamond can map into a single node
 - A **predicate node** is a node with two or more edges emanating from it
 - Edge (or link) represents flow of control
 - Region: areas bounded by edges and nodes
 - When counting regions, include the area outside the graph as a region

Basis Path Testing (cont'd)

- Compound condition
 - Occurs when one or more Boolean operators (OR, AND, NAND, NOR) is present in a conditional statement
 - A separate node is created for each of the conditions *C1* and *C2* in the statement *IF C1 AND C2*

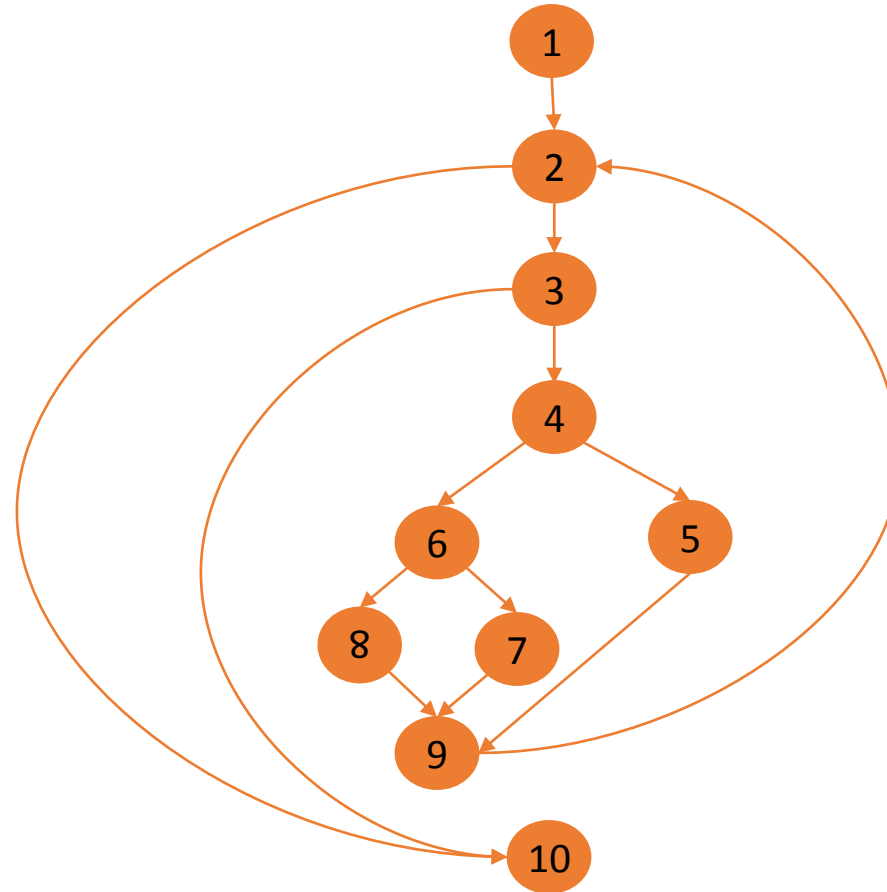


binarySearch() Example

```
public int binarySearch(int sortedArray[ ], int searchValue)
{
    1 {
        int bottom = 0;
        int top = sortedArray.length - 1;
        int middle, locationOfsearchValue;
        boolean found = false;
        locationOfsearchValue = -1;
        2 /* the location of searchValue in the sortedArray */
        /* location = -1 means that searchValue is not found */
        while ( bottom <= top && !found)
        {
            3
            4 { middle = (top + bottom)/2;
                if (searchValue == sortedArray[ middle ])
                {
                    5 { found = true;
                        locationOfsearchValue = middle;
                    }
                    6 else if (searchValue < sortedArray[ middle ])
                        top = middle - 1;
                    7
                    8 { else
                        bottom = middle + 1;
                    } // end while
                }
            }
            9
            10 return locationOfsearchValue;
        }
    }
```



The Control Flow Graph (CFG) of Function `binarySearch()`



Cyclomatic Complexity (cont'd)

- Cyclomatic complexity is a software metric
 - provides a quantitative measure of the global complexity of a program.
 - When this metric is used in the context of the basis path testing
 - the value of cyclomatic complexity defines the number of **independent paths** in the basis set of a program
 - the value of cyclomatic complexity defines an **upper bound** of number of tests (i.e., paths) that must be designed and exercised to guarantee coverage of all program statements

Cyclomatic Complexity (cont'd)

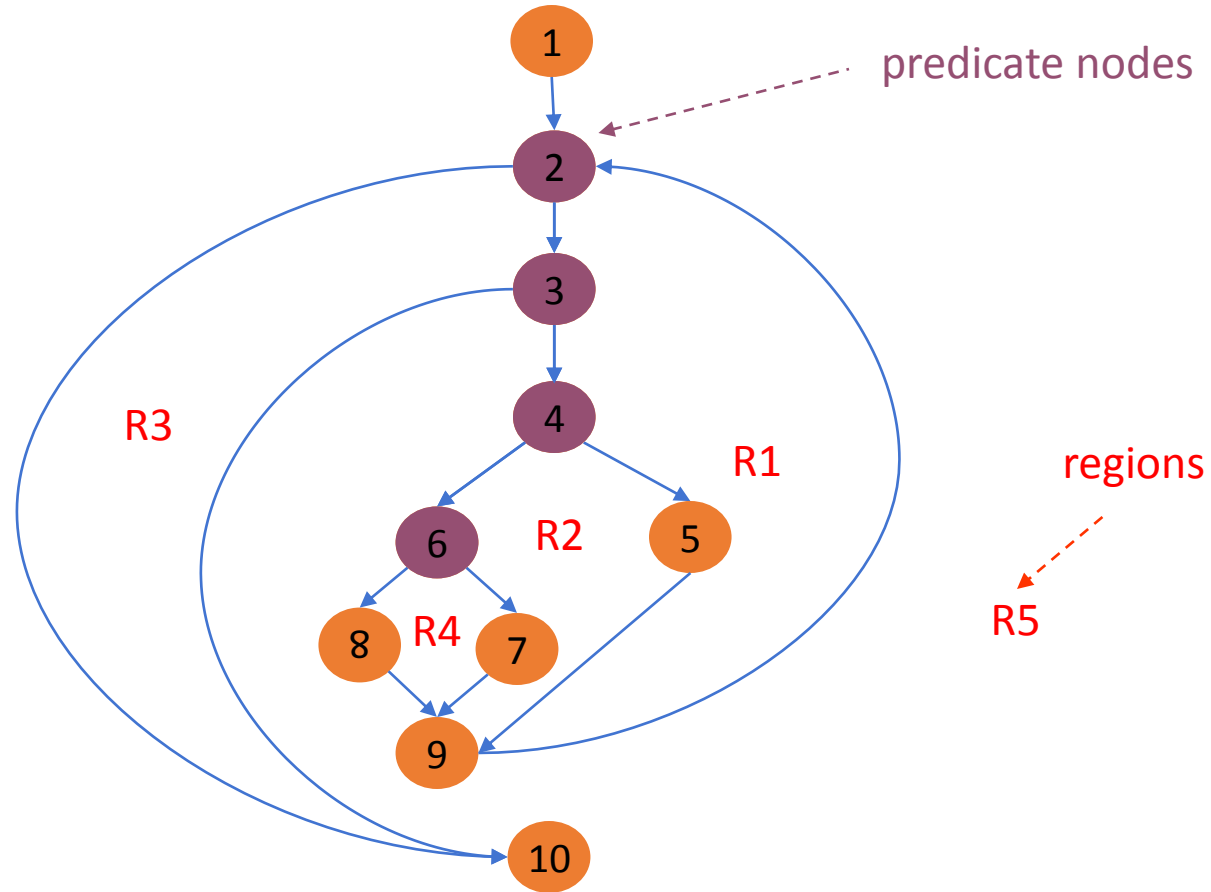
- Independent path
 - An **independent path** is any path of the program that introduce at least one new set of procedural statements or a new condition
 - In a flow graph, an independent path must move along at least one edge that has not been traversed before the path is defined
 - Examples: consider the CFG of `binarySearch()`
 - Path 1: 1-2-10
 - Path 2: 1-2-3-4-6-8-9-2-10
 - Path 3: 1-2-3-4-6-8-9-2-3-10 independent paths
 - Path 4: 1-2-3-4-6-8-9-2-3-4-6-8-9-2-10 (not an independent path)



Cyclomatic Complexity (cont'd)

- Three ways to compute cyclomatic complexity:
 - The number of regions of the flow graph correspond to the cyclomatic complexity.
 - Cyclomatic complexity, $V(G)$, for a flow graph G is defined as $V(G) = E - N + 2$
where E is the number of flow graph edges and N is the number of flow graph nodes.
 - Cyclomatic complexity, $V(G) = P + 1$
where P is the number of predicate nodes contained in the flow graph G .

Cyclomatic Complexity of Function binarySearch()




Deriving Basis Test Cases

- The following steps can be applied to derive the basis set:
 1. Using the design or code as a foundation, draw the corresponding flow graph.
 2. Determine the cyclomatic complexity of the flow graph.
 - $V(G) = 5$ regions
 - $V(G) = 13 \text{ edges} - 10 \text{ nodes} + 2 = 5$
 - $V(G) = 4 \text{ predicate nodes} + 1 = 5$

Deriving Basis Test Cases (cont'd)

3. Determine a basis set of linearly independent paths.
 - Path 1: 1-2-10
 - Path 2: 1-2-3-10
 - Path 3: 1-2-3-4-5-9-2-3-10- ...
 - Path 4: 1-2-3-4-6-7-9-2-...
 - Path 5: 1-2-3-4-6-8-9-2-...
4. Prepare test cases that force the execution of each path in the basis set
 - Path 1 test case:
 - Inputs: `sortedArray = { }`, `searchValue = 2`
 - Expected results: `locationOfSearchValue = -1`

Deriving Basis Test Cases (cont'd)

- Path 2 test case: **cannot be tested stand-alone!** 
 - Inputs: sortedArray = {2, 4, 6}, searchValue = 8
 - Expected results: locationOfSearchValue = -1
- Path 3 test case:
 - Inputs: sortedArray = {2, 4, 6, 8, 10}, searchValue = 6
 - Expected results: locationOfSearchValue = 2
- Path 4 test case:
 - Inputs: sortedArray = {2, 4, 6, 8, 10}, searchValue = 4
 - Expected results: locationOfSearchValue = 1
- Path 5 test case:
 - Inputs: sortedArray = {2, 4, 6, 8, 10}, searchValue = 10
 - Expected results: locationOfSearchValue = 4

Deriving Basis Test Cases (cont'd)

- Each test cases is executed and compared to its expected results.
- Once all test cases have been exercised, **we can be sure that all statements are executed at least once**
- Note: **some independent paths cannot be tested stand-alone** because the input data required to traverse the paths **cannot** be achieved
 - In `binarySearch()`, the initial value of variable *found* is `FALSE`, hence path 2 can only be tested as part of path 3, 4, and 5 tests