

Time and Space Complexities: (methods used to solve the problem)

#### 4. Directed Or Undirected Algorithm

- Time Complexity:  $O(n^2)$  where  $n$  is the numbers of vertices in the matrix. Each of the two nested loops run  $n$  times so  $O(n^2)$ .
- Space Complexity:  $O(n^2)$  where  $n$  is numbers of vertices in the matrix since the algorithm stores the input matrix that is  $n \times n$

#### 5. Paths Of Length 7

- Time Complexity:  $O(d^7)$  where  $d$  is the average number of neighbors each node points to. This algorithm explores paths of length 7 from the starting node. So at each depth, there are  $d$  choices on each depth and 7 depths are explored.
- Space Complexity:  $O(V+E)$  where  $V$  is the entry per vertex and  $E$  is the total edges across all lists. Space is mainly used to store the graph.

#### 6. Circular Graph

- Time Complexity:  $O(n)$  where  $n$  is number of vertices because we use a loop through the formatted input and build a list. Many of the operations are either  $O(n)$  or  $O(1)$  which results in  $O(n)$  time complexity.
- Space Complexity:  $O(n)$  where  $n$  is number of vertices because vertex list stores  $n$  elements. Graph  $n$  nodes and edges which is  $O(n)$ . The memory stores the lists and graph structure.