

CS2100 Computer Organisation
AY2021/22 Semester 1
Assignment 2 Answer Sheet

FULL NAME:	
STUDENT ID:	
TUTORIAL GROUP:	

Question 0. Submission instructions (3 marks)

a. Name your file with your student number (eg: AxxxxxxY>.pdf). (1 mark)	Y / N
b. Submit your assignment as a single PDF file. (1 mark)	Y / N
c. Your submission has your tutorial group number, student number and name. (1 mark)	Y / N

Question 1. Datapath (8 marks)

Field	Value
RegDst	X
MemRead	0
MemWrite	1
ALUSrc	1
RegWrite	0
Instruction[31-26] *	0b101011
Instruction[25-21] *	0b11101
Instruction[20-16] *	0b10010
Instruction[15-11] *	0b11111
Instruction[5-0] *	0b011000
❶ * (output from sign-extend)	0x FFFF FFD8
❷ *	0x0000 0004
❸ *	0x0000 00A4
❹ * (read data 2)	0x0004 0200
❺ *	0x7 FFF EFCC
❻ (ALU control output)	0010

- \$s2 = \$18; \$sp = \$29; -40 = 0b1111 1111 1111 1111 1111 1111 1101 1000.
- Instruction encoding = 0b[101011] [11101] [10010] [1111 1111 1101 1000].
- ❷: 0xFFFFFDD8 << 2 + 0x00000004 = 0x00000004.
- ❺: 0x7FFFEFF4 + 0xFFFFFDD8 = 0x7FFFEFCC.

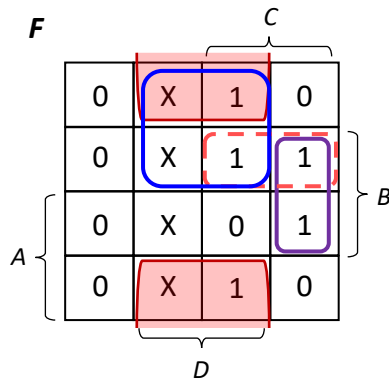
Question 2. Simplification (14 marks)

(a) $B \cdot Y \cdot E' \cdot (A' \cdot X + A \cdot X' + A \cdot X + A' \cdot X') + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S'$

[6 marks]

$$\begin{aligned}
 & B \cdot Y \cdot E' \cdot (A' \cdot X + A \cdot X' + A \cdot X + A' \cdot X') + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S' \\
 \text{Step 1: } & = B \cdot Y \cdot E' \cdot (A' \cdot X' + A' \cdot X + A \cdot X' + A \cdot X) + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S' \\
 & \quad \text{(associative law; commutative law)} \\
 \text{Step 2: } & = B \cdot Y \cdot E' \cdot (A' \cdot (X' + X) + A \cdot (X' + X)) + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S' \quad \text{(distributive law)} \\
 \text{Step 3: } & = B \cdot Y \cdot E' \cdot (A' \cdot 1 + A \cdot 1) + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S' \quad \text{(complement law)} \\
 \text{Step 4: } & = B \cdot Y \cdot E' \cdot (A' + A) + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S' \quad \text{(identity law)} \\
 \text{Step 5: } & = B \cdot Y \cdot E' \cdot 1 + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S' \quad \text{(complement law)} \\
 \text{Step 6: } & = B \cdot Y \cdot E' + B' \cdot L \cdot U \cdot E' \cdot S' \cdot K \cdot Y + Y \cdot E' \cdot S' \quad \text{(identity law)} \\
 \text{Step 7: } & = B \cdot Y \cdot E' + Y \cdot E' \cdot S' \cdot (B' \cdot L \cdot U \cdot K) + Y \cdot E' \cdot S' \quad \text{(associative law; commutative law)} \\
 \text{Step 8: } & = B \cdot Y \cdot E' + Y \cdot E' \cdot S' \quad \text{(absorption theorem 1)} \\
 \text{Step 9: } & = Y \cdot E' \cdot (B + S') \quad \text{(distributive law)}
 \end{aligned}$$

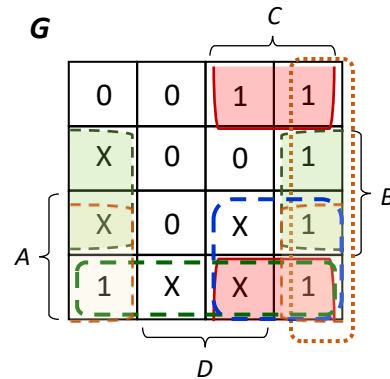
(b)



[4 marks]

#PIs	4 ($A' \cdot D, B' \cdot D, B \cdot C \cdot D', A' \cdot B \cdot C$)
#EPIs	2 ($B' \cdot D, B \cdot C \cdot D'$)
Simplest SOP	$B' \cdot D + B \cdot C \cdot D' + A' \cdot D$
Simplest POS	$C \cdot (B + D) \cdot (A' + B' + D')$

(c)

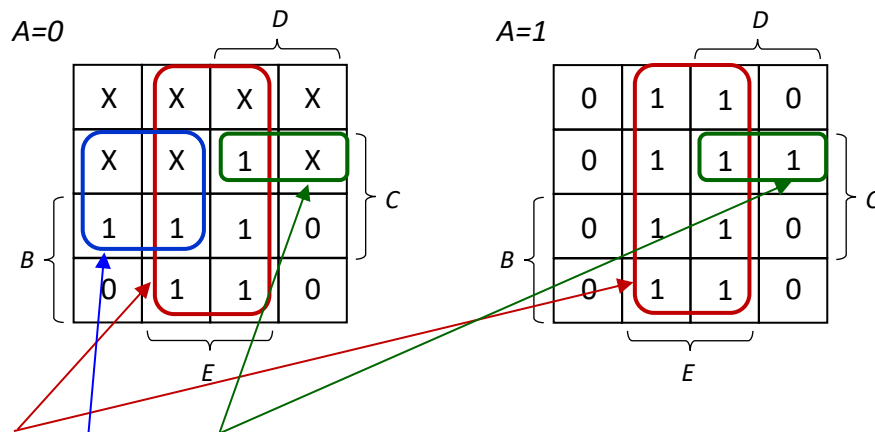


[4 marks]

#PIs	6 ($B' \cdot C, C \cdot D', B \cdot D', A \cdot B', A \cdot D', A \cdot C$)
#EPIs	1 ($B' \cdot C$)
Simplest SOP	$B' \cdot C + B \cdot D' + A \cdot B'$ or $B' \cdot C + B \cdot D' + A \cdot D'$ or $B' \cdot C + C \cdot D' + A \cdot B'$ or $B' \cdot C + C \cdot D' + A \cdot D'$
Simplest POS	$(A + C) \cdot (B' + D')$

Question 3. Circuit Design (8 marks)

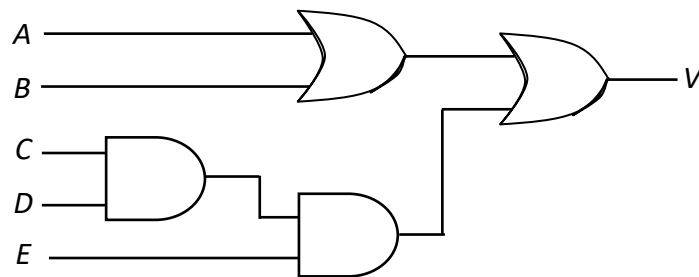
(a) [2 marks]



(b) $M = E + A'C'D' + B'C'D$ [3 marks]

(c) Draw the circuits for V . [3 marks]

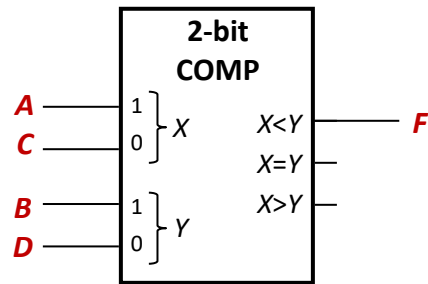
$$V = A + B + C \cdot D \cdot E$$



Question 4. Block-level design (7 marks)

(a) $F(A,B,C,D) = \sum m(1, 4, 5, 6, 7, 13)$

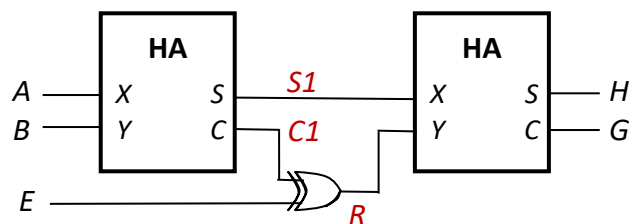
[3 marks]



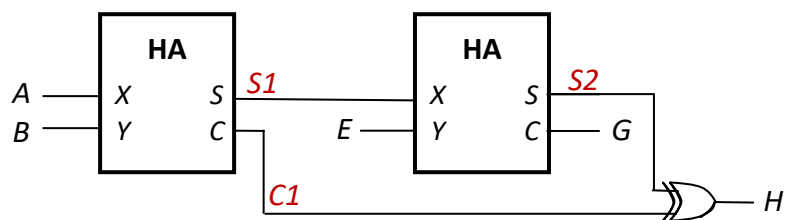
(b) $G(A,B,E) = \sum m(3,5)$

$H(A,B,E) = \sum m(1,2,4,6)$

[4 marks]



A	B	E	$S1$	$C1$	$R = E \oplus C1$	G	H
0	0	0	0	0	0	0	0
0	0	1	0	0	1	0	1
0	1	0	1	0	0	0	1
0	1	1	1	0	1	1	0
1	0	0	1	0	0	0	1
1	0	1	1	0	1	1	0
1	1	0	0	1	1	0	1
1	1	1	0	1	0	0	0



A	B	E	$S1$	$C1$	$S2$	G	$H = S2 \oplus C1$
0	0	0	0	0	0	0	0
0	0	1	0	0	1	0	1
0	1	0	1	0	1	0	1
0	1	1	1	0	0	1	0
1	0	0	1	0	1	0	1
1	0	1	1	0	0	1	0
1	1	0	0	1	0	0	1
1	1	1	0	1	1	0	0