9.2 Line Conductors

Friday, 18 March 2022 3:01 pm



a) Nint = 1. I [Only internal flux

linkage] - Ninner,

Lint = Nint = 1. Hollis permalaly

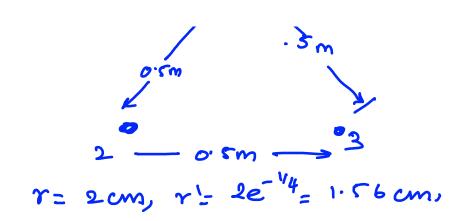
France of copper,

= 1. ITXIS 7

= 17107 Hlm

b) Ltolat = $2\pi 10^{-7} \text{ ln} \frac{R}{r^{1}} = \frac{40}{217} \text{ ln} \frac{R}{71}$ $\gamma' = \gamma \cdot e^{-\frac{44}{4}} = \gamma e^{-\frac{1}{4}} = 0.6\pi 10^{-2} \times 0.79$ = $4.68\pi 10^{-3} \text{ m}$

 $L_1 = L_2 = 2 \times 10^7 \text{ lm} \left(\frac{0.7}{4.68 \times 10^{-3}} \right)$ $= 9.34 \times 10^{-7} \text{ H/m}$



ank = a cometrical mean Radius

Rn = 0.157 m = 15.7 cm

3)
$$60 \text{ Hz}, 3 \phi, 3 - \text{wire}, d = 1 \text{ cm}$$
 $Y = 0.5 \text{ cm}$
 $8' = 0.5 \times 10^{-2} \times 0.78 = 3.9 \times 10^{-3} \text{ m}$
 $e^{-1/4}$
 $L \rightarrow H(m?)$
 $\chi_{L} \rightarrow \Omega I \text{ Km}$

Balanced system — No neutral curry

14 + 13 + 1c = 0

13 + 1c = -iA

DAB = DBc = 1-2 - D

$$\lambda_{A} = \frac{\mu_{0}}{2\pi} \left[\int_{A}^{A} \frac{1}{r_{1}^{\prime}} + \int_{A}^{\prime} \frac{1}{1 \cdot 2} \left[-i_{A}^{\prime} \right] \right]$$

$$= \frac{\mu_{0}}{2\pi} \left[\int_{A}^{A} \frac{1}{r_{1}^{\prime}} + \int_{A}^{\prime} \frac{1}{1 \cdot 2} \left[\frac{1 \cdot 2}{3 \cdot 9 \times 10^{-3}} \right] \right]$$

$$= \frac{\lambda_{A}}{i_{A}} = \frac{\mu_{0}}{i_{A}} \left[\int_{A}^{1} \frac{1 \cdot 2}{3 \cdot 9 \times 10^{-3}} \right]$$

$$= 1 \cdot 146 \times 10^{-6} \text{ H/M}.$$

 $X_{L} = 2\pi e \cdot L_{A} = (20\pi \times 1.146 \times 10^{-6} \text{ H/m})$ $= 0.432 \times 10^{-3} \Omega M$

XL = 0, 432 22/Km

4 500KV, 30,

Dab = Dbc = 35 Ft

Pac = (UTT

d=1.345 inclu=

GMR=0.5328 inch. = 0.5328 Ft = 0.0442Pt

GMD = $(Dab Dbc Dca)^{\gamma_3}$ = $(35 \times 35 \times 70)^{\gamma_3} = 44.097$ ft

LA = dea lu | ame | = 27157 lu | 44.097 | = 1.38×156 H/m

- 1.38 mit 1km,

L= les lu and and