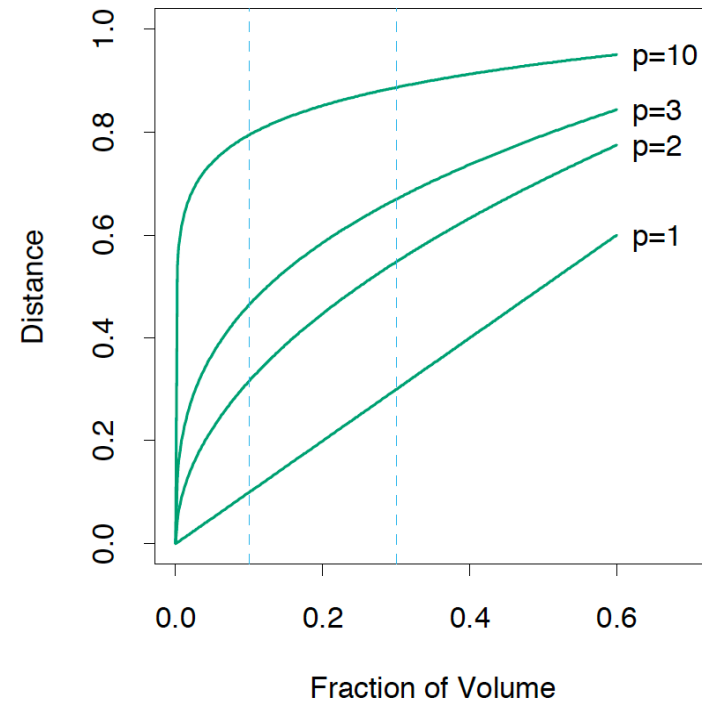
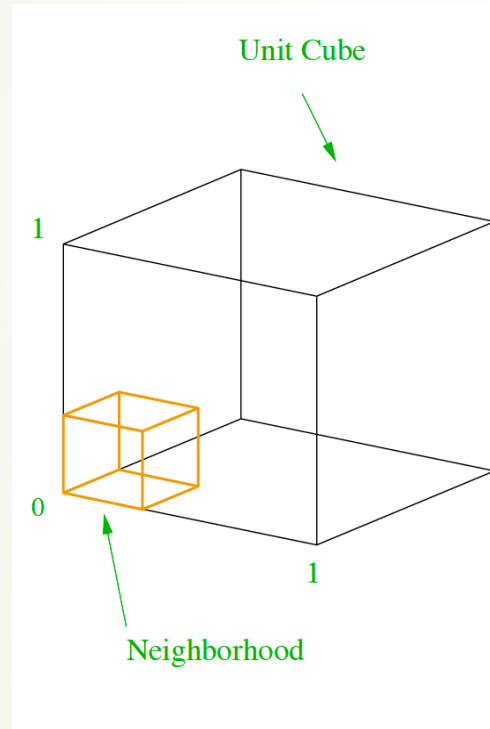



Curse of dimensionality

- The density of samples decreases with increase in dimension






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 - Lack of close neighbors causes increases in bias and variance
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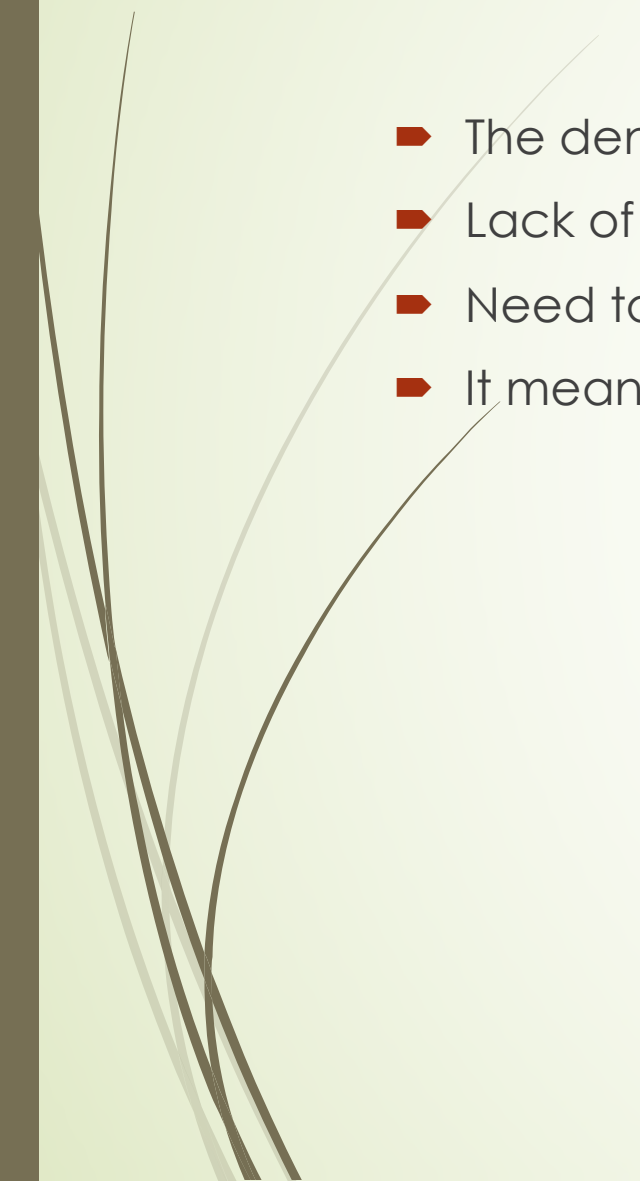


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 - Lack of close neighbors causes increases in bias and variance
 - Need to look at almost the whole space to make a prediction
 - It means you average over points that are quite different
- 



KNN Classification





KNN Classification

- Categorical variables belonging to some classes
- 

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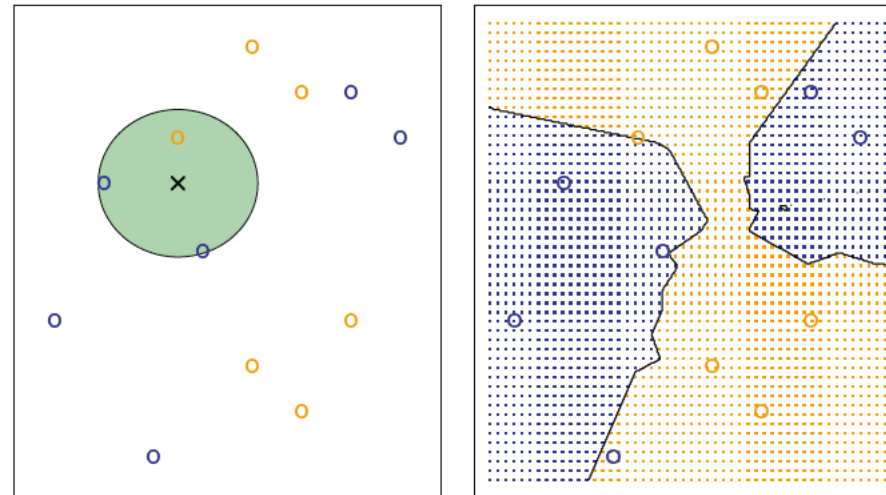
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Next up: Linear regression, logistic regression, decision trees

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