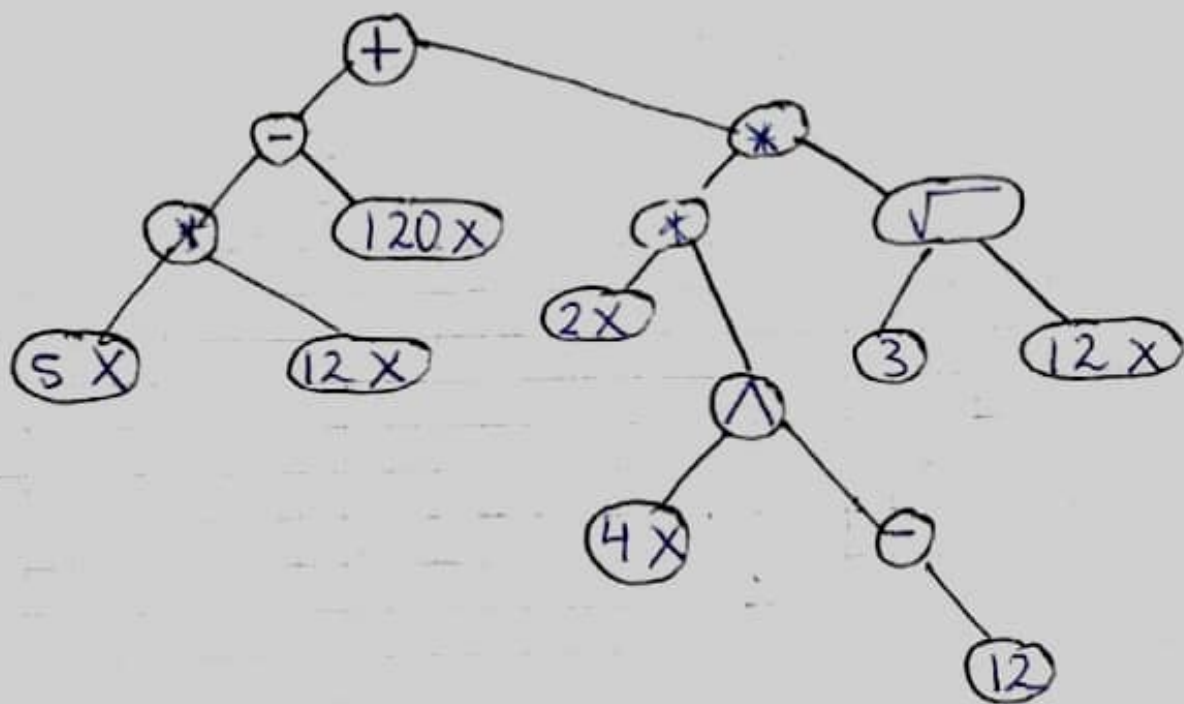


$$1) 5x \cdot 12x - 120x + 4x \cdot 2x^{(4x-12)} \cdot \sqrt{12x}$$



Recorrido en Inorden

$$5x * 12x - 120x + 12 - 4x \wedge 2x * 3 \sqrt{12x} *$$

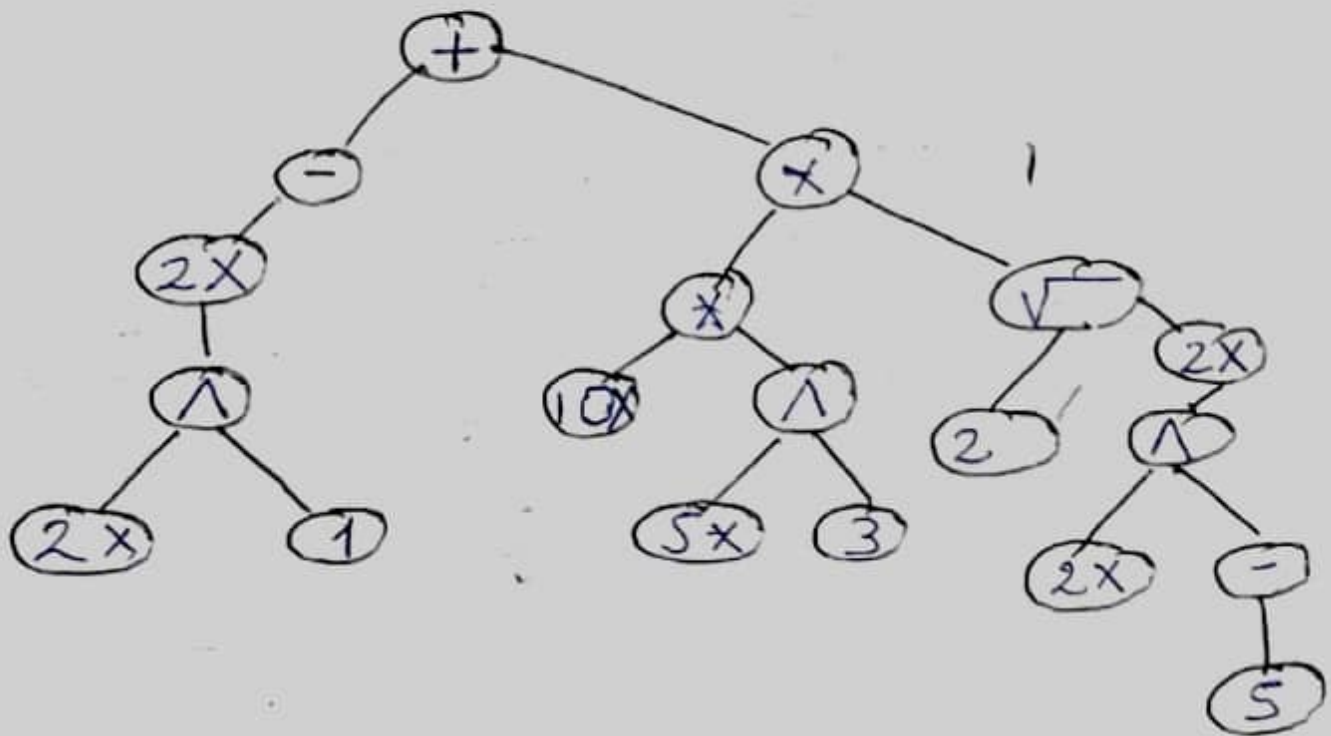
Recorrido en Preorden

$$+ - 120x * 5x 12x * * 12x \wedge 4x - 12 \sqrt{3} 12x$$

Recorrido en Postorden

$$5x 12x * 120x - 12 - 4x \wedge 12x 3 12x \sqrt{*} +$$

$$2) 2x^{(2x+1)} - 13x + 10x \cdot 5^{(5x+3)} \cdot \sqrt{2x^{(2x-5)}}$$



Recorrido en Inorden

$2x \wedge 1 \ 2x - 5x \wedge 3 \ 10x * 5 - 2x \wedge 2x \sqrt{*}$

Recorrido en Preorden

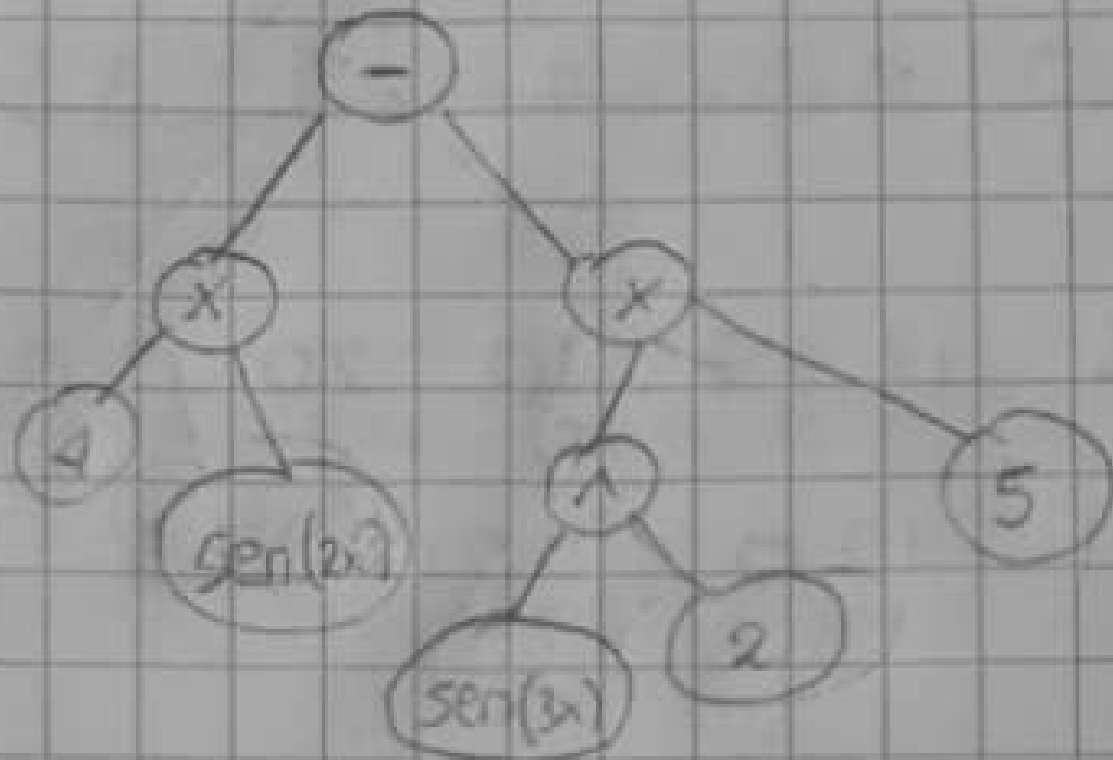
$+ - 2x \wedge 2x \ 1 * * 10x \wedge 5x \ 3 \sqrt{2} \ 2x \wedge 2x - 5$

Recorrido en Postorden

$2x \ 1 \wedge 2x - 5x \ 3 \wedge 10x * 5 - 2x \wedge 2x \sqrt{*}$

Inorden

$$4 \operatorname{sen}(2x) - (\operatorname{sen}^2(3x) \times 5)$$



Preorden

$$- \ x \ 4 \ \operatorname{sen}(2x) \ x \ \wedge \ \operatorname{sen}(3x) \ (2) \ 5$$

Posorden

$$4 \ \operatorname{sen}(2x) \ x \ \operatorname{sen}(3x) \ (2) \ \wedge \ 5 \ x$$